

What do we know so far?

$$\Delta\mu = \mu^+ - \mu^- \sim \Delta(\underline{P} \cdot \underline{M})$$

- XMCD is element specific
 - Good for complex compounds like $\text{Nd}_2\text{Fe}_{14}\text{B}$
- Separates Spin S and Orbital L magnetizations in real “Bohr-Magnetons”
 - Very important to understand coercive fields and magnetic anisotropy
- Any X-ray related technique could be transferred into it's magnetic counterpart, by tuning the X-ray energy to a corresponding XMCD sensitive edge !
- Now we start with XRMR= X-ray Resonant Magnetic Reflectivity

$$\langle L_z \rangle = \frac{4}{3} \cdot \frac{\text{[green peak]}}{2 \cdot \text{[red peak]}} \cdot (10 - n_{3d})$$

$$\langle S_z \rangle + 7 \cdot \langle T_z \rangle = - \frac{\text{[green peak]} - 2 \cdot \text{[blue peak]}}{2 \cdot \text{[red peak]}} \cdot (10 - n_{3d})$$

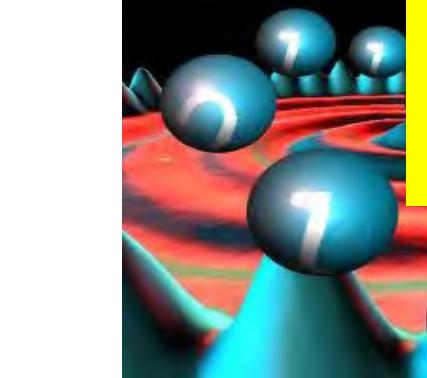
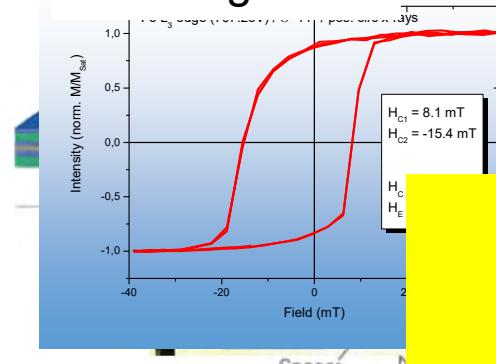
XRMR

- Short introduction with optical analogue
- Thickness = Chemical Profile
- What happens with roughness?
- Real Example: Pt/Co → magnetic profile
- How to quantify this? → Simulation
- Another example showing XRMR capabilities!

Modern functional magnetic material

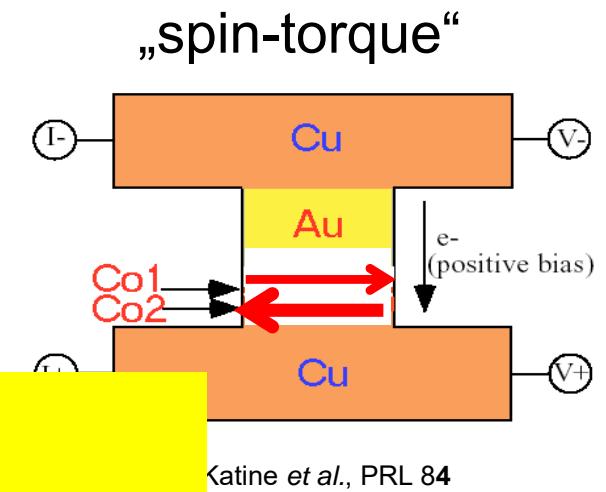
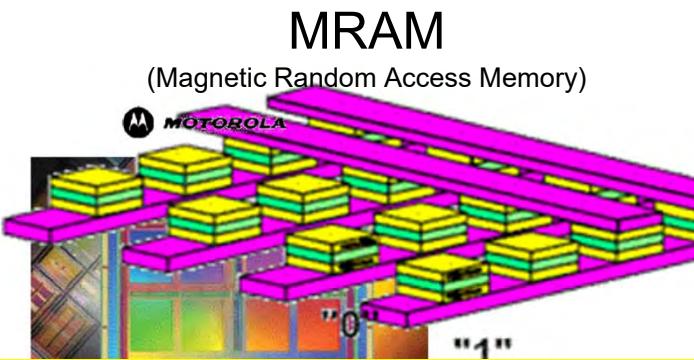
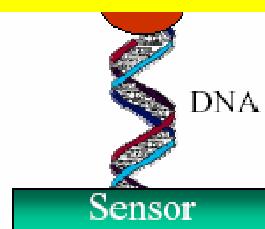
hard disc GMR read head

Exchange bias

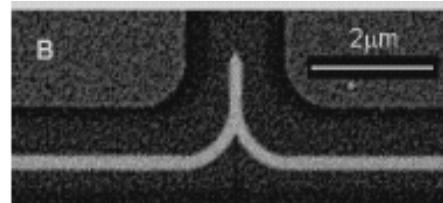
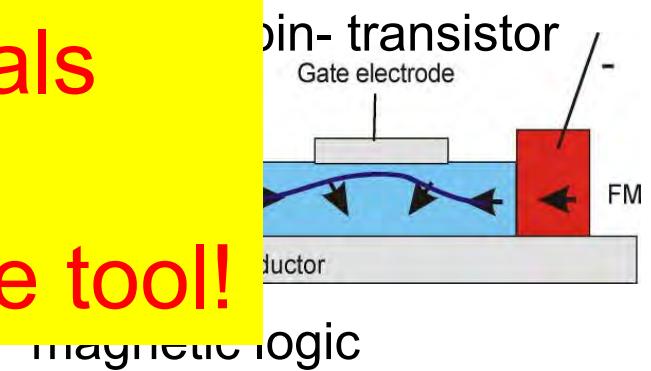


Ultra-Thin-Layers of
magnetic and
nonmagnetic materials

XRMR is the appropriate tool!



Katine et al., PRL 84



D.H. Allwood et al Science (2003)

Interference at thin layers? That's what we know!



Thickness variable!
Reflection increases with the change
In the optical constants → Fresnel-law



Reflection is proportional to the weighted difference of the index of refraction Δn_{eff}

Fresnel - law :

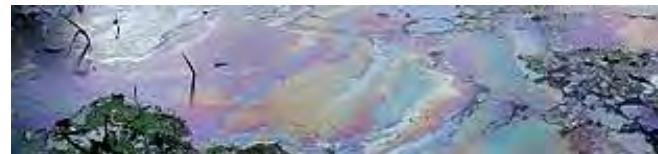
$$t_s = \frac{E_t}{E_e} = \frac{2n_1 \cos \alpha}{n_1 \cos \alpha + n_2 \cos \beta}; r_s = \frac{E_r}{E_e} = \overbrace{\frac{n_1 \cos \alpha - n_2 \cos \beta}{n_1 \cos \alpha + n_2 \cos \beta}}$$

$$t_p = \frac{E_t}{E_e} = \frac{2n_1 \cos \alpha}{n_2 \cos \alpha + n_1 \cos \beta}; r_p = \frac{E_r}{E_e} = \frac{n_1 \cos \beta - n_2 \cos \alpha}{n_2 \cos \alpha + n_1 \cos \beta}$$

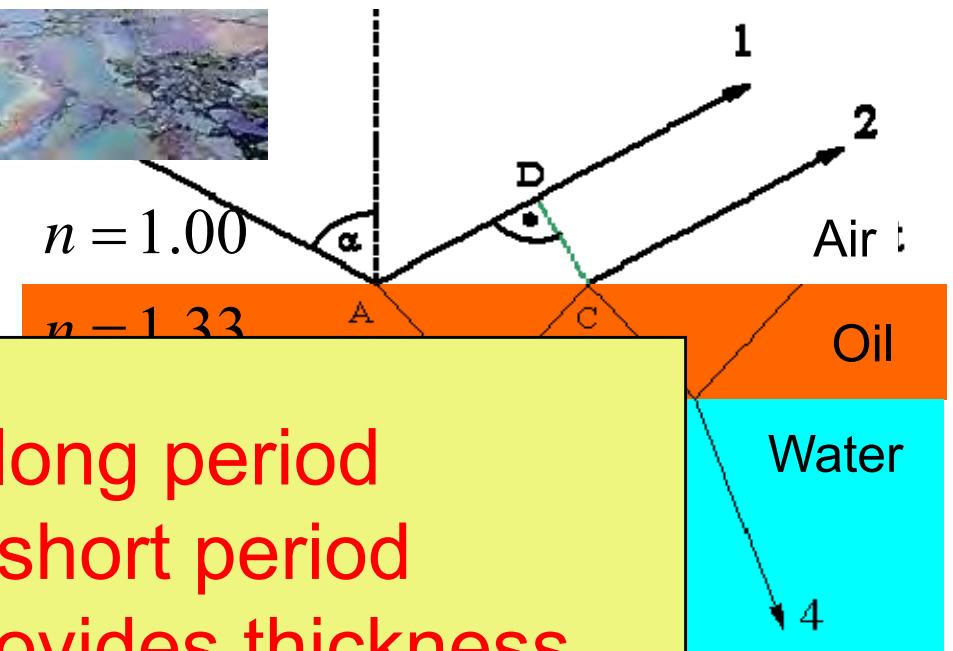


We start with a simplified oil film!

- oil film is colored



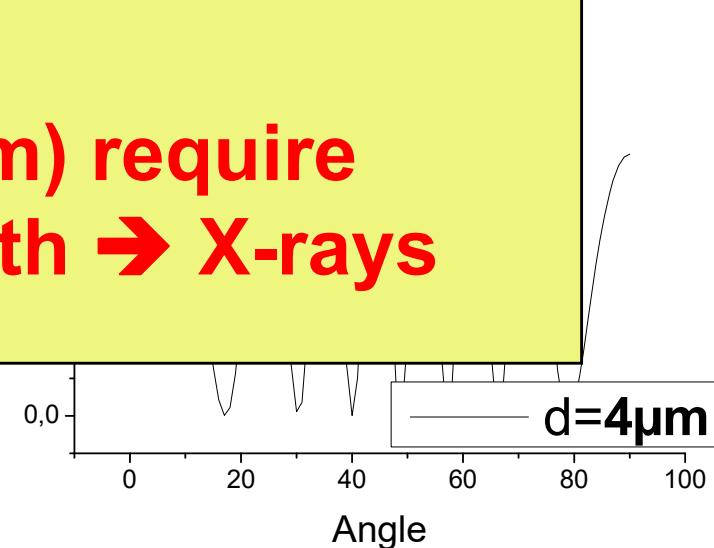
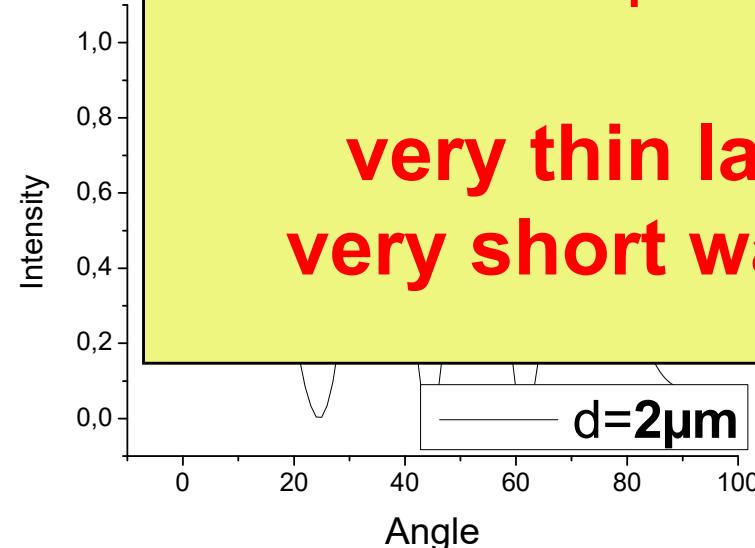
$$\Delta s = 2 \cdot d \cdot \sqrt{n^2 - \sin^2 \alpha} = N \cdot \lambda$$



Exam

$$n = 1.1$$

thin layers → long period
thick layers → short period
oscillation period provides thickness



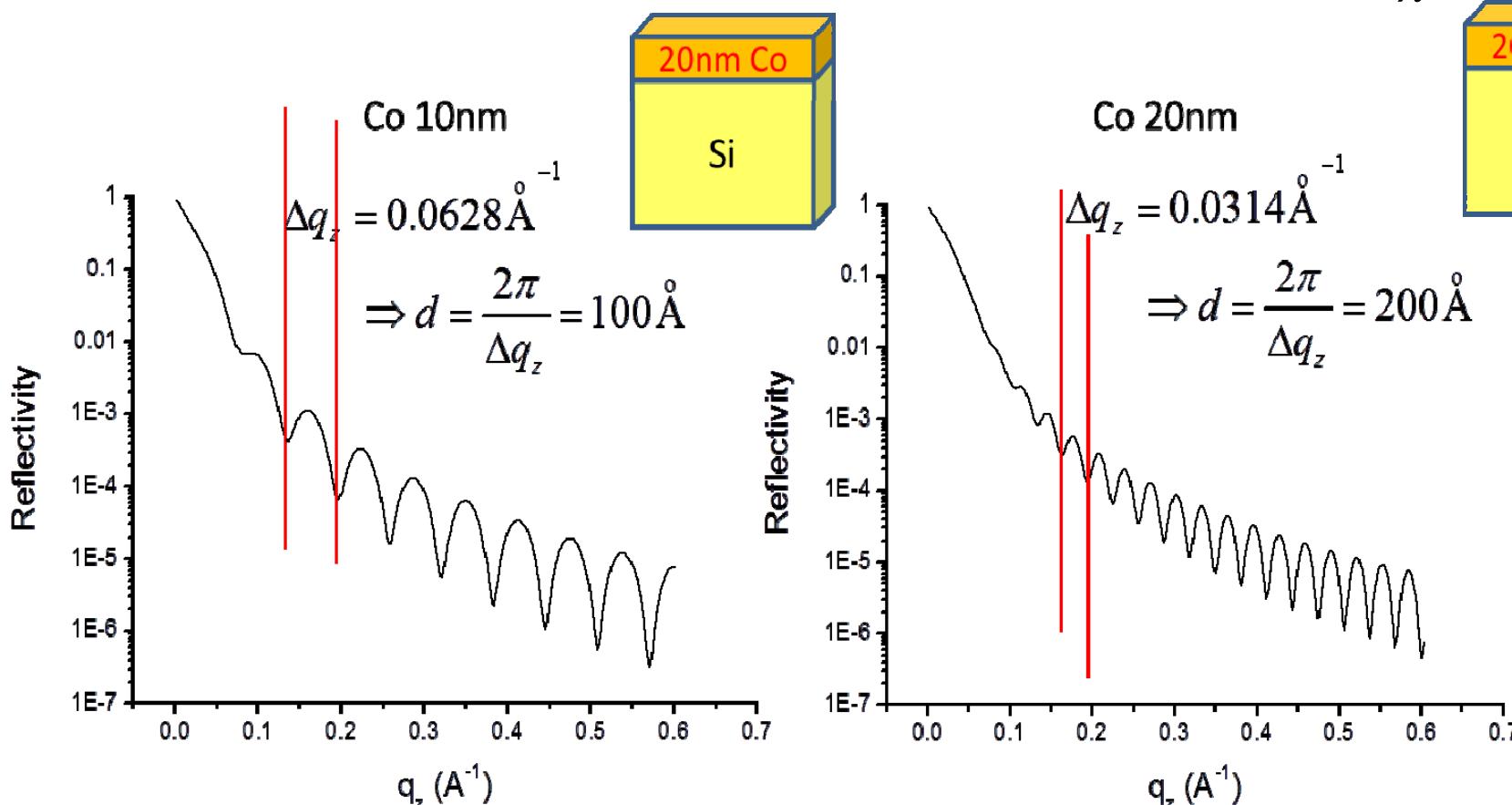
The previous example was very simple:

- Both interfering partial waves had the same intensity
- No intensity change by the angle of incidence
- Just a single layer with two partial waves
- Perfect interfaces

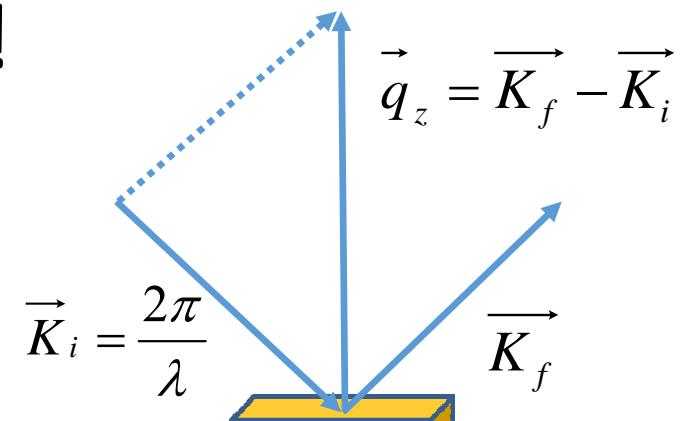
→ Next level: Co on Si

Now nanoscale and more realistic!

- Ultrathin Co layers on Si substrate



$$E_{\text{phot}} = 800 \text{eV} \rightarrow \lambda = 1.55 \text{nm} \quad K_i = 0.4 \text{ 1/\text{A}}$$



Waves at hard interfaces?



Reflection is strong at hard walls!

→ i.e. steep change in index of refraction

What happens at rough (smooth) interfaces?

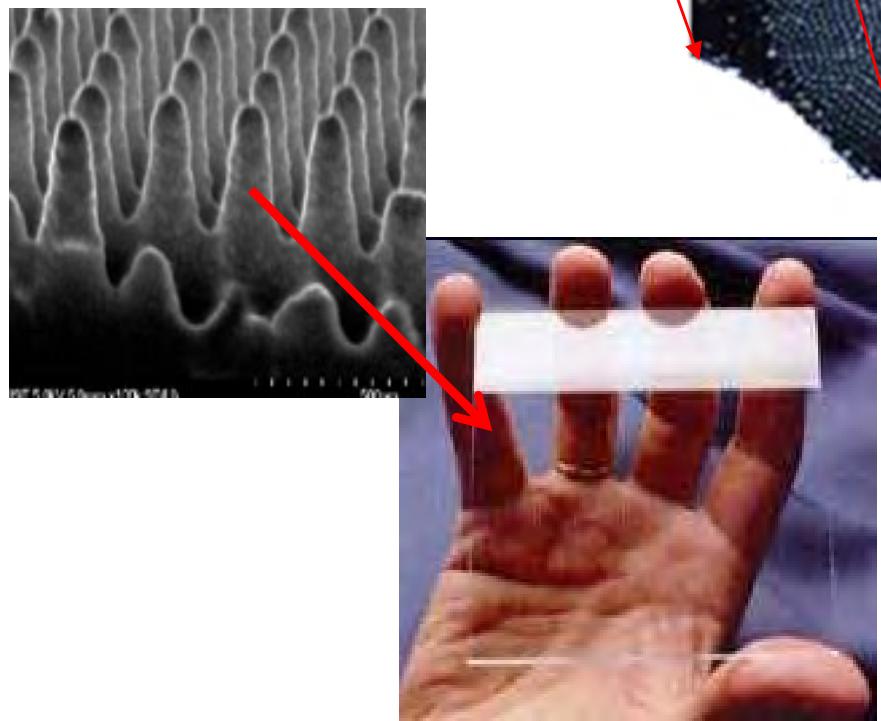
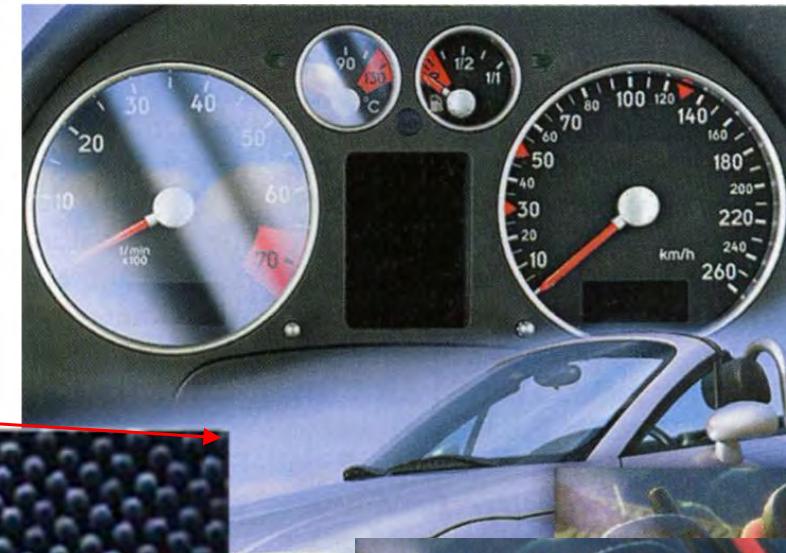
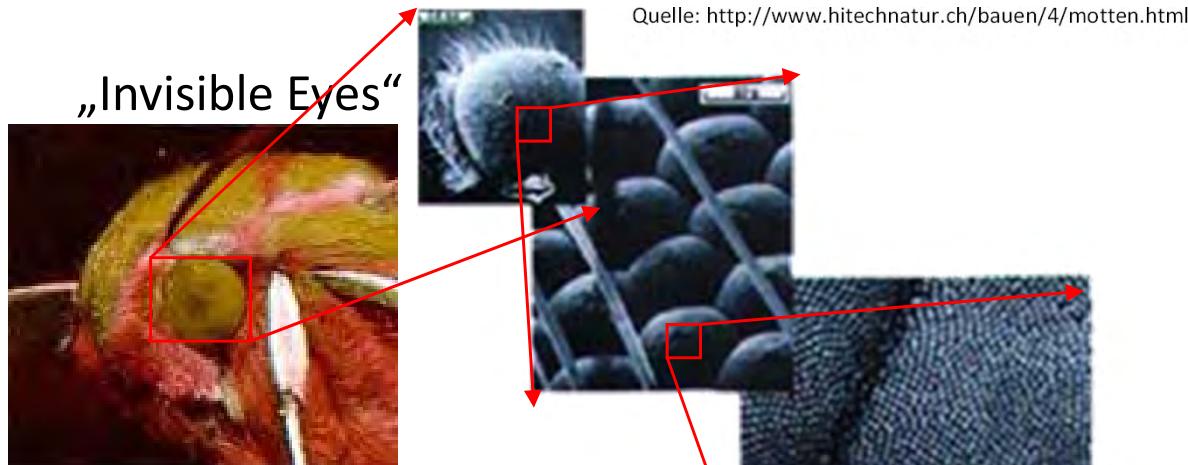


No reflection at the beach!

→ Continuous change in index of refraction

Well known optical phenomenon!

- Reflectivity reduction
 - A „beach“ for light does not reflect! → moth-eyes

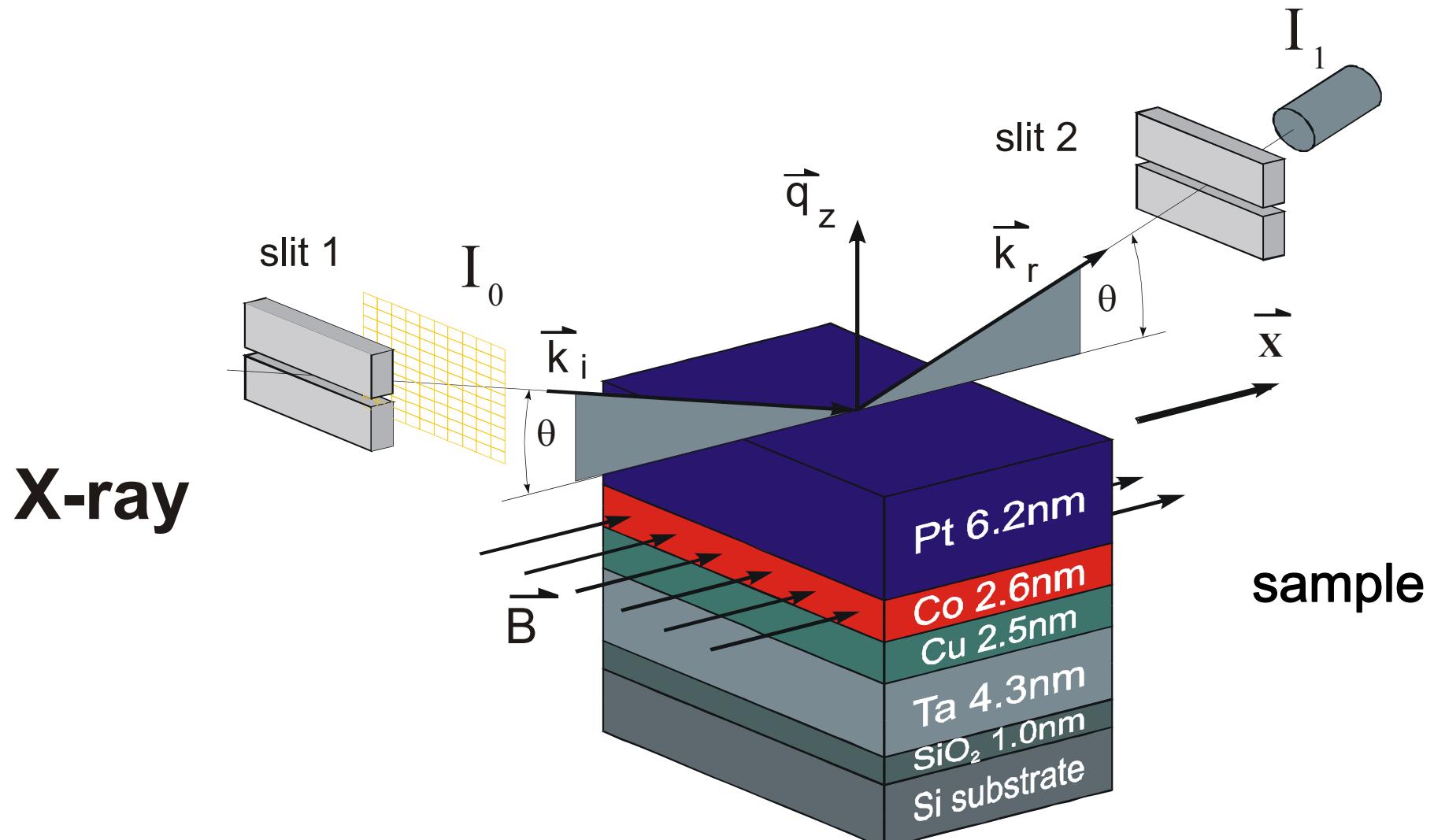


Pimples must be smaller than the wavelength!



First real X-ray example: Non resonant

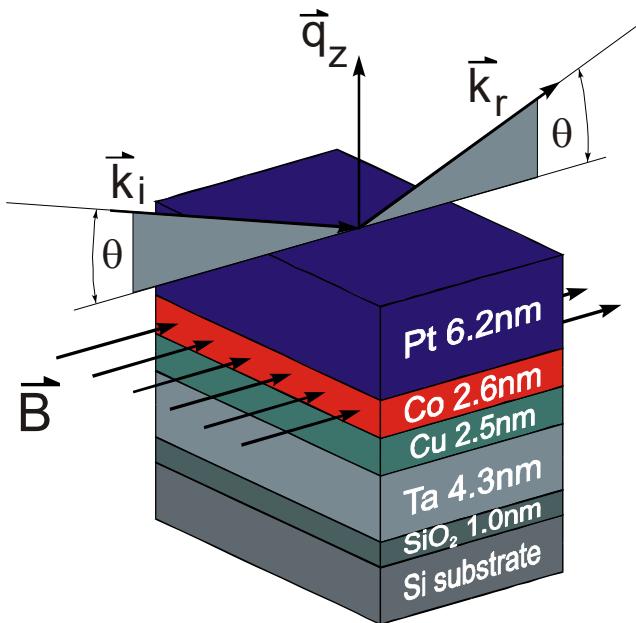
experimental setup



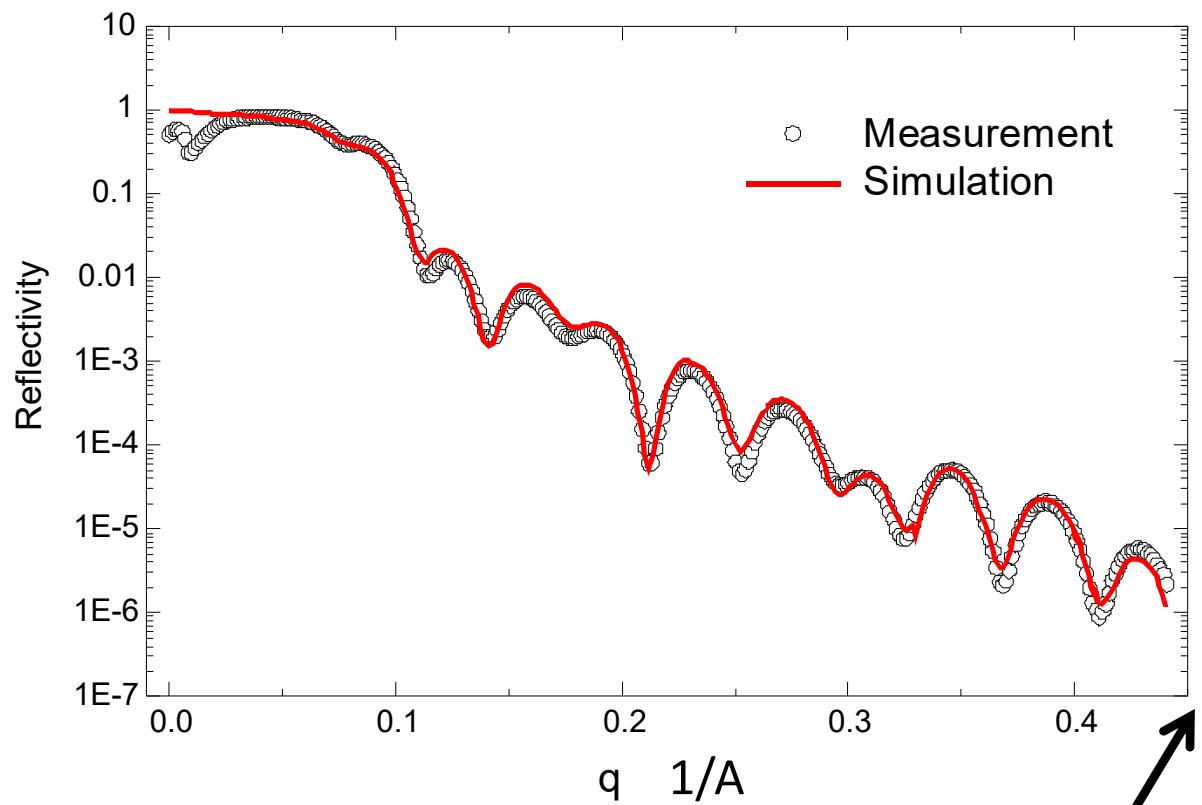
CoPt- System as a “real-world” example!

