



THE EUROPEAN SCHOOL ON
MAGNETISM

Concept tests

Leon Abelmann
leon.manucodiata.org

Peer instruction for active learning

<https://youtu.be/Z9orbxoRofI>



The H field

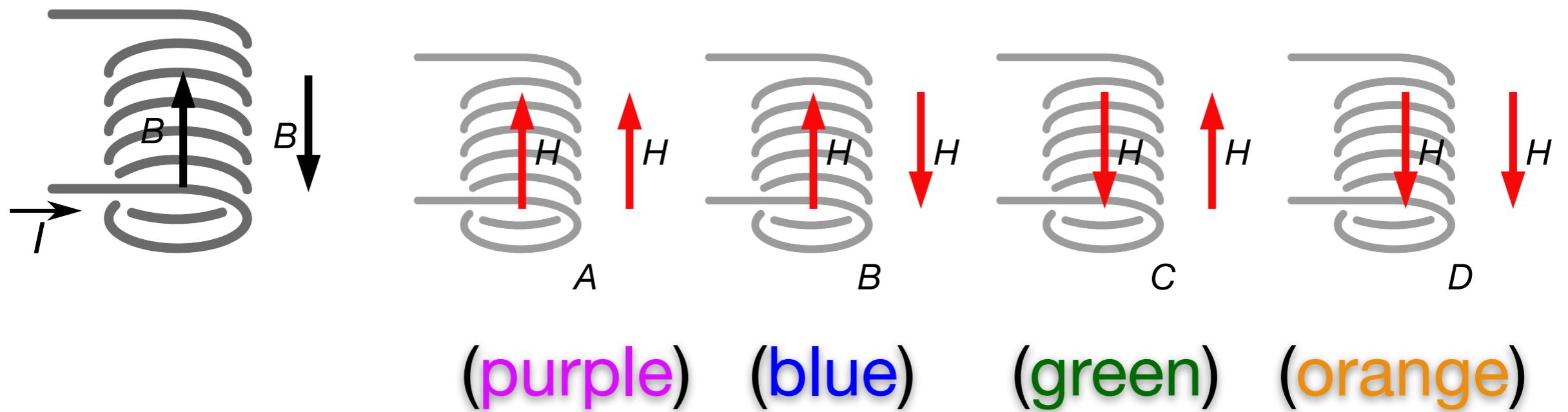
Spontaneous magnetisation
Direct exchange

Leon Abelmann

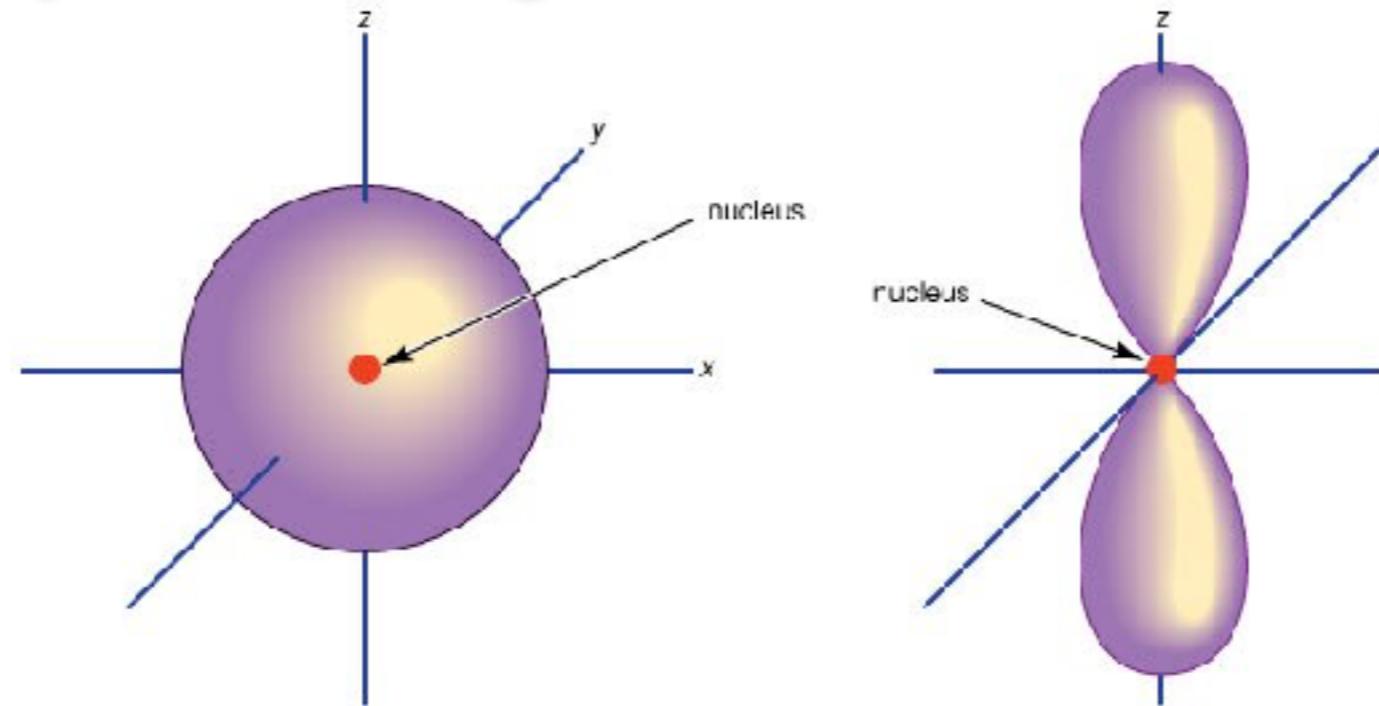
To increase the field far away from a permanent magnet I can increase:

- A (**purple**) : magnetisation at constant volume
- B (**blue**) : volume at constant moment
- C (**green**) : moment at constant magnetisation
- D (**orange**) : magnetisation at constant moment

Multiple answers possible



Probability of finding the electron in the nucleus

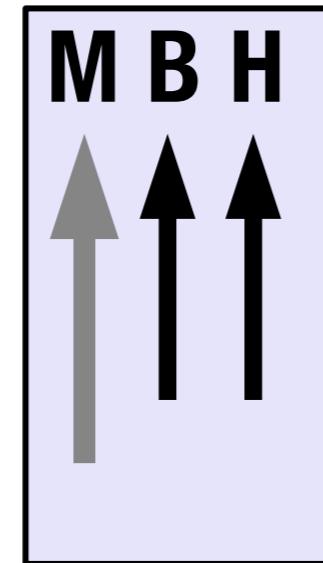


© 201C Encyclopaedia Britannica, Inc.

