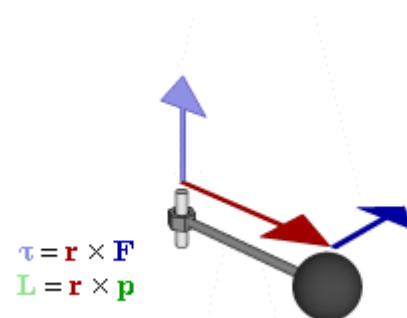


# Femtosecond spin dynamics in two- and three-magnetic-center molecules

W. Hübner and G. Lefkidis

*Department of Physics and Research Center OPTIMAS, University of Kaiserslautern, Box 3049,  
67653 Kaiserslautern, Germany*



Targoviste, 31 August 2011

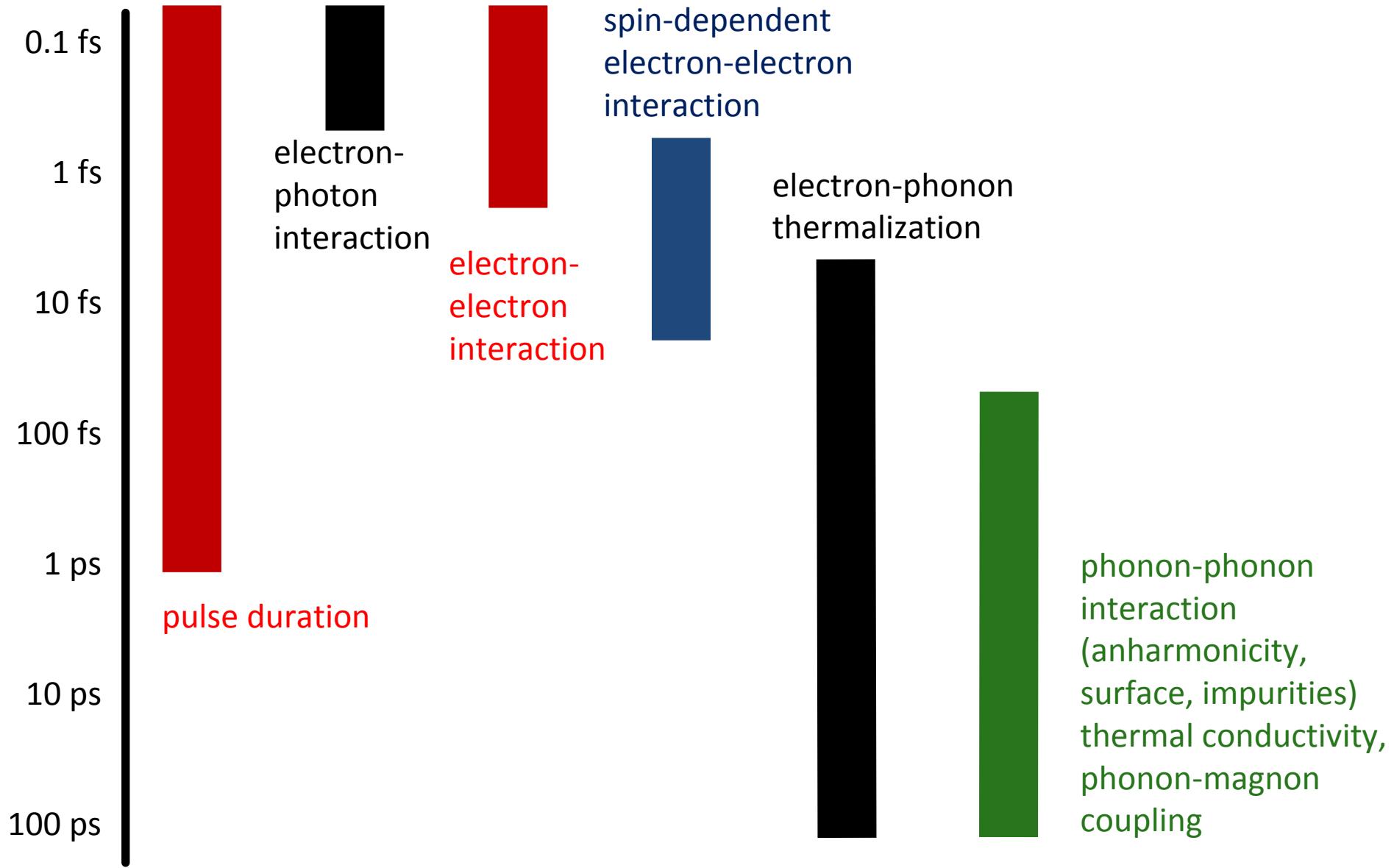
# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. Clusters with three magnetic centers: magnetic logic
5. Role of bridging atoms
6. Conclusions

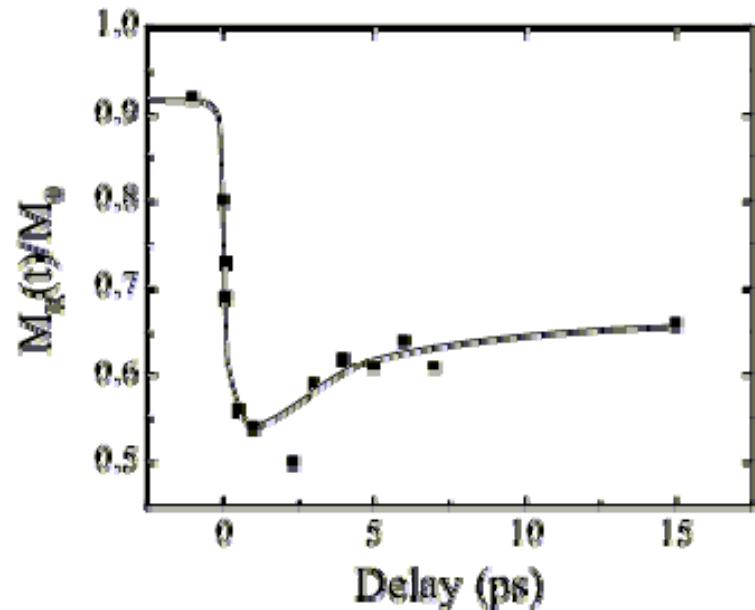
# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. Clusters with three magnetic centers: magnetic logic
5. Role of bridging atoms
6. Conclusions

# Relevant time scales for the laser control of magnetism



# Femtosecond pump-probe (magneto-) optics



- Reflectivity
- MOKE
- $\tau_{\text{spin}} < 1$  ps

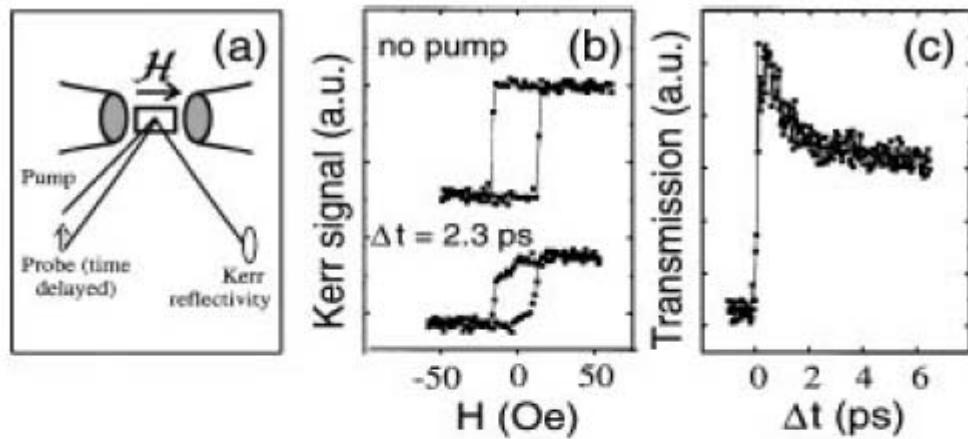
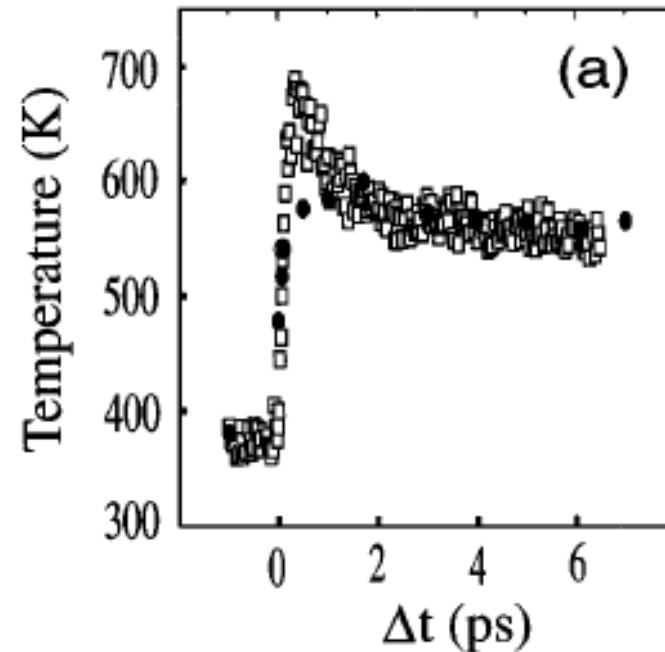
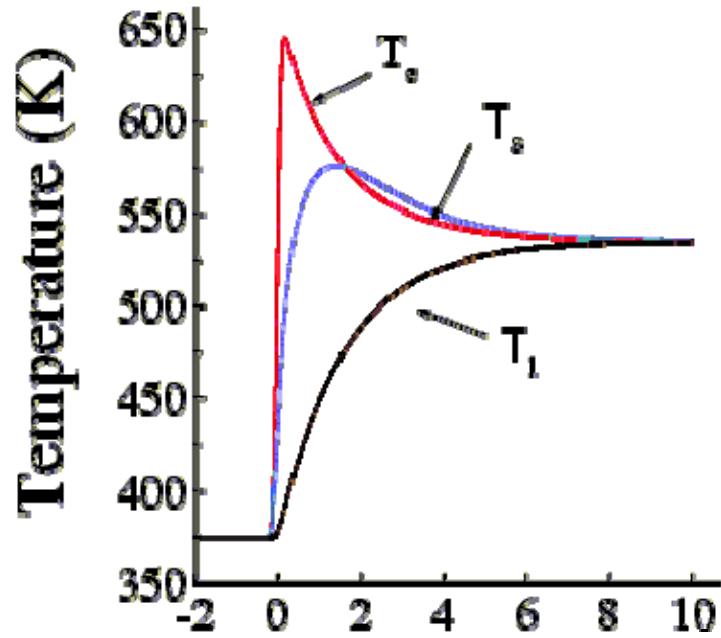


FIG. 1. (a) Experimental pump-probe setup allowing dynamic longitudinal Kerr effect and transient transmissivity or reflectivity measurements. (b) Typical Kerr loops obtained on a 22 nm thick Ni sample in the absence of pump beam and for a delay  $\Delta t = 2.3$  ps between the pump and probe pulses. The pump fluence is  $7 \text{ mJ cm}^{-2}$ . (c) Transient transmissivity [same experimental condition as (b)].