Cu K_α : Conventional “hard X-ray” non-resonant reflectivity

layered system

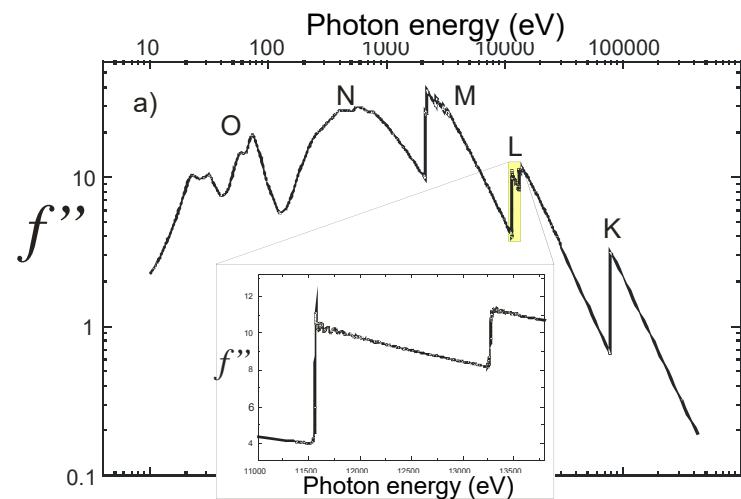


- Complex Reflectivity
- Parratt- Algorithm solves the problem (conventional reflectometry)!
- Layer thickness and roughness can be extracted
- Non resonant → simple estimates for the index of refraction



1.1°

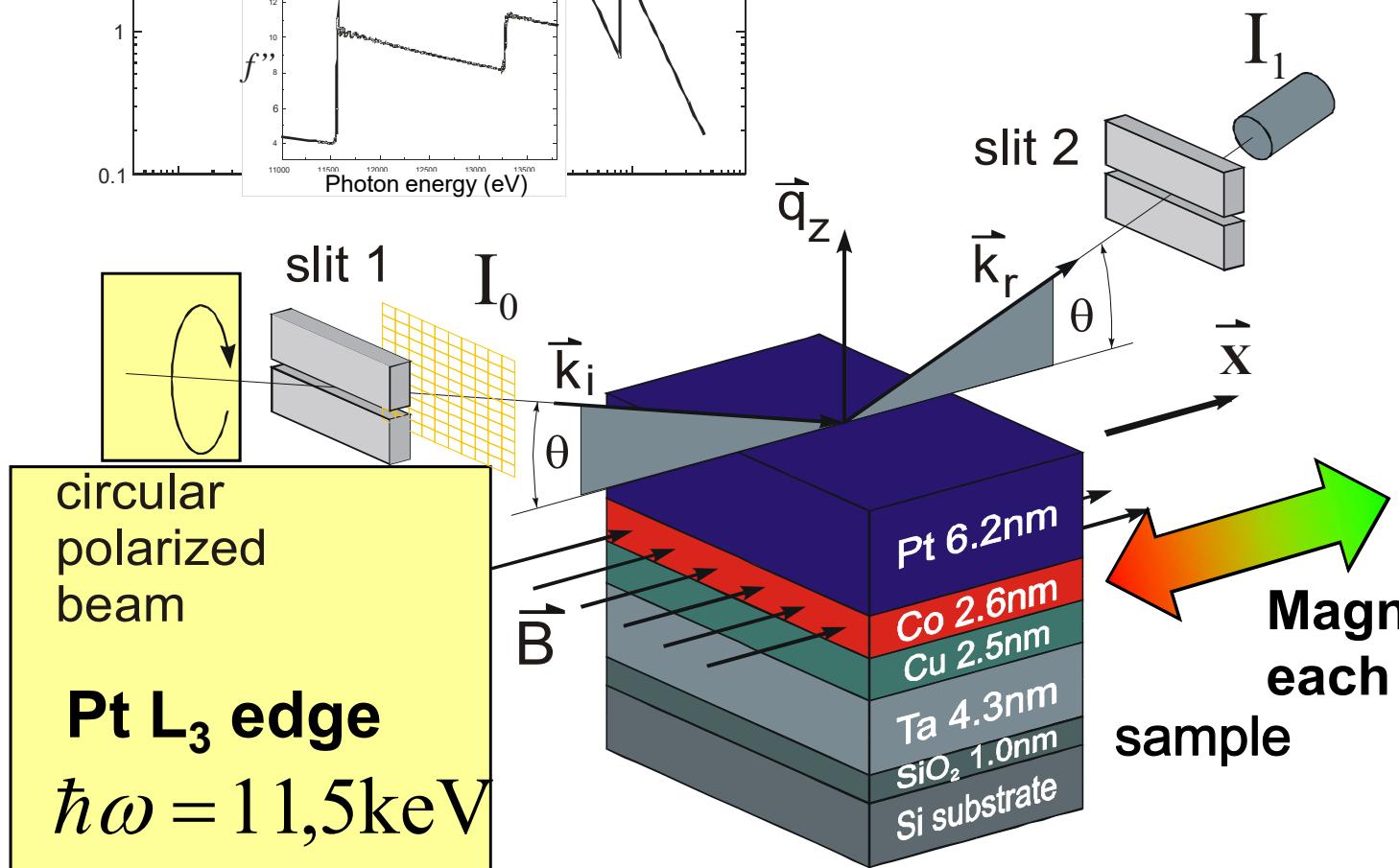
Pt induced Ferromagnetism : X-ray **Resonant** Magnetic Reflectometry



circular polarized beam

Pt L₃ edge

$\hbar\omega = 11,5 \text{ keV}$



$$R^+ : \vec{B} \uparrow\uparrow \vec{x}$$

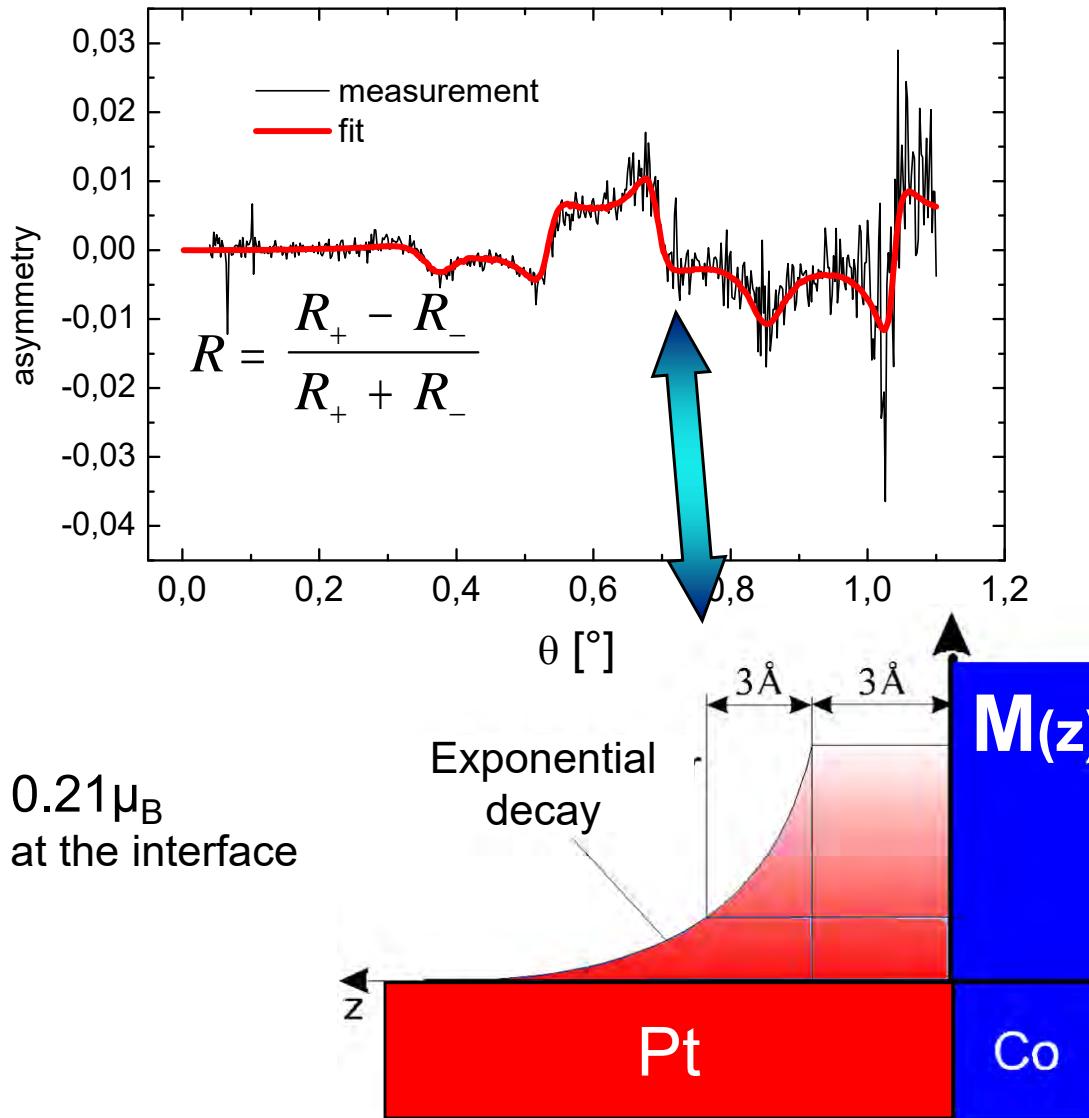
$$R^- : \vec{B} \uparrow\downarrow \vec{x}$$

**magnetic signal:
asymmetry ratio**

$$A = \frac{R^+ - R^-}{R^+ + R^-}$$

Magnetic response: asymmetry-ratio

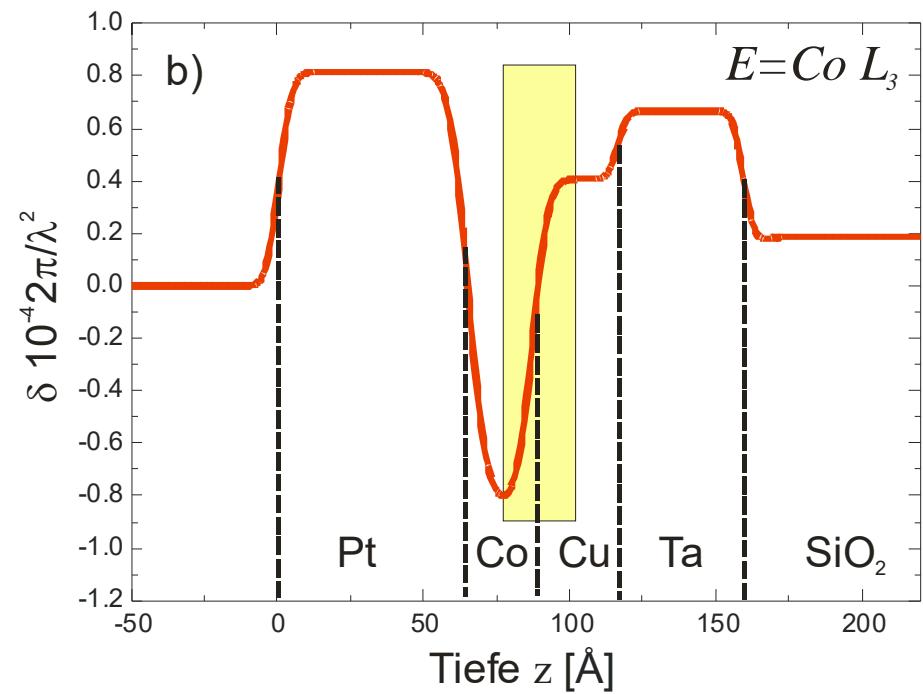
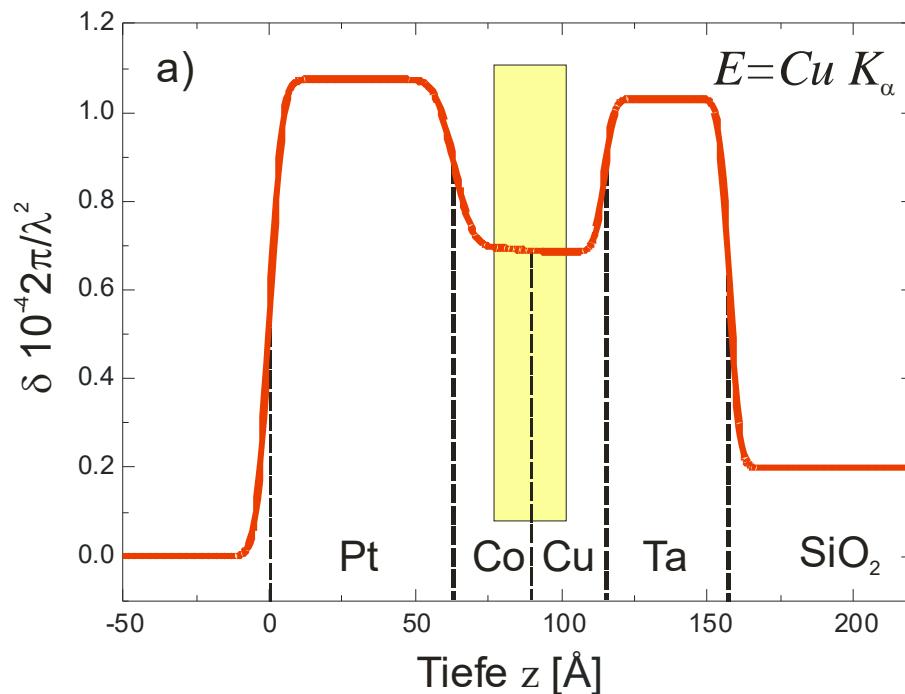
Extraction of magnetization depth profiles



- Magnetic Simulation
 - **Nearly perfect** representation of the data
 - Quantitative magnetization profiles
 - Magnetic roughness (domains)
 - Measurement at the Pt L₃-edge (hard X-rays)
 - Element specific (just Pt!)
- Ideal tool to analyze interface properties of magnetic coupled thin layer systems (GMR,TMR,MRAM etc.)

Resonance provides even more improvements

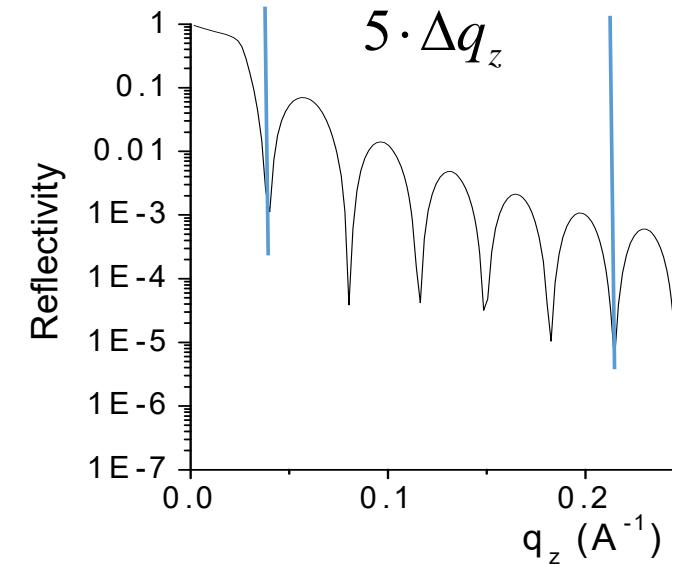
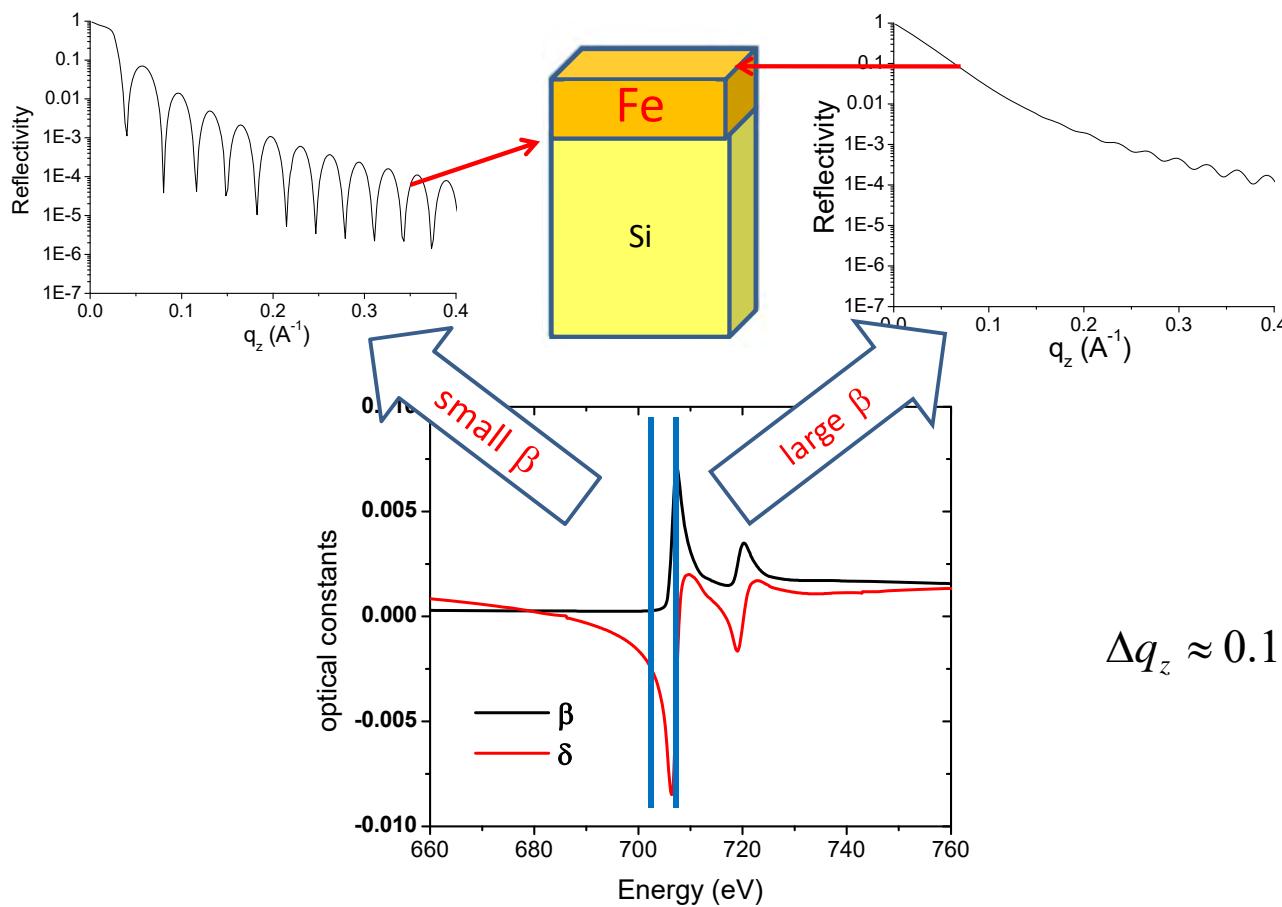
- Contrast at „hidden“ interfaces
- Co and Cu have nearly the same number of electrons → nearly equal non resonant scattering length



Questions:

1: Determine the Fe thickness

2: Explain the difference between left and right → can we use this as an advantage?



$$\Delta q_z \approx 0.16 \text{\AA}^{-1} \rightarrow d = \frac{2\pi}{0.16 \text{\AA}^{-1}} \cdot 5 = 196 \text{\AA} \approx 20 \text{nm}$$

How does this (XRMR) works?

- 1) Magnetic scattering in dipole approximation
- 2) Resonant optical properties: from $\mu(E)$ to $n(E, \theta)$
- 3) Simulation of resonant optical profile: chemical and magnetic
- 4) Example: Pt roughness variation in Pt/Co

1) Absorption → Scattering amplitude →
Dispersive part → complex index of refraction

Optical theorem

$$f''(E, \theta = 0) = \frac{1}{2r_0\lambda \cdot n} (\mu_{\downarrow\uparrow}(E) + \mu_{\uparrow\uparrow}(E))/2$$

Absorption Experiment

$$m''(E, \theta = 0) = \frac{1}{2r_0\lambda \cdot n} (\mu_{\downarrow\uparrow}(E) - \mu_{\uparrow\uparrow}(E))/2$$

Kramers-Kronig-Relation

$$f'(E_0) = \frac{2}{\pi} P \int_0^{\infty} \frac{E_0 f''(E)}{E_0^2 - E^2} dE$$

$$m'(E_0) = \frac{2E_0}{\pi} P \int_0^{\infty} \frac{m''(E)}{E_0^2 - E^2} dE$$

Dipoleapproximation

$$f_{res}^{E1} = -r_0 \left\{ \left(\boldsymbol{\epsilon}'^* \cdot \boldsymbol{\epsilon} \right) [f_0 + f' + i f''] + i \left(\boldsymbol{\epsilon}'^* \times \boldsymbol{\epsilon} \right) \cdot \mathbf{z} \cdot [m' + i m''] \right\}$$

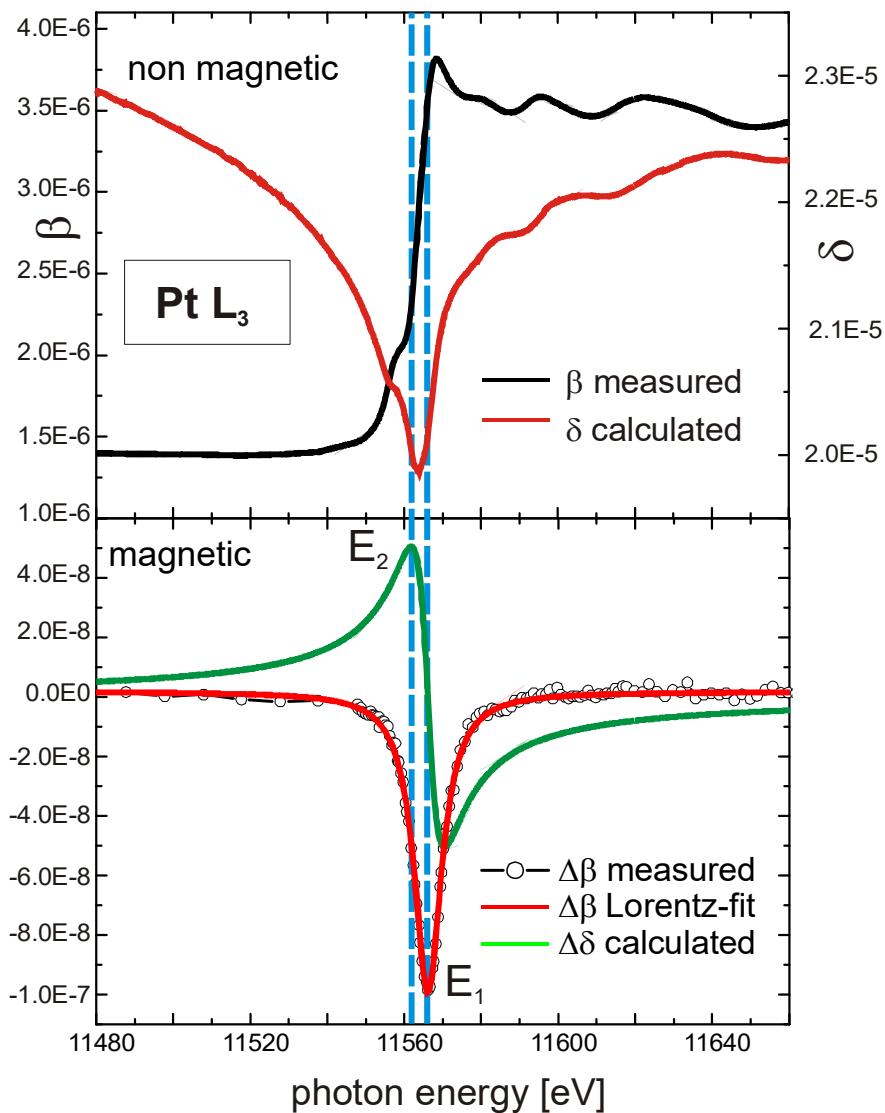
J. P. Hannon, PRL 61, 1988, 1245

$$n = 1 - \delta(E) - \Delta\delta(E) + i[\beta(E) + \Delta\beta(E)] = 1 - \frac{r_0}{2\pi} \lambda^2 \sum_i n_i f_i(E)$$

non magnetic part magnetic part

Jackson, J. D., 2nd Edition, 281 (1975)

2) From $\mu(E)$ to $n(E, \theta)$: Pt L₃ optical constants

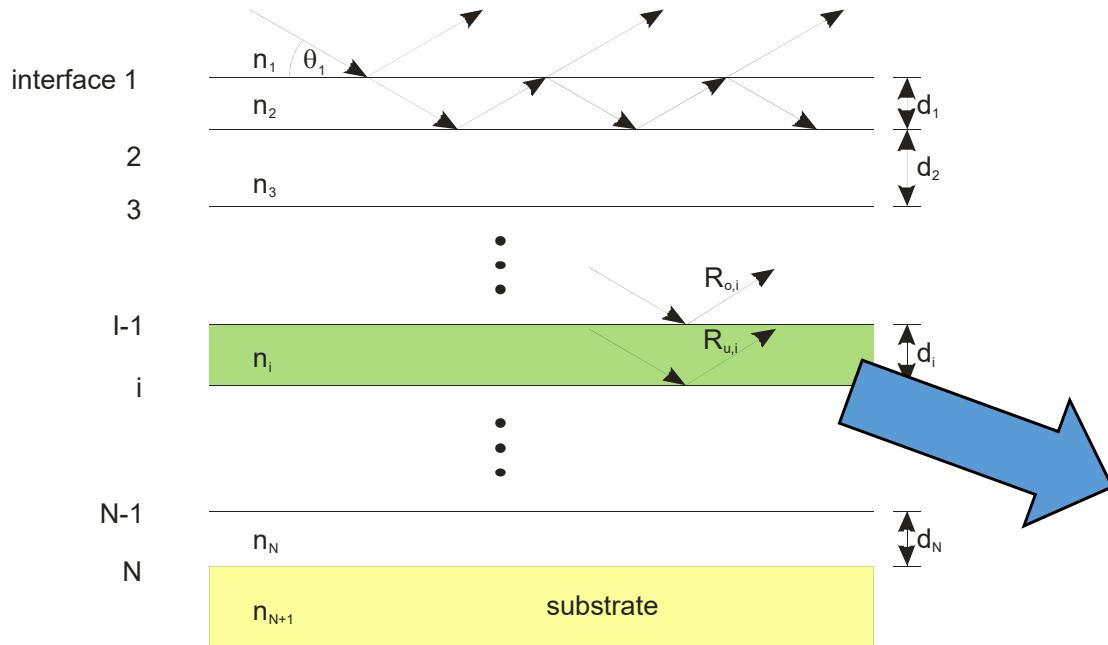


- Absorptive part
 - Non magnetic β
 - Magnetic $\Delta\beta$
- Dispersive part via Kramers-Kronig-Relation
 - Non magnetic δ
 - Magnetic $\Delta\delta$
- Requires simultaneous measurement of the nonmagnetic (XAS) and magnetic (XMCD) absorption coefficients

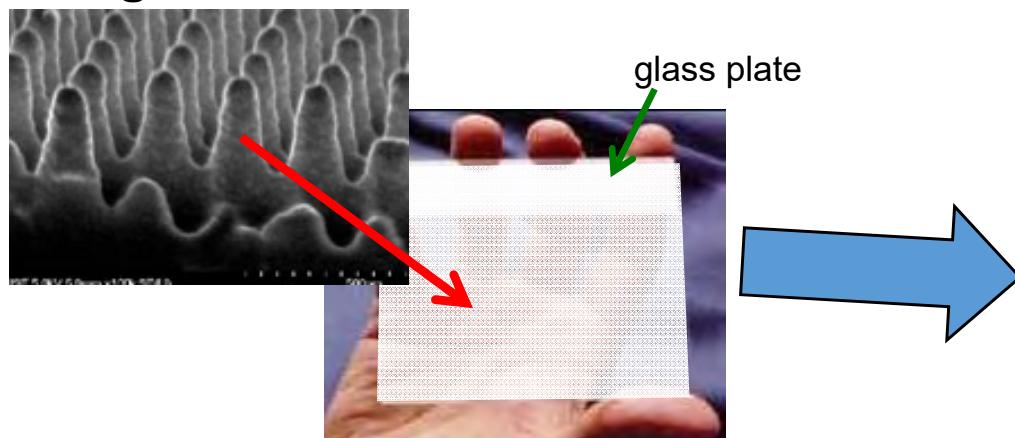
$$n = 1 - \delta + i\beta - \Delta\delta + i\Delta\beta$$

Reflectivity of multilayer systems

interference



roughness



Optical approach

$$n = 1 - \delta + i\beta$$

reflection at each interface described by Fresnel-law

multilayer → L.G. Parratt formalism

Phys. Rev 95, 1954, 359

$$R_{F,i} = \frac{R_{o,i} + R_{u,i} \exp(2i\varphi_i)}{1 + R_{o,i} \cdot R_{u,i} \exp(2i\varphi_i)}$$

interface roughness described by modified Fresnel coefficients

→ vertical rms-roughness σ

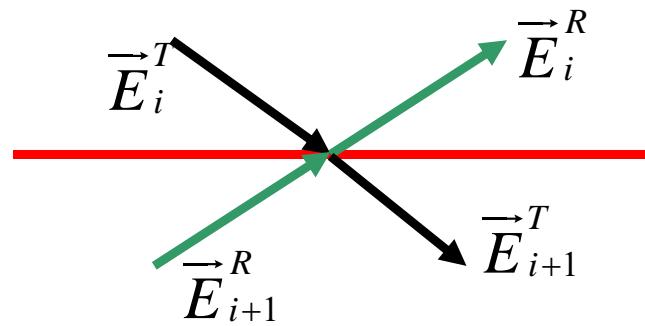
L. Nevot, P. Croce, Rev. Phys. Appl. 15, 1980, 761

$$R_{rough} = R_0 \cdot e^{-2\Delta k \sigma^2}$$

Parratt

Simulation of reflectivity...

Parratt algorithm = iteratively calculate R from bottom up (by L.G. Parratt 1954)



$$r_i = \frac{R_{i,i+1}^\pi + r_{i+1} e^{-2ik_{i+1}\Delta z}}{1 + R_{i,i+1}^\pi r_{i+1} e^{-2ik_{i+1}\Delta z}} \quad \text{\(\pi\)-light}$$

$$r_i = \frac{R_{i,i+1}^\sigma + r_{i+1} e^{-2ik_{i+1}\Delta z}}{1 + R_{i,i+1}^\sigma r_{i+1} e^{-2ik_{i+1}\Delta z}} \quad \text{\(\sigma\)-light}$$

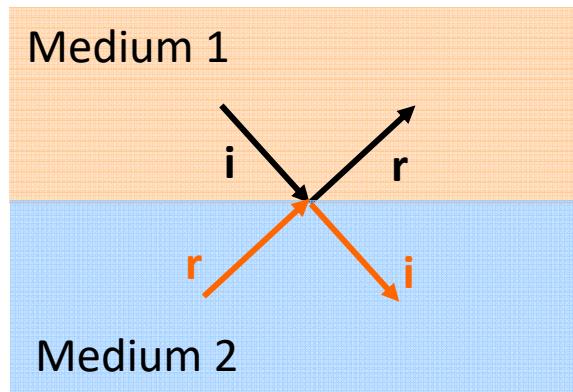
Advantages: Easy & fast calculation
 Roughness can be treated

Problem: σ and π -light are treated separately,
... not exact with magnetism!!