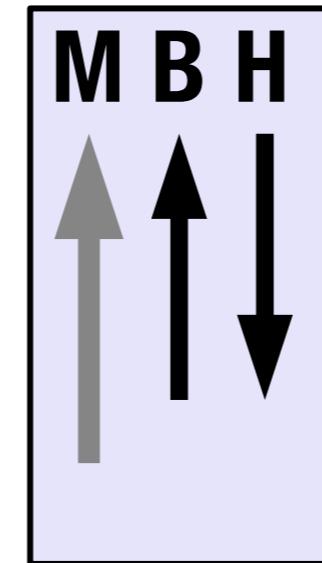
- | | | |
|--------------|-----------|---------|
| A (purple) : | 0 | 0 |
| B (blue) | : 0 | Minimum |
| C (green) | : Maximum | 0 |
| D (orange) | : Maximum | Minimum |

Uniformly magnetised bar magnet

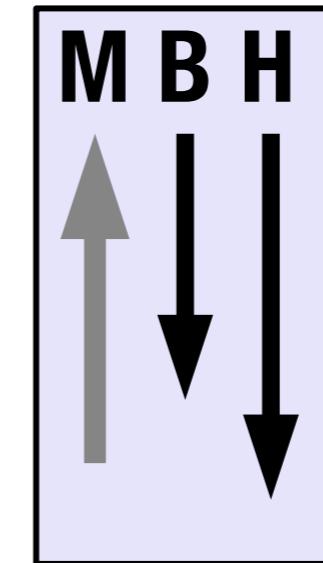
$$\mathbf{B} = \mu_0(\mathbf{H} + \mathbf{M})$$



A



B

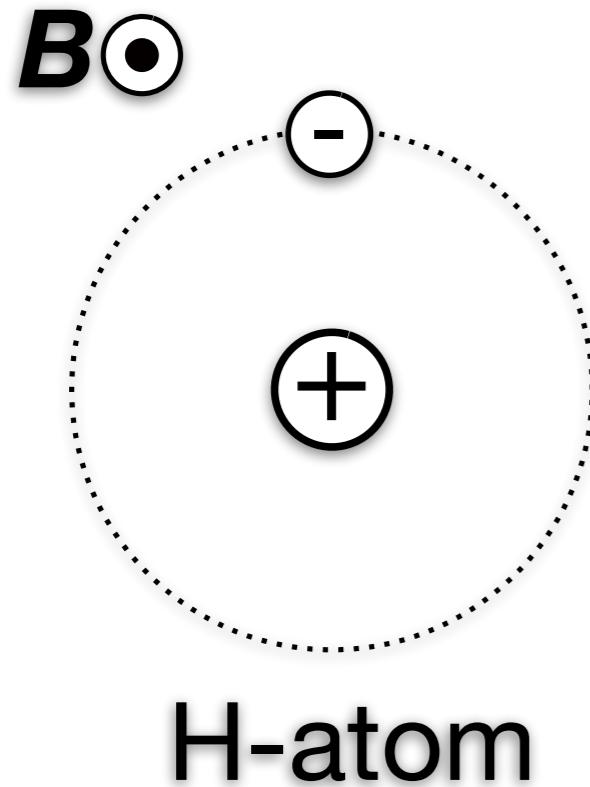


C

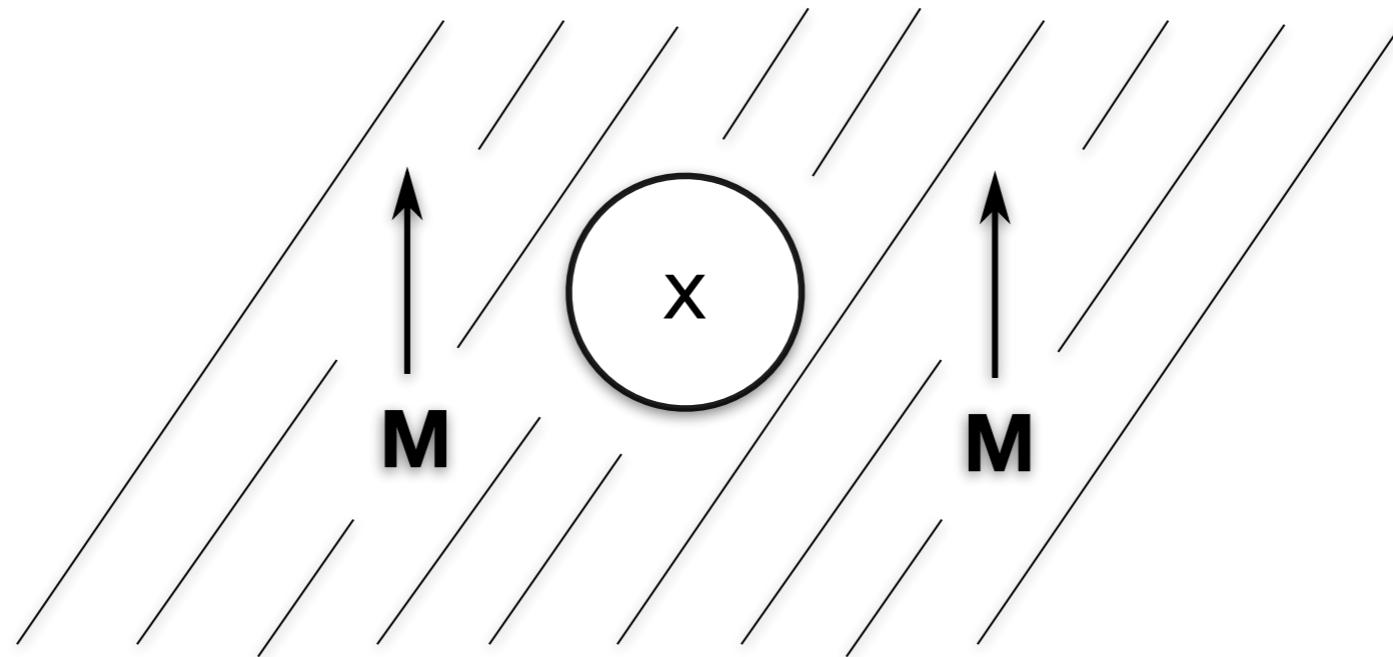
(purple)

(blue)

(green)