# 3-Temperature model



$$C_e(T_e)dT_e/dt = - G_{el}(T_e - T_l) - G_{es}(T_e - T_s) + P(t),$$

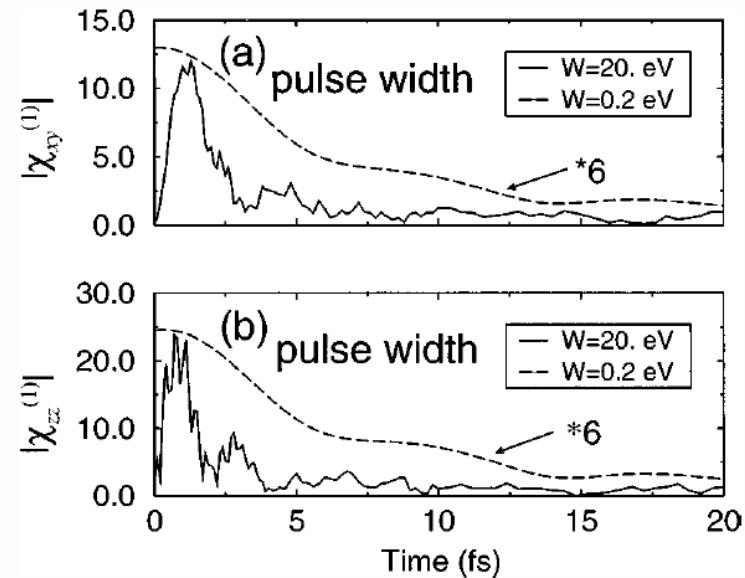
$$C_s(T_s)dT_s/dt = - G_{es}(T_s - T_e) - G_{sl}(T_s - T_l)$$

$$C_l(T_l)dT_l/dt = - G_{el}(T_l - T_e) - G_{sl}(T_l - T_s)$$

- Good agreement with experiment
- Uniform temperature profile

# History: theoretical achievements I

## Spectral width → bleaching in Ni



Wide pulse (in frequency domain)  
populates target states  
→ transition paths blocked  
→ bleaching

Affects both charge and spin dynamics

# History: theoretical achievements I

## Bleaching effect → magnetization dynamics in FM

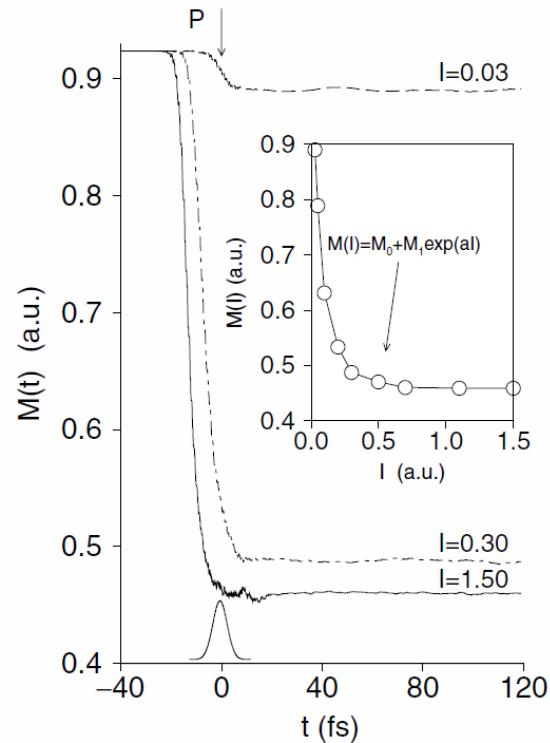


FIG. 2. With the presence of the spin-orbit coupling, the laser field can effectively influence the demagnetization. The intensity  $I$  (a.u.) is 0.03 (long-dashed line), 0.3 (dot-dashed line), and 1.50 (solid line). Inset: the exponential dependence of  $M(I)$  on the laser intensity  $I$ .

Time-dependent problem

$$i\hbar \frac{\partial}{\partial t} |\Psi(t)\rangle = H|\Psi(t)\rangle$$

Ni

- Explicit dependence of magnetic moment on laser intensity
- Saturation for  $I > 0.5$  (bleaching effect)
- $T < 10$  fsec

# History: theoretical achievements II

## Coherent dephasing intrinsic vs extrinsic quantities

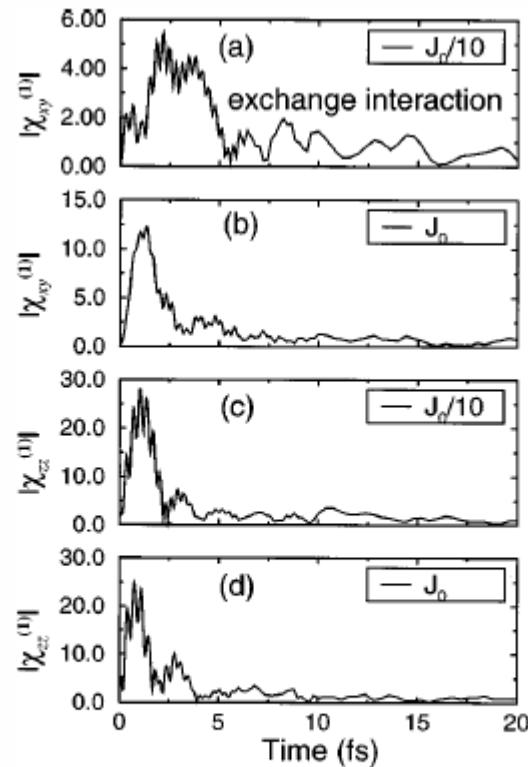


FIG. 1. Effect of exchange interaction  $J$  ( $J=J_0/10$  and  $J_0$ ) on spin [(a) and (b)] and charge dynamics [(c) and (d)]. Exchange interaction dominates the spin decay.

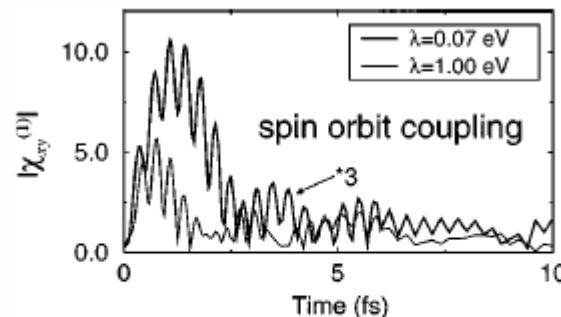
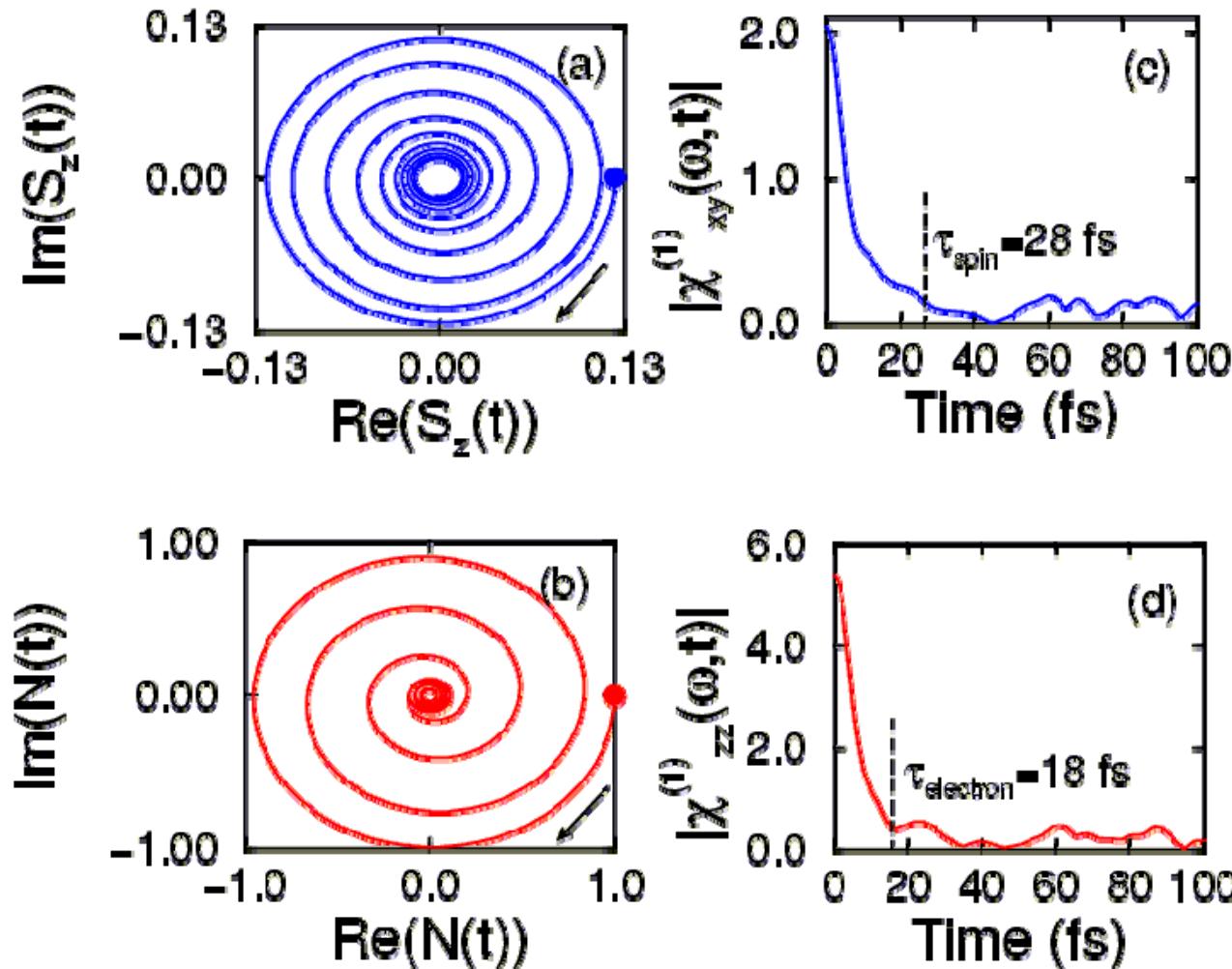


FIG. 2. Effect of spin-orbit coupling  $\lambda$  on spin dynamics. The solid curve is for  $\lambda=0.07$  eV while the dashed curve is for  $\lambda=1$  eV. SOC may speed up the spin dynamics only in heavy elements.