Matrix Formalism

$$A = \begin{pmatrix} 1 & 0 \\ -\frac{i}{2} \alpha_y^2 Q \left(\frac{g_i}{\alpha_z} - 2 \cos \varphi + 2 \frac{\alpha_z}{\alpha_y} \sin \gamma \sin \varphi \right) & \alpha_z + i \alpha_y \cos \gamma \sin \varphi Q \\ \frac{i}{2} g_i Q N & -N \\ \alpha_z N & \frac{i}{2} g_i Q \frac{N}{\alpha_z} \end{pmatrix}$$

Magneto-optical approach



... + Interface

$$\vec{P} = \begin{pmatrix} E_\sigma^i \\ E_\pi^i \\ E_\sigma^r \\ E_\pi^r \end{pmatrix}$$

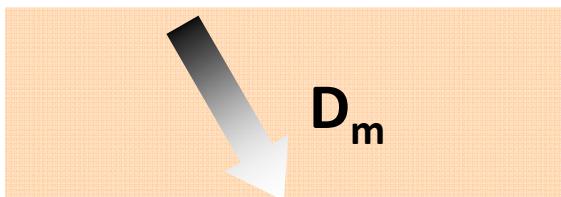
continuity requires...

$$A_1 \vec{P}_1 = A_2 \vec{P}_2$$

$$\begin{pmatrix} 1 & 0 \\ \frac{i}{2} \alpha_y^2 Q \left(\frac{g_r}{\alpha_z} + 2 \cos \varphi + 2 \frac{\alpha_z}{\alpha_y} \sin \gamma \sin \varphi \right) & -\alpha_z + i \alpha_y \cos \gamma \sin \varphi Q \\ \frac{i}{2} g_r Q N & -N \\ -\alpha_z N & -\frac{i}{2} g_r Q \frac{N}{\alpha_z} \end{pmatrix} \quad (3.30)$$

Medium Boundary Matrix
(from the dielectric tensor)

... + Propagation



accounts for damping
and changes in phase and polarization
propagation



$$A_{vac} \vec{P}_{vac} = \prod_{m=1}^l (A_m D_m A_m^{-1}) A_{Subs} \vec{P}_{Subs}$$

Benefit:

describes magnetism completely

Drawback:

complex calculation roughness
difficult to include

NOW: XRMR- Software



- Two different algorithms for reflectivity calculation (Matrix/Parratt)
- Adaptive slicing/layer segmentation module
- Three different methods for optical density calculation
- Processes optical-constant database files for maximum flexibility
- Variable x-ray polarization
- Magnetism on a per-layer base or by introducing artificial moment
- Four different fit routines (Genetic Algorithm, Levenberg-Marquardt, Simplex, Simulated Annealing)
- Data import modul

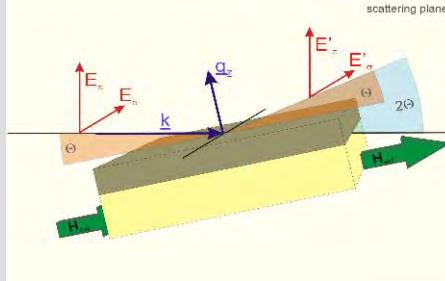
For details: <https://www.remagx.org/wiki/doku.php>

XRMR – from Θ - 2Θ to a magnetic depth profile

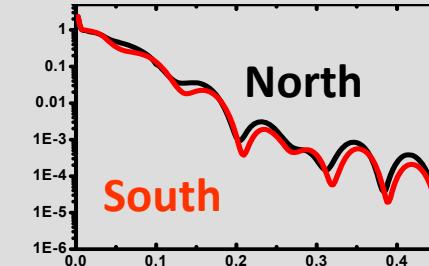
Step 1: A layered sample



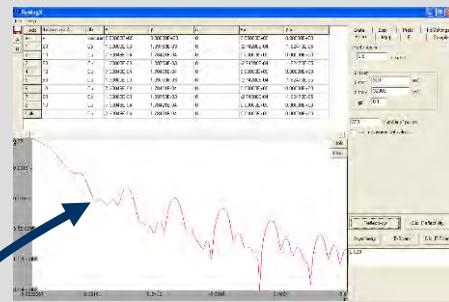
Step 2: Θ - 2Θ measurements with N-S



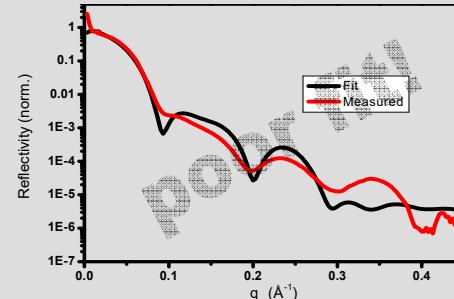
Intermediate result:
dichroic Θ - 2Θ spectra



Step 3: Simulate spectra



Step 4: Compare with measured spectra



Step 5: Refine parameters

- d_1, d_2, d_3, \dots thickness
- $\delta_1, \delta_2, \delta_3, \dots$ roughness
- magnetism

Repeat

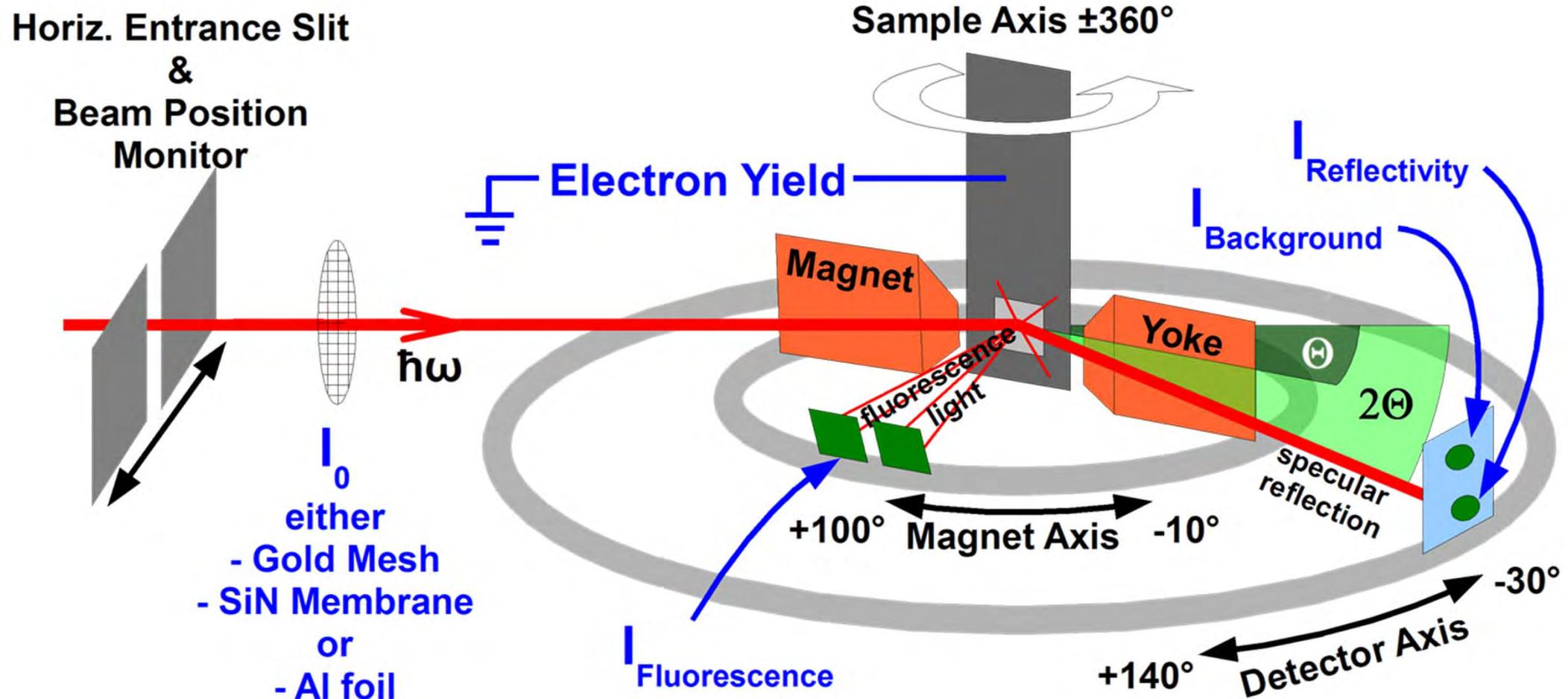
Ultimate goal:

Set of parameters reproducing the measurement perfectly.

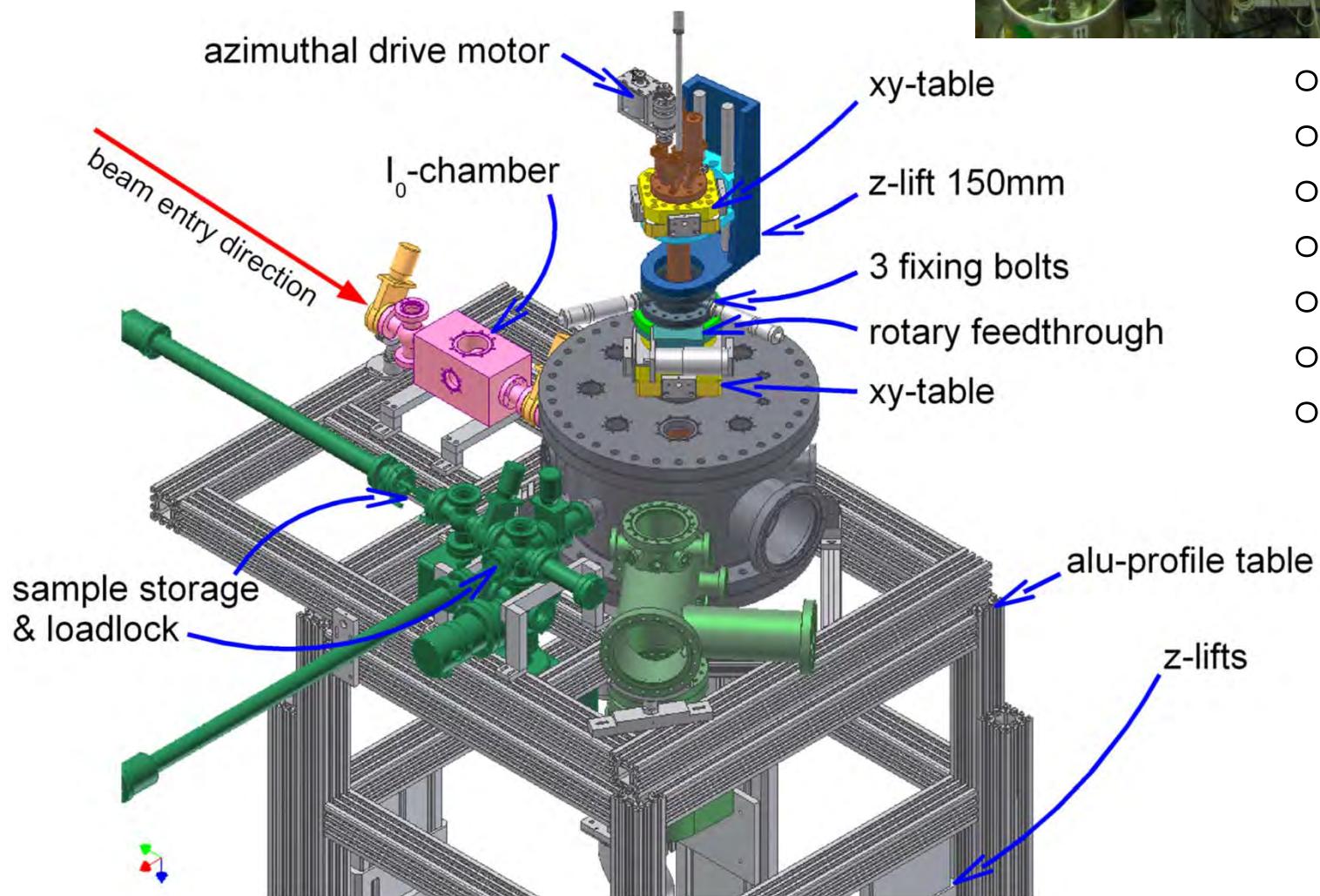
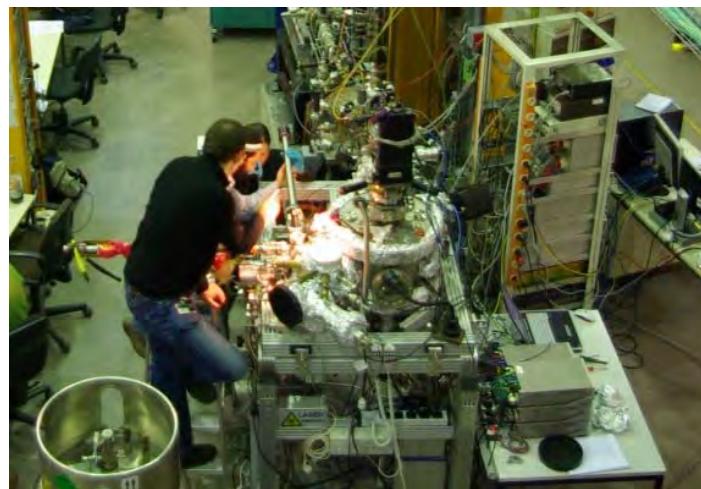
Realistic goal:

Good fit.

Schematics of the measurement

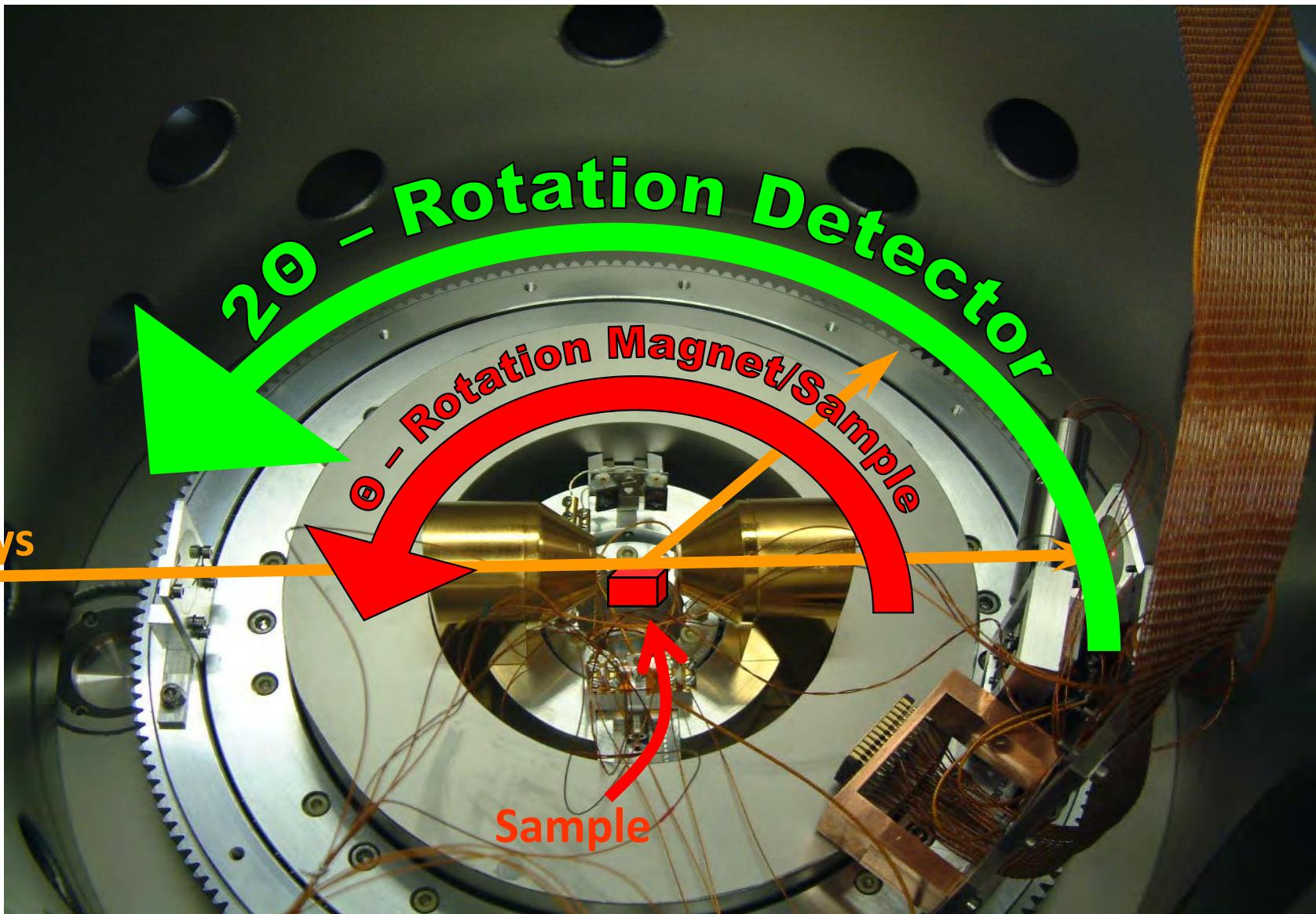


And in reality...



- full UHV
- fast load lock
- 20 - 450 K
- up to 1.2 T
- azimuthal rotation
- high precision
- encoder stage

XRM-R² from top-down



Simulation of X-ray (Neutron) reflectivity: A brief historical overview

• L.G. Parrat	Dynamic Theory (lin pol.; intensity)	1954
• L. Nevot et al.	Roughness	1980
• J.P. Hannon et al.	Magnetic resonant scattering	1988
• S.K. Sinha et al.	Diffuse scattering (DWBA)	1988
• J. Zak et al.	Magneto optics (Matrix formalism)	1990
• L. Seve et al.	Ce/Fe and La/Fe (MF; no rough.)	1999
• S.A. Stepanov et al.	Magnetic Multilayers (MF; no rough.)	2000
• J. Geisler et al.	Pt/Co (Parratt, full magn. profiles)	2001
• D.R. Lee et al.	Magn. Matrix form. with transition layers	2003

Review: S. Macke and E. Goering,
J. Phys. Cond. Mat. **26** (2014) 363201

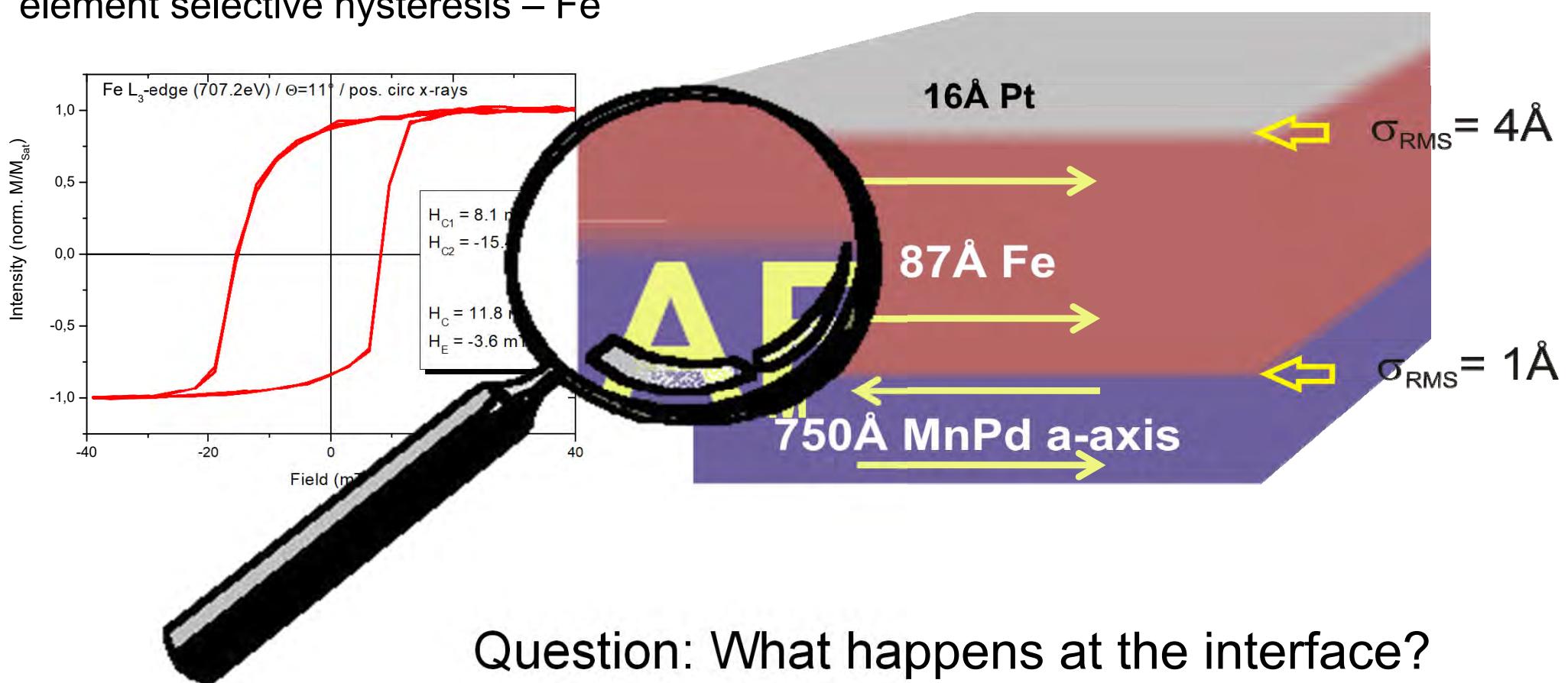
Exchange Bias in MnPd/Fe

MgO(001)/MnPd(750Å)/Fe(70Å)/Pt(15Å)

MnPd with a- axis growth

→ grown at 85°C and annealed at 250 degree °C for 1 hour

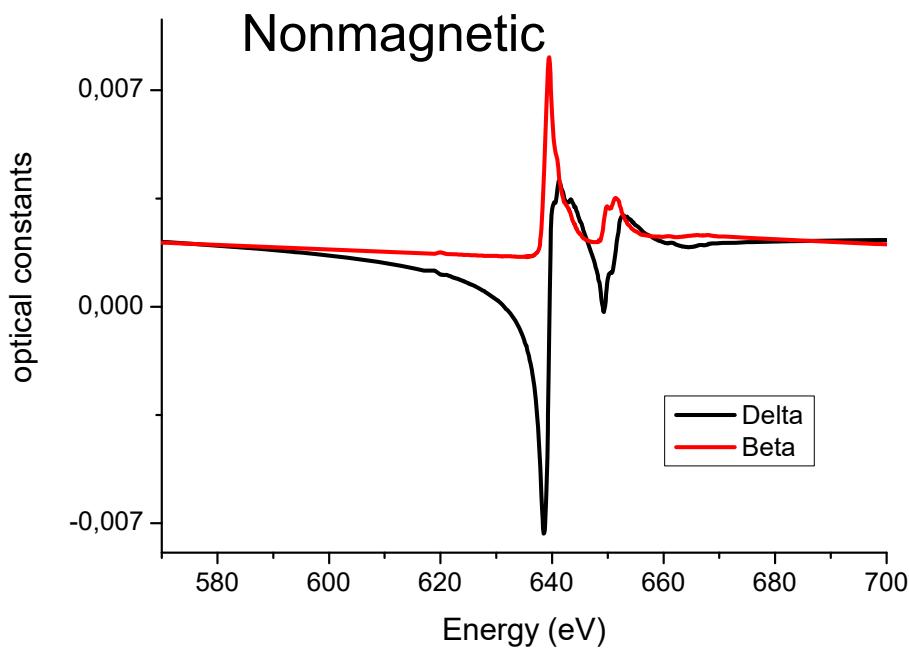
element selective hysteresis – Fe



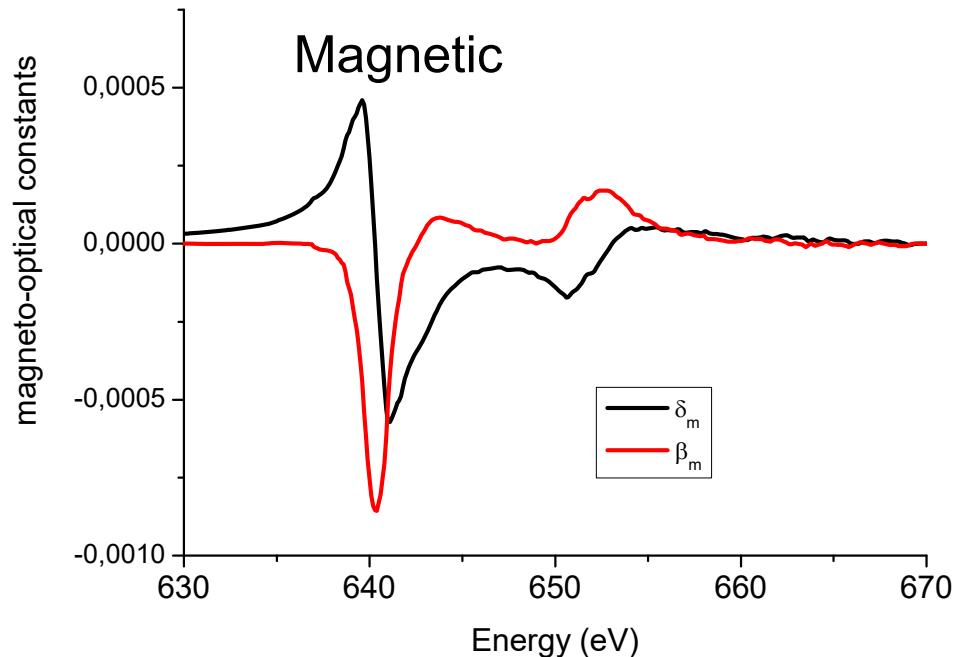
Sample provided by K. Krishnan et al. University of Washington Seattle

Determination of optical constants

optical constants for MnPd around the Mn L-edges



$$n = 1 - \delta(E_{phot}) - \beta(E_{phot})$$



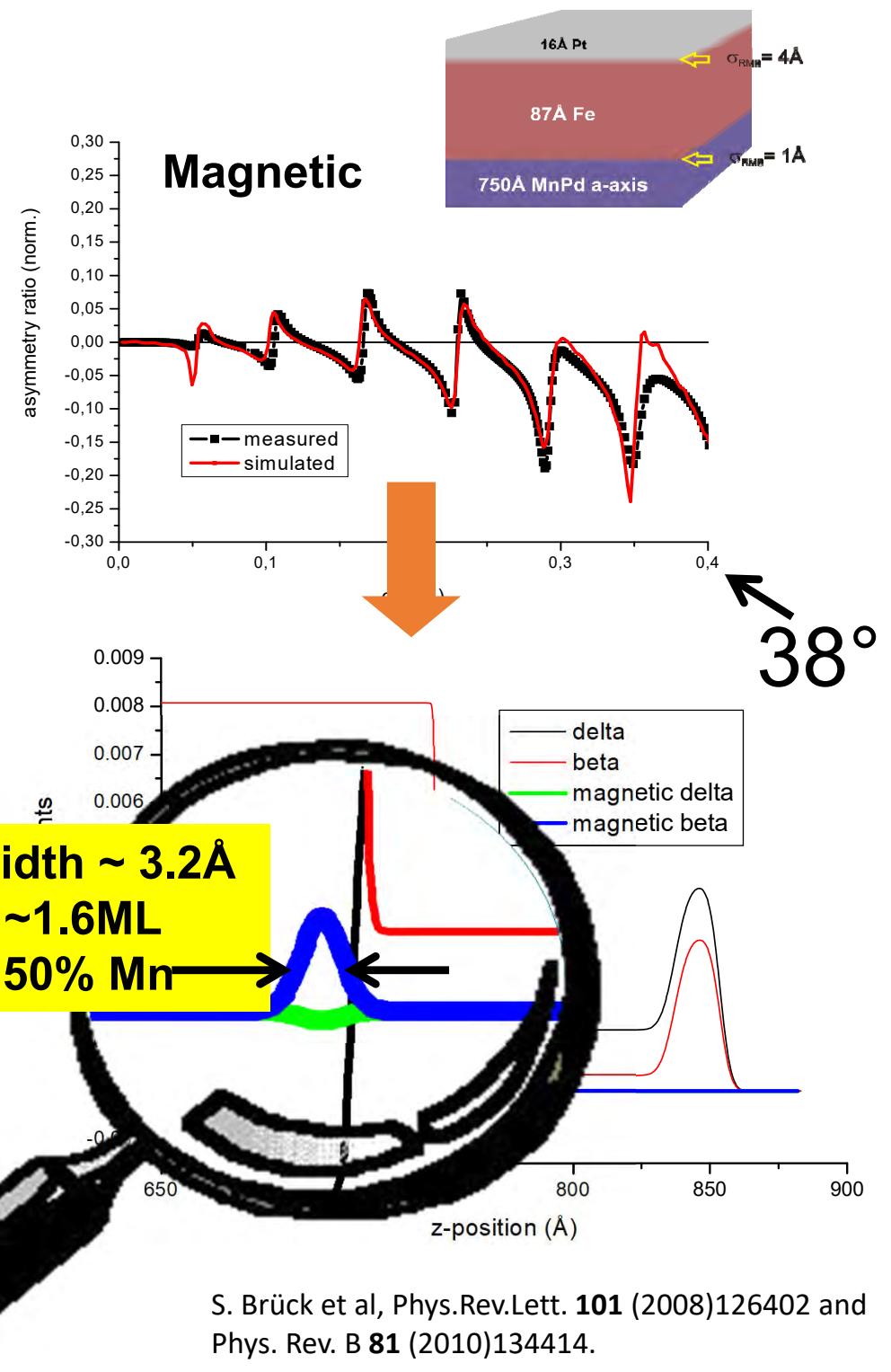
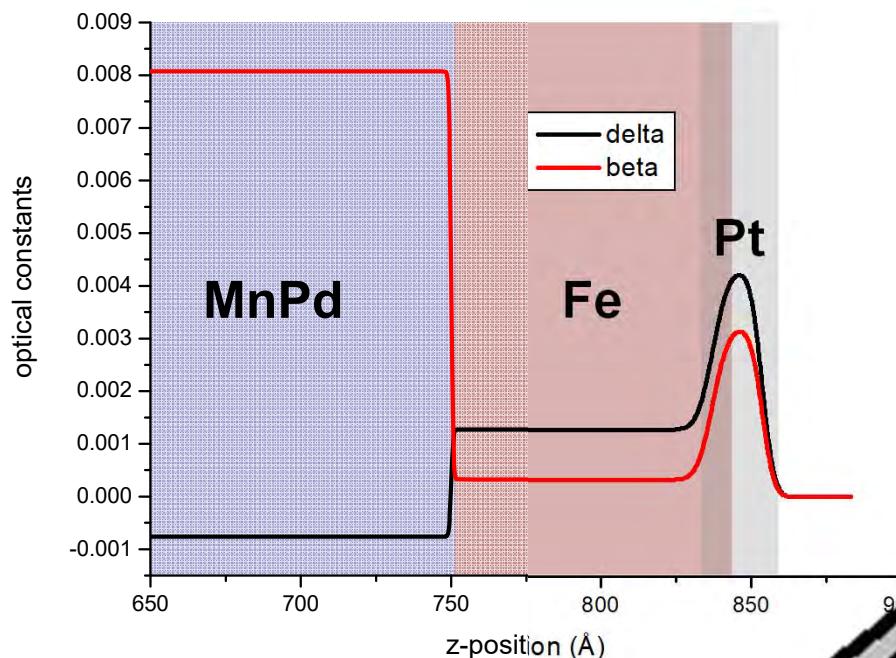
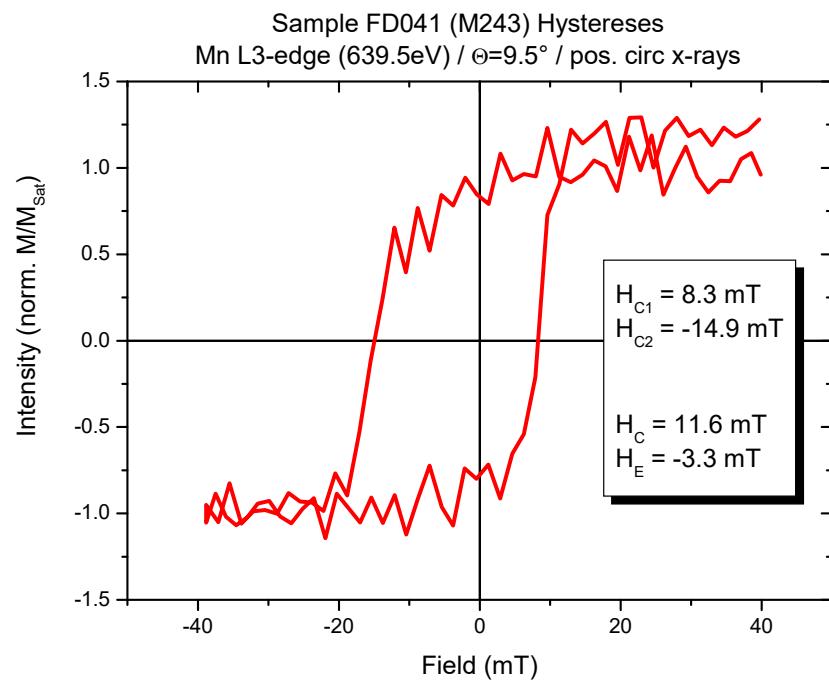
$$\delta' = \delta(E_{phot}) + \Delta\delta_{mag}(M, E_{phot})$$

$$\beta' = \beta(E_{phot}) + \Delta\beta_{mag}(M, E_{phot})$$

XAS and XMCD experiment at
Mn L_{2,3}-edge normalized to Henke tables

- Determination of charge and magnetic absorptive parts
- Dispersive parts via Kramers-Kronig-relation
- Absolute values from Henke tables for non resonant elements