- orbital moment
- | | | |
|-----------|---|---------------------|
| A (red) |  | (pointing at you) |
| B (blue) |  | (pointing from you) |
| C (green) | 0 | |

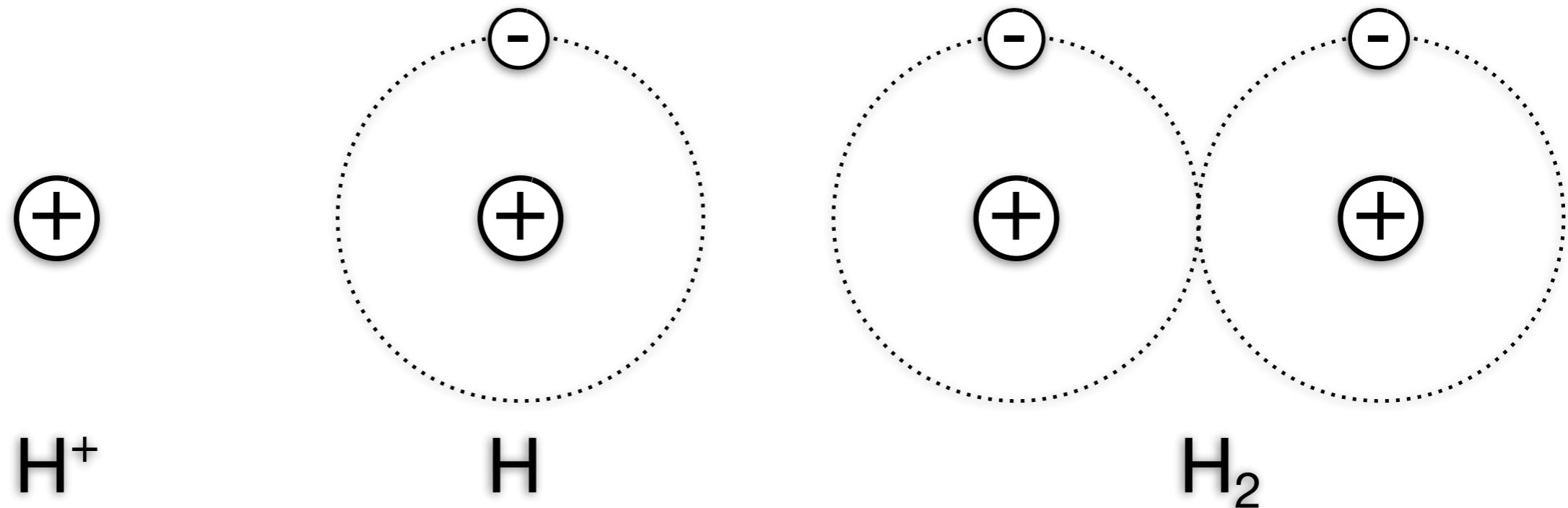


Hole in a permanent magnet with magnetisation M

A (purple) : H in x is parallel to M

B (blue) : H in x is anti-parallel to M

C (green) : $H = 0$



A (**purple**) : $m_{\text{H}^+} \geq m_{\text{H}}$

B (**blue**) : $m_{\text{H}^+} \geq m_{\text{H}_2}$

C (**green**) : $m_{\text{H}} \geq m_{\text{H}_2}$

Hunds rule:

Mn: [Ar] 3d⁵ 4s²

Fe: [Ar] 3d⁶ 4s²

Co: [Ar] 3d⁷ 4s²

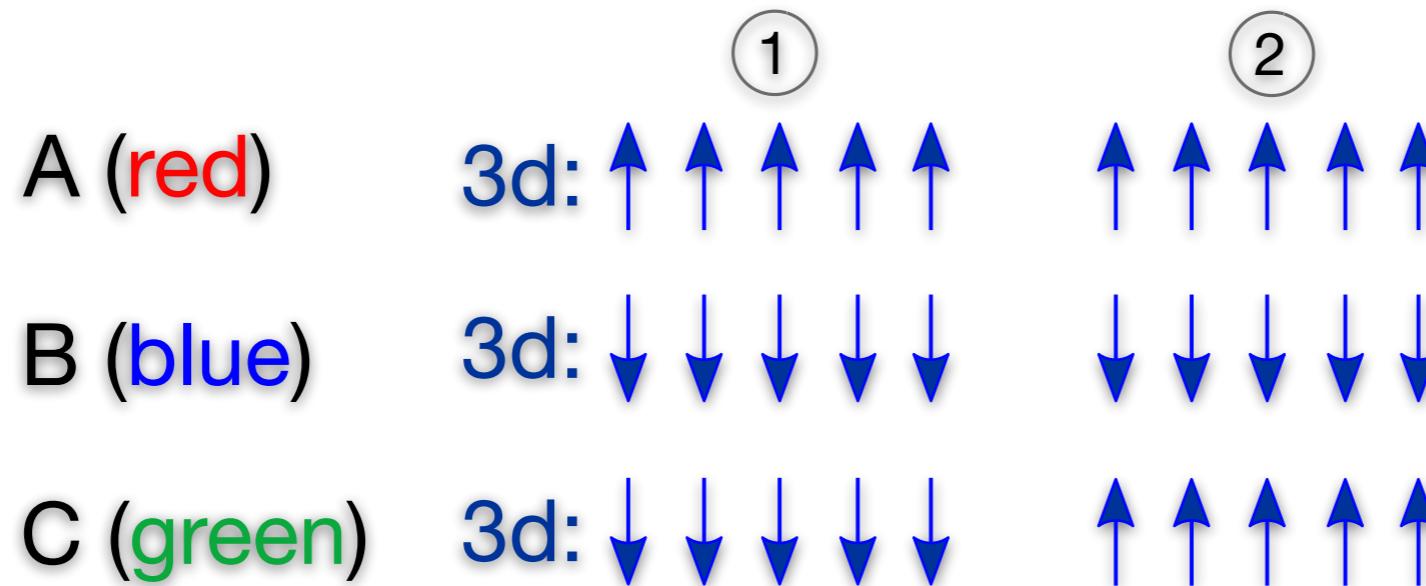
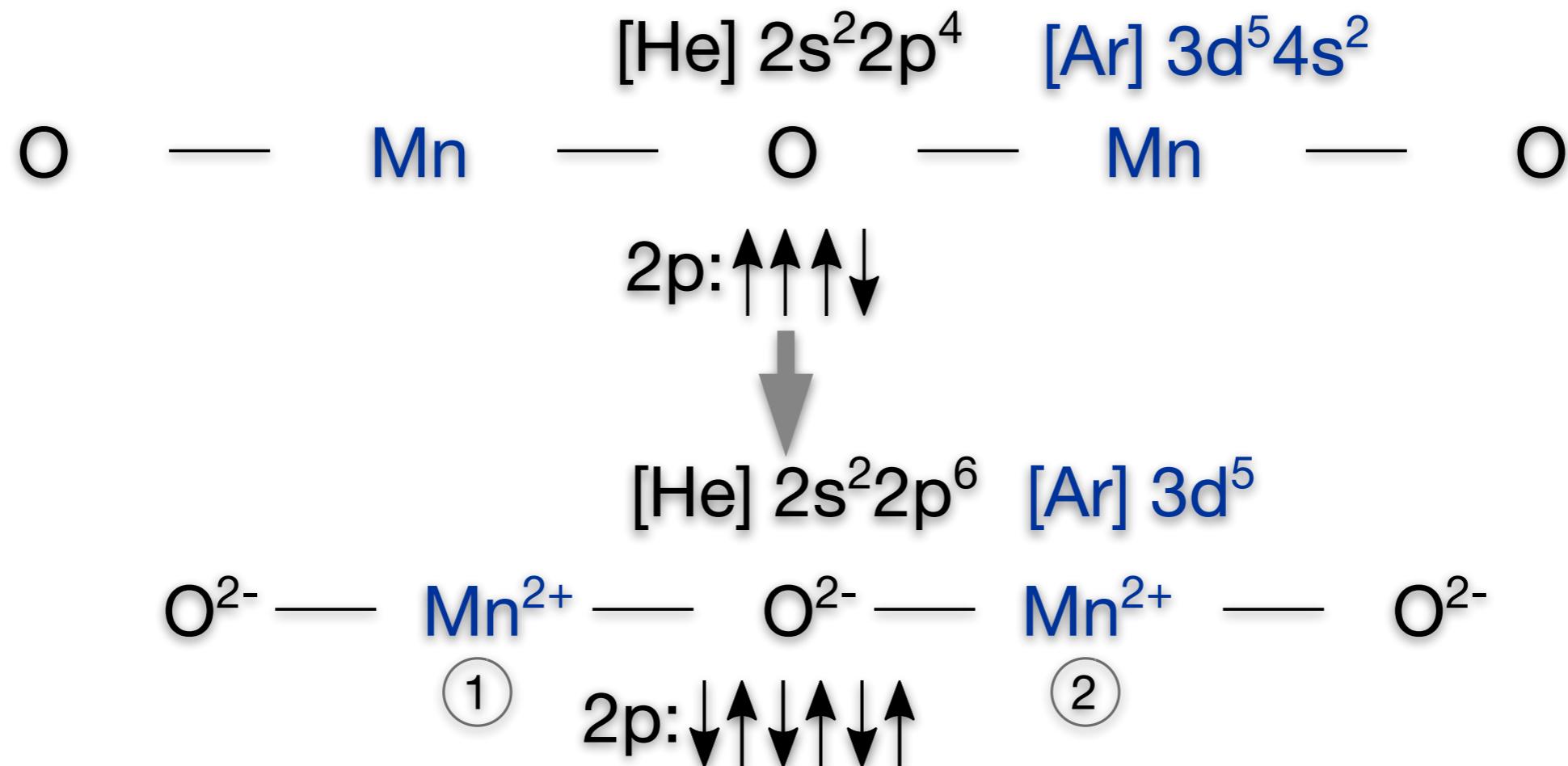
Ionized Fe:

A (**purple**) Fe²⁺: [Ar] 3d⁴ 4s²

B (**blue**) Fe²⁺: [Ar] 3d⁵ 4s¹

C (**green**) Fe²⁺: [Ar] 3d⁶ 4s⁰

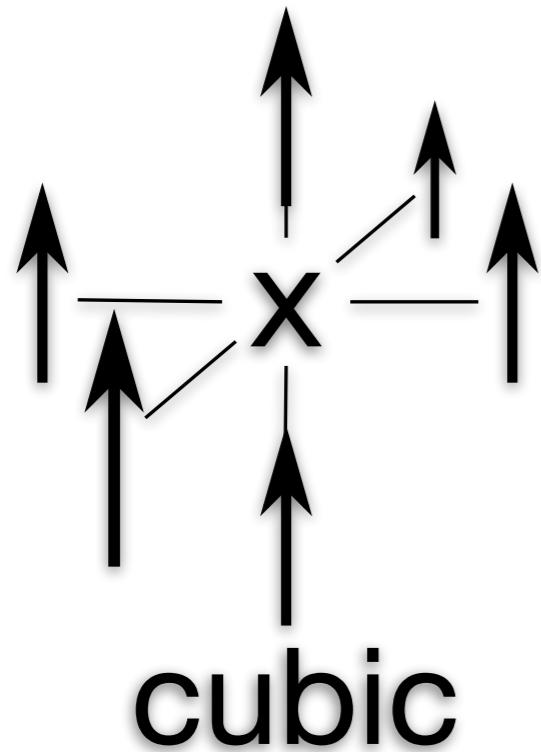
D (**orange**) None of the above





Anti-ferro and ferri-magnetism
Anisotropy - phenomenological
Anisotropy - pair model

Leon Abelmann



B in x:



A



B

B=0

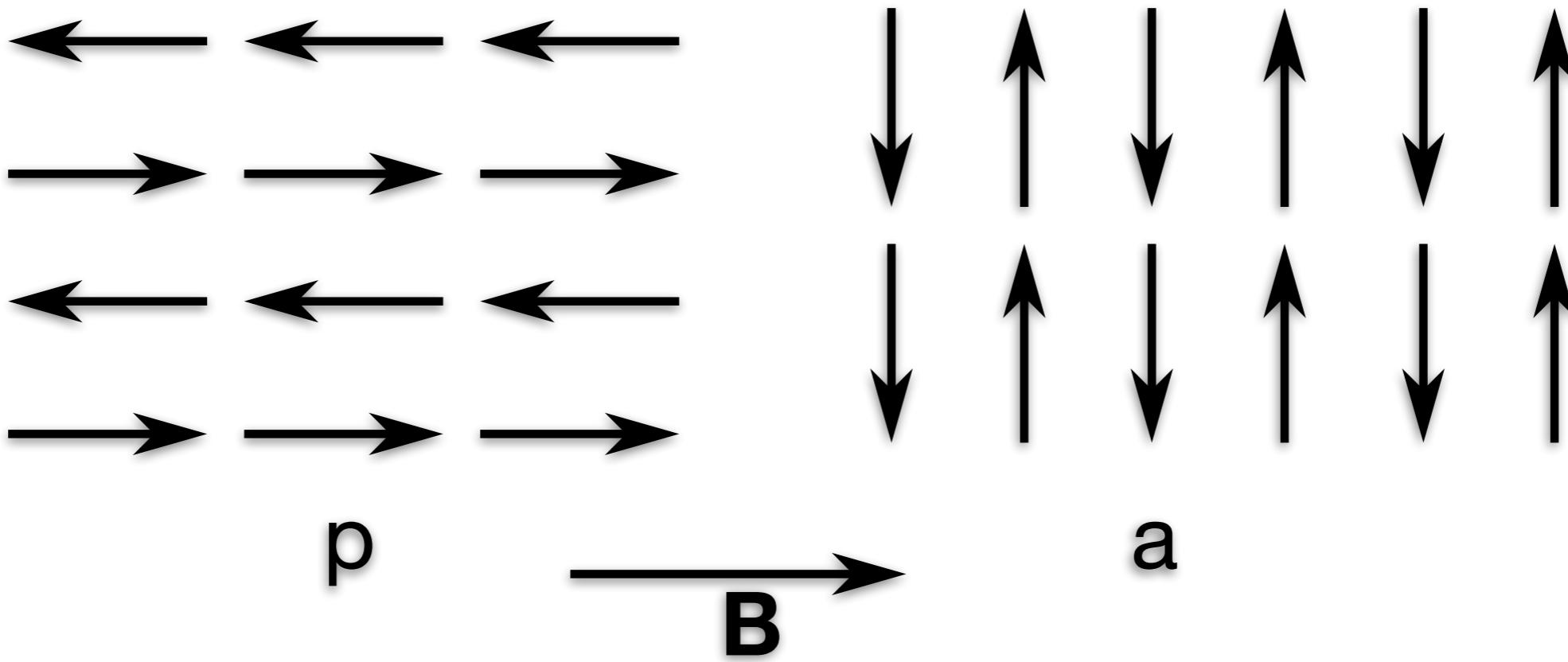
C

A (**purple**) : down

B (**blue**) : up

C (**green**) : zero

D (**orange**) : None of the above



A (**purple**) : $E_p > E_a$

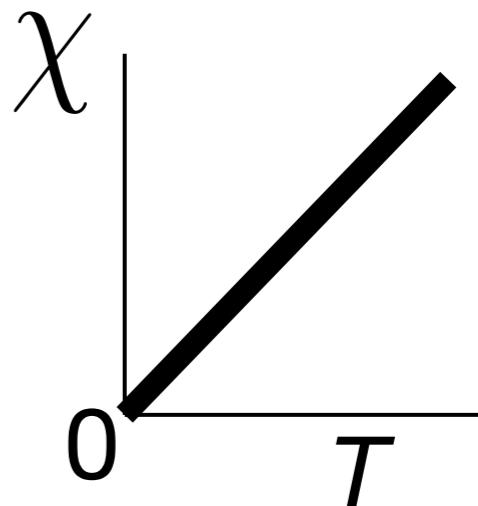
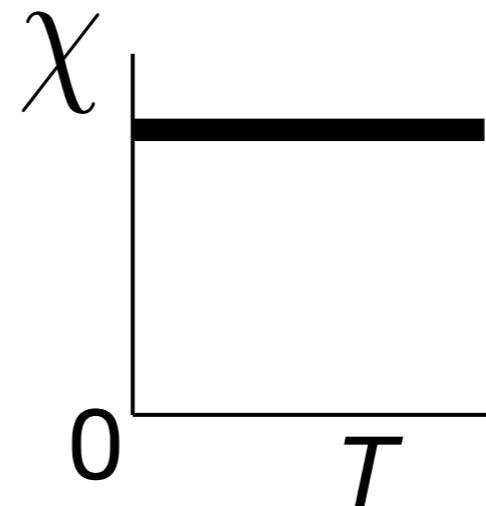
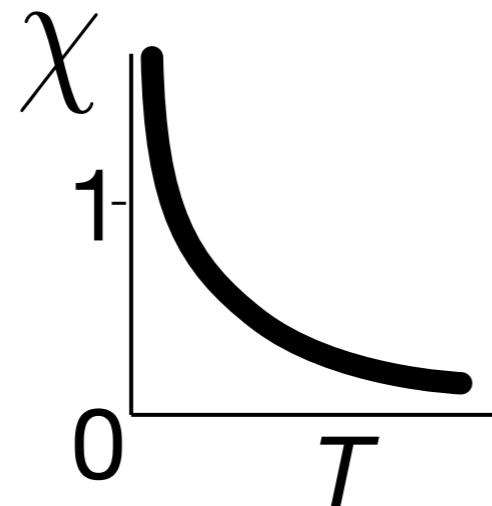
B (**blue**) : $E_p < E_a$

C (**green**) : $E_p = E_a$

Mn: [Ar] 3d⁵ 4s² is not a ferromagnet because:

- A (purple) : Mn has a half filled d-shell
- B (blue) : Mn oxidises too fast
- C (green) : Mn is an anti-ferromagnet
- D (orange) : Another reason

$$\chi = \left. \frac{dM}{dH} \right|_{H=0}$$



- | | | | |
|---------------------|-----------------------|------------------------|------------|
| A (purple) | : Para-, | Ferro-, | Anti-ferro |
| B (blue) | : Anti-ferro-, Para-, | Ferromagnetic | |
| C (green) | : Para-, | Anti-ferro, Anti-ferro | |
| D (orange) | : Ferro-, | Anti-ferro, Para | |