- Dephasing results from exchange interaction and spin-orbit coupling
- High-speed limit of intrinsic spin dynamics  $\sim 10$  fsec

# History: theoretical achievements II

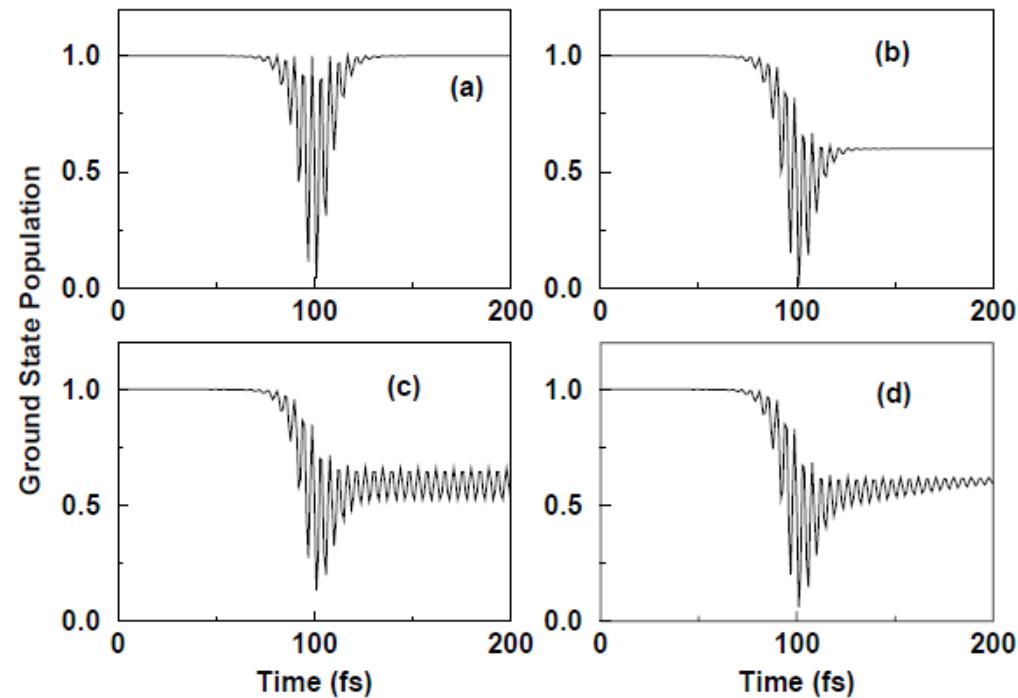
## Coherent dephasing intrinsic vs extrinsic quantities



Ni

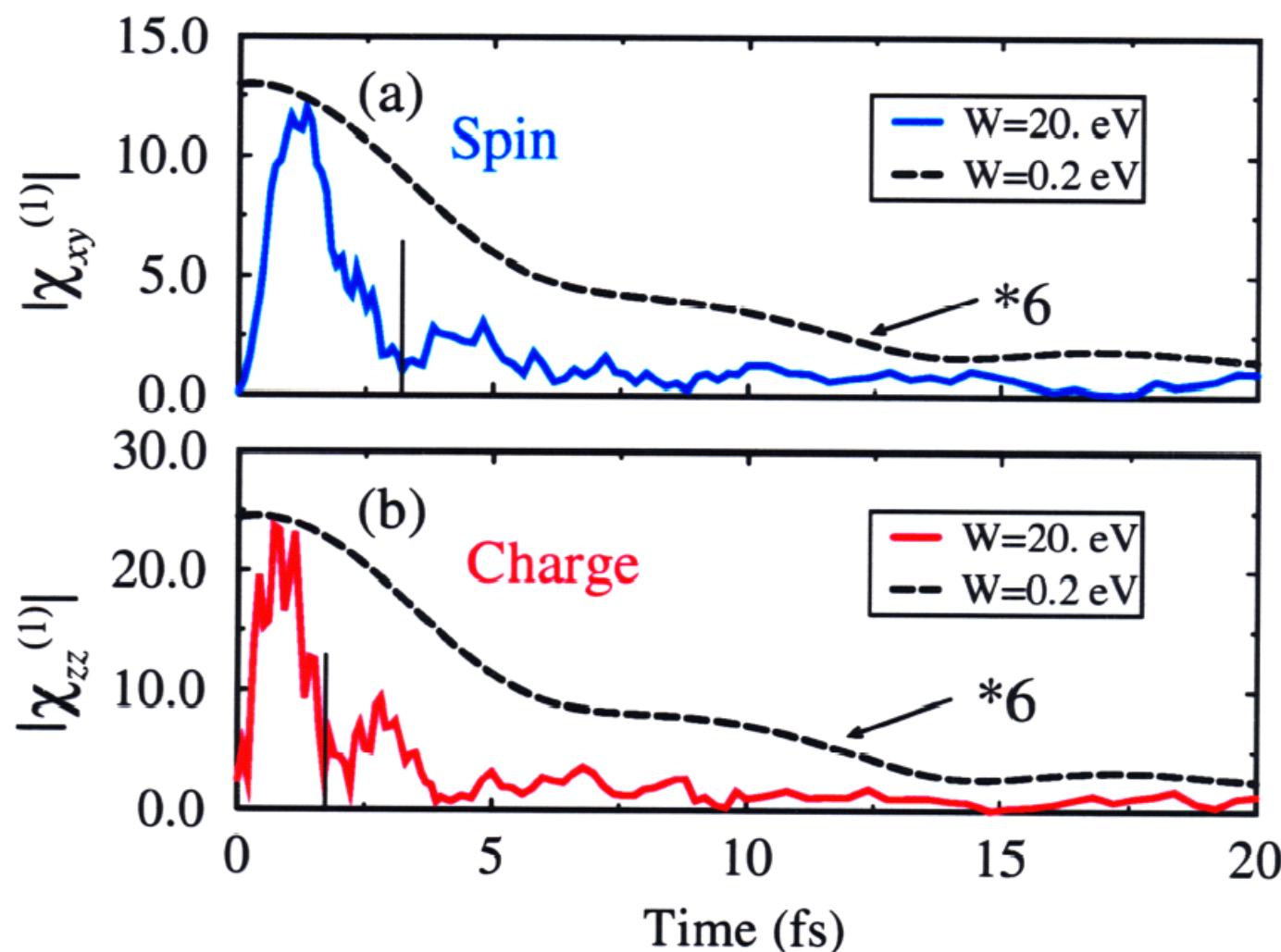
- Charge dynamics precedes spin dynamics  
→ spin memory time
- Fast decay results from loss of coherence
- Increased exchange interaction speeds up spin (rather than charge) dynamics
- ~10 fsec

# 4 Types of dynamics



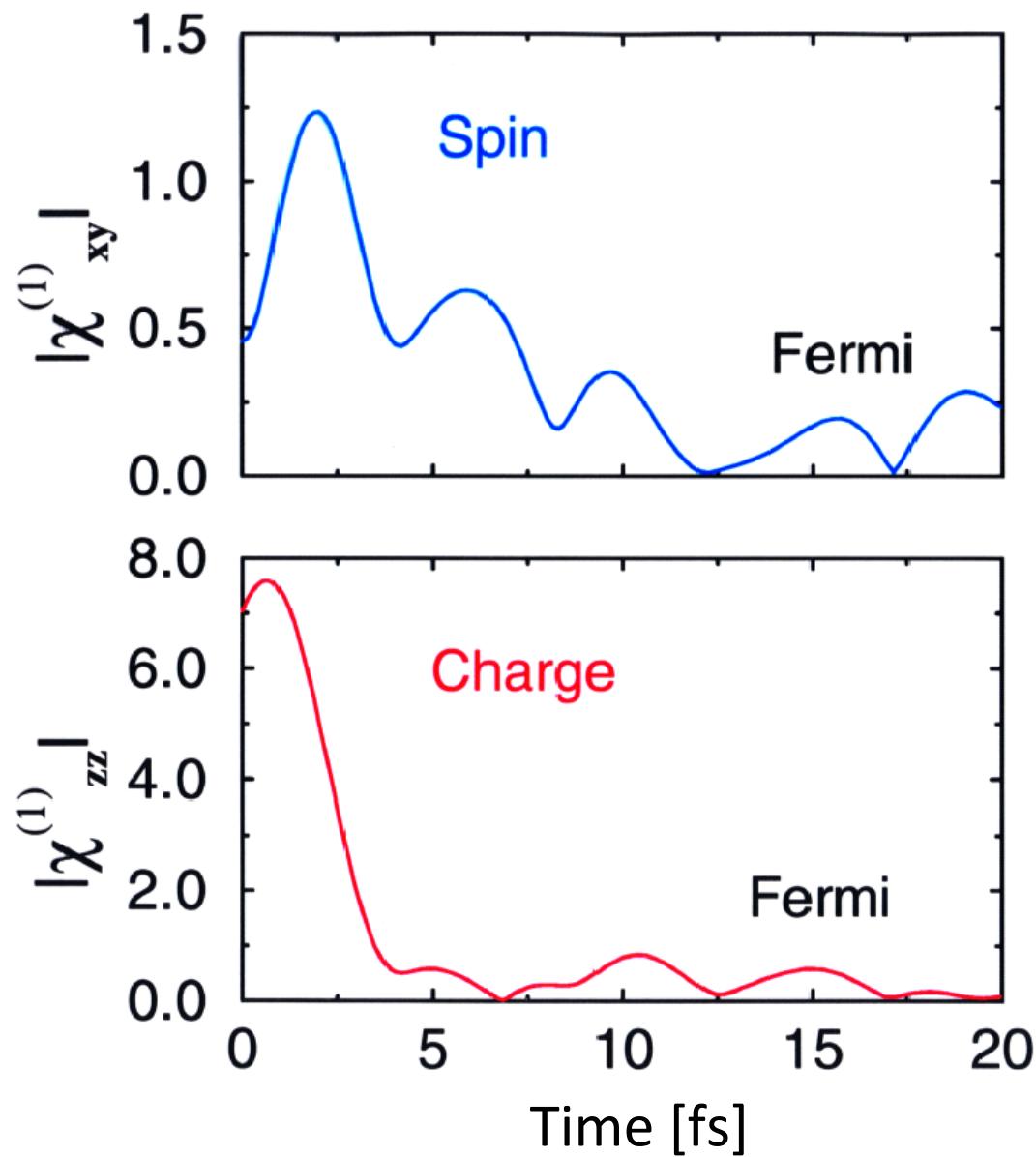
- a) Adiabatic solution of Hartree-Fock
- b) Evolution of matrix Hamiltonian
- c) Solution of the TD-HF equation
- d) Full quantum kinetic solution

