

Concept tests

Leon Abelmann



The H field Spontaneous magnetisation Direct exchange

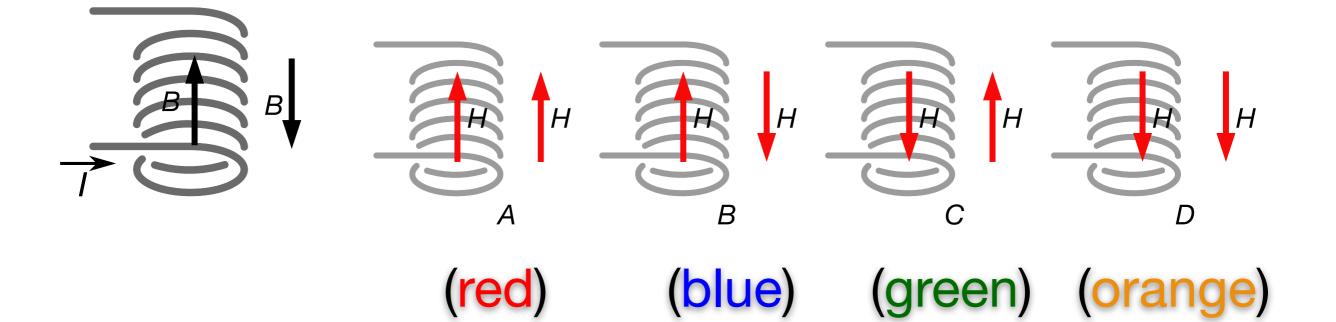
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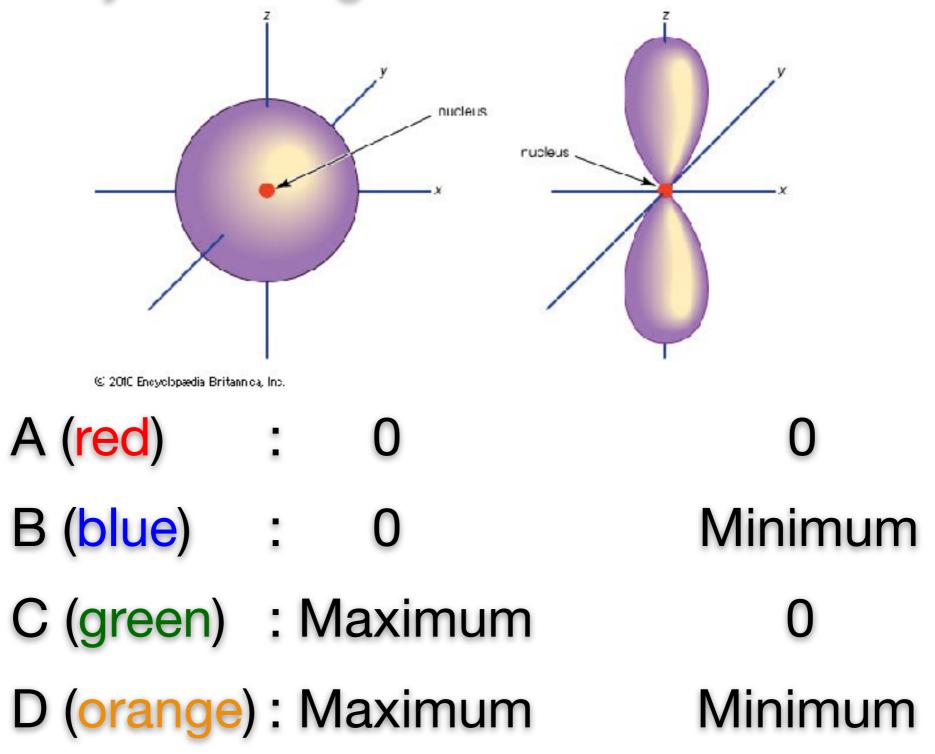
To increase the field far away from a permanent magnet I can increase:

- A (red) : magnetisation at constant volume
- B (blue) : volume at constant moment
- C (green) : moment at constant magnetisation
- D (orange) : magnetisation at constant moment