XRMR at the Mn L₃ edge

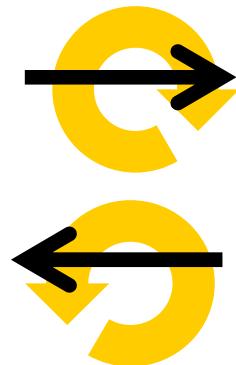


„Pinned“ asymmetry

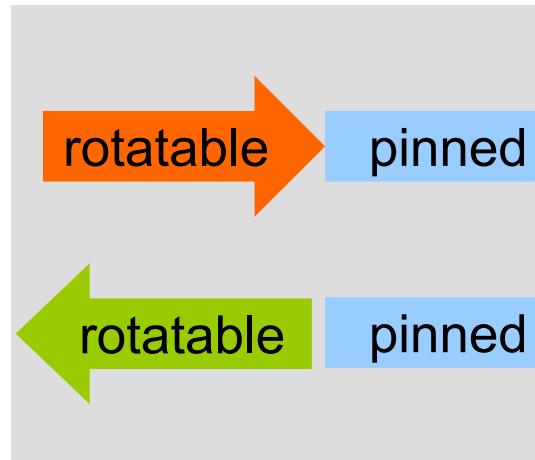
XMCD → Asymmetry →

$$\Delta I \propto \Delta(\vec{M} \cdot \vec{P})$$

X-rays



Sample Magnetization

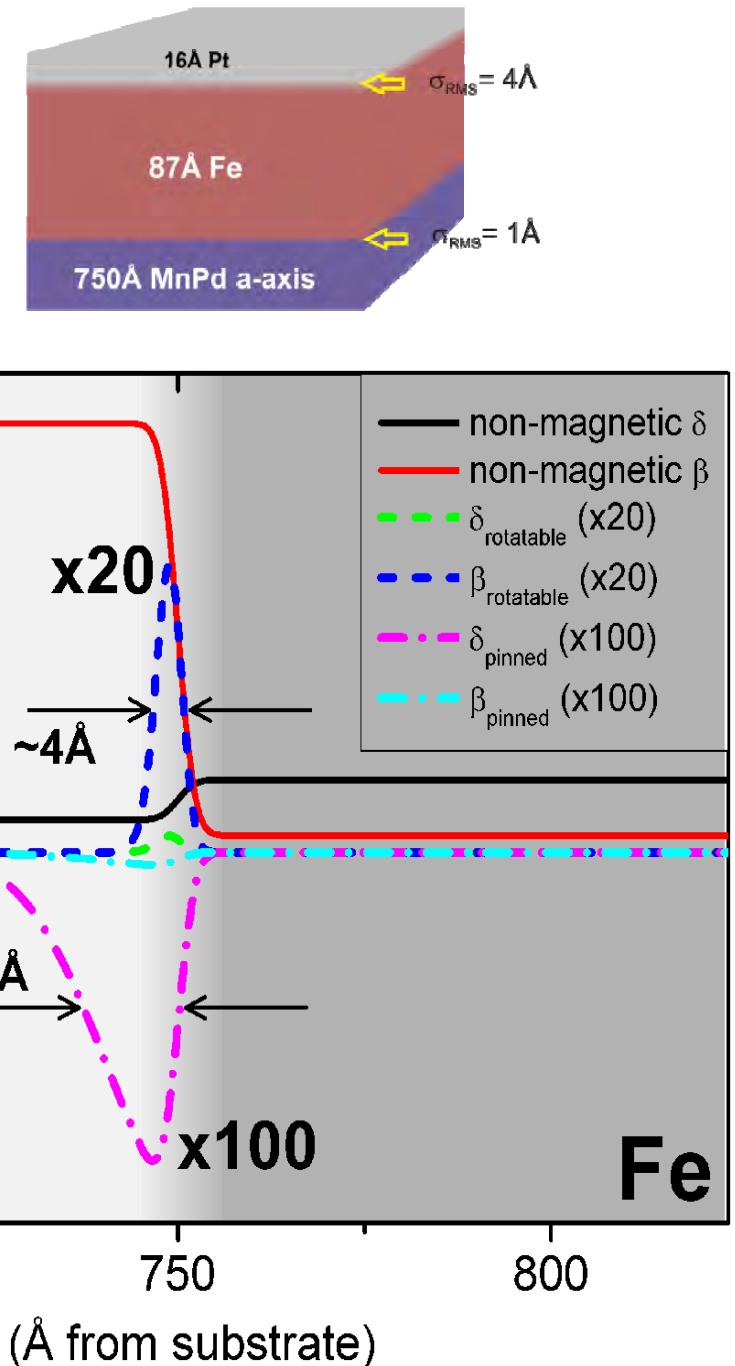
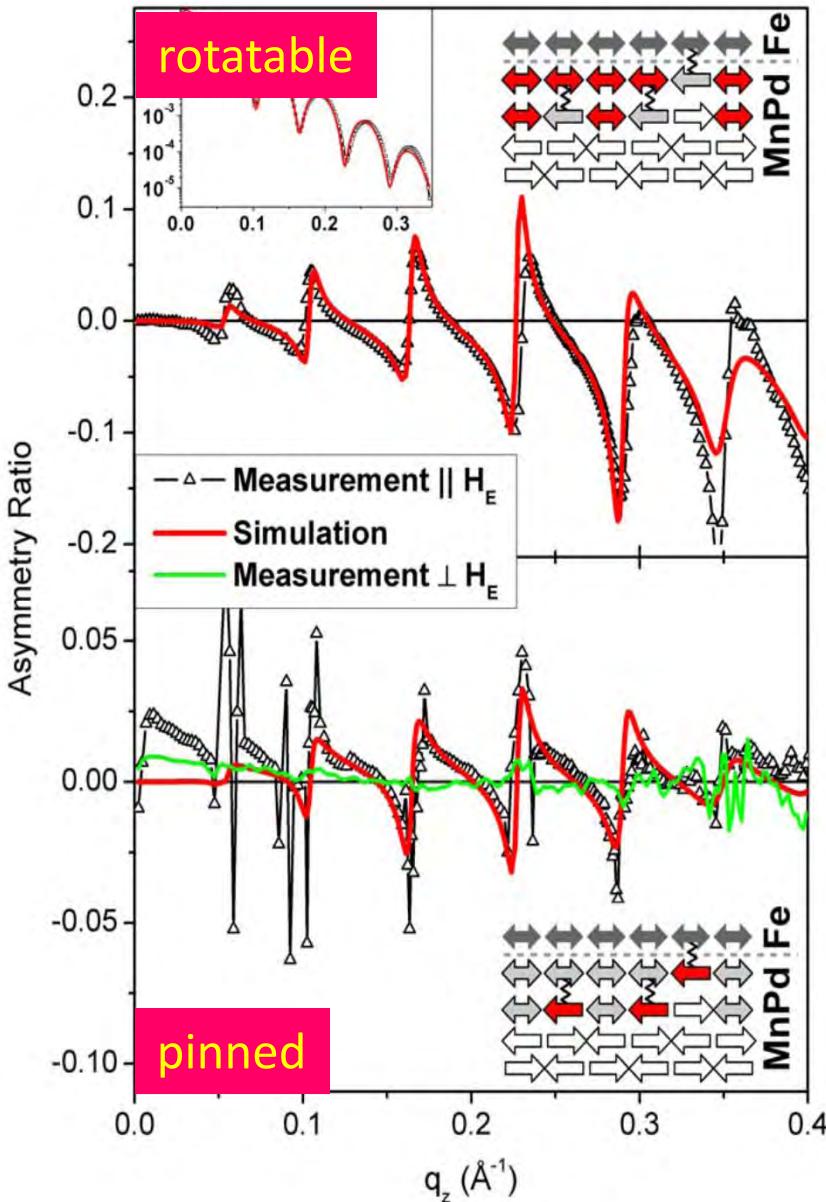


$$A = \frac{R^{++} - R^{--}}{R^{++} + R^{--}}$$

„pinned asymmetry“

XRMR at the Mn L_3 edge

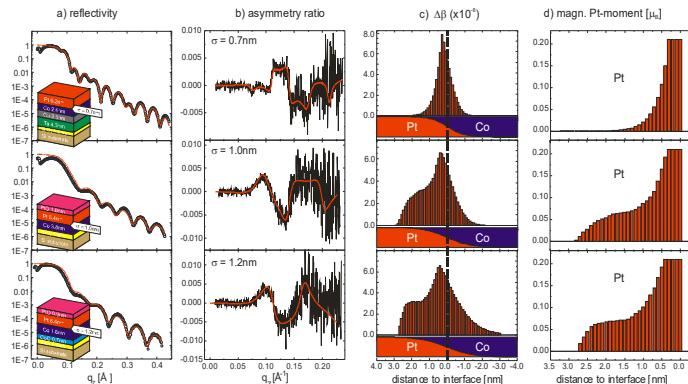
We rotate helicity and the field to separate pinned from rotatable magnetic moments!



Some „own“ examples

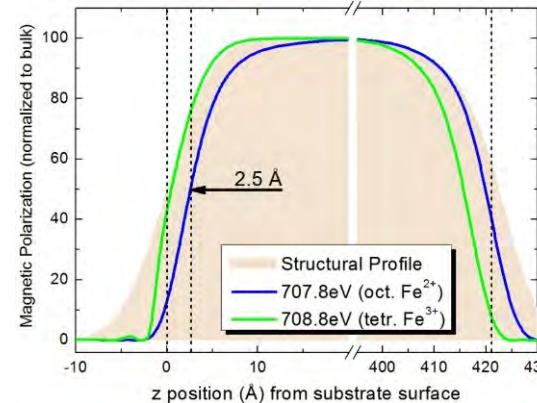
Induced magnetism in Pt

Hard x-rays: Pt L₃



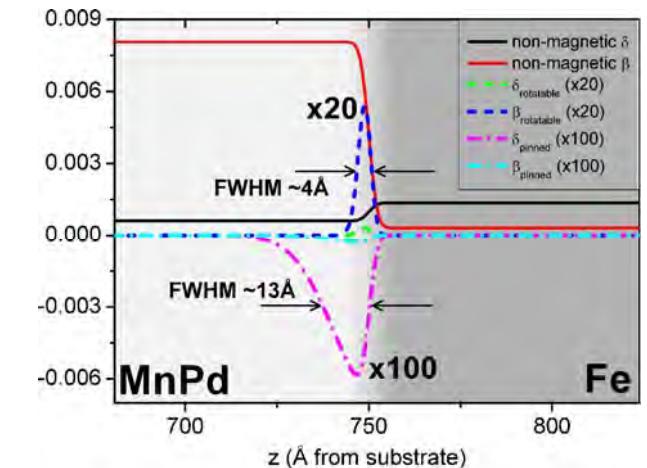
Geisler et al. Phys. Rev. B 65, 2001, 020405(R), und Z. Metallk. 93, 2002, 946

Magnetite/ZnO

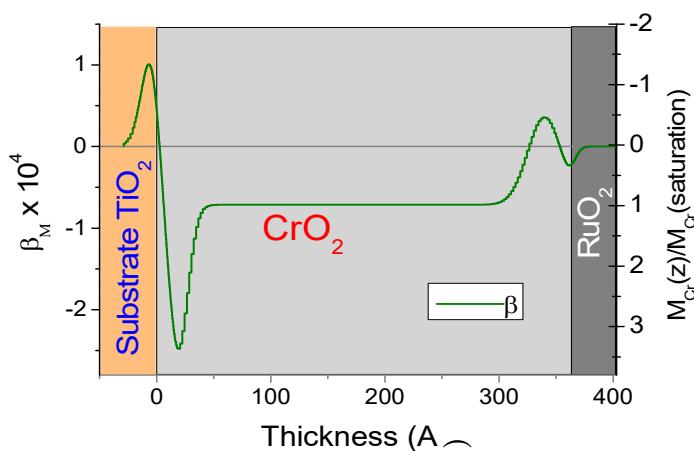


S. Brück et al. *Applied Physics Letters* 100, 081603 (2012)

Exchange Bias in Fe/MnPd

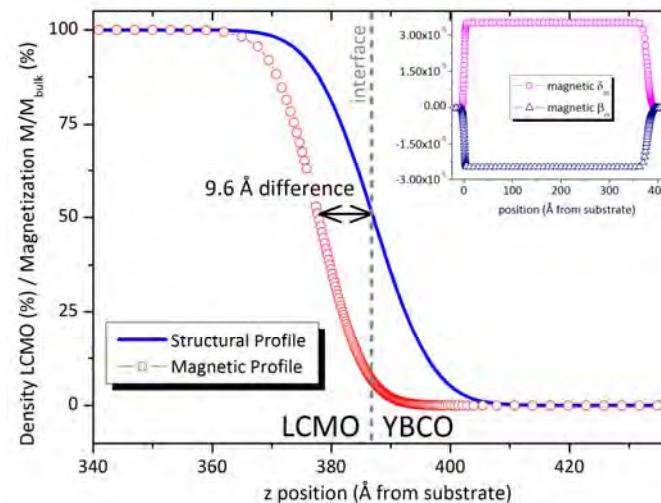


GMR at CrO₂/RuO₂/CrO₂



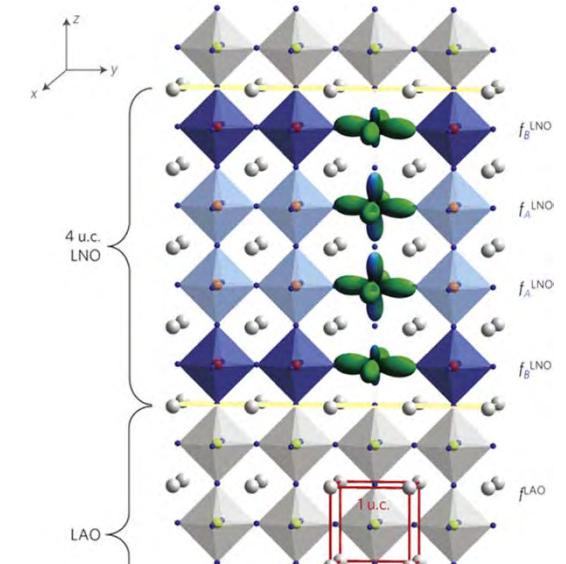
Zafar et al. Phys. Rev. B 84 (2011) 134412

supercond. vs. magnetism



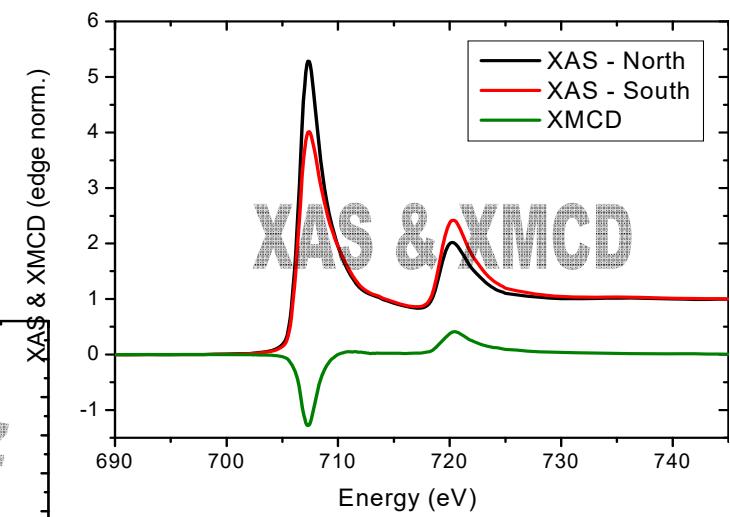
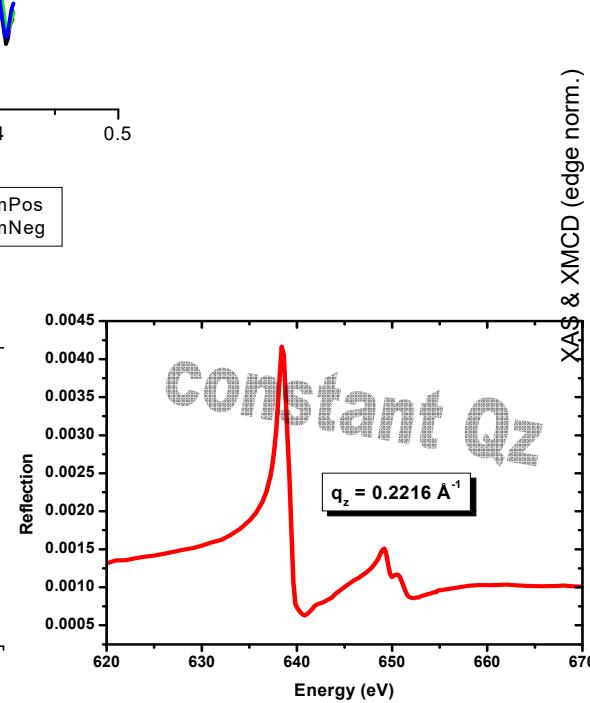
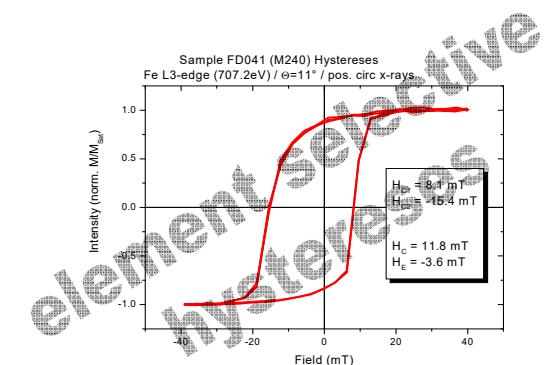
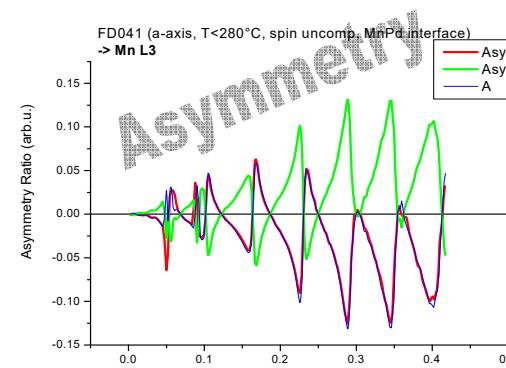
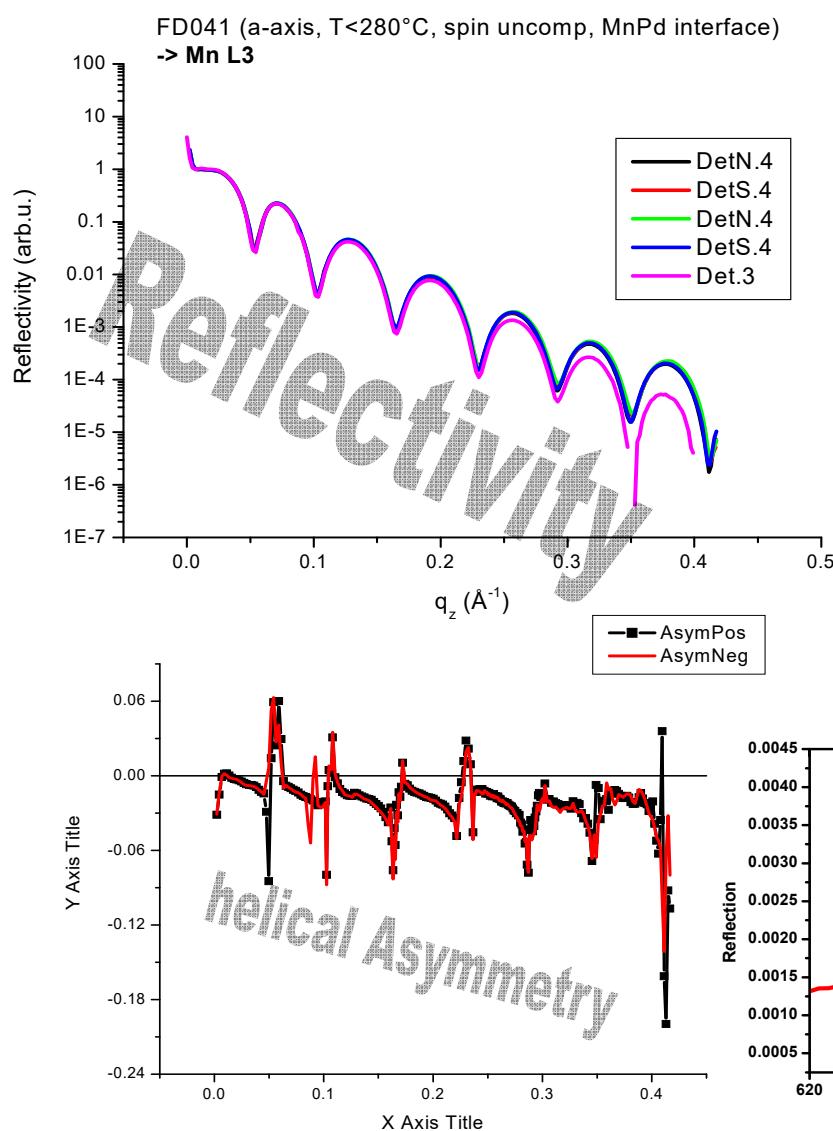
Brück et al. New Journal of Physics 13 (2011) 33023.
D.K. Satapathy et al.; Phys. Rev. Lett. 108 (2012) 197201

orbital reflectometry



E. Benckiser et al., Nature Materials 10 (2011) 189-193.

Summary of possibilities

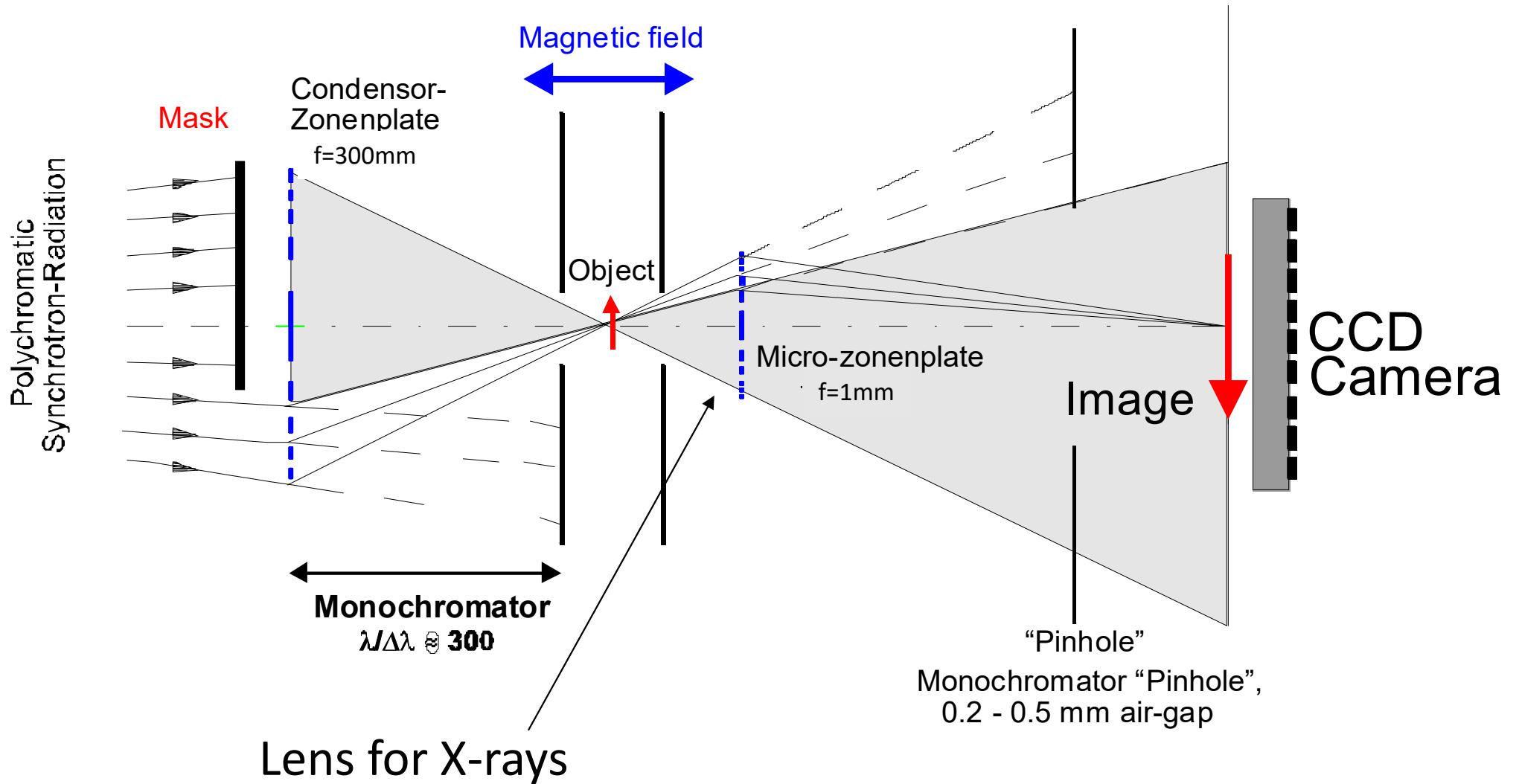


Another X-ray technique used for magnetism

- Full field X-ray Microscopy
- Scanning X-ray Microscopy (STXM)
STXM Examples

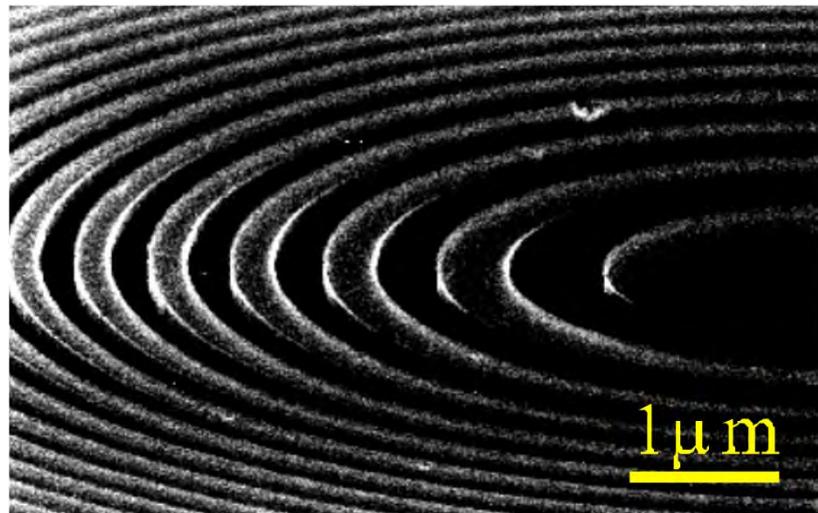
Magnetic transmission microscopy: MTXM

The full field experimental setup

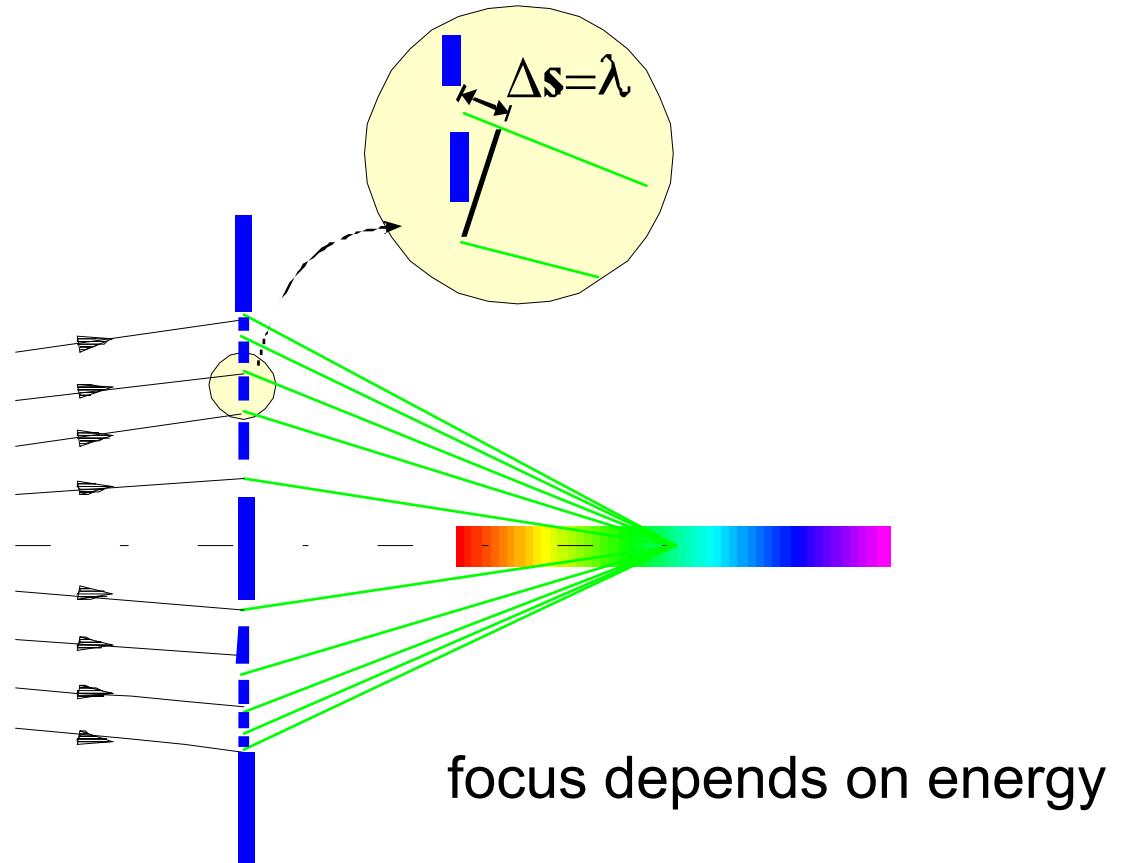


Fresnel Zonenplates

Optical element in a X-ray microscope



SEM image
of a zoneplate



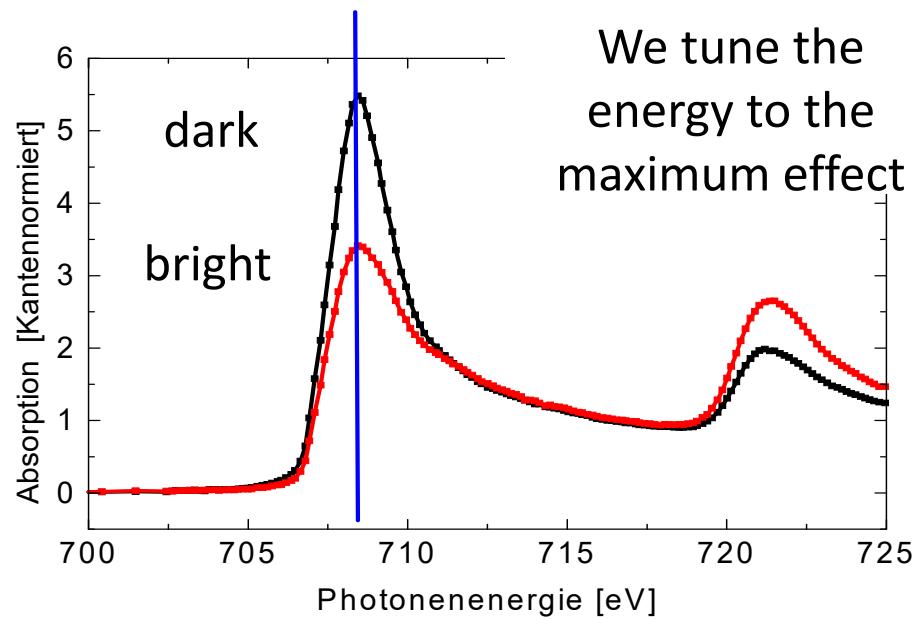
focus depends on energy

It is more or less a grating, where the distance is varied to get constructive interference only at one point. Not a parallel beam!
For details see any optics book!