# Effects of Gaussian Distribution Width W

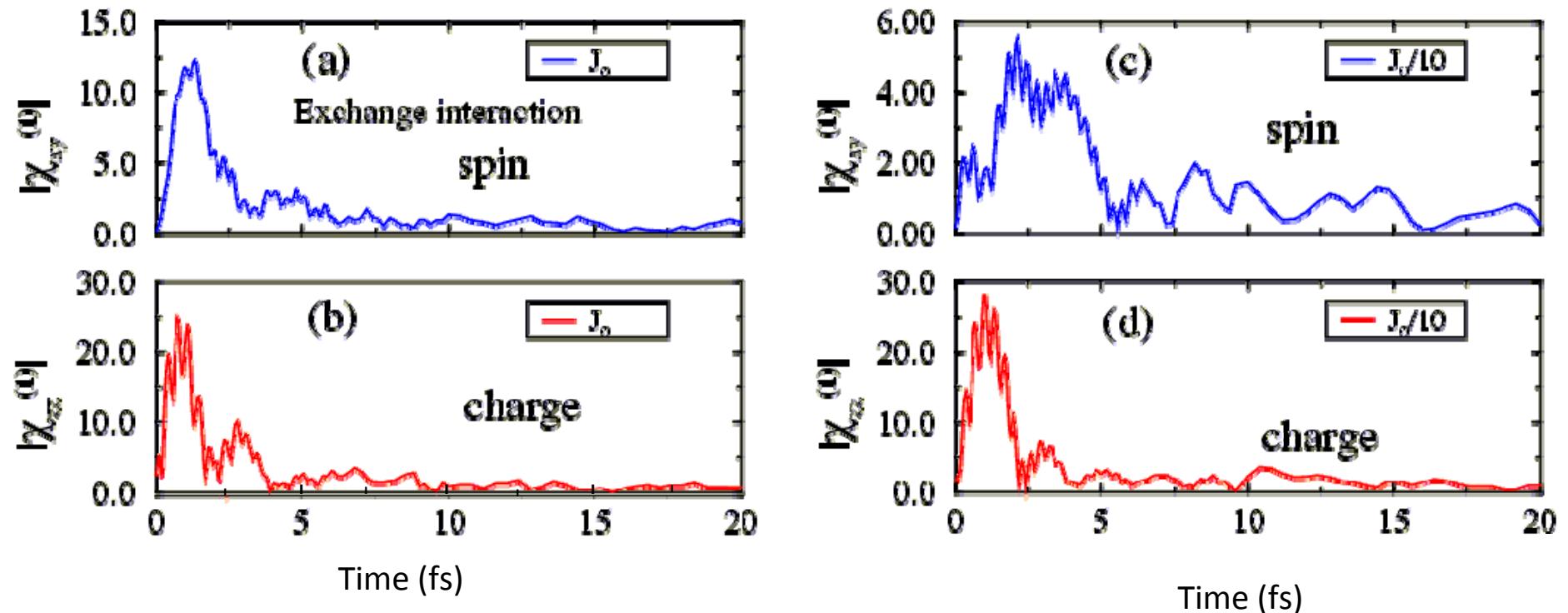


Dynamics depends on spectral width → bleaching

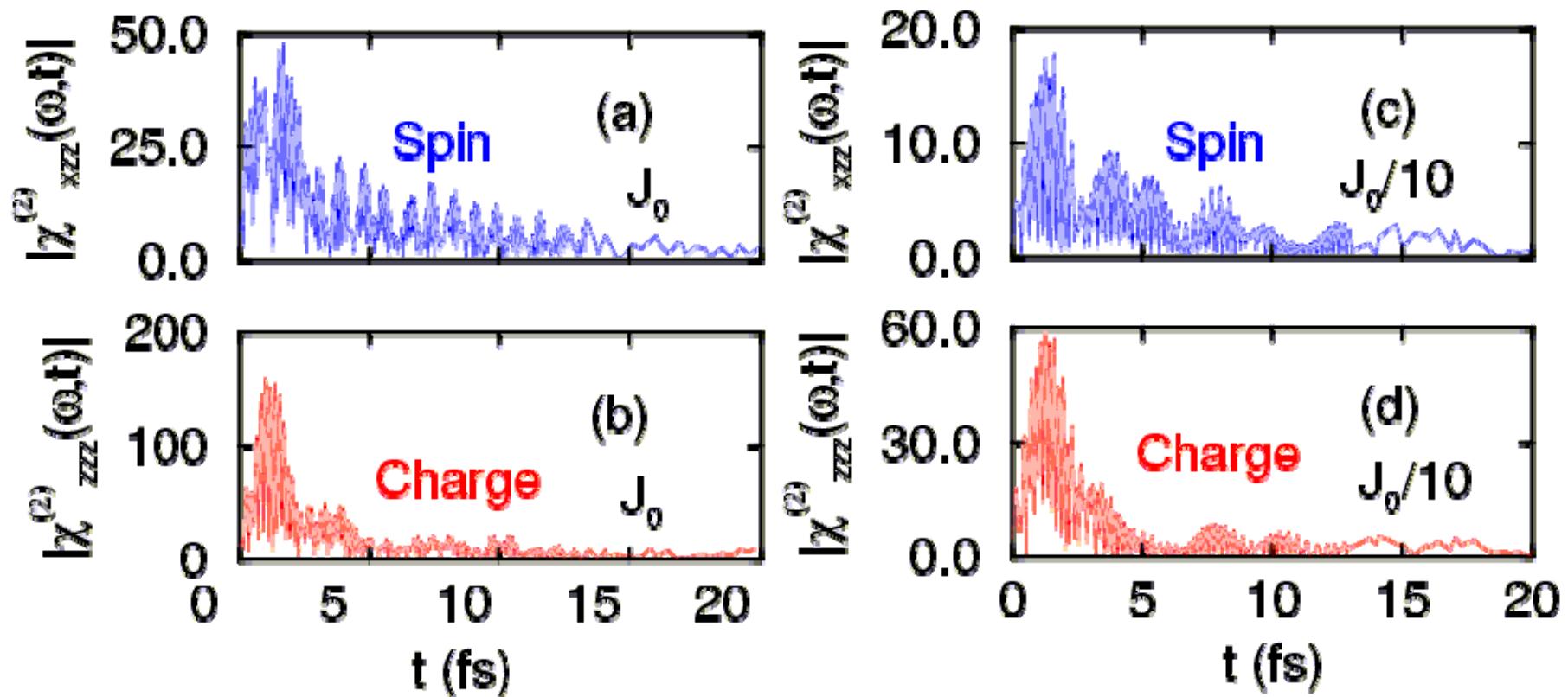
# Spin Effects of Excited-State Distribution



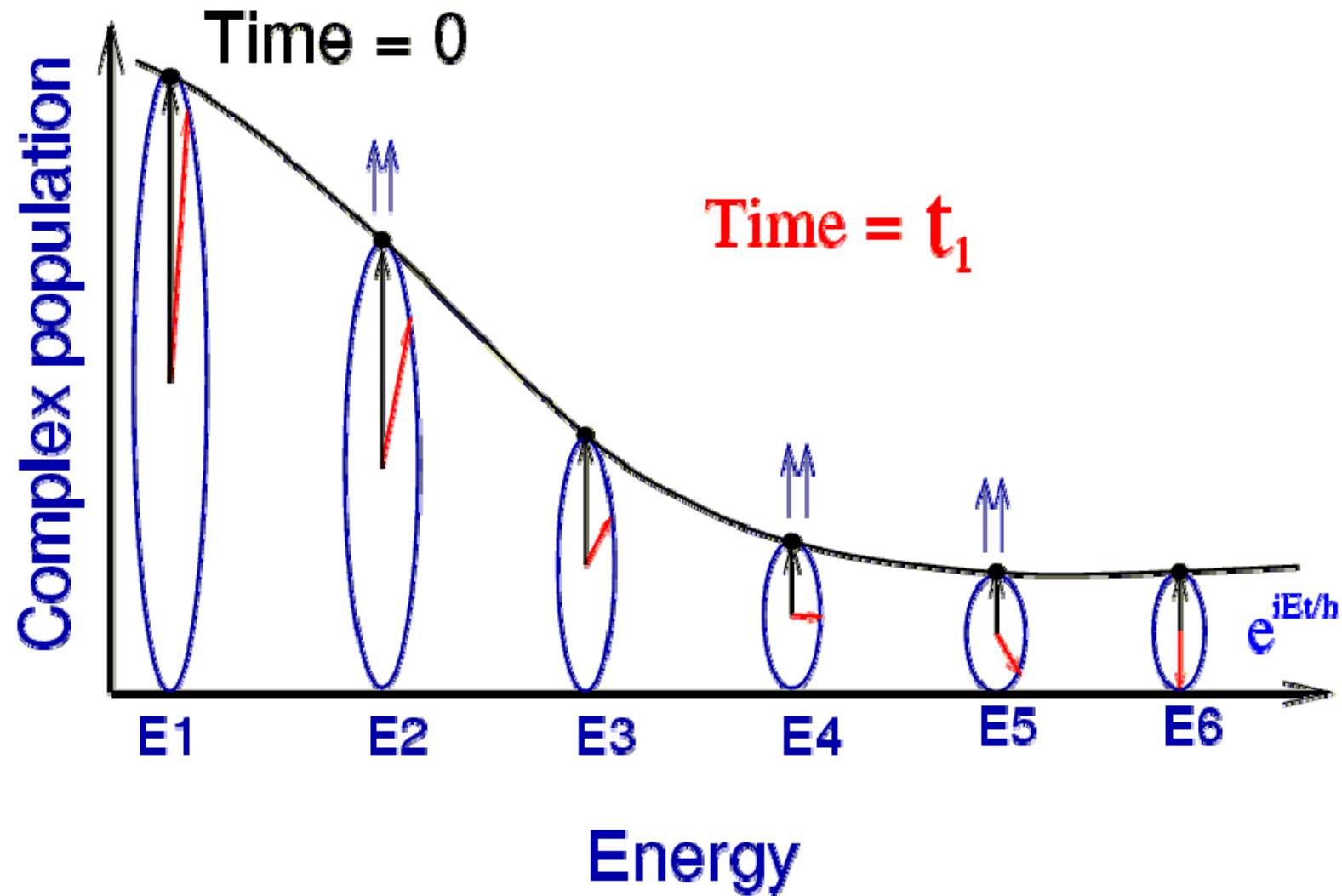
# Magneto (-optical) Response in Ferromagnetic Ni



# Nonlinear Magneto (-optical) Response in Ni



# Dephasing of the Excited State



# Ingredients of the Electronic Theory for Ni

- **Hamiltonian:**

$$H = H_{band}(E_{\mathbf{k}}) + H_{electron-electron}(U, J, \Delta J) \\ + H_{spin-orbit}(\lambda_{s.o.}) [+ H_{laser}(E_{el.mag.})]$$

- diagonalization of Hamiltonian: Schrödinger equation

$$H\psi_{\mathbf{k},n}(0) = E_{\mathbf{k},n}\psi(0)_{\mathbf{k},n}$$

- time evolution of states according to eigenvalues

$$\psi_{\mathbf{k},n}(t) = \psi_{\mathbf{k},n}(0)e^{iE_{\mathbf{k},n}t/\hbar}$$

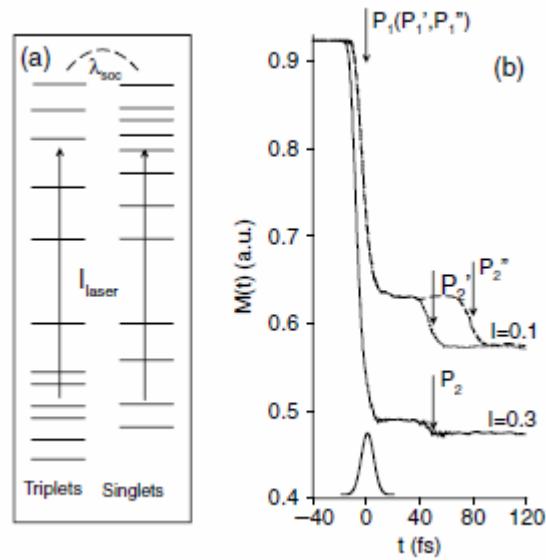
- **pump pulse:** preparation of initial state distribution

$$\Psi(0) = \sum_{\mathbf{k},n} p_{\mathbf{k},n}\psi(0)_{\mathbf{k},n}$$

- **probe pulse:** real-time monitoring of **spin and charge dynamics** from 100 fs to 1 ps