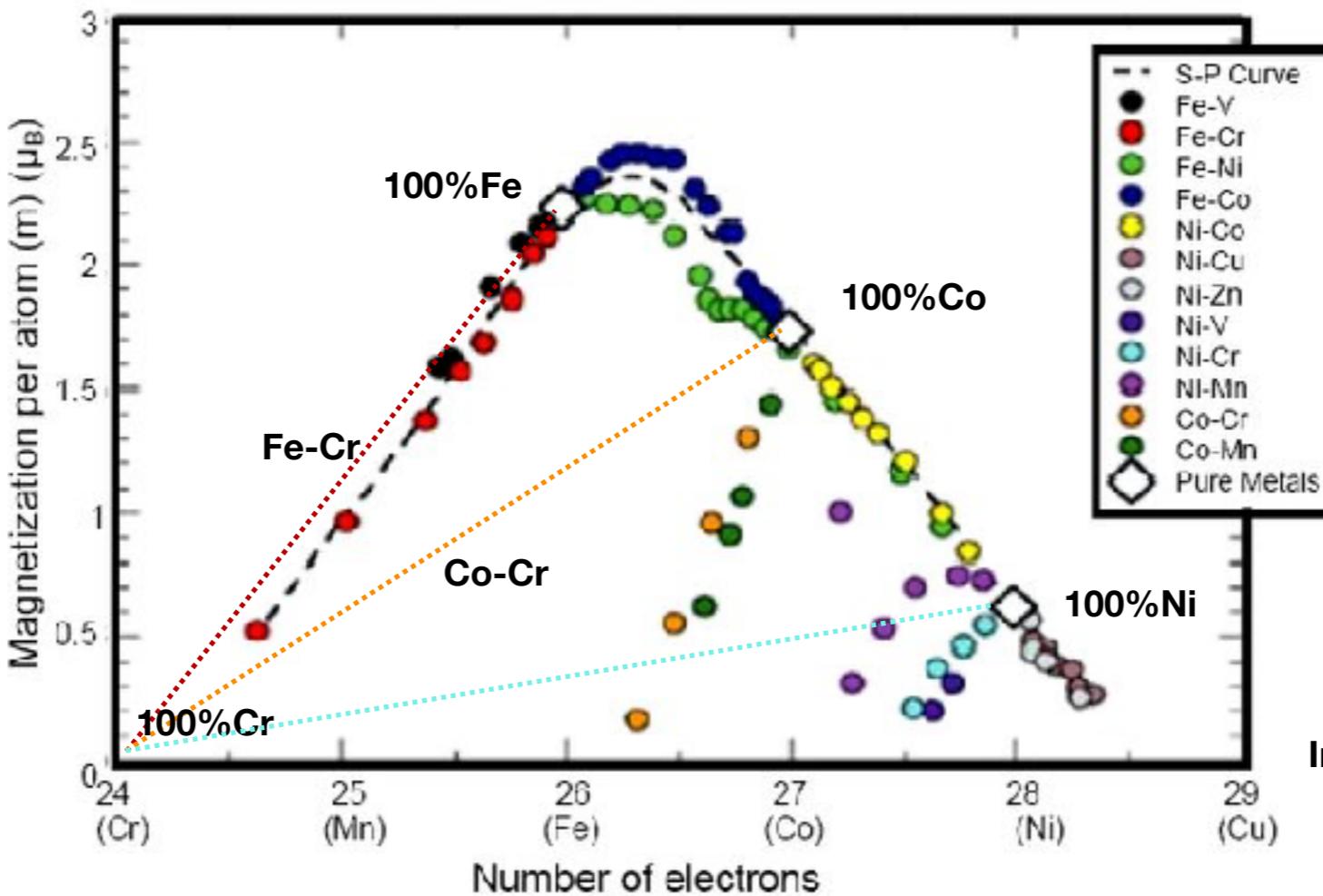
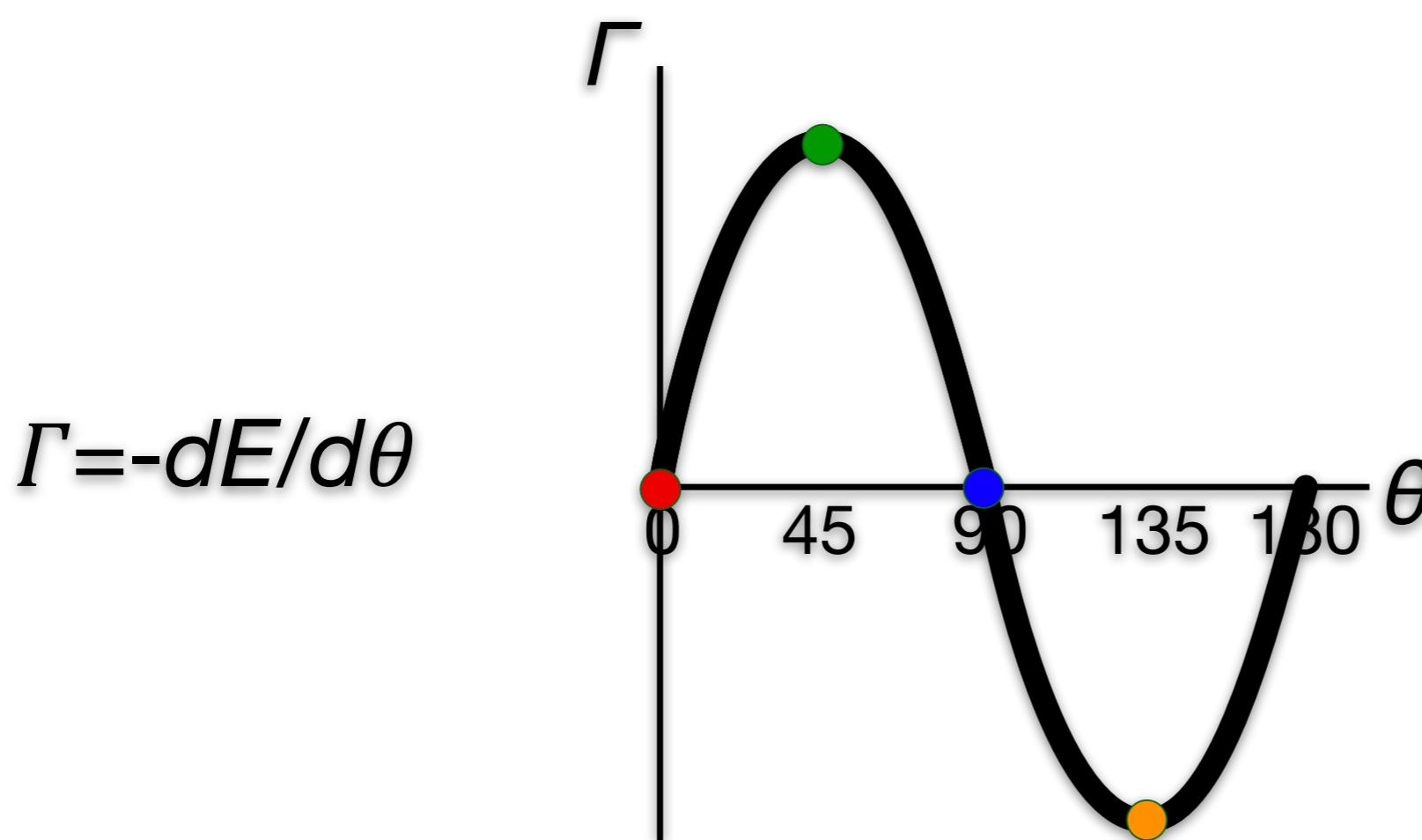