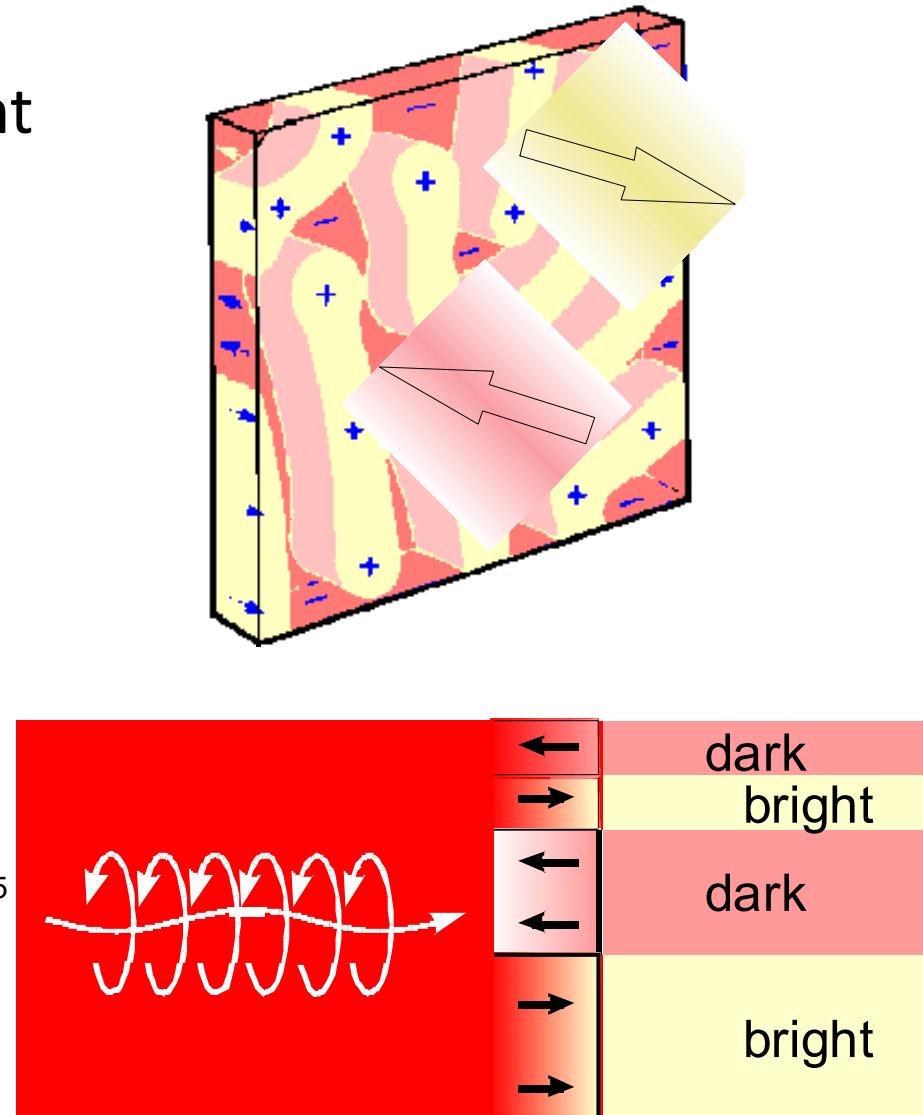
Magnetic Contrast

Simple modulation of the intensity behind the sample

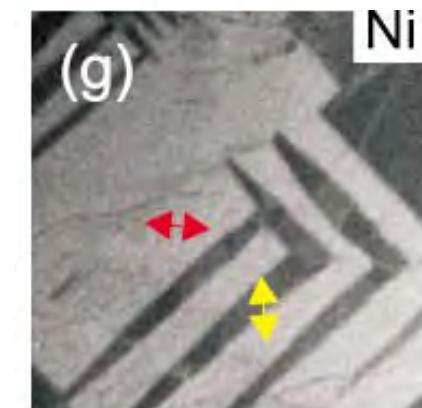
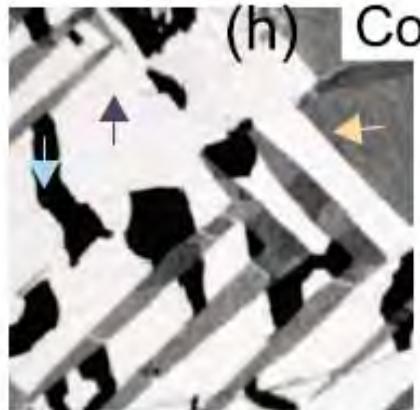
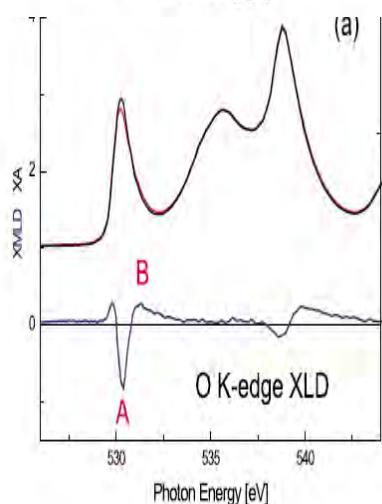
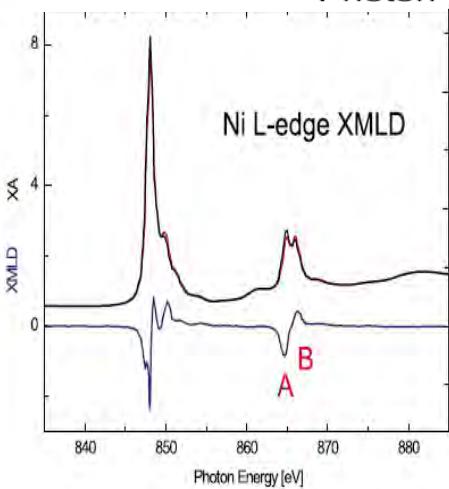
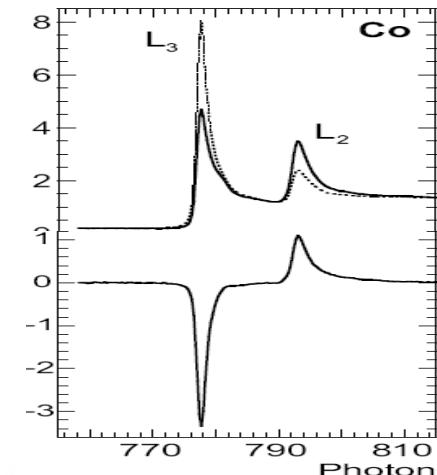
- XMCD changes dramatic the intensity of the transmitted light



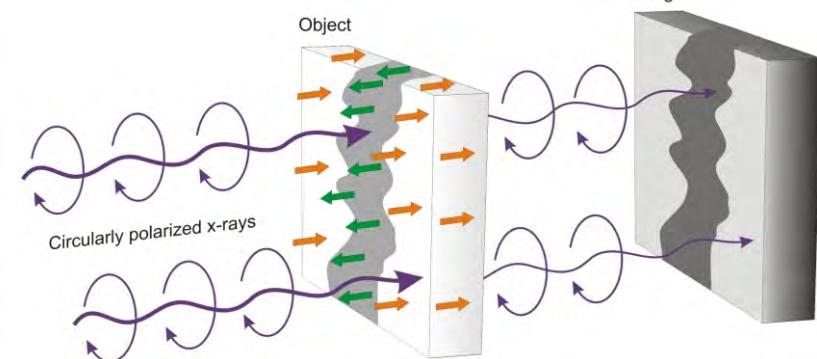
We tune the energy to the maximum effect



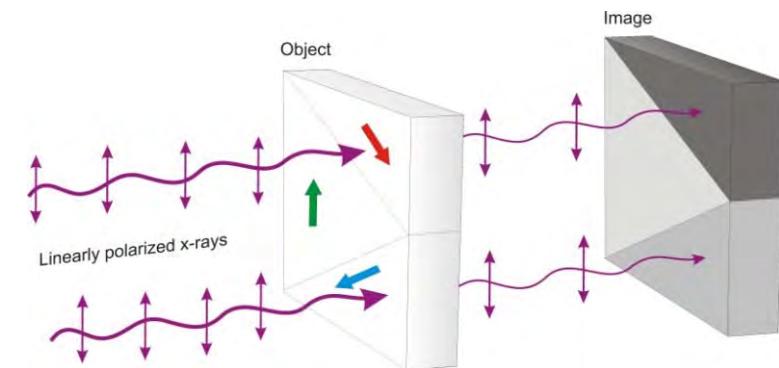
How to measure magnetism? An example: Co/NiO



XMCD Co L-edge



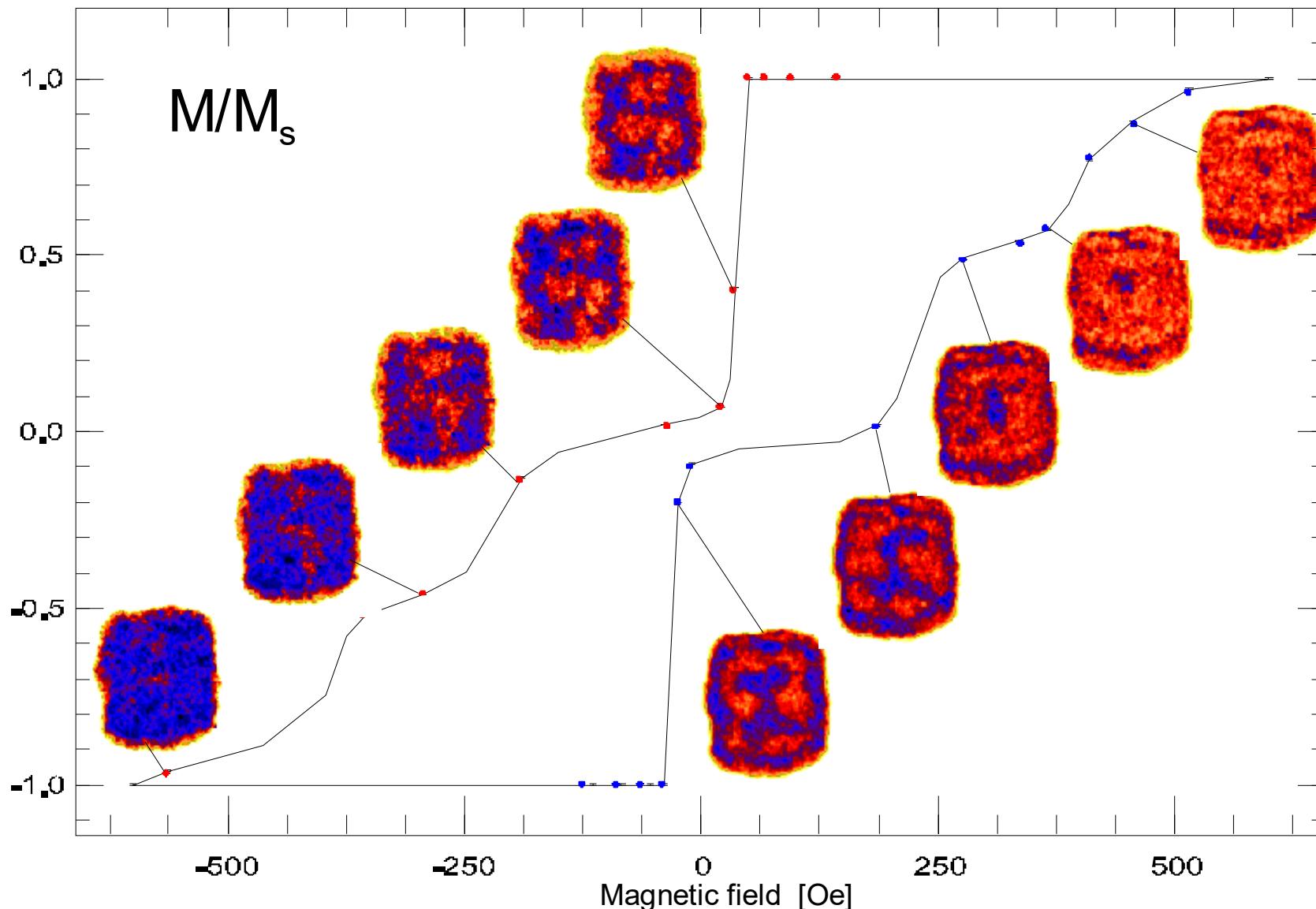
Linear dichroism due to
antiferromagnetic domains
Ni L edge



Linear dichroism due to crystal
Orientation: O-K edge

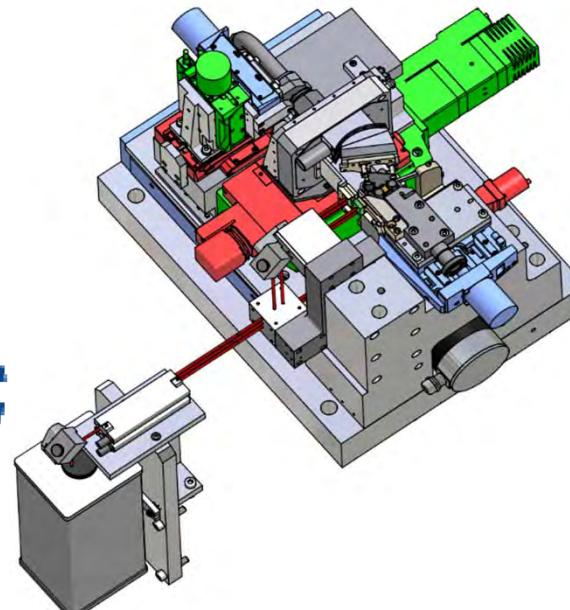
MTXM – hysteresis of „nanodots“

magnetization of a single $1\mu\text{m} \times 1\mu\text{m}$ Fe/Gd dot

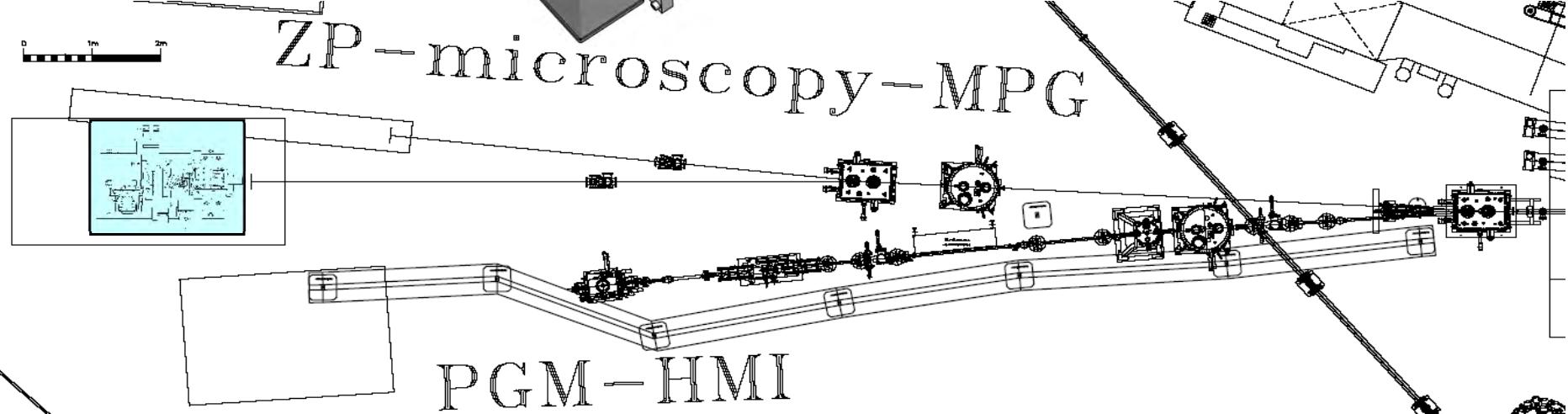


STXM: Our soft X-ray UHV microscope at HZB-BESSY-Berlin

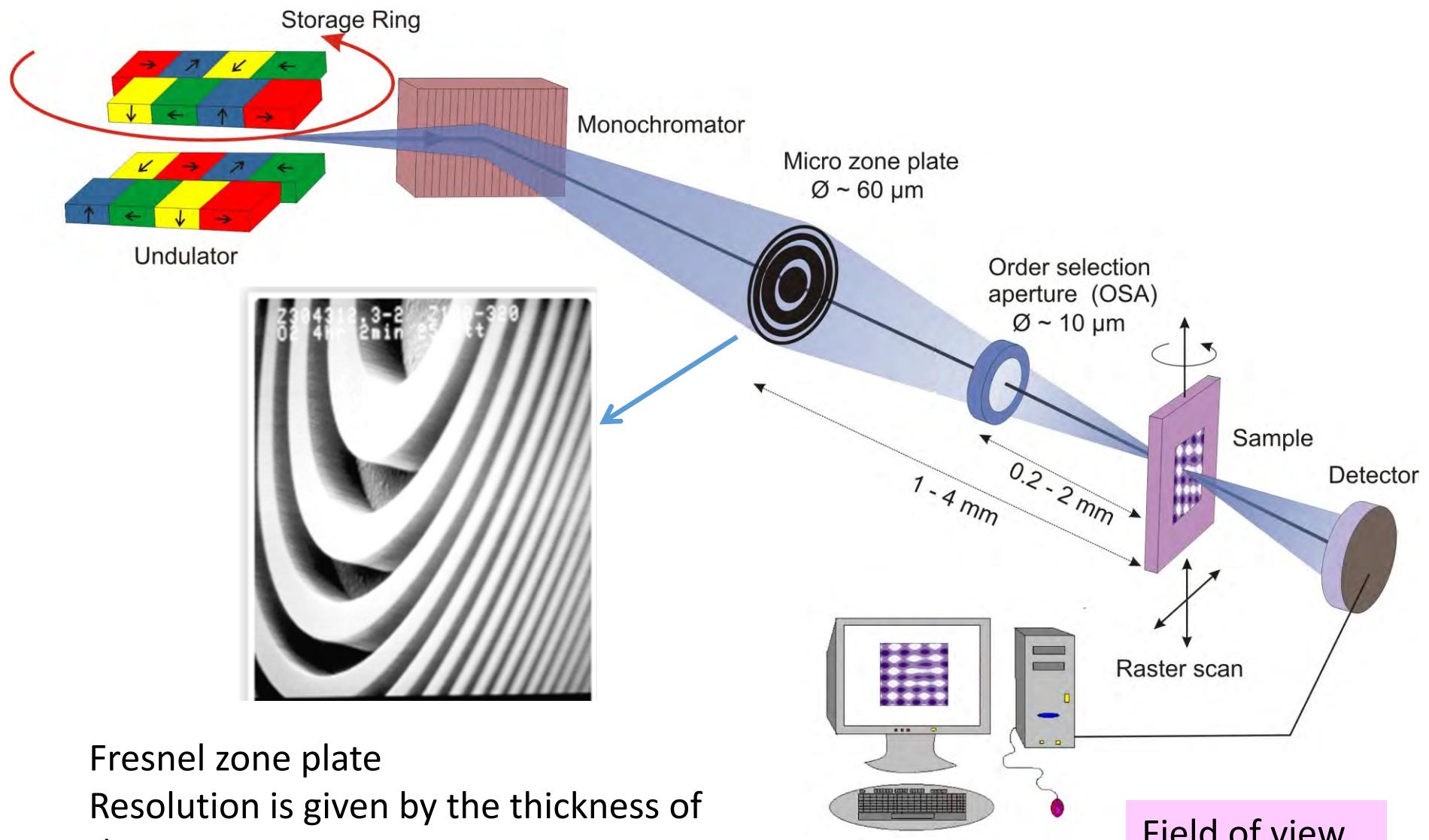
circular polarized undulator beamline UE46



BESSY - Berlin



Concept of Scanning Transmission X-Ray microscopy



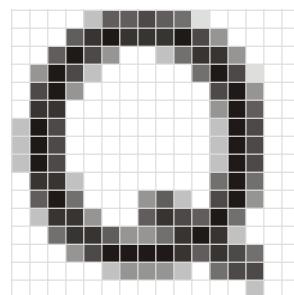
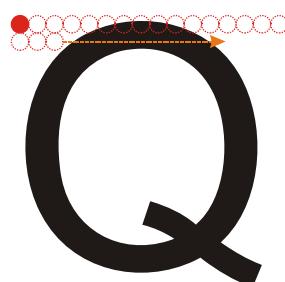
Further reasons for an STXM

Oper

**Combines the advantages of
PEEM, SXM and TXM**

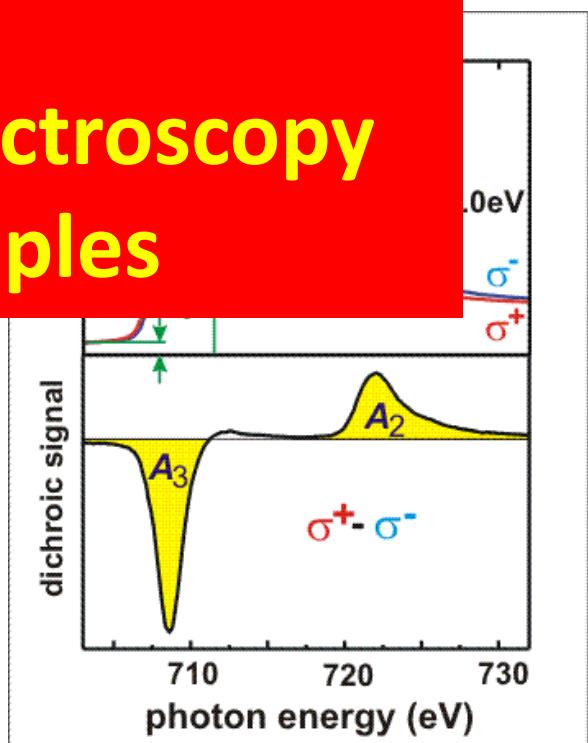


- a) **High B-fields**
- b) **Full intensity for local spectroscopy**
- c) **Rough and bulg samples**



Why STXM?

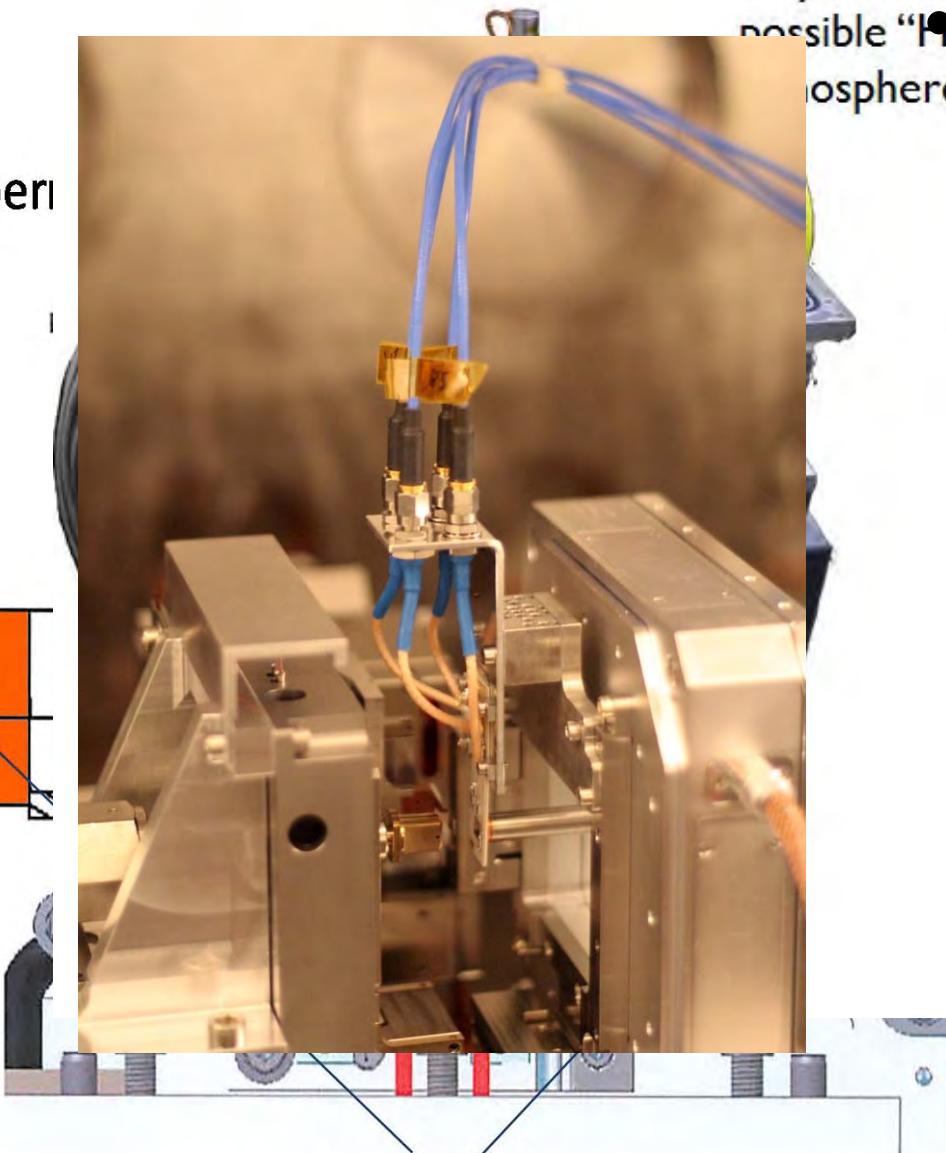
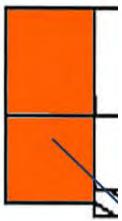
- High spatial resolution
- Microspectroscopy (many contrast mechanisms)
- Flexibility in detector (photon, electrons , TEY,...)
- Time –resolved imaging



Something exceptional (worldwide)

- 2nd Magnet System
„Dynamic (25GHz) sample holder

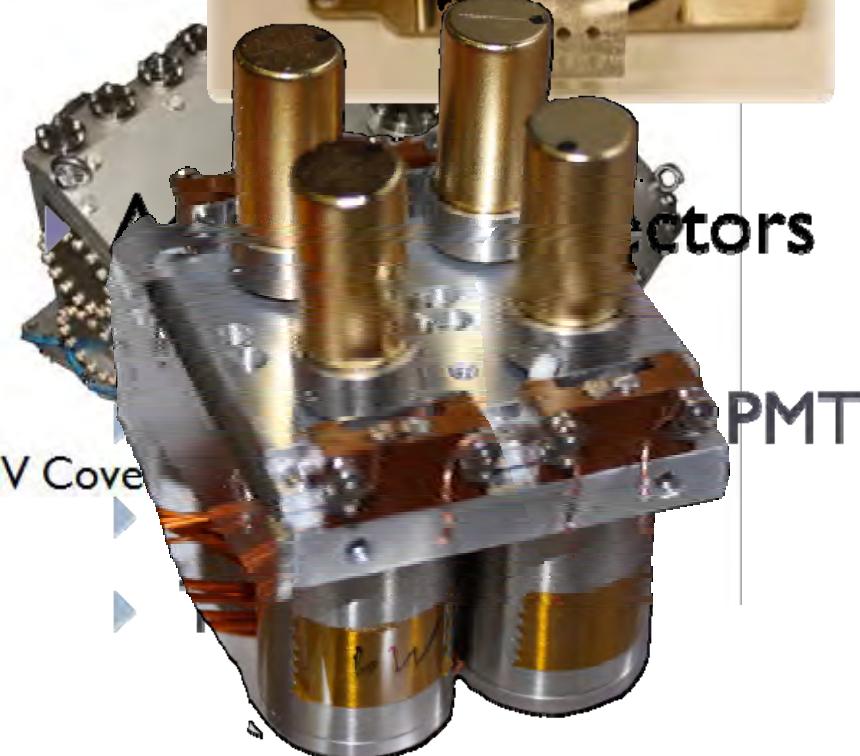
peri



UHV stepper motors

- Magnet system
Goniometric Sample Holder
any direction and strength

– 1st: 40mT



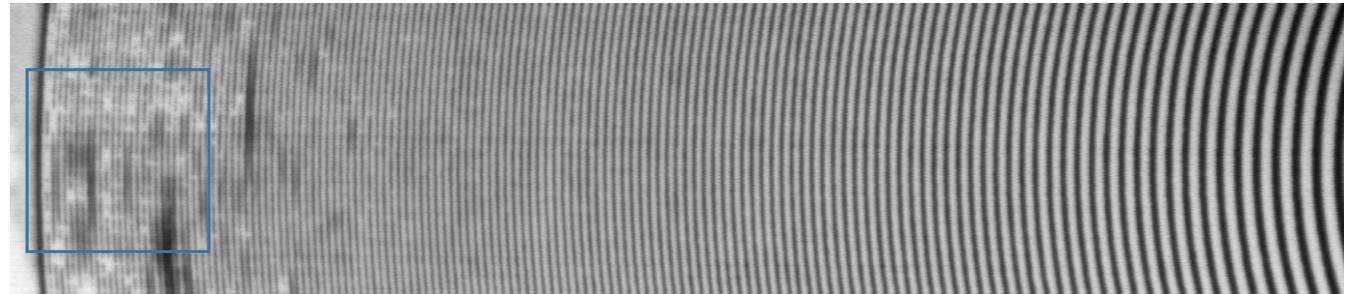
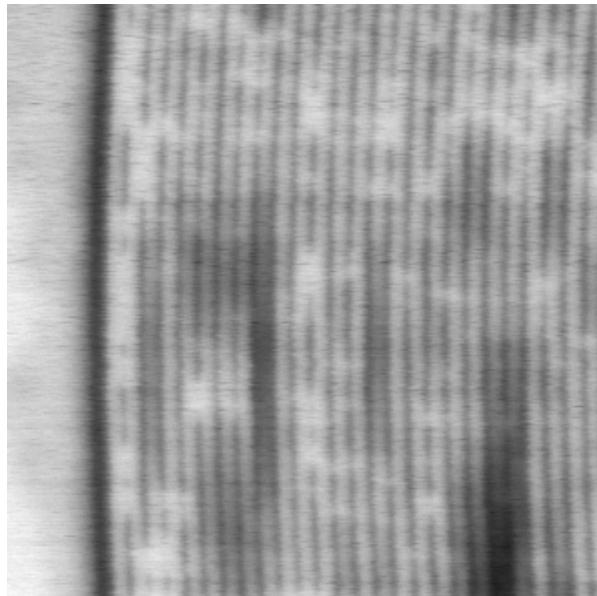
UHV Cover