# History: theoretical achievements III

## Population dynamics → magnetization dynamics in FM



Time-dependent problem

$$i\hbar \frac{\partial}{\partial t} |\Psi(t)\rangle = H|\Psi(t)\rangle$$

Ni

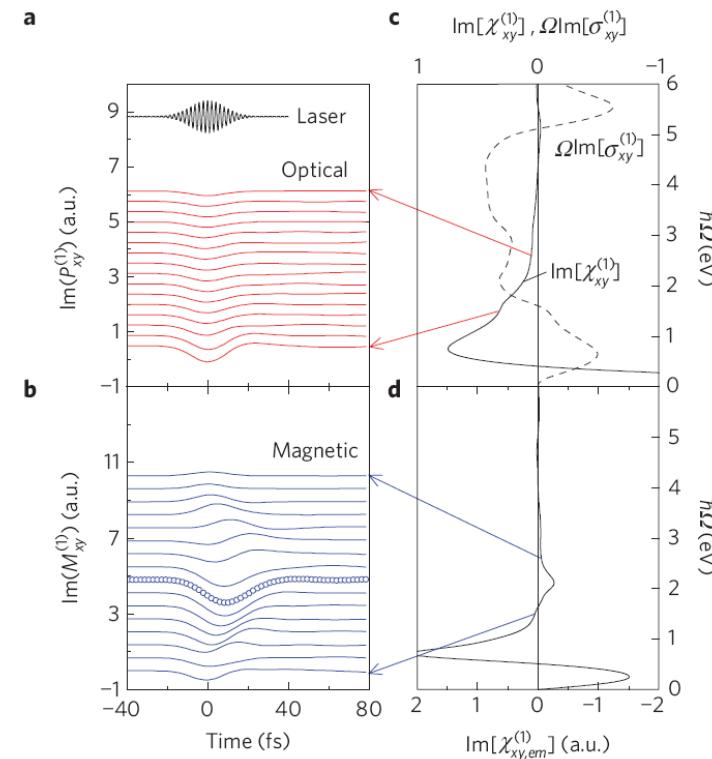
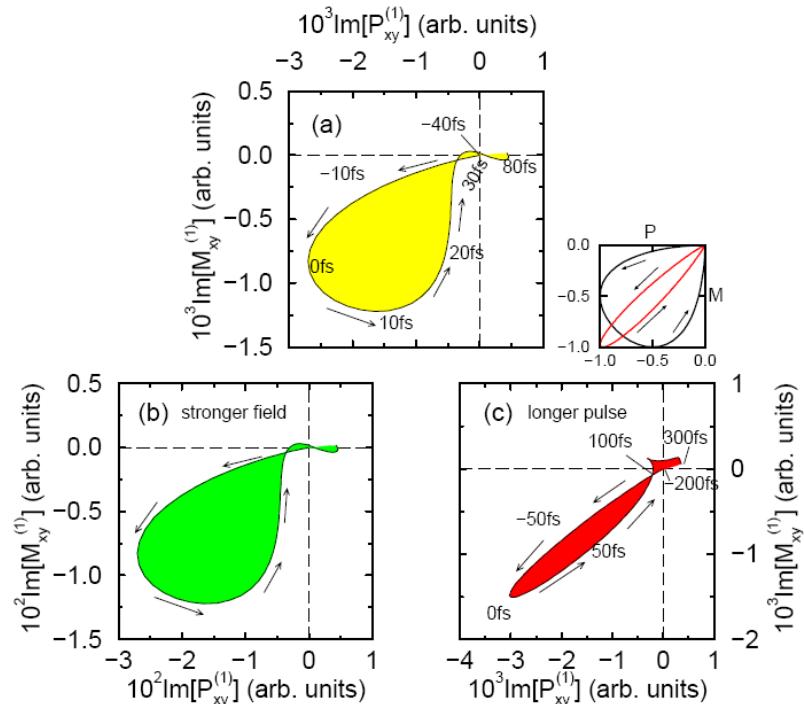
- Cooperative effect of laser pulse and SOC
- Controllable process!
- $T_1 \sim 40$  fsec

# History: theoretical achievements III

## Separability of spin and charge dynamics in Ni

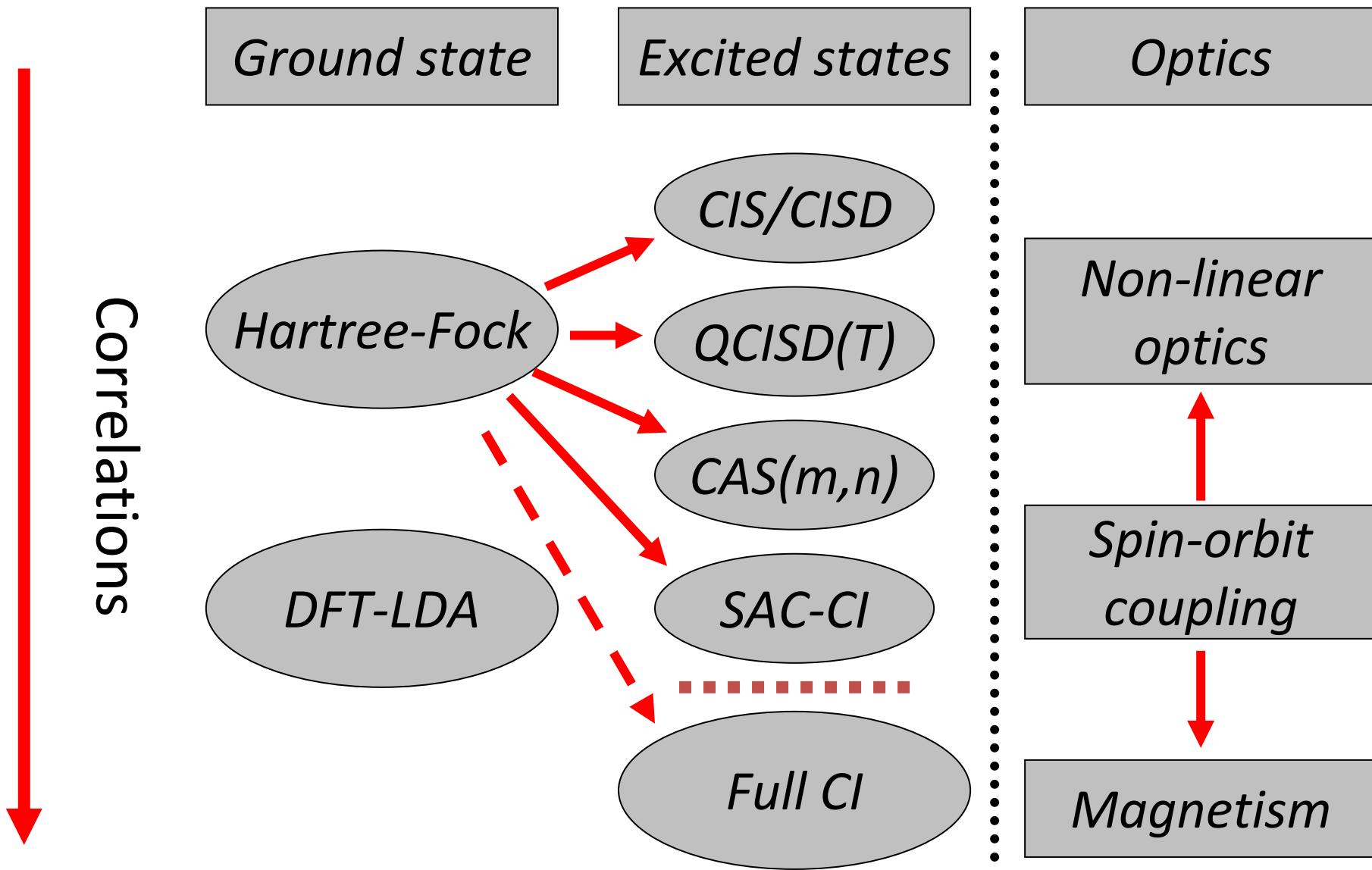
TR dynamical Kerr-effect, as probe for magnetism

one center, theory: separability of spin and charge dynamics

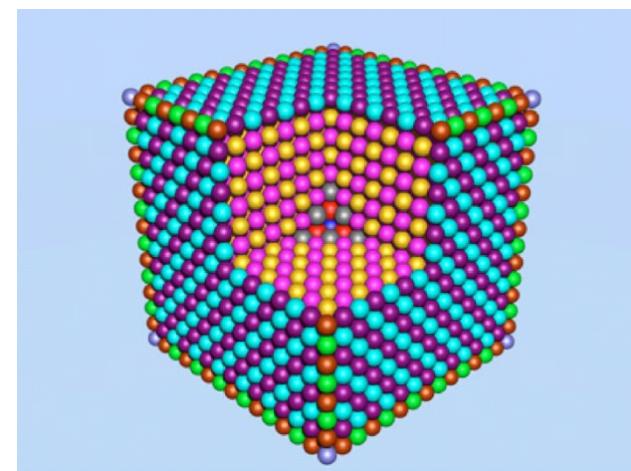
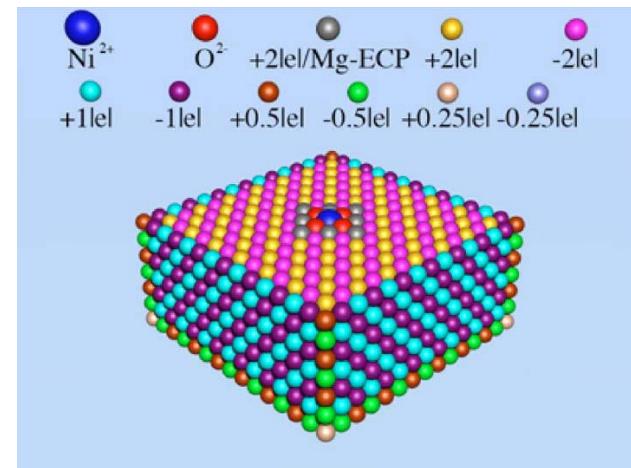
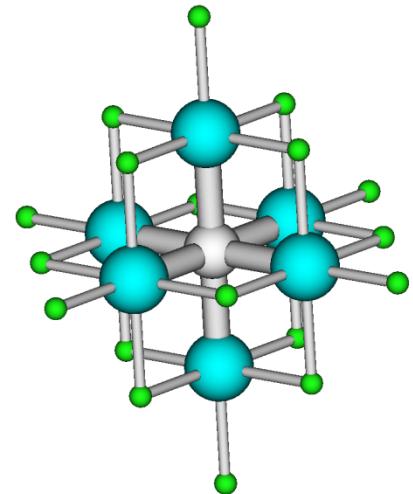
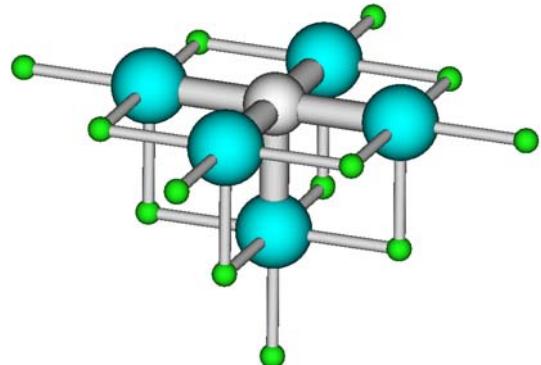