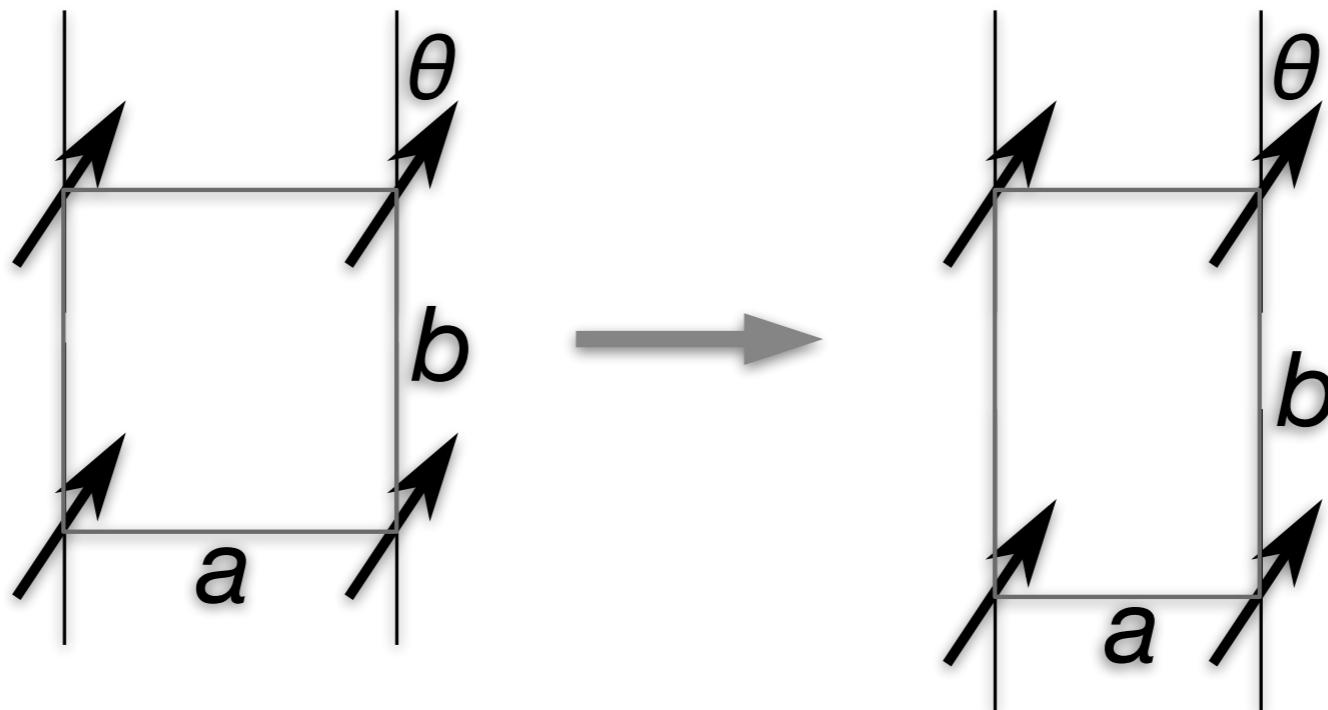
Image from Rajat Roy

Effect Cr on Fe different from Co and Ni because:

- A (purple) : Cr chemically reacts with Ni, Co
- B (blue) : Cr couples anti-ferromagnetically
- C (green) : All of the above
- D (orange) : None of the above



- The easy axis is at $\theta =$
- A (purple) : 0
 - B (blue) : 45
 - C (green) : 90
 - D (orange) : 135



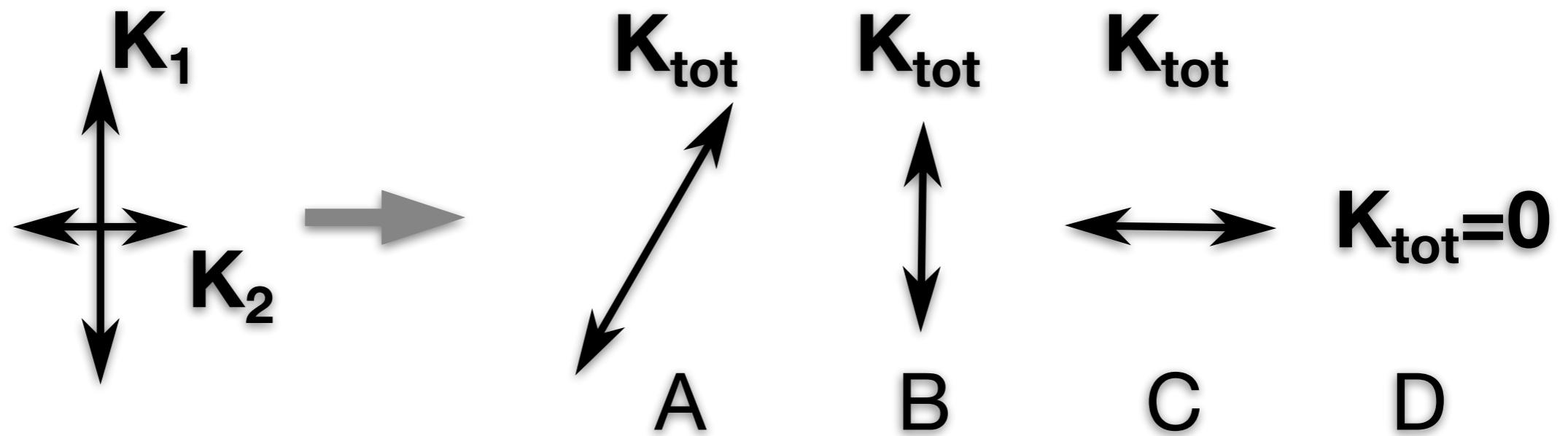
$$E = K_{u1} \cos^2(\theta) + K_2 \cos^2(2\theta)$$