PMT

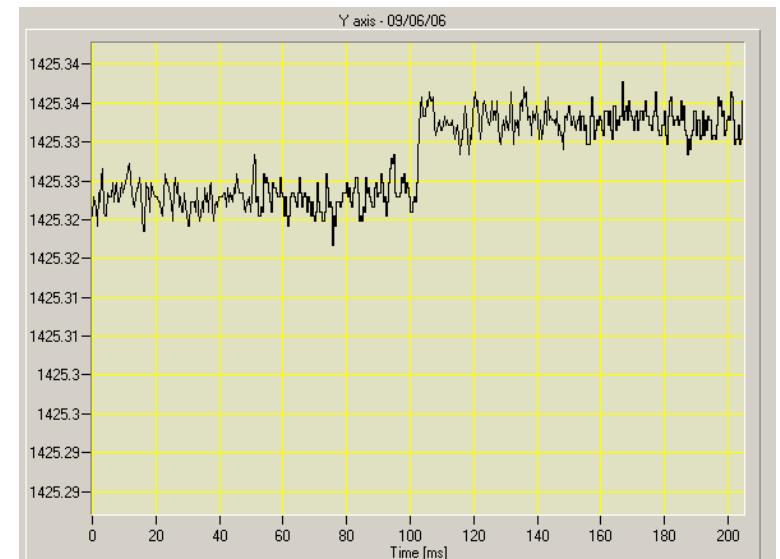
detectors

Zone Plate Scanning

- Works very fine
- $24\mu\text{m}$ usable field of view
- Interferometer-limited performance
- Becomes more and more standard

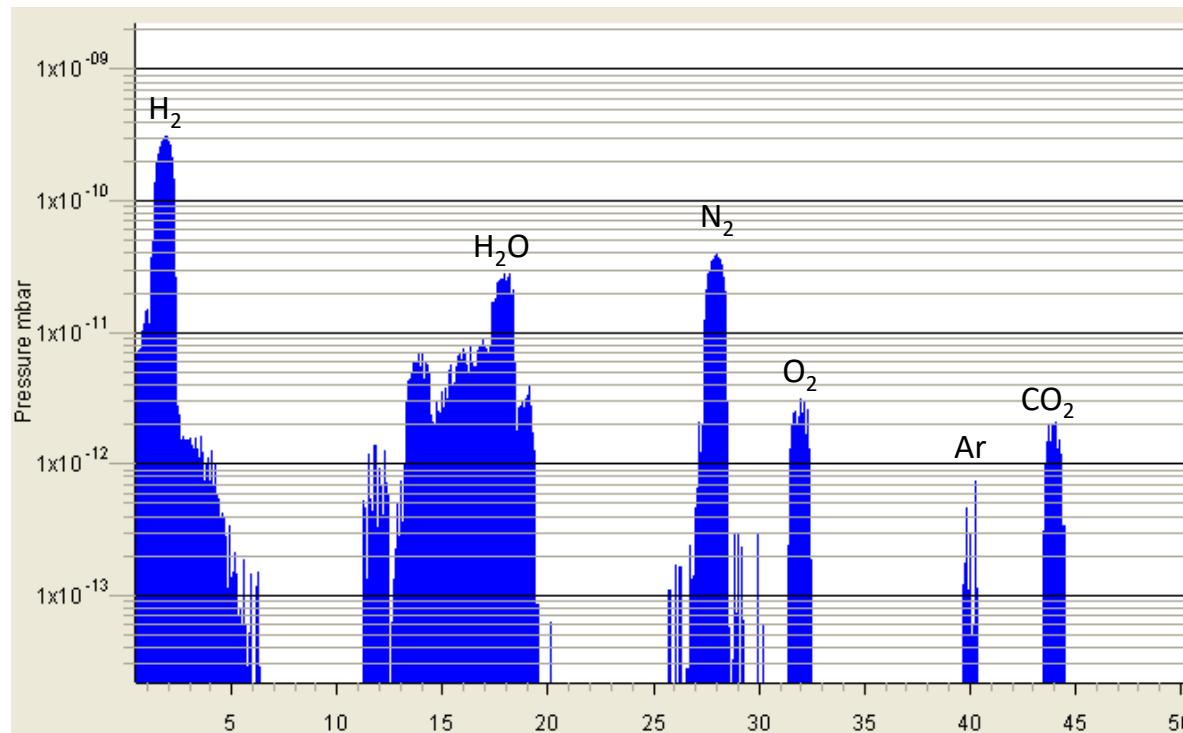


Noise less than 0.2nm



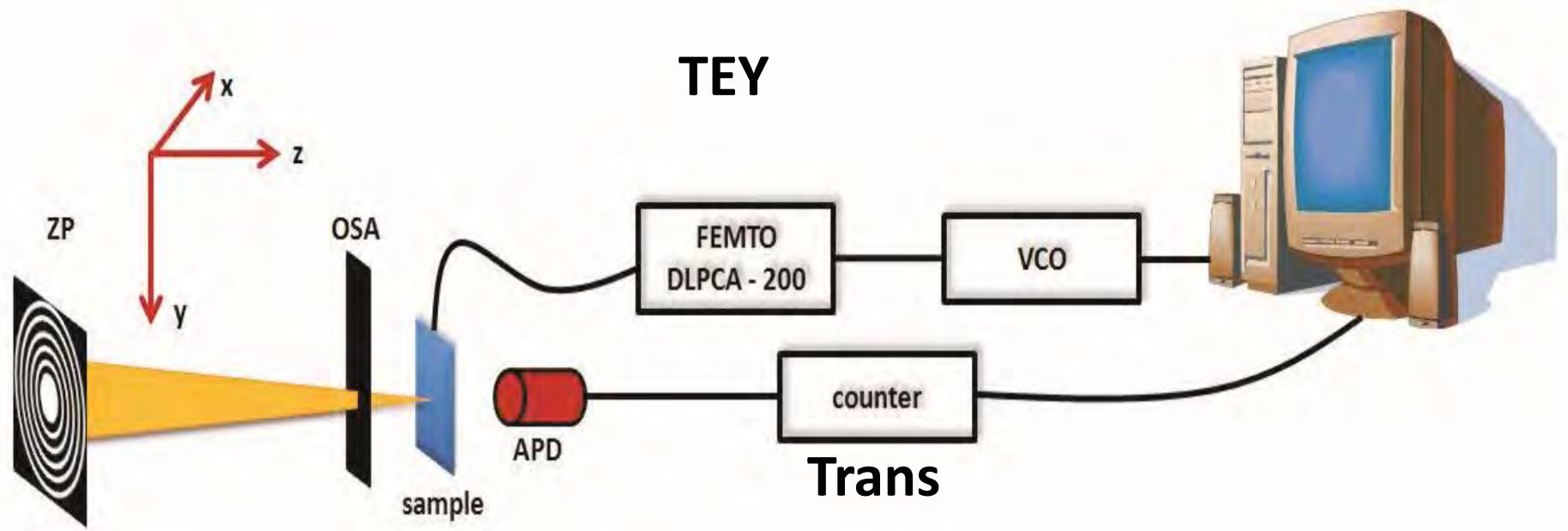
Real UHV microscope → electron yield possible

- UHV mode
 - Microscope fully bakeable at 110C



- “Helium” mode incl. cryo pump: 12h after pumping down better than 10^{-7} mBar

Combined TEY (surface) and Transmission (bulk)

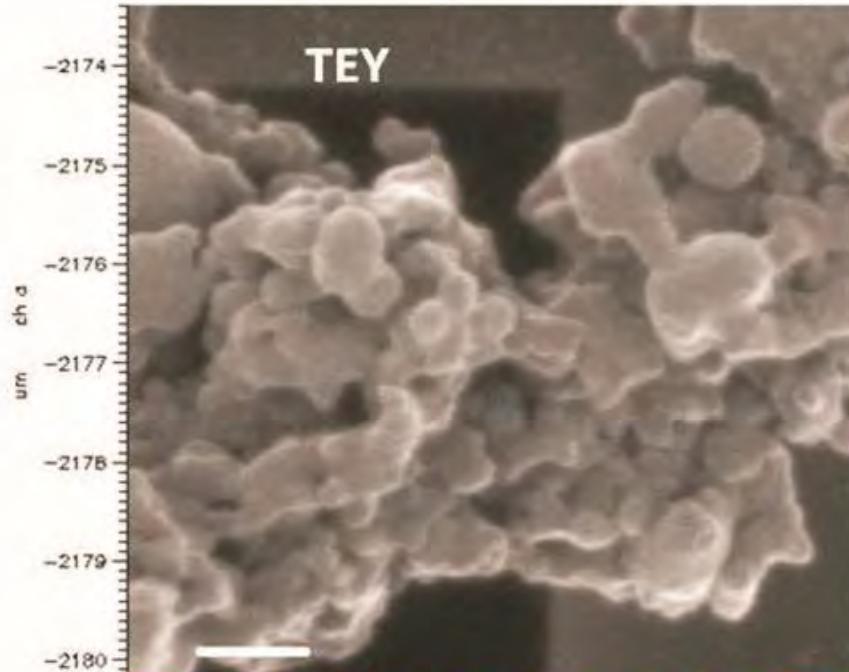
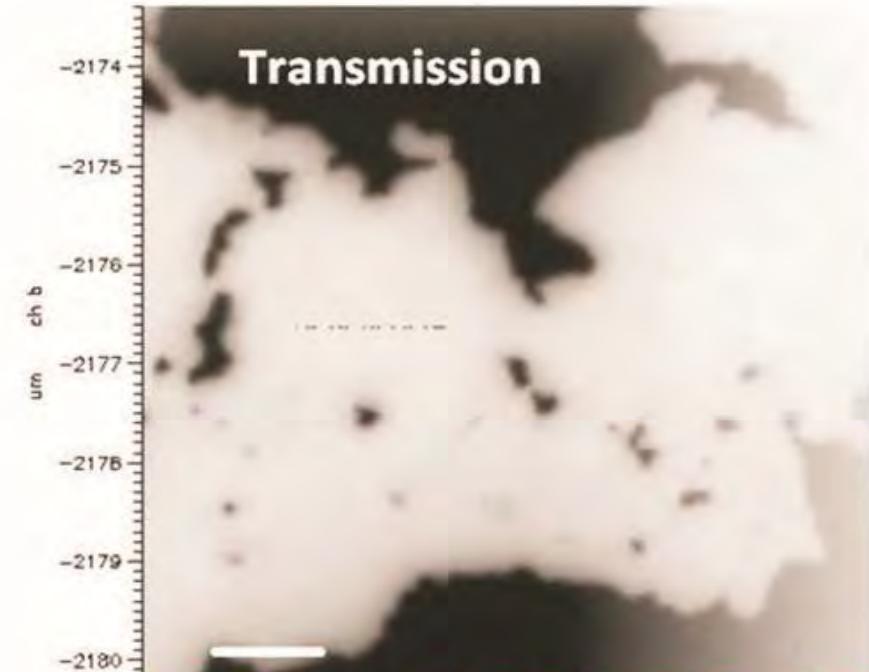


D. Nolle et al. , microscopy and microanalysis (2011)

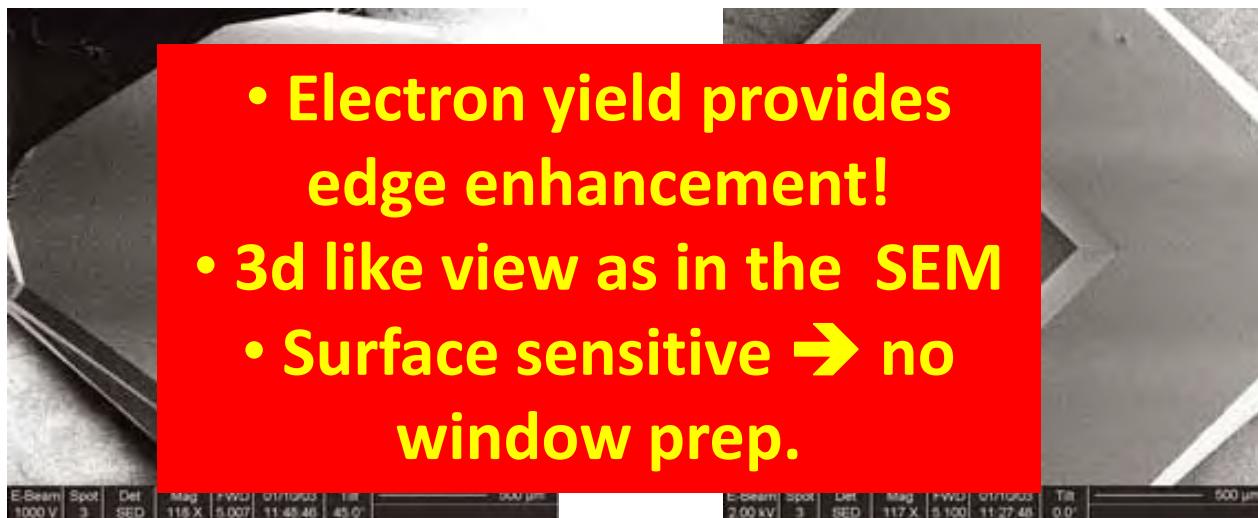
D. Nolle et al. , Rev. Sci. Inst (2012)

Aglomerated FeO_x/FePt hybrid Nanoparticles at the Fe- L₃ edge

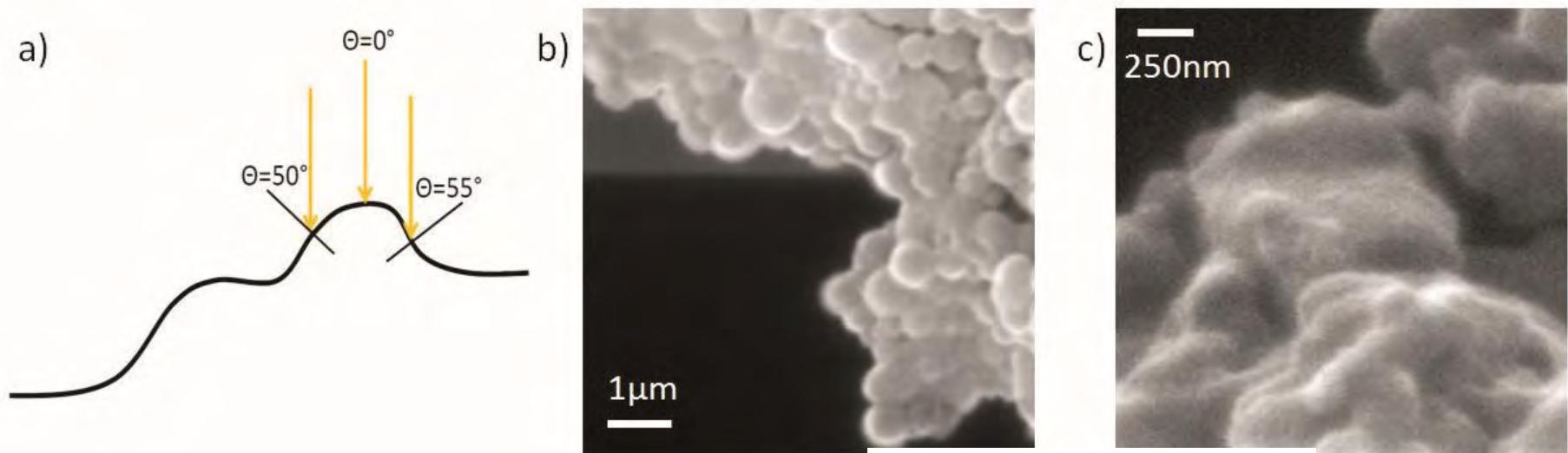
Field of view 7x7μm



SiN membrane



Origin for the “3d-like” TEY edge enhancement



PHYSICAL REVIEW B

VOLUME 59

1 MARCH 1999-I

Electron-yield saturation effects in $L-e$ spectra of Fe

Reiko N

Department of Materials Science and Engineering

Microscopy

1305

J. S

IBM Research Division, Almaden Research Cen

120

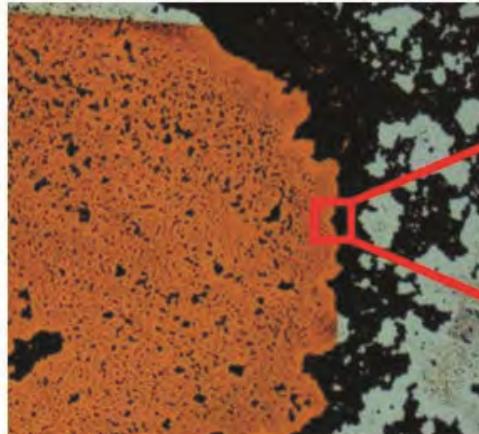
Y. U. I
Naval Research Laboratory

(Received 2 September 1998)

(b) Electron yield

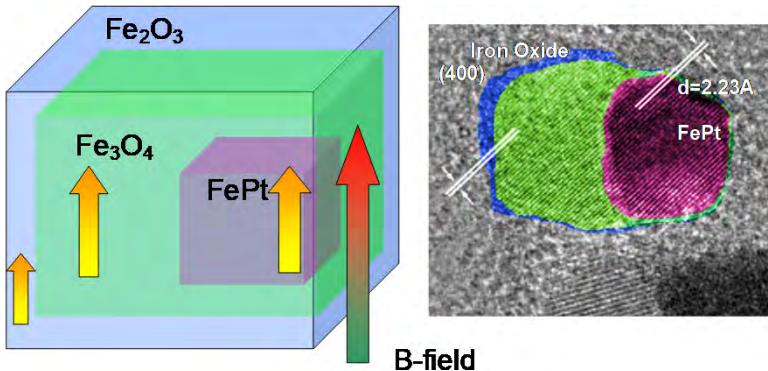
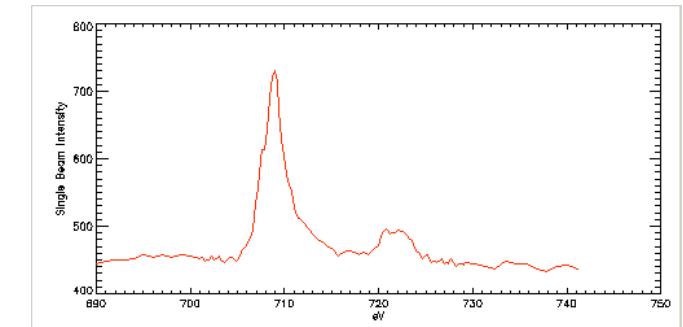
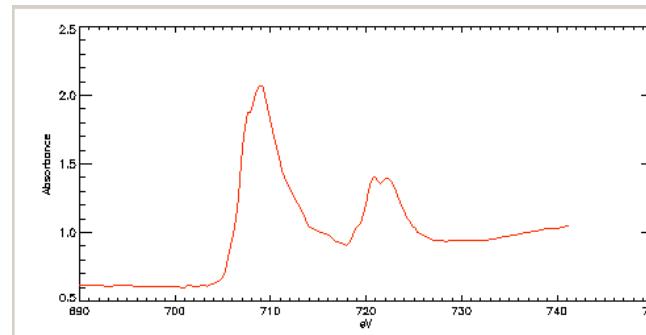
$$dY_{e,0}(z) = I_0 e^{-\mu z/\cos \theta} \frac{\mu dz}{\cos \theta}. \quad (4)$$

Spectroscopy for TEY and Transmission



optical microscope

TRANSMISSION-SXM

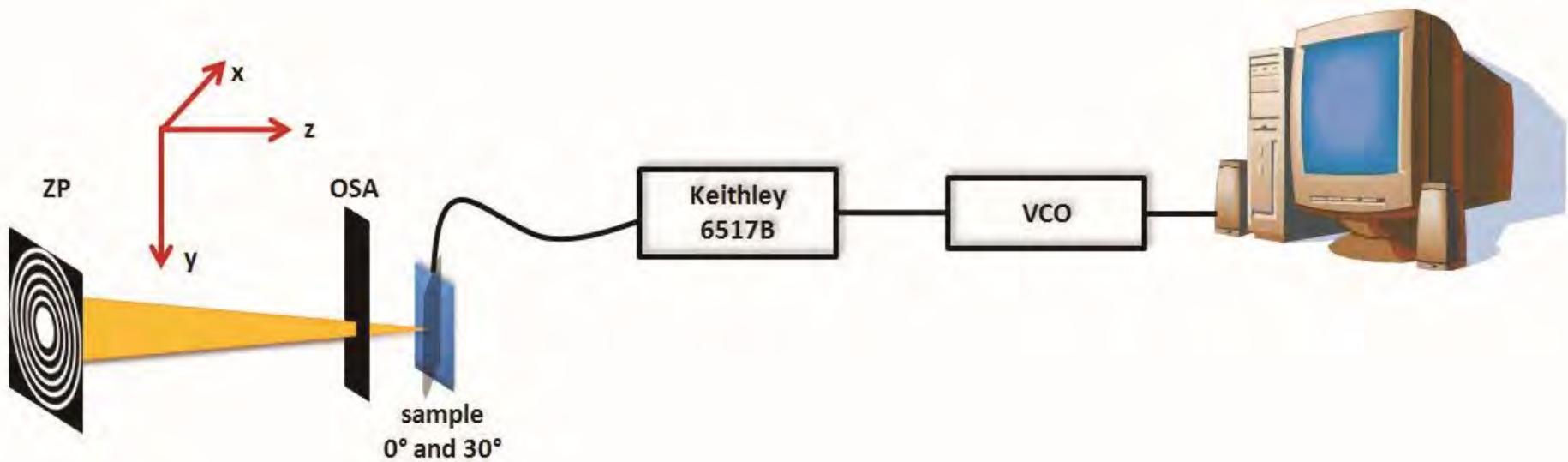


Transmission:
More FePt signal visible

TEY:
Dominated by Fe_2O_3 like spectra

Similar to conventional XAS as in
D. Nolle et al., New J. Phys. 11 (2009).

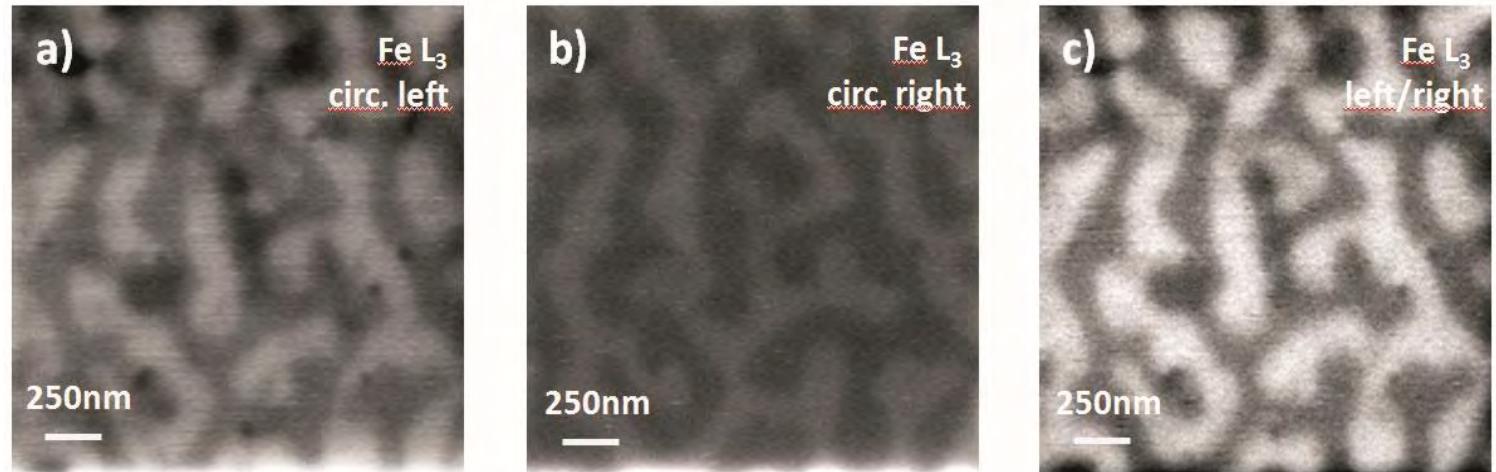
Magnetic SXM → in and out off plane



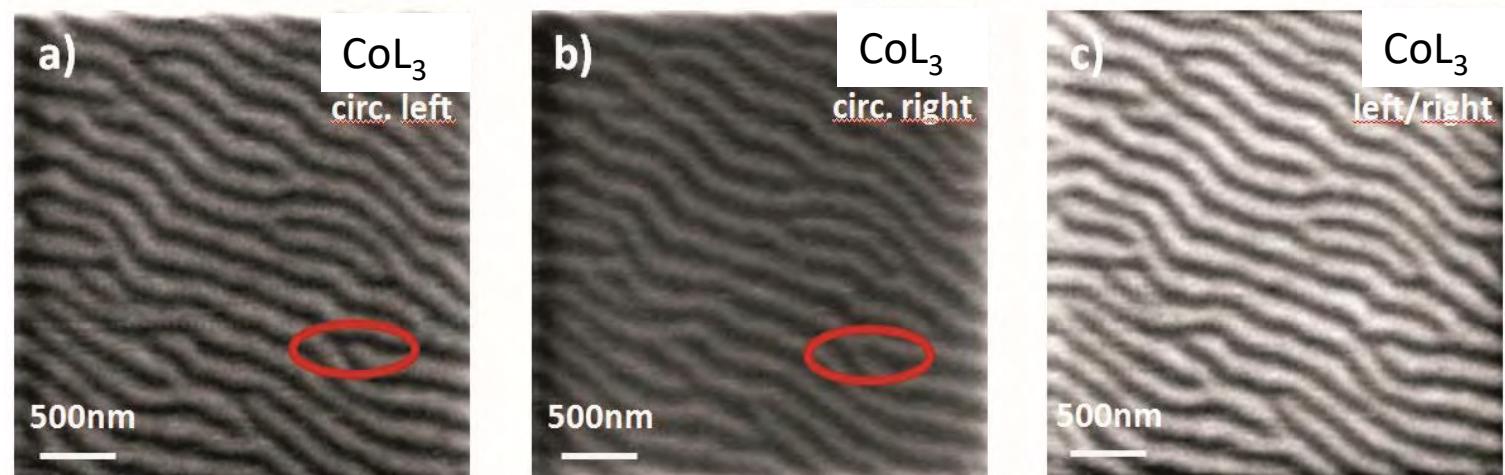
- 0° angle (NI) for out of plane sensitivity
- 30° angle for in plane sensitivity
- Using circular polarized X-rays for XMCD effect

Magnetic SXM → in- and out-off-plane

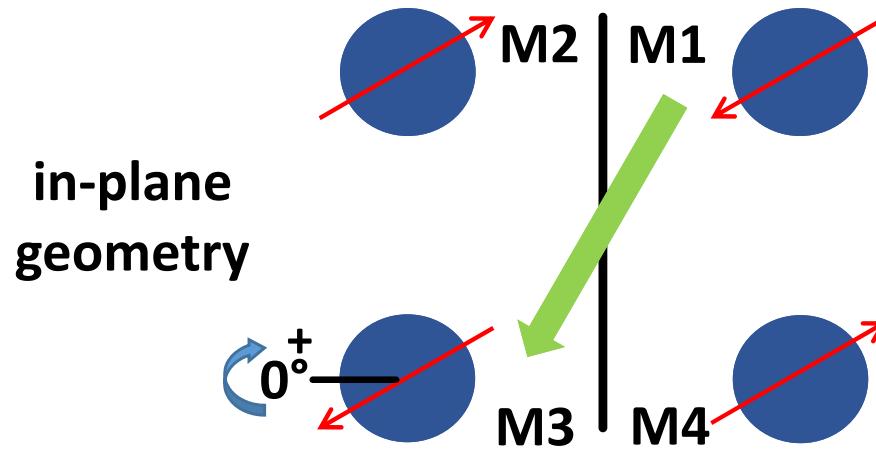
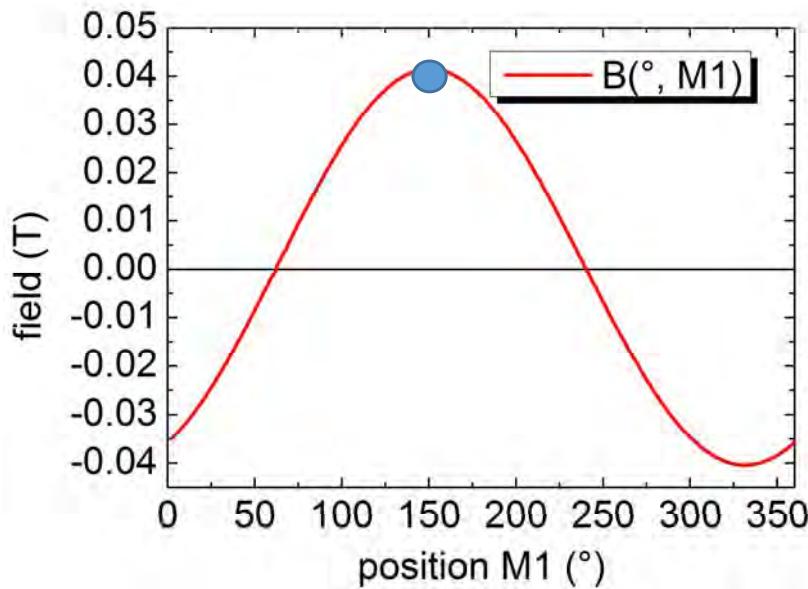
- out of plane:
 - FePt @NI
 - 40ms/Pixel
 - Out off plane Domains