- For short laser pulses charge dynamics precedes spin dynamics
- Magnetically nonimportant higher excited states dominate dynamics on first few femtoseconds

# Quantum Chemical Methods



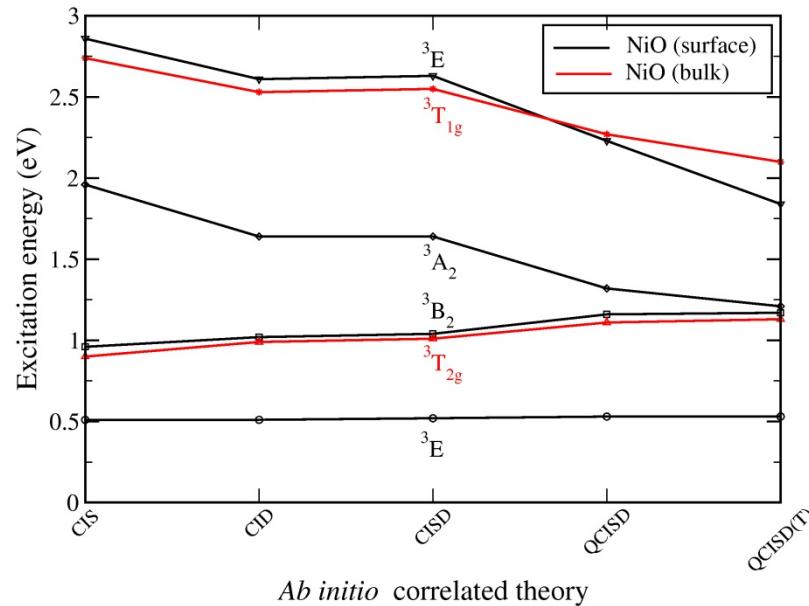
# Doubly Embedded Cluster Models



1st embedding shell: ECPs for better description of environment of O atoms  
2nd embedding shell: Madelung potential

# Theory for NiO [bulk and (001) surface]

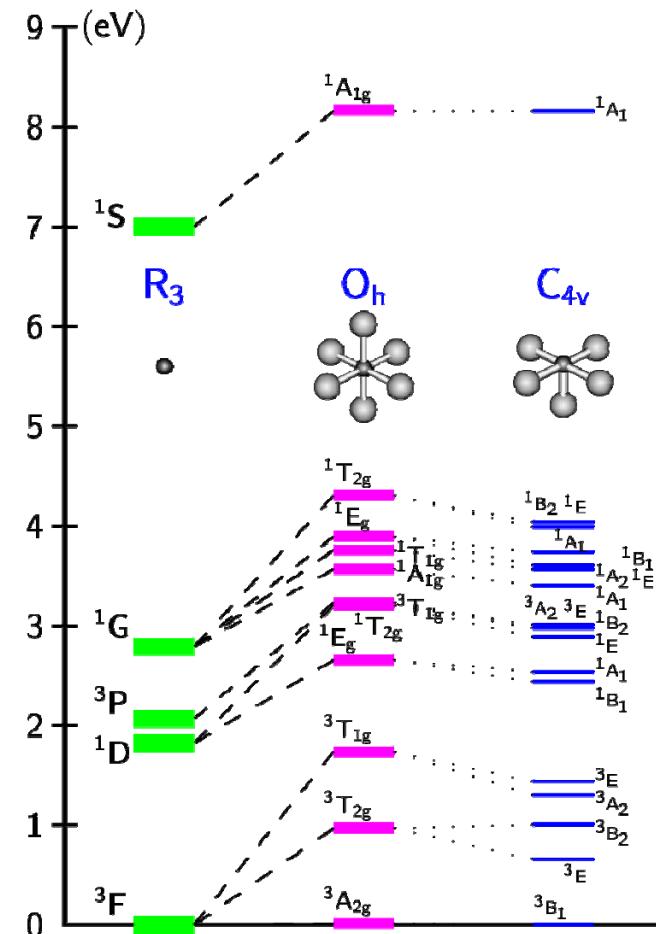
## Quantum chemistry for NiO



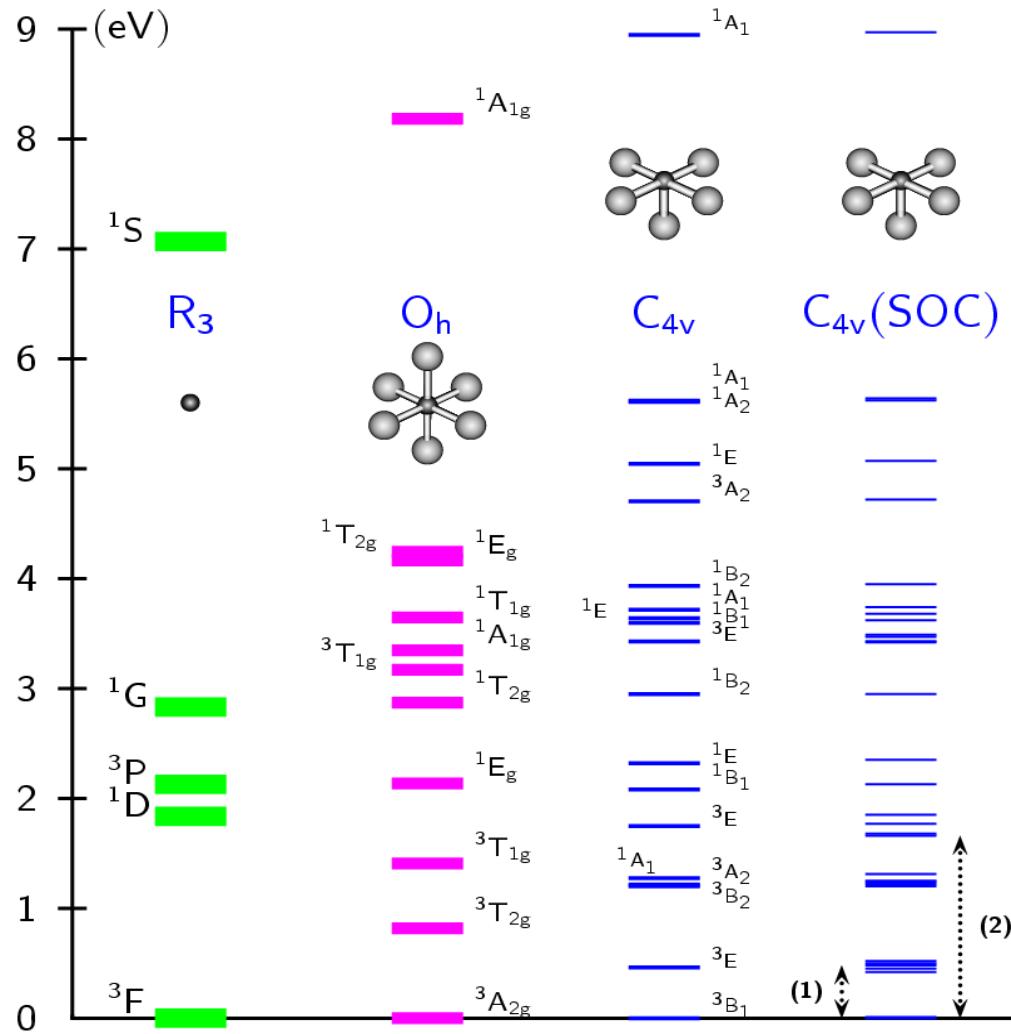
*Ab initio* correlated theory

- + Laser pulse → electron dynamics
- + SOC → spin dynamics

## QCISD(T)



# NiO Cluster – $d$ -Level Splitting

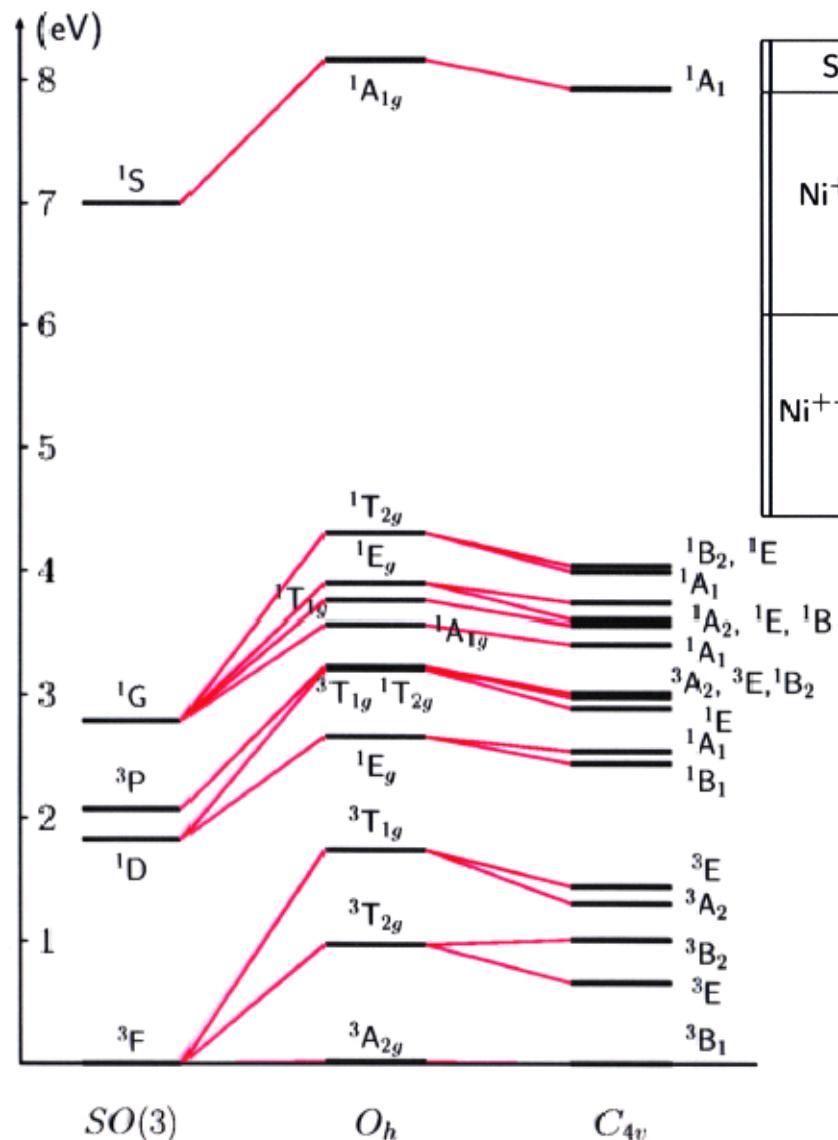


- Discrete intragap levels
  - Lower four levels by QCISDT
  - Upper levels fitted with Ligand Field Theory
  - Perturbative inclusion of SOC
- Possibility to address states selectively