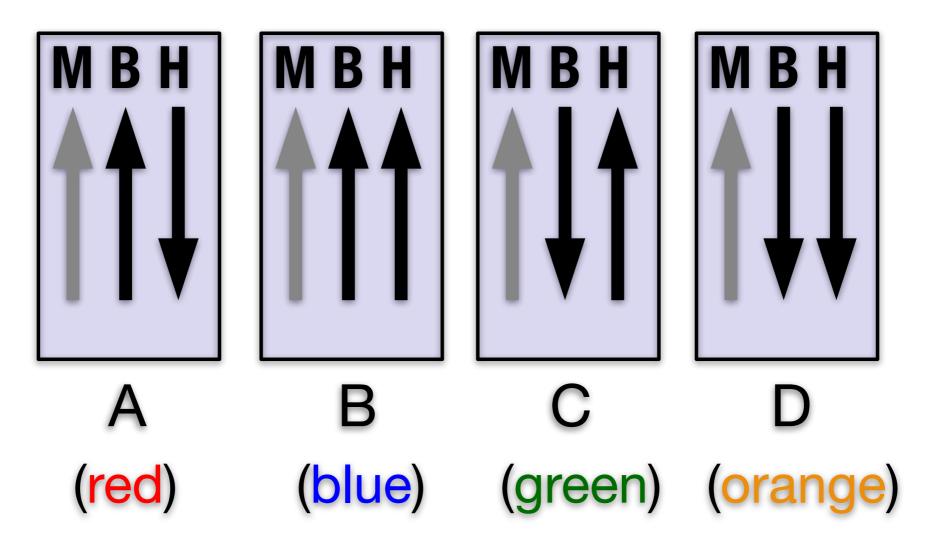
Multiple answers possible

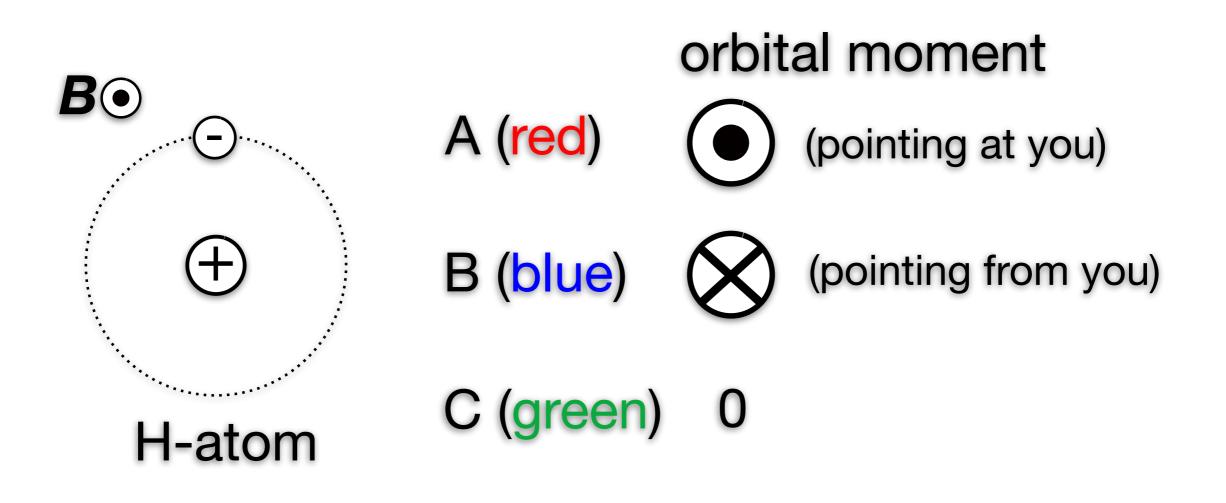


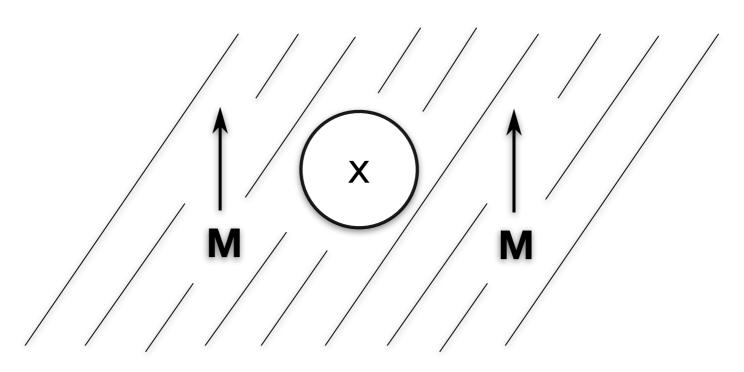
Probability of finding the electron in the nucleus



Uniformly magnetised bar magnet



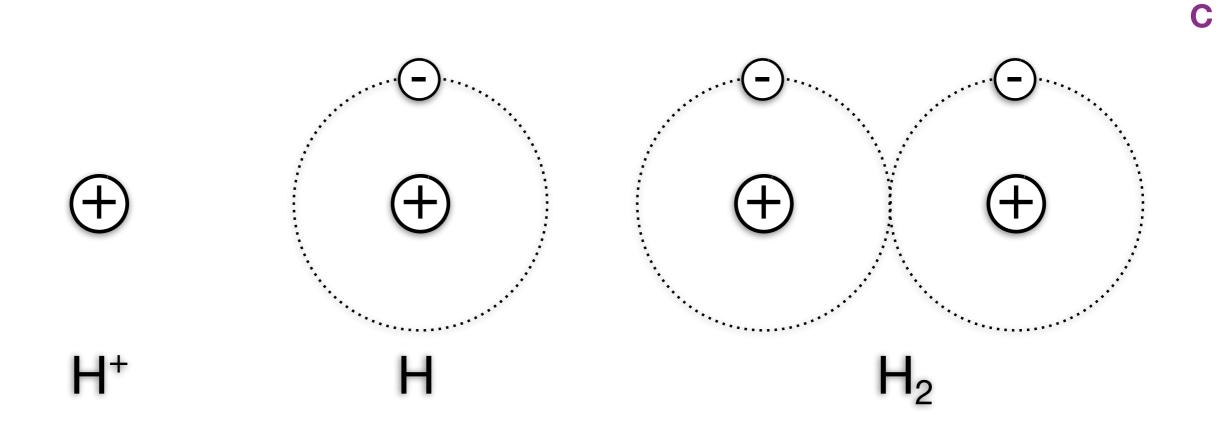




D

Hole in a permanent magnet with magnetisation M

- A (red) : *H* in *x* is parallel to *M*
- B (blue) : *H* in *x* is anti-parallel to *M*
- C (green) : H = 0



- A (red) : m_{H⁺} ≥ m_H
- $B(blue) : m_{H^+} \geq m_{H_2}$
- C (green) : $m_H \ge m_{H_2}$

Hunds rule:

Mn: [Ar] 3d⁵ 4s²

Fe: [Ar] 3d⁶ 4s²

Co: [Ar] 3d⁷ 4s²

Ionized Fe:

A (red) Fe²⁺: [Ar] 3d⁴ 4s²

- B (blue) Fe²⁺: [Ar] 3d⁵ 4s¹
- C (green) Fe²⁺: [Ar] 3d⁶ 4s⁰

D (orange) None of the above

$$[He] 2s^{2}2p^{4} \quad [Ar] 3d^{5}4s^{2}$$

$$O \qquad Mn \qquad O \qquad Mn \qquad O$$

$$2p; \uparrow \uparrow \uparrow \downarrow$$

$$[He] 2s^{2}2p^{6} \quad [Ar] 3d^{5}$$

$$O^{2-} \qquad Mn^{2+} \qquad O^{2-} \qquad Mn^{2+} \qquad O^{2-}$$

$$(1) \quad 2p; \downarrow \uparrow \downarrow \uparrow \downarrow \uparrow \qquad (2)$$

$$A \text{ (red)} \quad 3d; \uparrow \uparrow$$

$$B \text{ (blue)} \quad 3d; \downarrow \downarrow$$

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