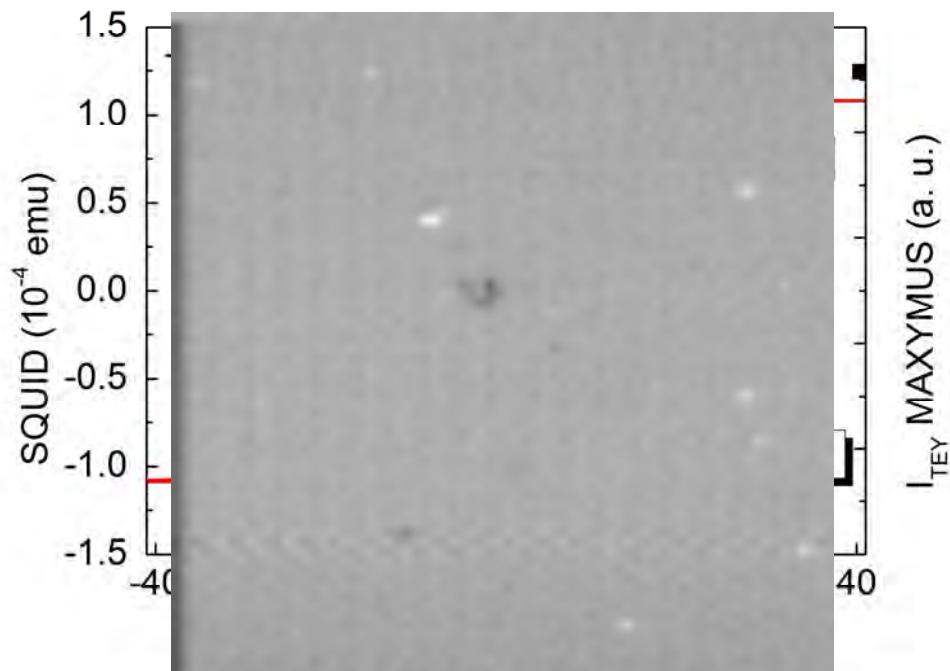
- ▶ In plane
 - ▶ CoTb @30°
 - ▶ 40ms/Pixel
 - ▶ In plane Domains



magnetic hysteresis curves



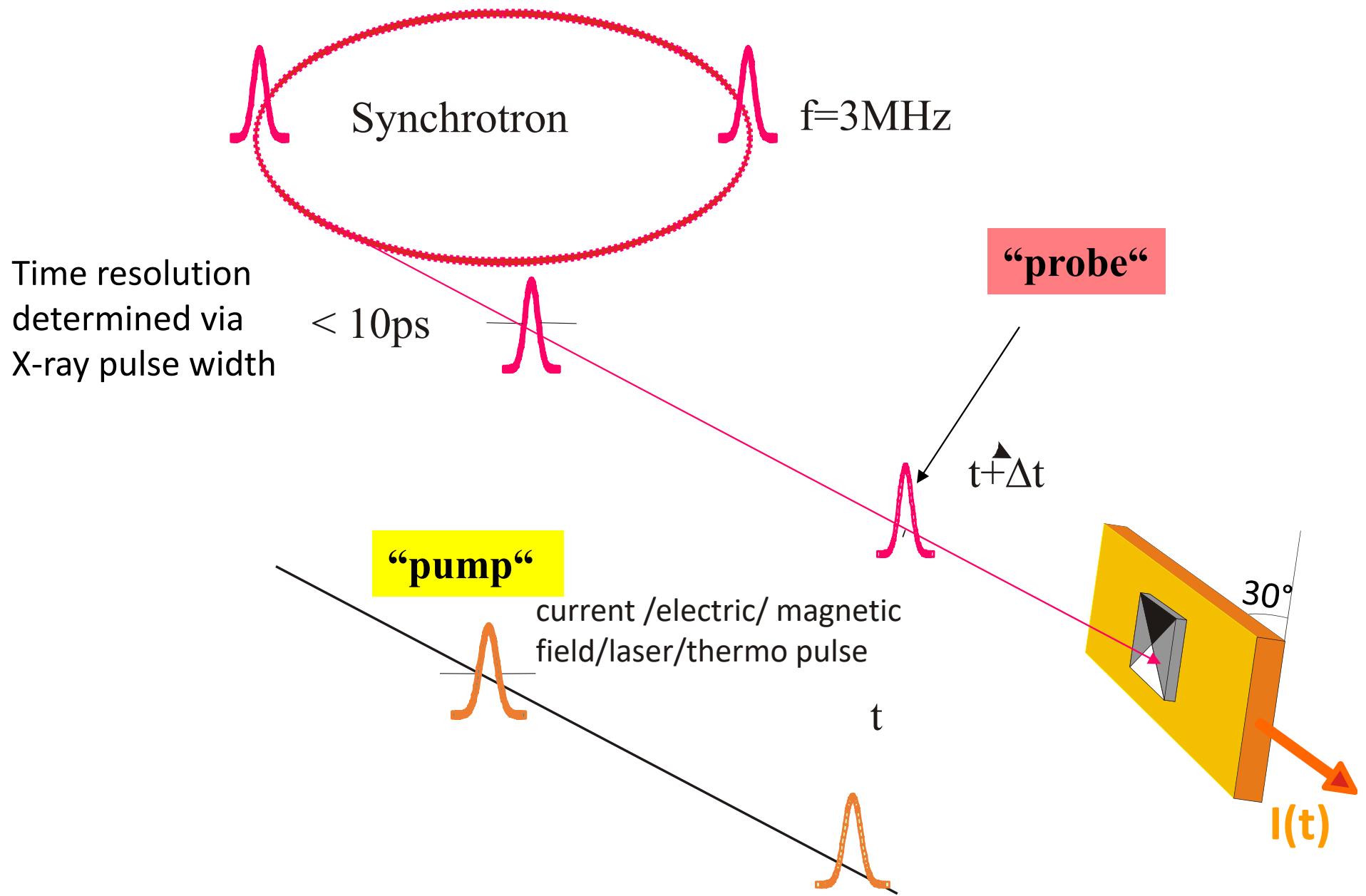
- exemplarily shown for TEY
- no further corrections to values of magnetic field
- different behavior in both branches



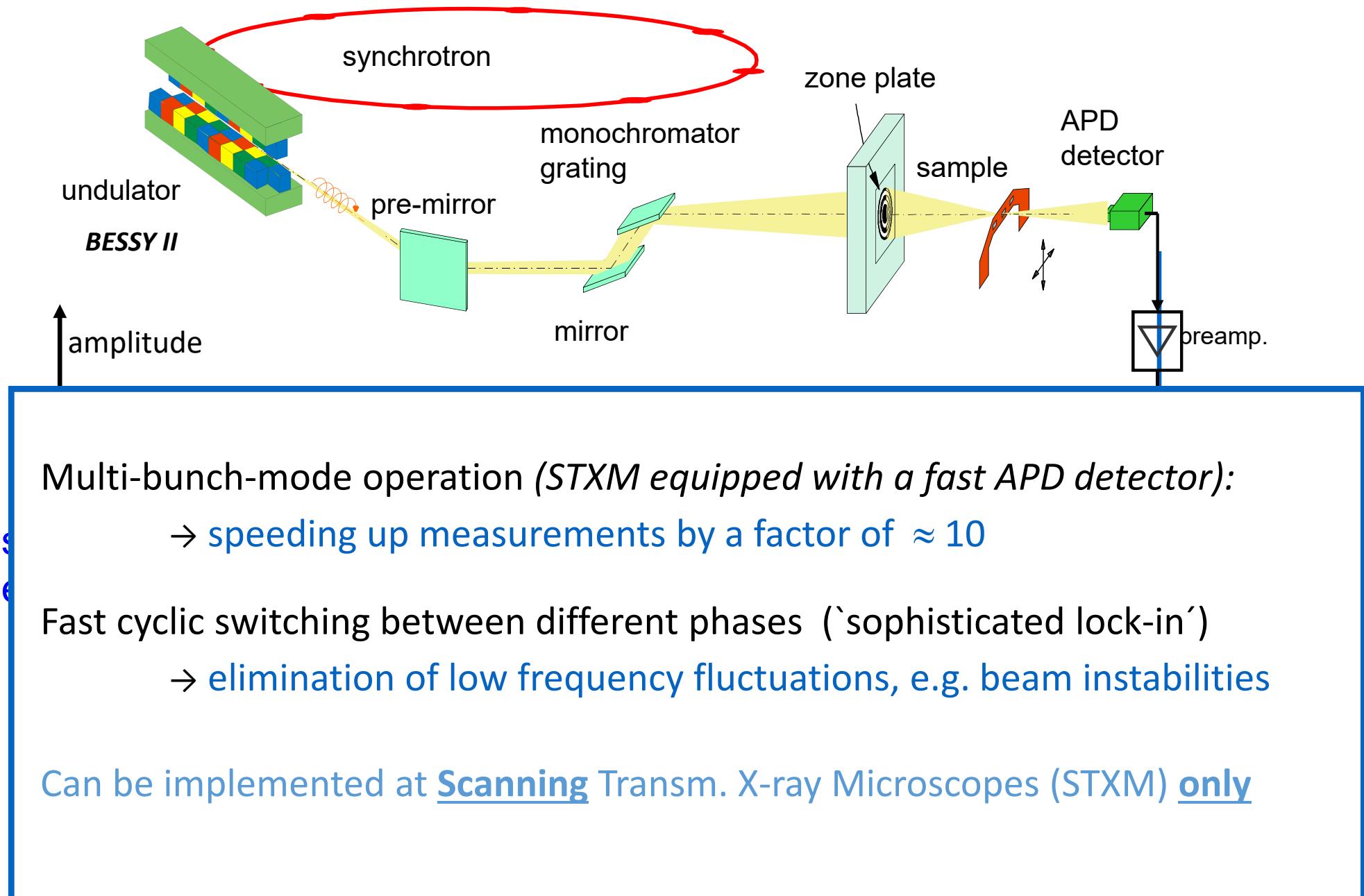
Recent developments

- 5GHz dynamics → operational since July. 2010
- Total electron yield (TEY) mode → since July. 2010
- New blazed grating → 3-5x flux → since Oct. 2010
- 0.5T → since November 2011
- Variable Temperature 80-400k → 2nd quarter 2012
- 360° Tomography Sample Holder → 3rd quarter 2012
- L-He Temperature 15K → 2016
- Ultrafast CCD camera for Ptychography → 2016
- 25GHz dynamics → in development

Using the time structure: Pump – probe experiments

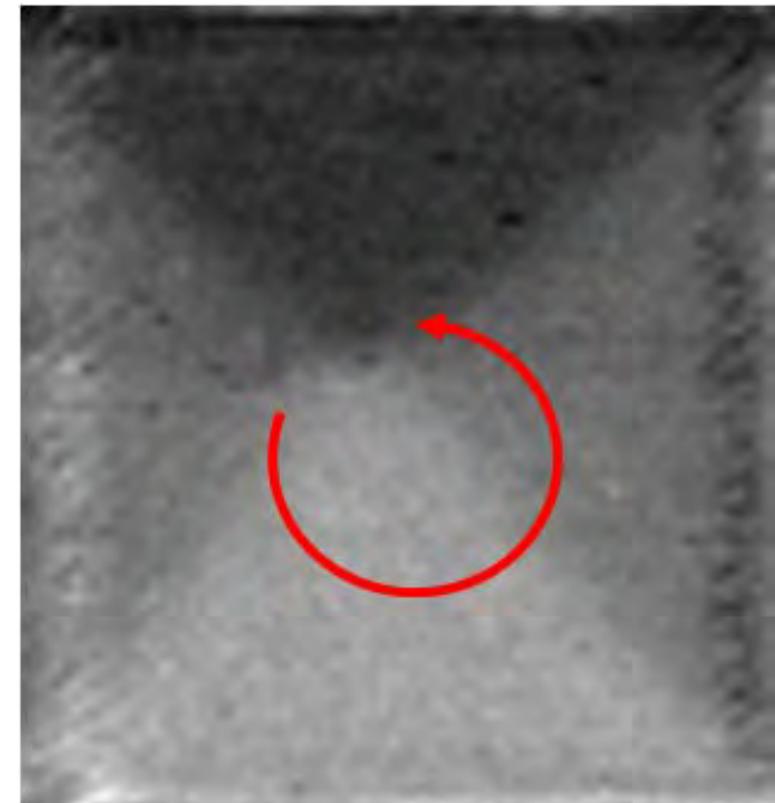
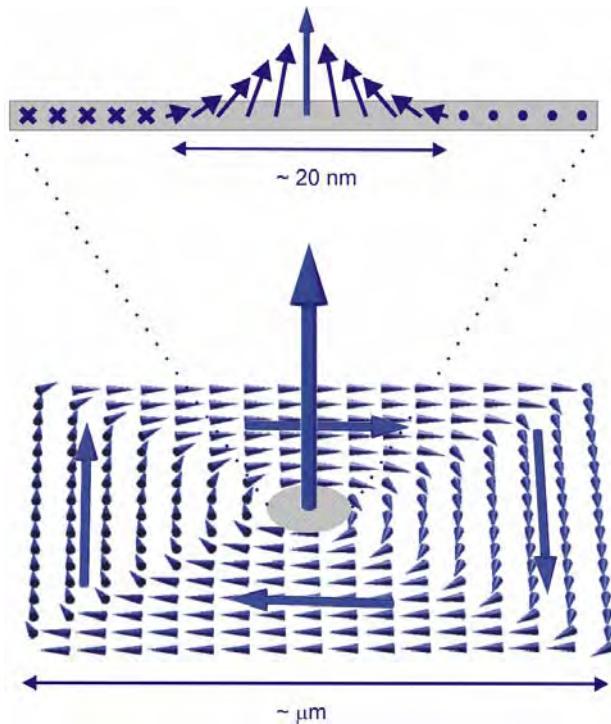


STXM: *Sine Excitation in Multi-Bunch Mode*



Magnetic dynamic imaging of vortices

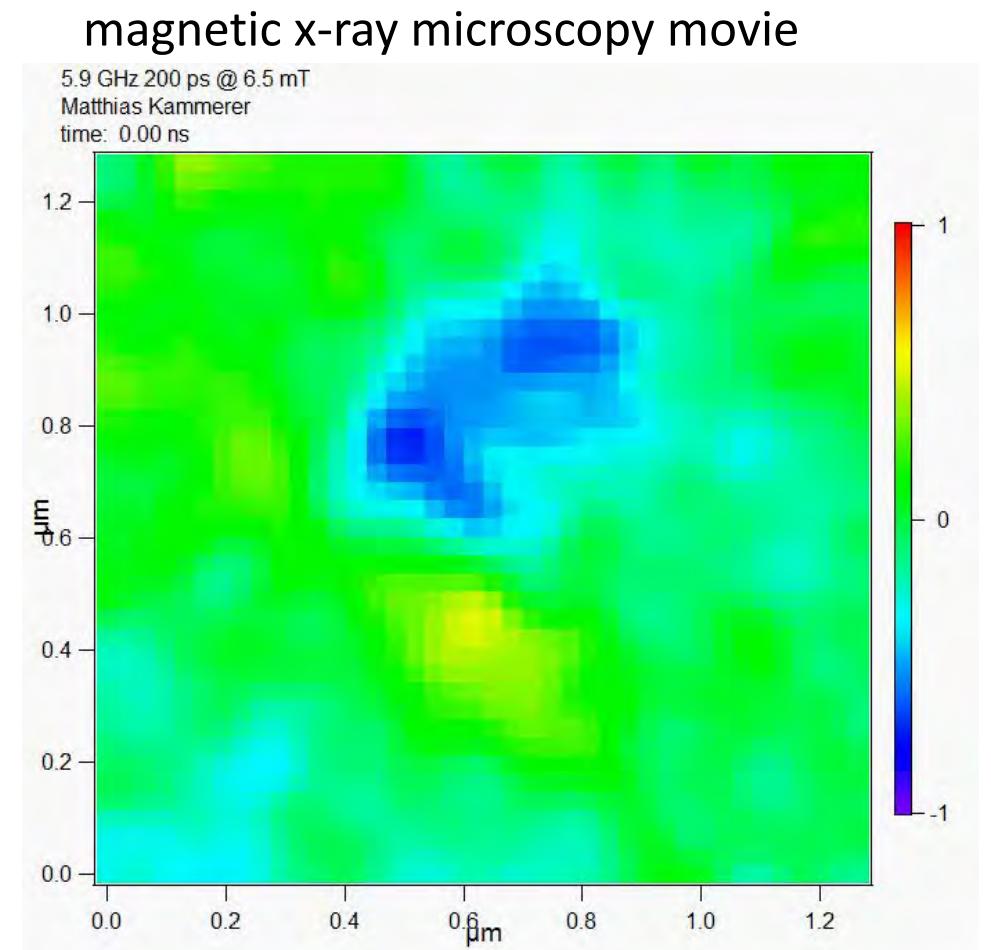
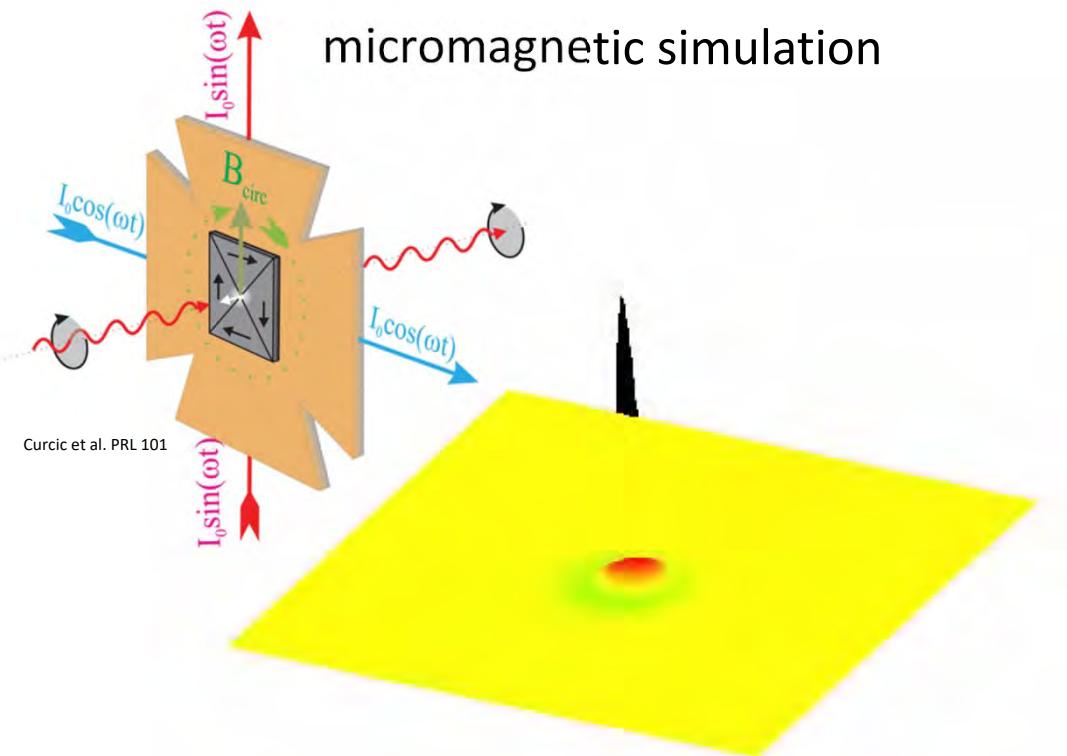
- Magnetic Vortex Core imaging
- Out of plane XMCD Contrast <1%



„Rotation“ (gyromode) depends on the Vortex orientation → here CCW

One can excite magnons and „see them“ directly!

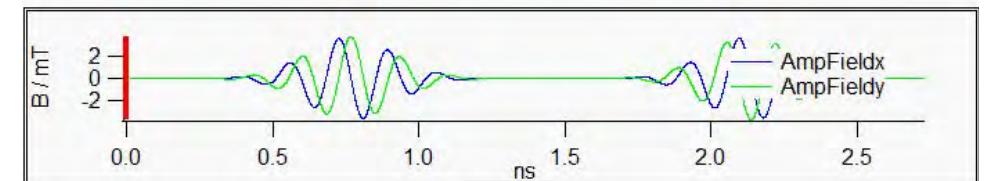
- This is a thin platelett of permalloy (Fe20% Ni80% → soft magnetic) excited by a rotating high frequency field (5.9 Ghz)!



10ps frame distance and 20nm spatial resolution

Source: M. Kammerer et al. Nature Com. 2 (2011) 279

Abt. Sc MPI-IS at „Maxymus STXM Berlin“

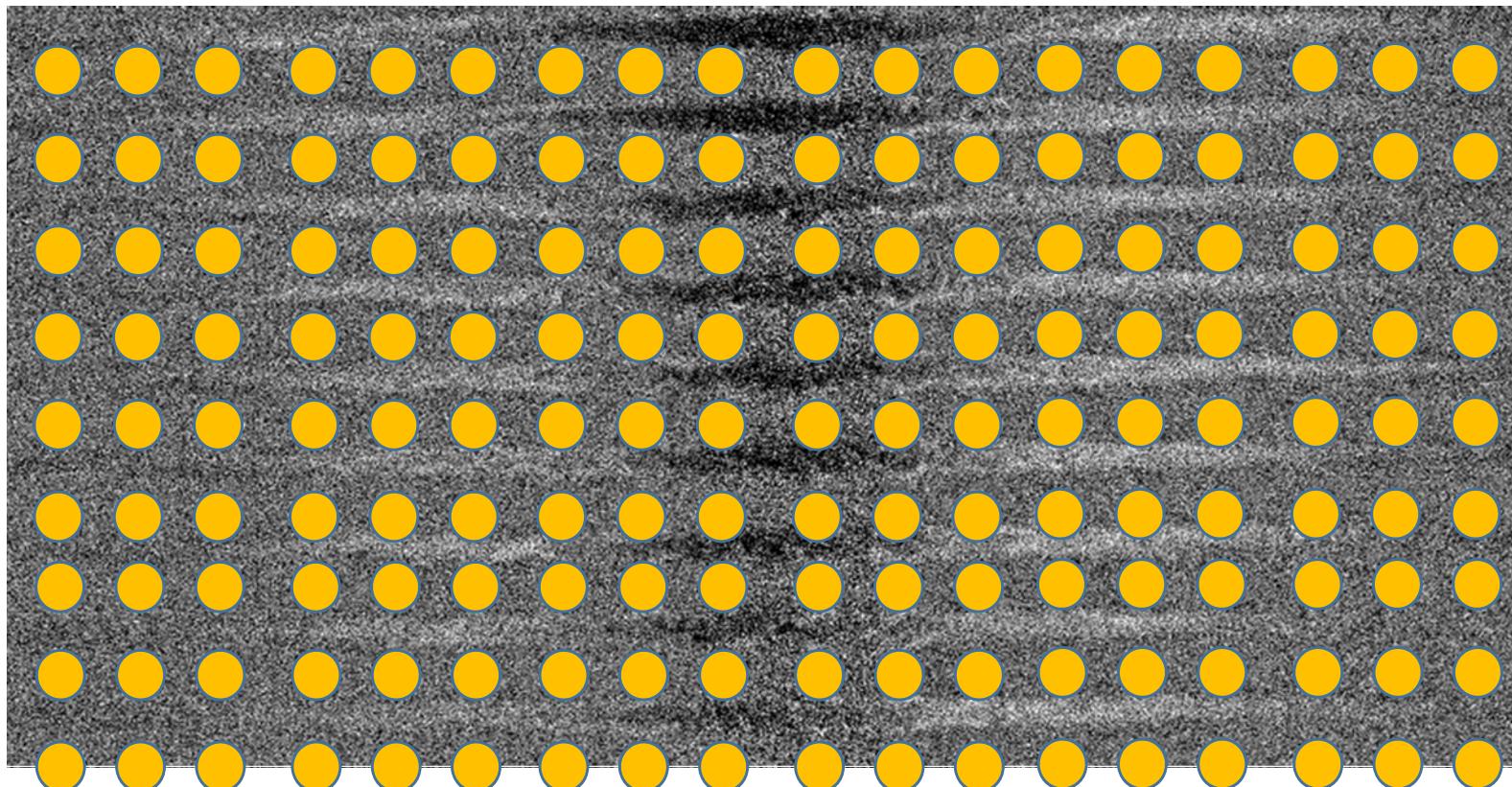
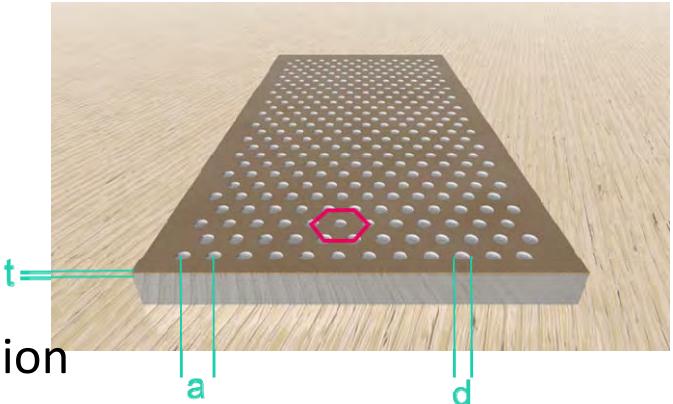


Magnon Propagation in a “Magnonic Lattice”

$a=500\text{nm}$ $d=50\text{nm}$

propagation could be switched on or off by external field

GHz excitations → 50ps time and less than 20nm spatial resolution



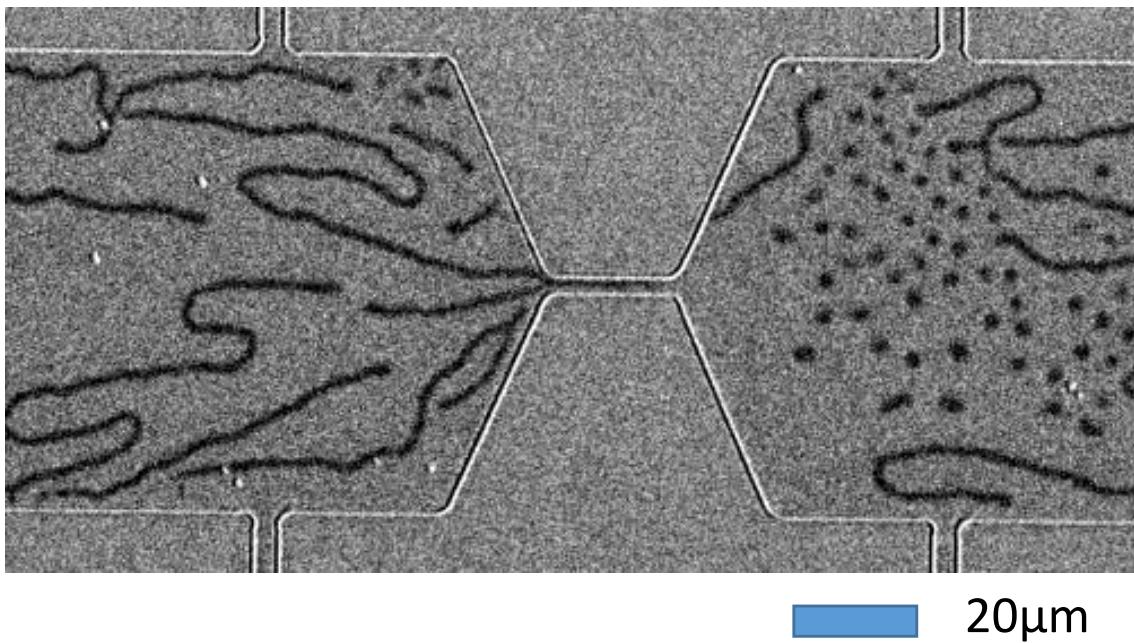
• Unpublished so far

• Possible application: high quality tunable microwave filtering device

Injection and control of Skyrmions

- Visible Light
- From the Group of Axel Hofmann
 - in Ta/CoFeB
 - Ta provides Spin-Orbit-Torque :=)

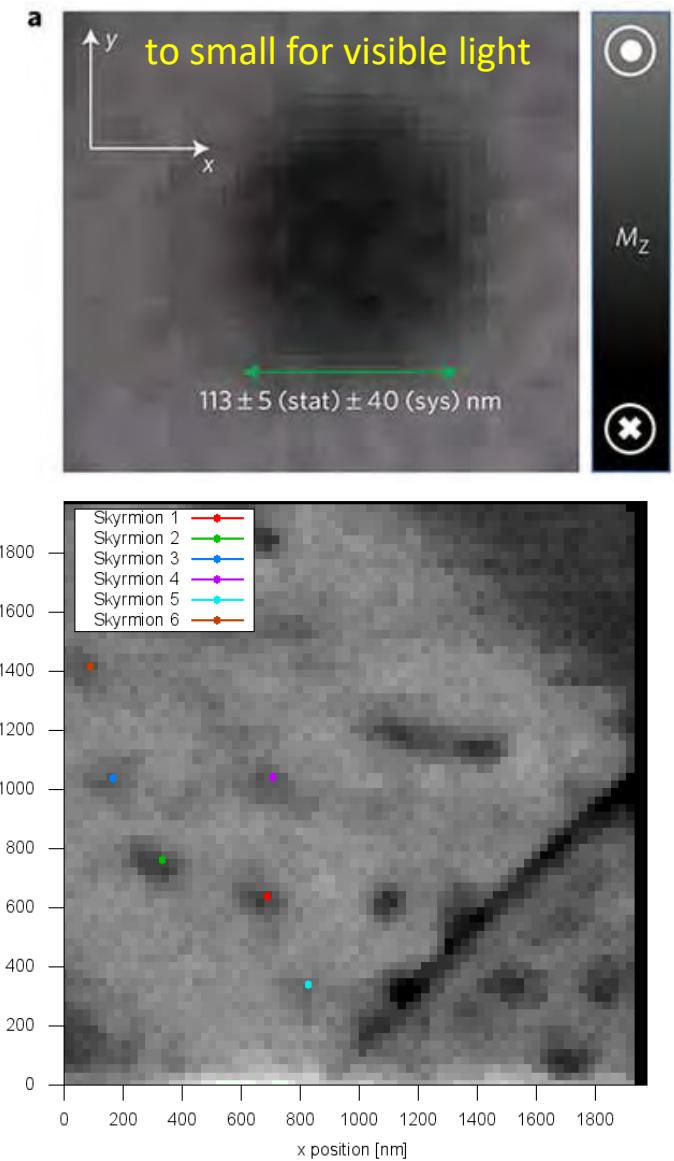
polar MOKE microscope



W. Jiang et al, Science, 349 (2015) 283-286



XMCD microscope

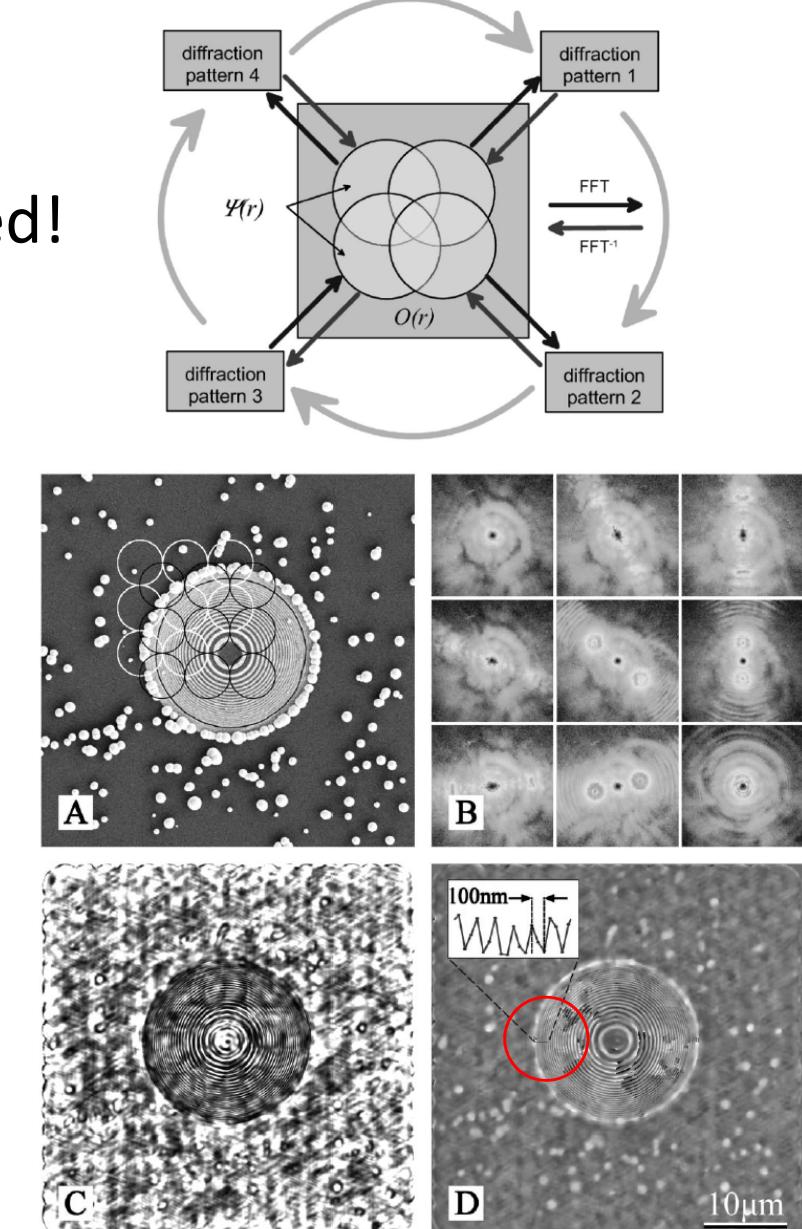
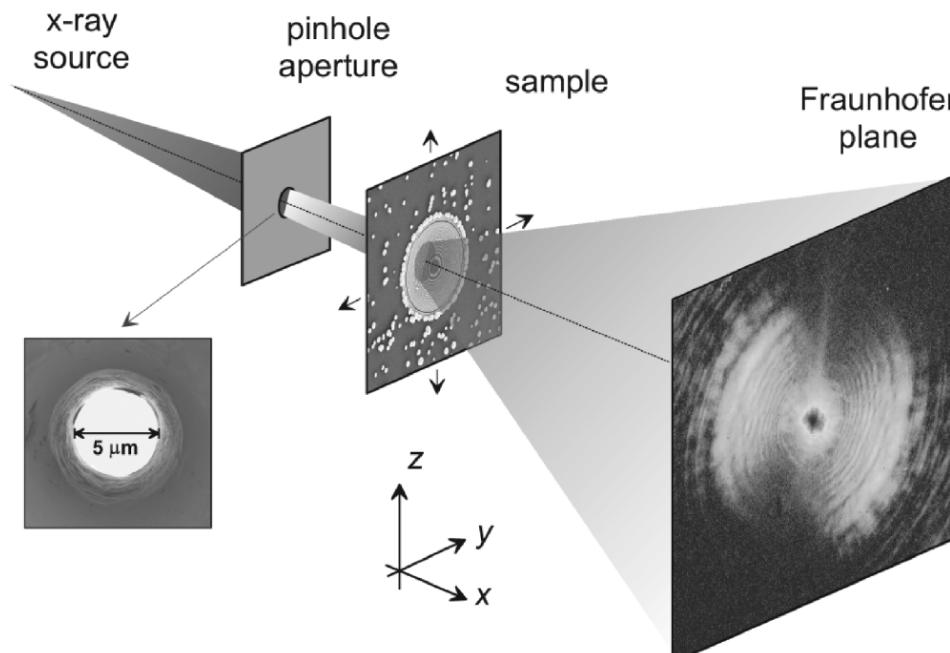


Kai Lizius et al., Nature Physics 13 (2017)

MAXYMUS MPI-IS

New ways: Ptychography

- Coherent Imaging + SXM \rightarrow Going beyond resolution limit
- Phase approximation problem:
 - Time consuming and complicated!