O. Ney, Ph. D. thesis, Martin-Luther-Universität Halle-Wittenberg (2003)

R. Gómez-Abal, O. Ney, K. Satitkovitchai and W. Hübner, Phys. Rev. Lett. **92**, 227402 (2004)

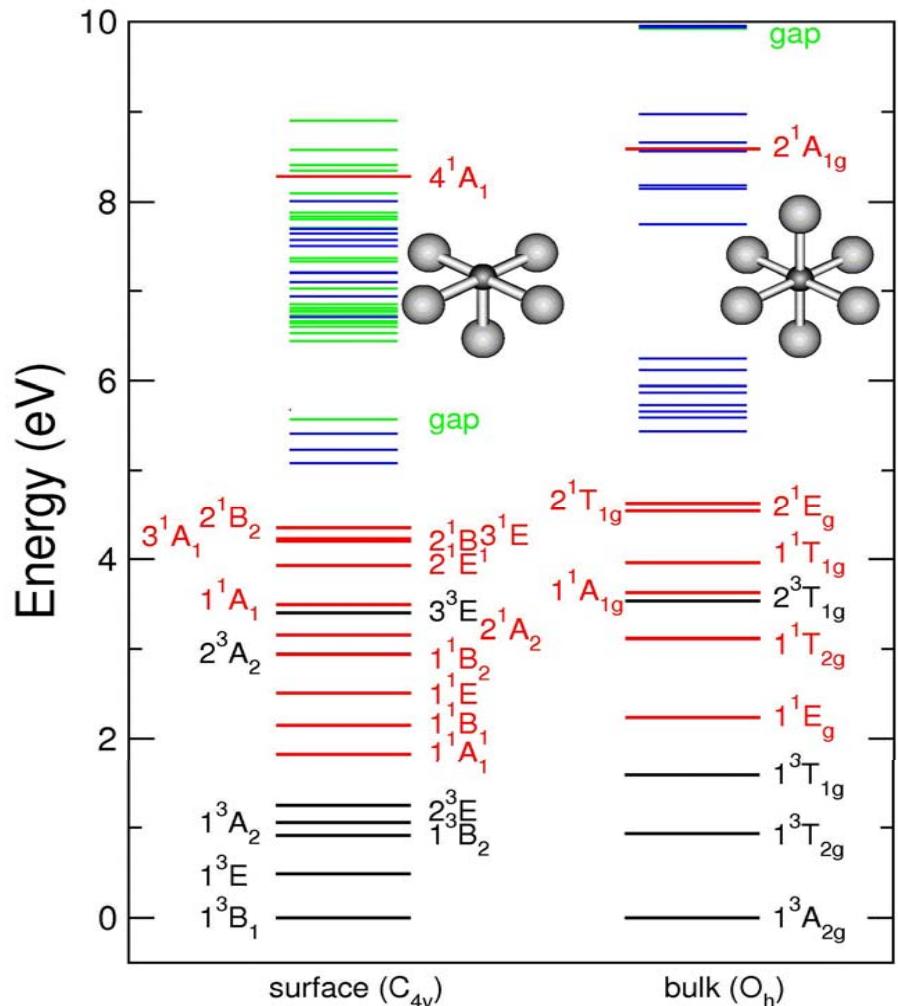
# Ab Initio Theory of NiO Clusters



System	Transition	Experiment #	QCISD	QCISD(T)
Ni <sup>++</sup> bulk	$^3A_{2g} \rightarrow ^3T_{2g}$	1.05, 1.08, 1.10, 1.13, 1.16	1.11	1.13
	$^3A_{2g} \rightarrow ^3T_{1g}$	1.79, 1.86, 1.87, 1.95	2.27	2.10
Ni <sup>++</sup> surface	$^3B_1 \rightarrow ^3E$	0.57, 0.90, 0.60	0.53	0.53
	$^3B_1 \rightarrow ^3B_2$	1.10	1.16	1.17
	$^3B_1 \rightarrow ^3A_2$	1.30	1.32	1.21
	$^3B_1 \rightarrow ^3E$	1.62, 1.75	2.23	1.84

Excellent agreement  
with experiment

# MC-SCF CAS: Levels for NiO (001) & bulk



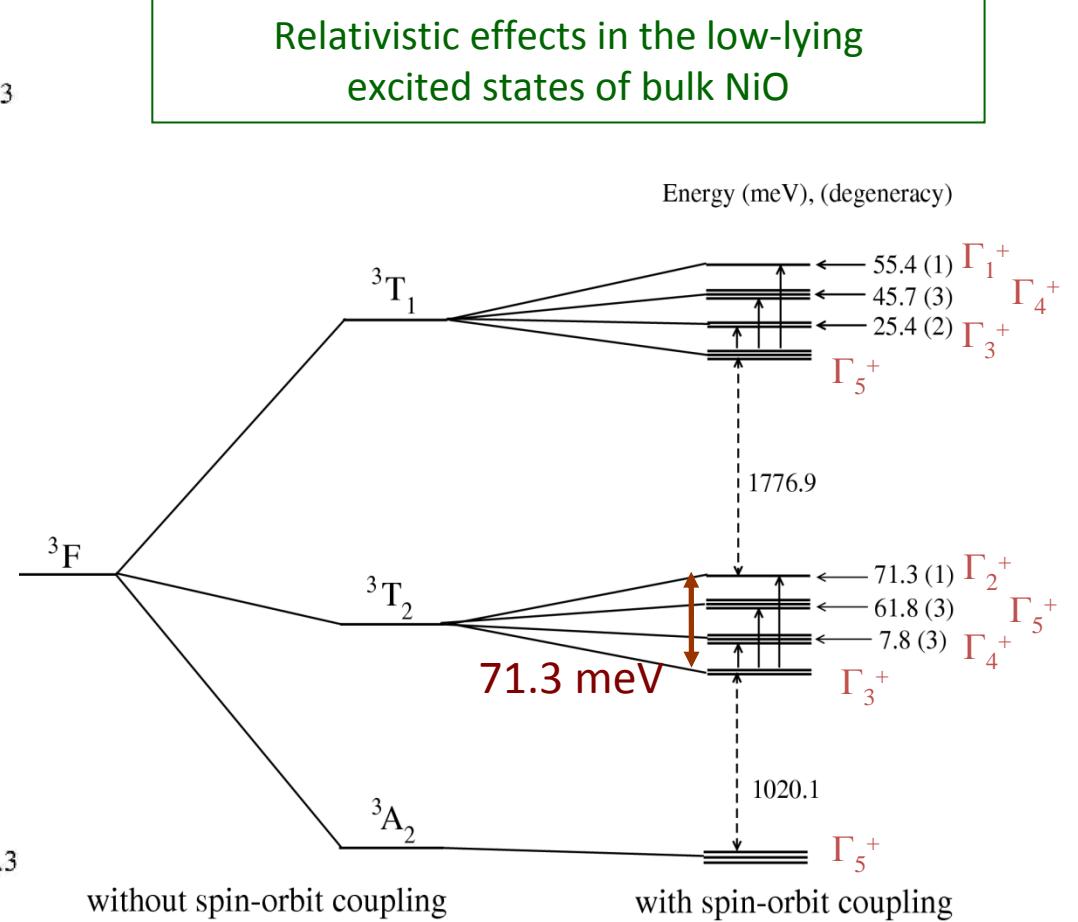
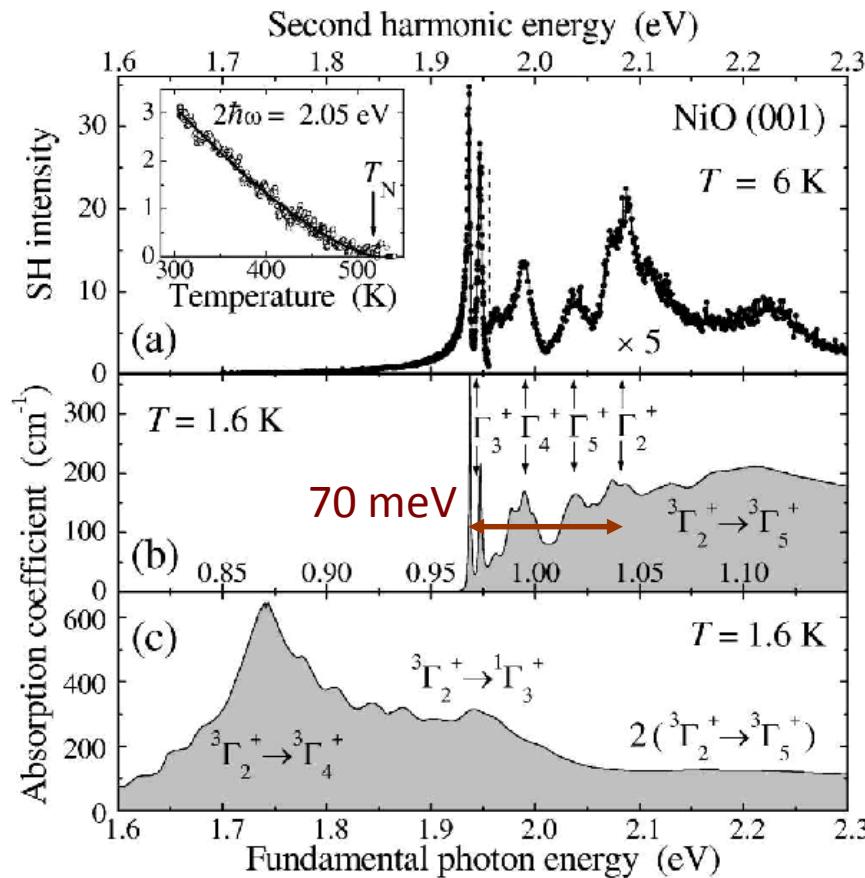
- Highly correlated system
- High spin density
- Localized discrete intragap  $d$ -levels
- Agreement with experiment