First $b/a=1$, if I increase b/a , then

A (**purple**) : K_{u1} increases

B (**blue**) : K_{u1} decreases

C (**green**) : $K_{u1} = 0$



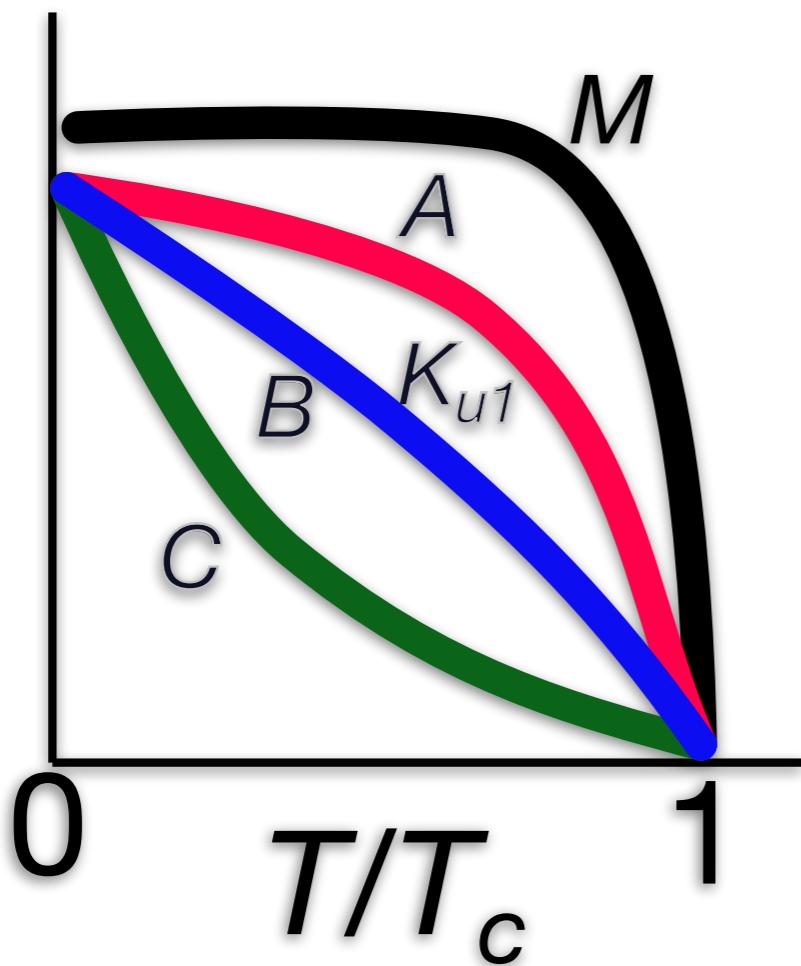
K_1, K_2 uni-axial

A (**purple**)

B (**blue**)

C (**green**)

D (**orange**)



Uni-axial:

$$E = K_{u1} \cos^2(\theta)$$

Cubic:

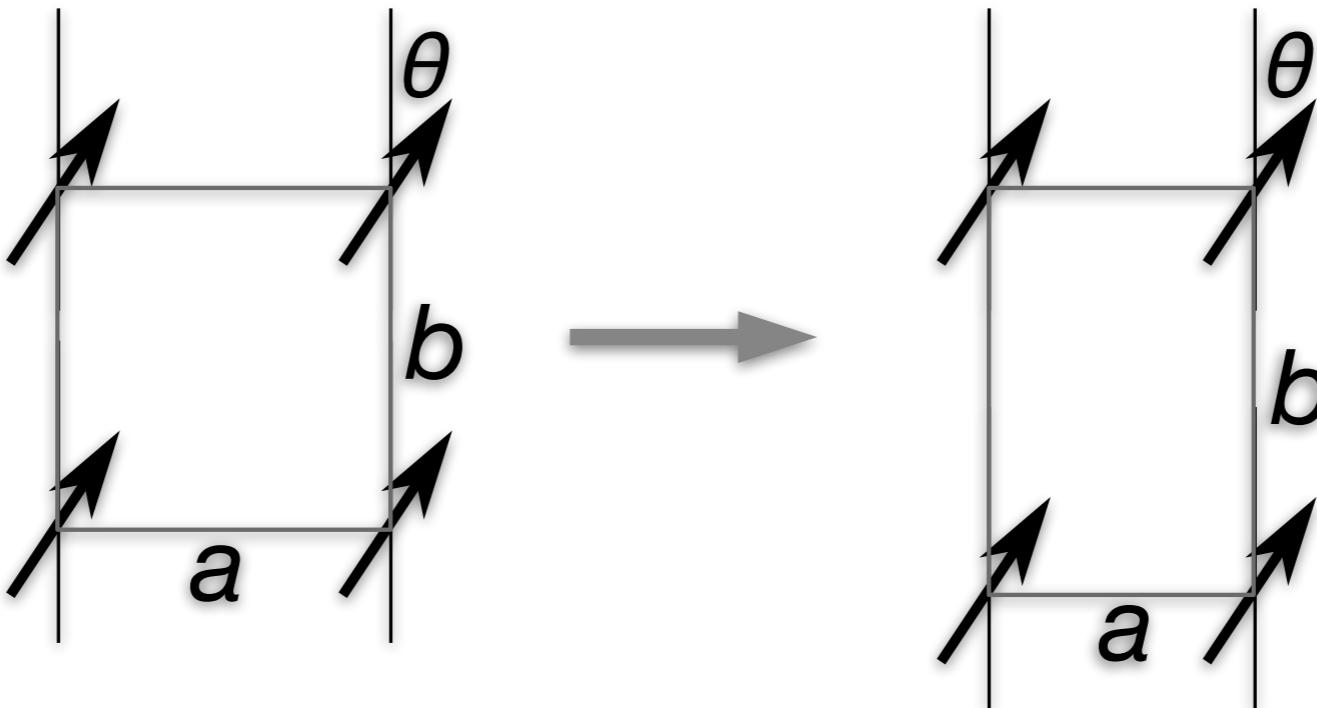
$$E = K_1 (\alpha_1^2 \alpha_2^2 + \alpha_1^2 \alpha_3^2 + \alpha_2^2 \alpha_3^2)$$

If T-dependence K_{u1} is as indicated, than K_1

A (**purple**) : K_1 less T-dependent

B (**blue**) : K_1 same as K_{u1}

C (**green**) : K_1 more T-dependent



$$E = K_{u1} \cos^2(\theta) + K_2 \cos^2(2\theta)$$

If I increase b/a, then

- A (purple) : K_2 increases but $K_2 < 0$
- B (blue) : K_2 increases ($K_2 > 0$ is ok)
- C (green) : K_2 decreases but $K_2 > 0$
- D (orange) : K_2 decreases ($K_2 < 0$ is ok)