Recording Sample Transmission

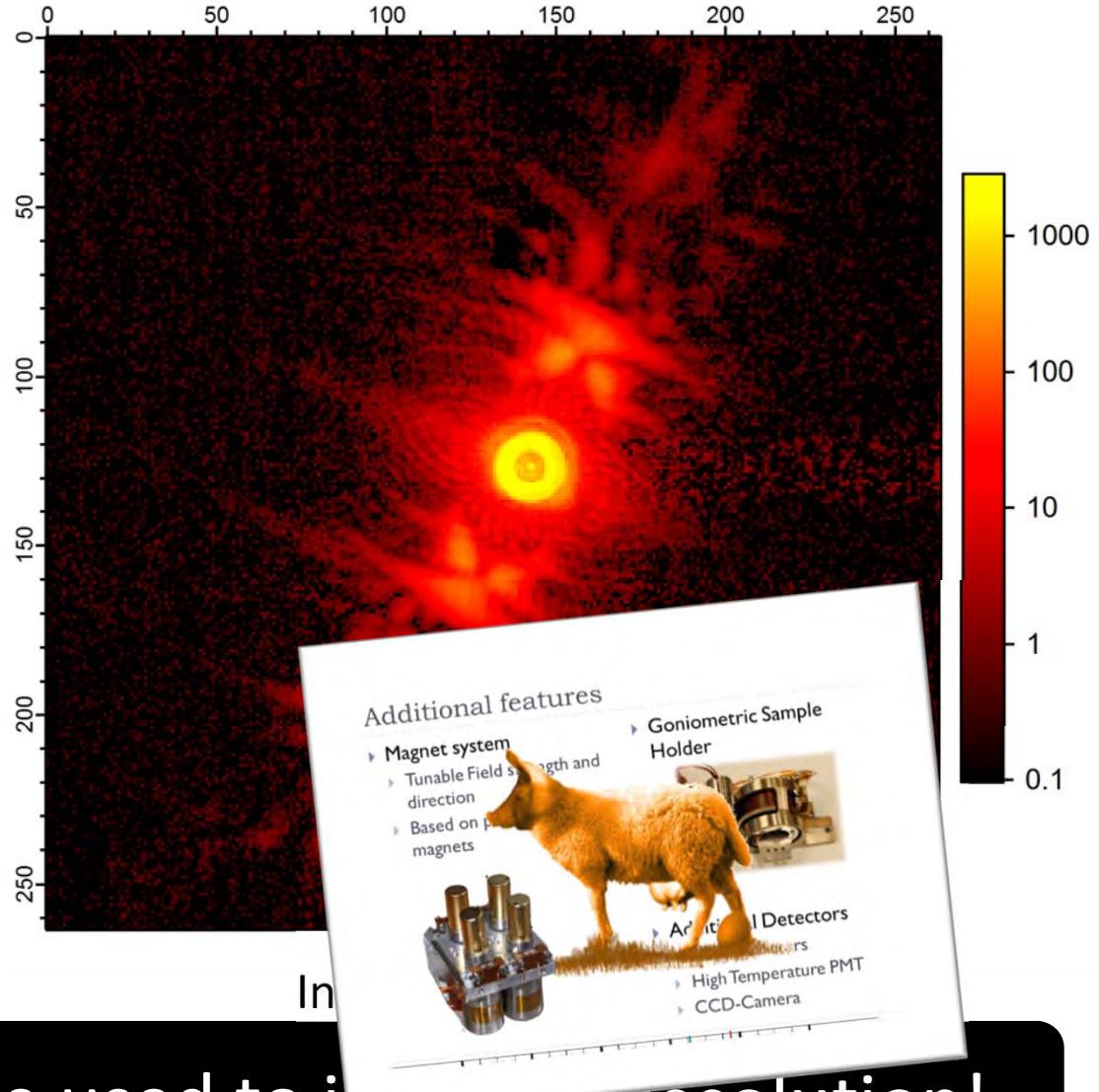
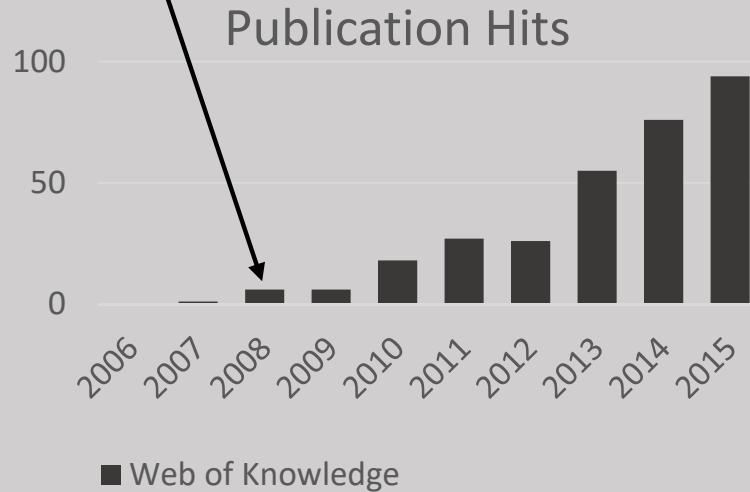
Keyword: Ptychography

10.1126/science.1158573

High-Resolution Scanning X-ray Diffraction Microscopy

Pierre Thibault,^{1,*} Martin Dierolf,¹ Andreas Menzel,¹ Oliver Bunk,¹ Christian David,¹ Franz Pfeiffer^{1,2}

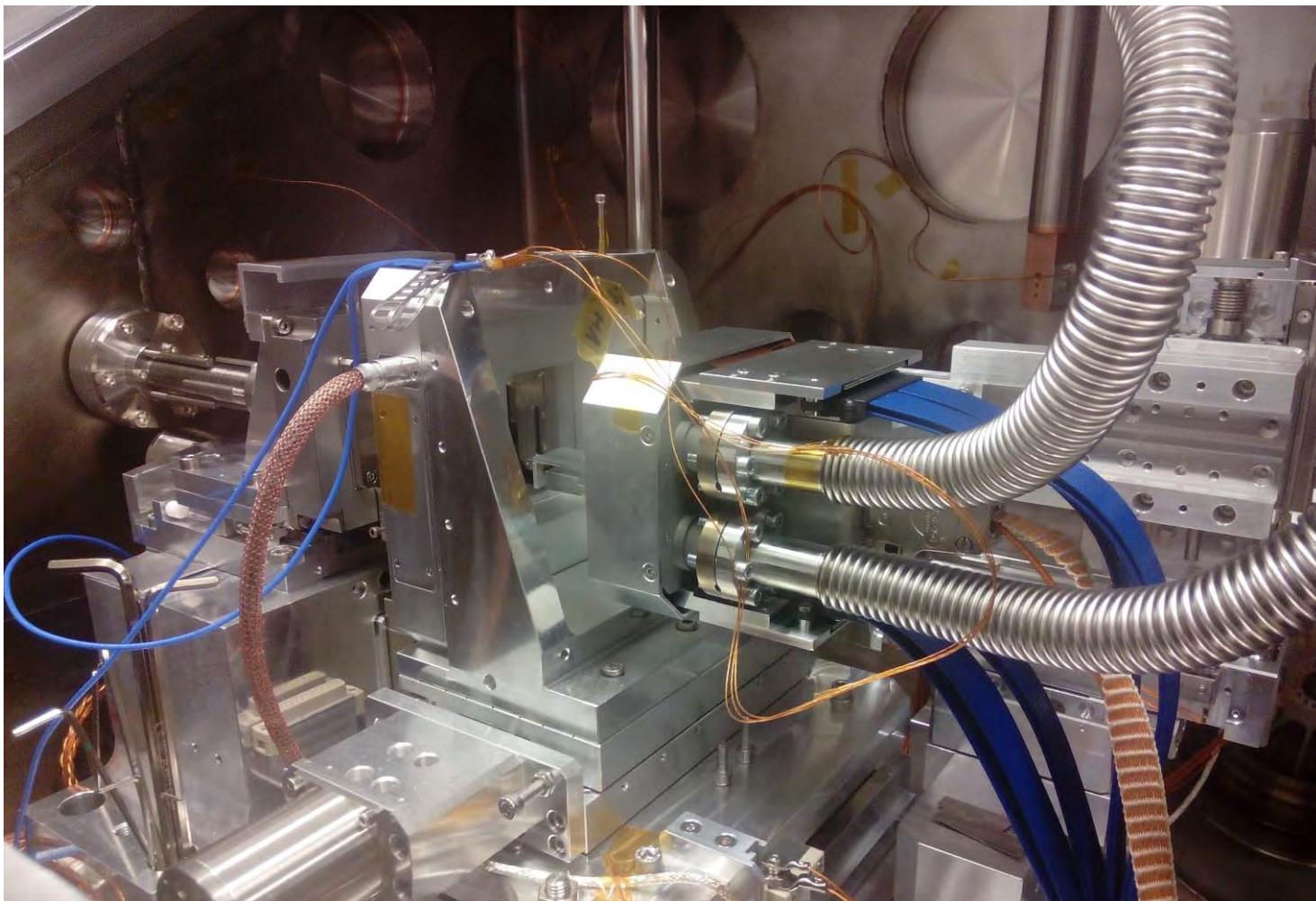
Coherent diffractive imaging (CDI) and scanning transmission x-ray microscopy (STXM) are two popular microscopy techniques that have evolved quite independently. CDI promises to reach



Sample Diffraction can be used to improve Resolution!

Ptychography @ MAXYMUS

- In principle it's very close to the procedure shown before
- The main constrictions are related to the phase match of adjacent pictures performed by “oversampling”
- The resulting dataset is completely redundant and error robust → one is able to also extract the illumination function!



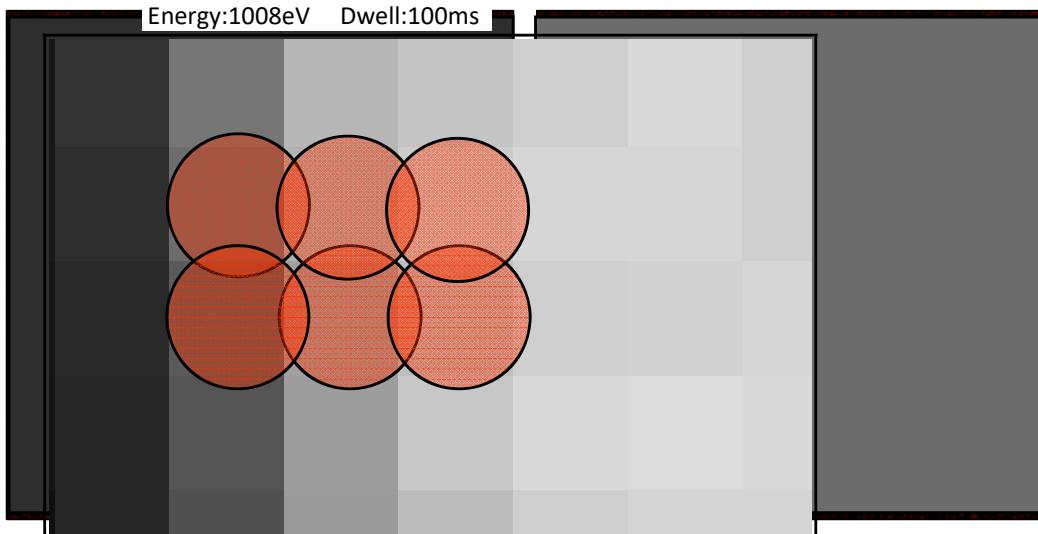


The Ptychographic Principle

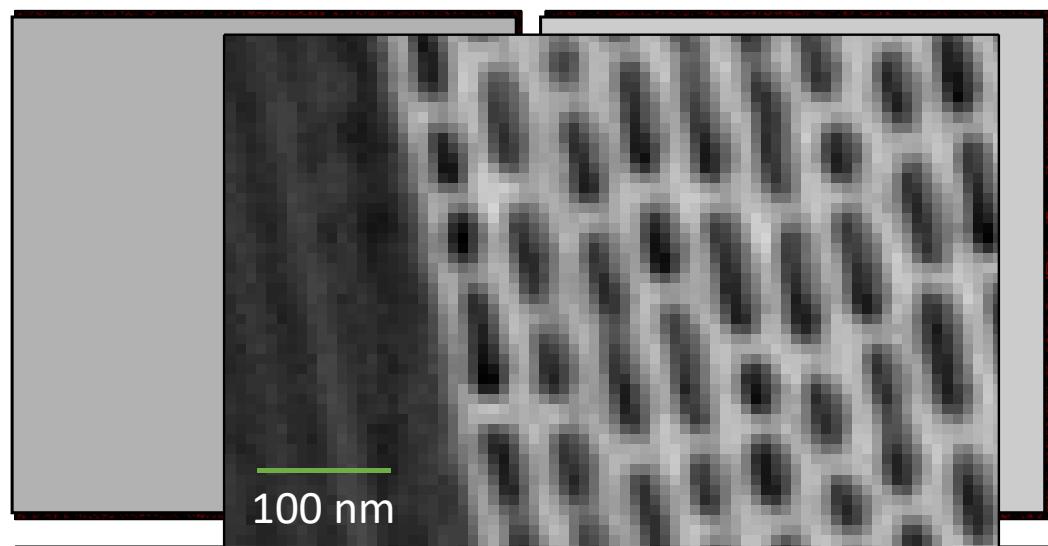
(using „sharp camera“ - D.A. Shapiro, et. al. Nature Photonics 8, 765 (2014))



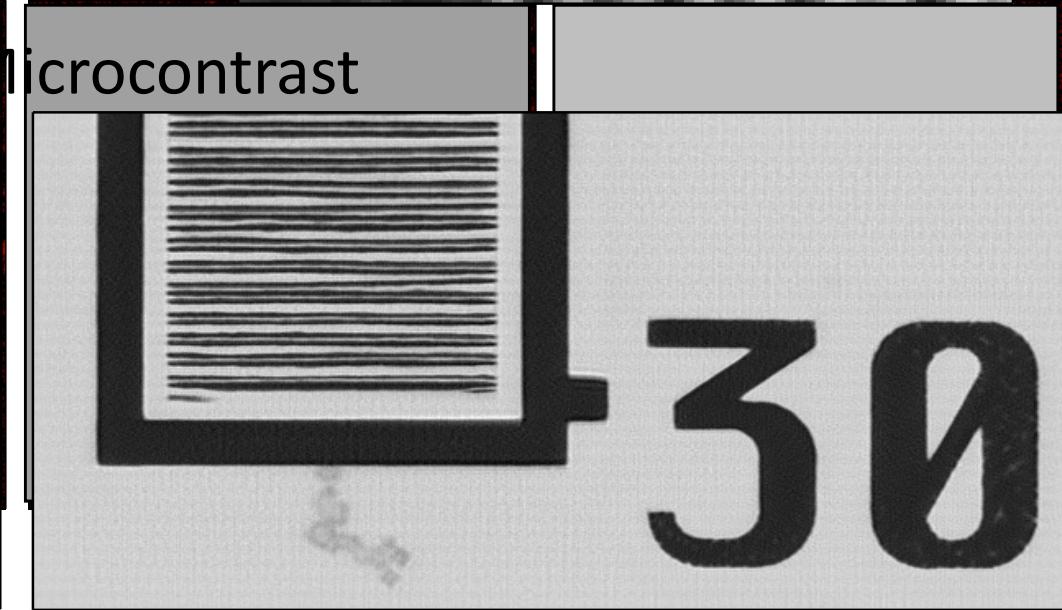
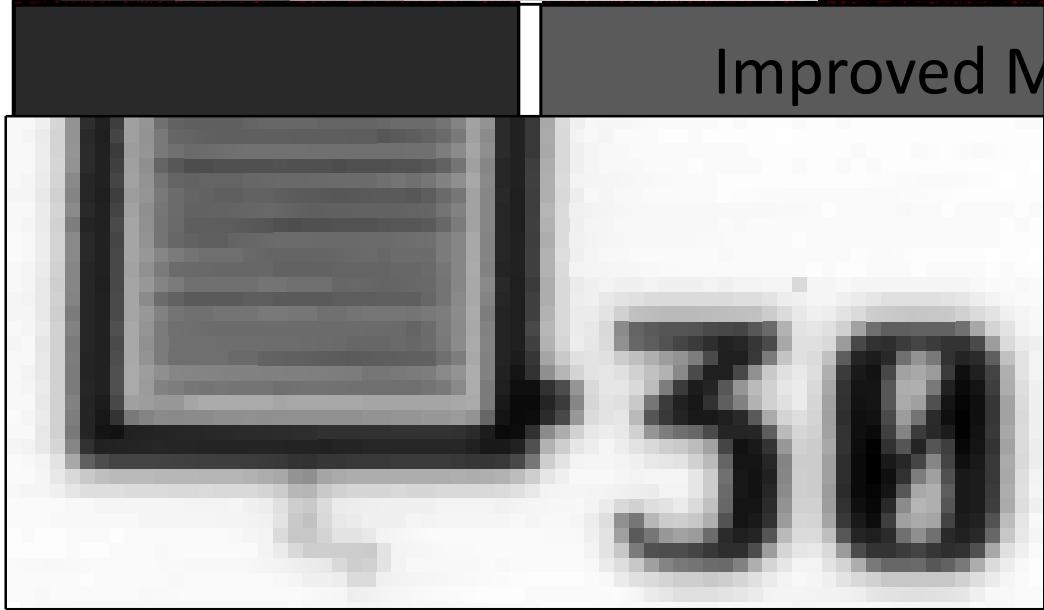
Classical STXM



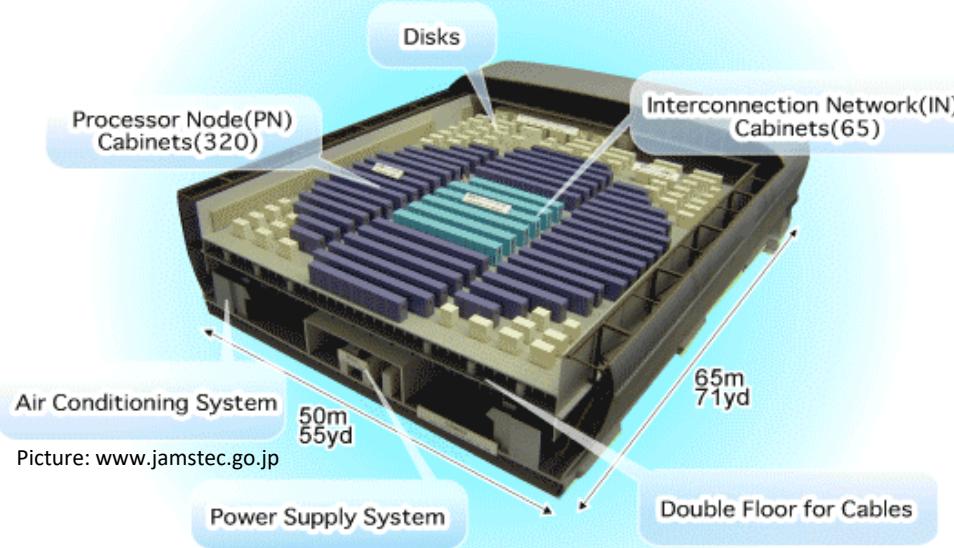
Ptychography



Improved Microcontrast



Why Ptychography now?



2004

Earth Simulator

Fastest Supercomputer in the world

60 billion yen

35.86 Tflops

2015

MAXYMUS Ptychography Server

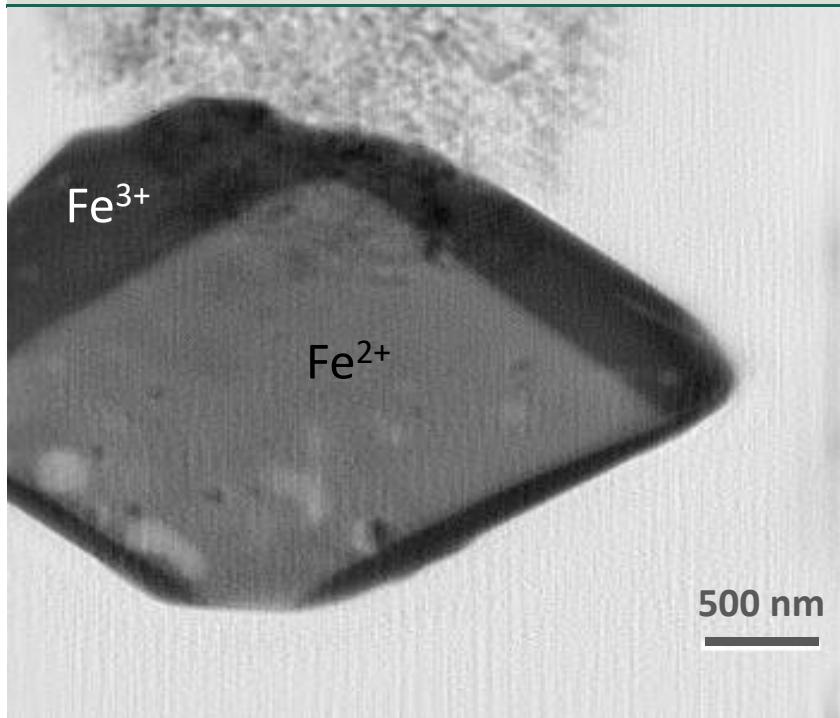
Just a computer with 8 GPUs

affordable

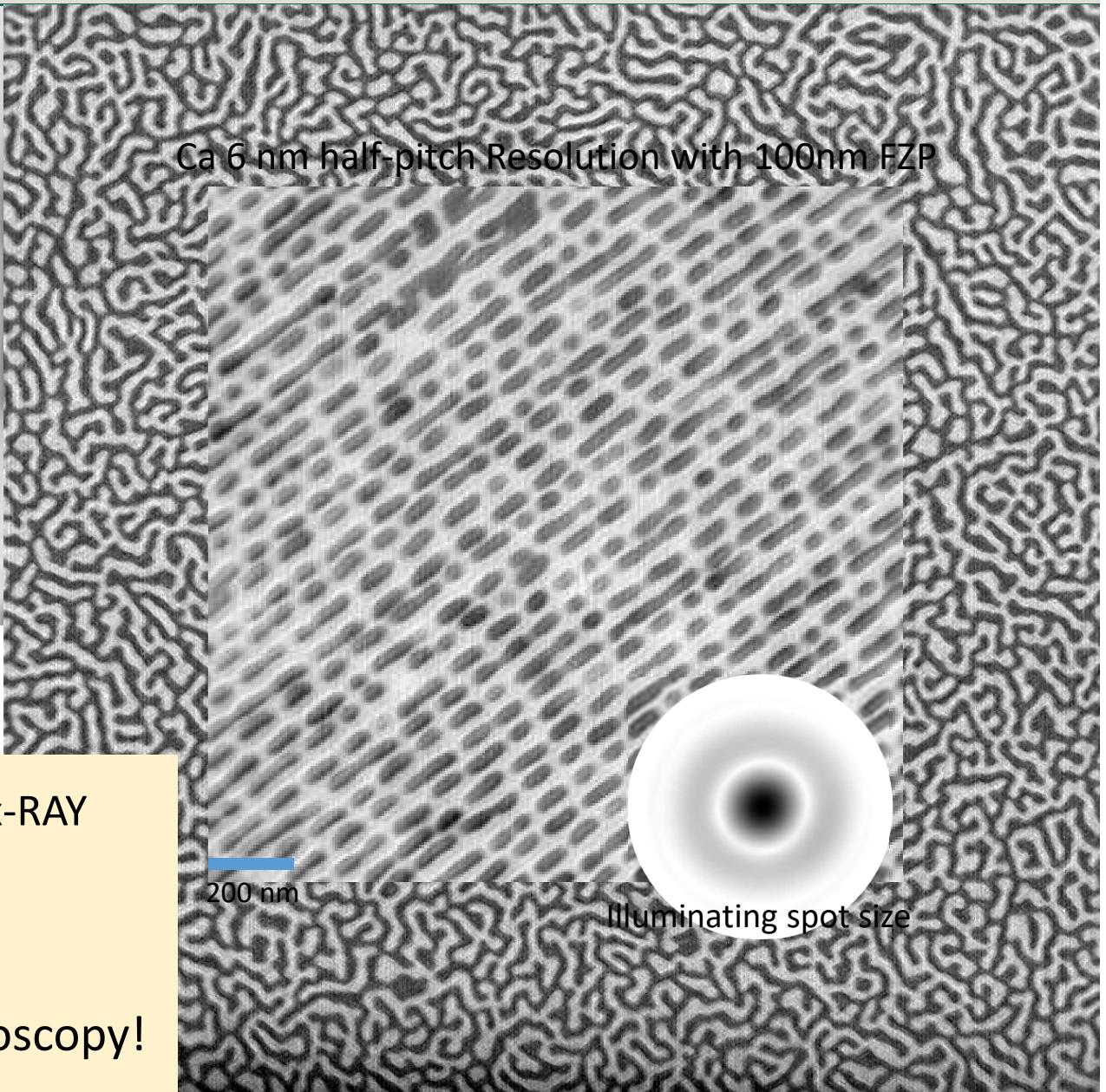
48 Tflops peak



Ptychography Tests at MAXYMUS



William Chueh Group
Materials Science and Engineering
Stanford University

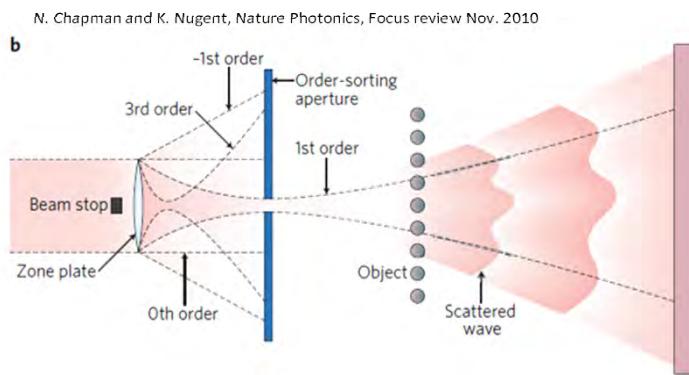


Benefits from rapid development of x-RAY cameras for FELs and upcoming high brilliance sources

Towards single nm chemical microscopy!

Ptychography @ MAXYMUS

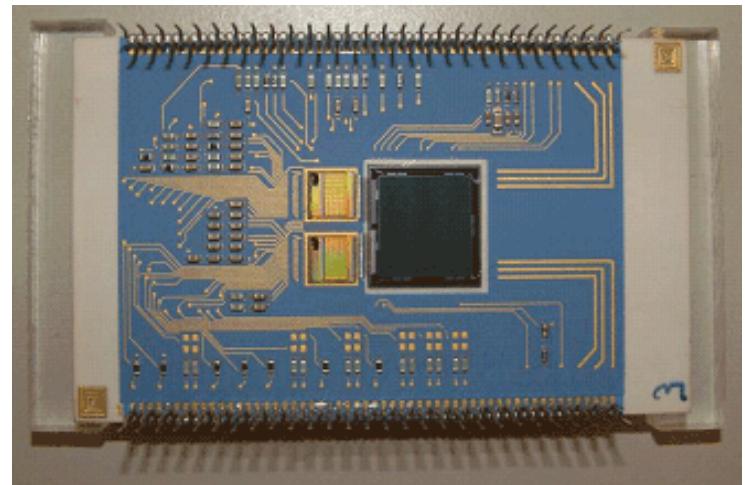
- In principle it's very close to the procedure shown before
- We already have the reconstruction algorithm from David Schapiro
- The resulting dataset is completely redundant and error robust → one is able to also extract the illumination function!



Key Parameter:

Active Area	1-3 cm ²
Pixel Size	36 x 36 μm ² up to 150 x 150 μm ²
CCD Geometry	frame store and image area or image area only e.g. 256 x 256 pixels or 64 x 200 pixels
Operating Modes	full frame, frame-store, window modes, continuous readout
Read Out Speed	400 Hz f. 256 x 256 pixels (up to 1 MHz)
Elec. Noise	down to 2.5e- per pixel @190K, t _{int} = 50ms
Energy Resolution	130 eV FWHM @MnK, 190K, , t _{int} = 50ms
Sensitivity	> 90% f.200eV -15KeV > 90% in the optical range supported by antireflective coatings (ARC) on the detector surface

Detector: pnSensor CCD
256x256 Pixel 32bit/pixel
→ about 260.000 Byte/frame



Maxymus Image has 100x100 up to 500x500 pixel (typical 200x200)
→ 2-30 Gbyte/Image

- Thats it!
- Thanks for your attention!