G. Lefkidis & W. Hübner, Phys. Rev. Lett. 95, 77401 (2005)

**Bulk:** R. Newman & R. M. Chrenko, Phys. Rev. 114, 1507 (1959)

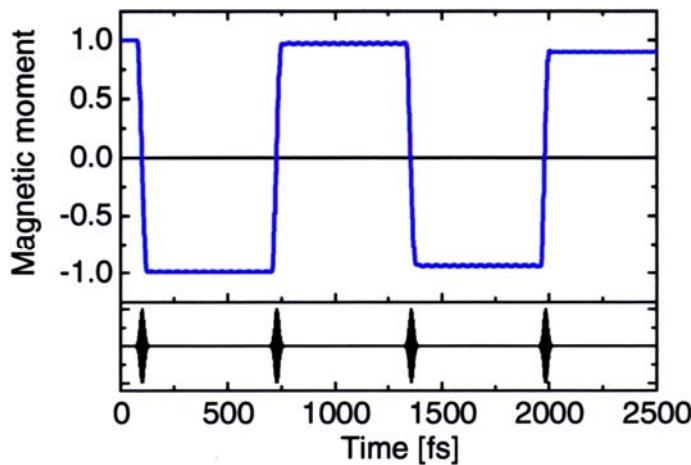
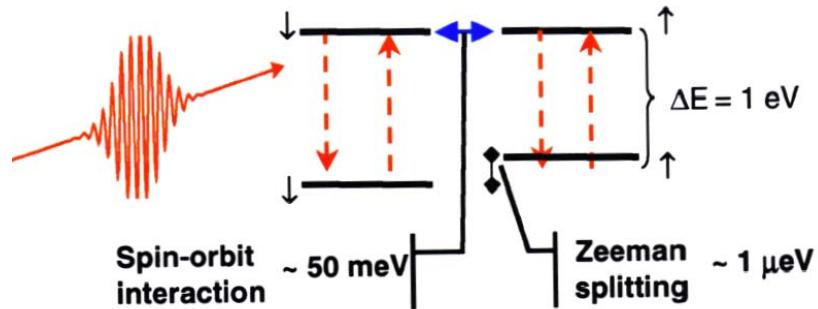
**Surface:** B. Fromme et al., Phys. Rev. Lett. 77, 1548 (1996)

# Results: Spin-Orbit Coupling NiO (bulk)



**Experiment:** M. Fiebig et al., Phys. Rev. Lett. **87**, 137202 (2001)  
 K. Satitkowitchai, Y. Pavlyukh and W. Hübner, Phys. Rev. B **67**, 165413 (2003)

# Four-Level System



## PROs:

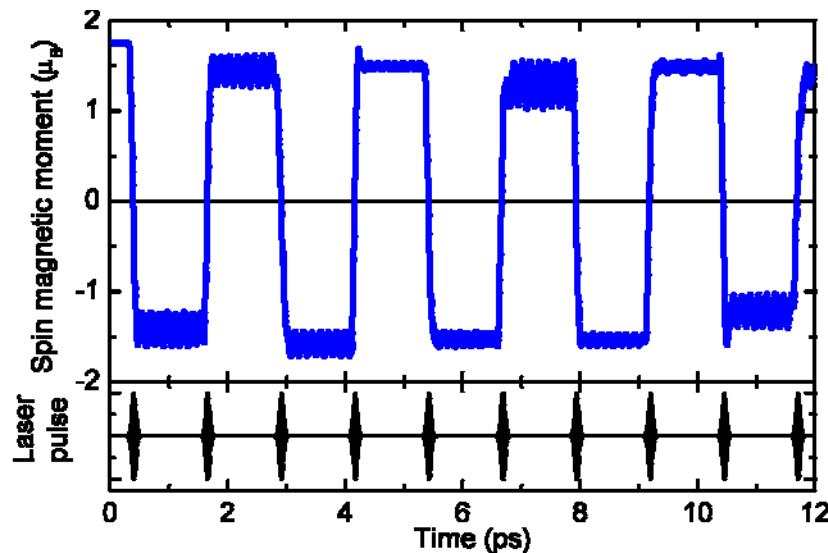
- Faster (50 fs) than present methods (wall motion, precession and current switching)
- A variety of possible materials (magnetic semiconductors, metallic and nonmetallic nanostructures, magnetic oxides)
- Near field optics is conceptually very similar to passing switching currents through leads on nanowires
- Externally tunable
  - fast and dissipative for static devices.
  - less dissipative and slower for mobile devices.

## CONs:

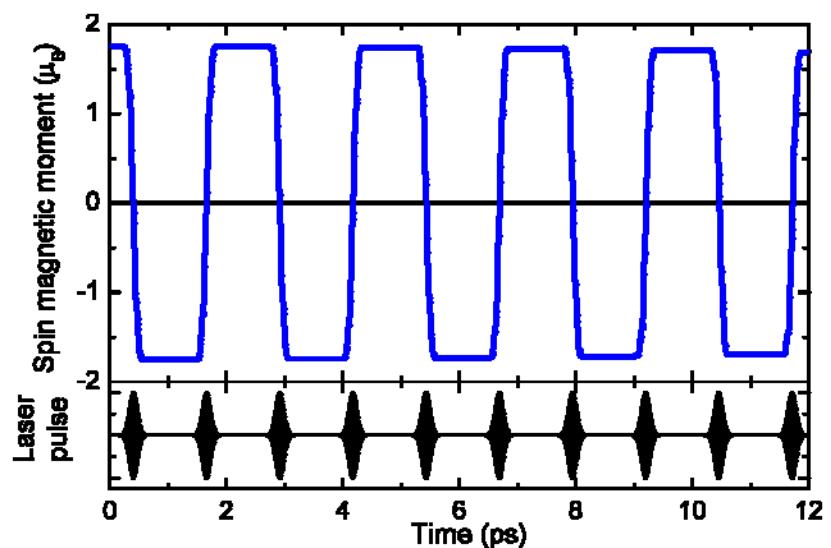
- No experimentally demonstrated... Yet!!

# Results: NiO (001)

- First results for NiO, showing the possibility of all-optical spin switching in the subpicosecond regime
- Tuning photon energy, intensity and width of the laser pulse

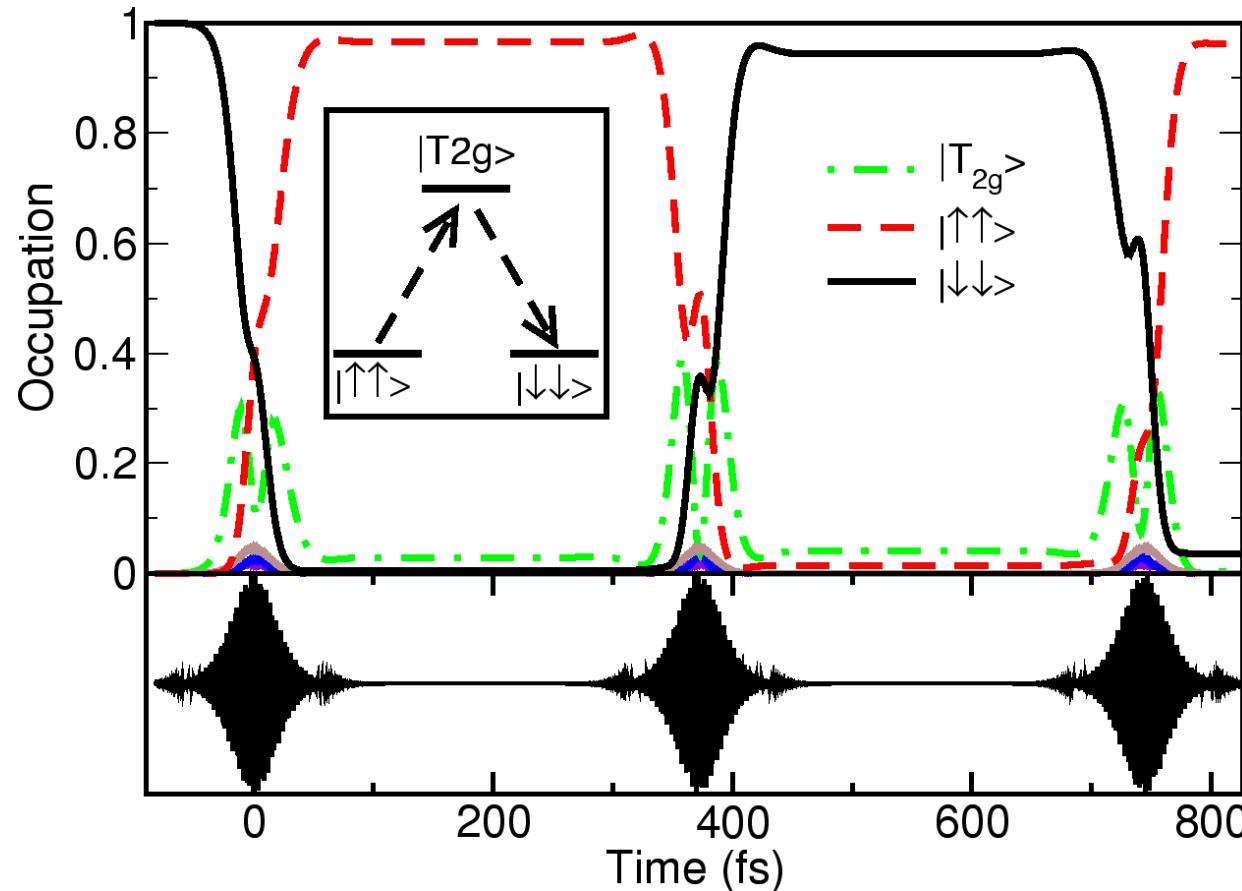


$\hbar\omega_0 = 0.422 \text{ eV}$ ,  $I = 2933 \text{ nm}$   
 $\text{FWHM} = 59 \text{ fs}$ ,  $I_{\text{max}} \approx 10^{14} \text{ W/cm}^2$



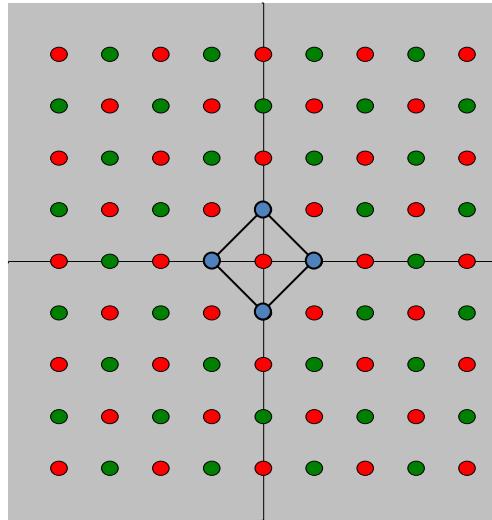
$\hbar\omega_0 = 1.645 \text{ eV}$ ,  $I = 752 \text{ nm}$   
 $\text{FWHM} = 117 \text{ fs}$ ,  $I_{\text{max}} \approx 1.2 \cdot 10^{14} \text{ W/cm}^2$

# Results: NiO (001) with CAS-SCF + SOC

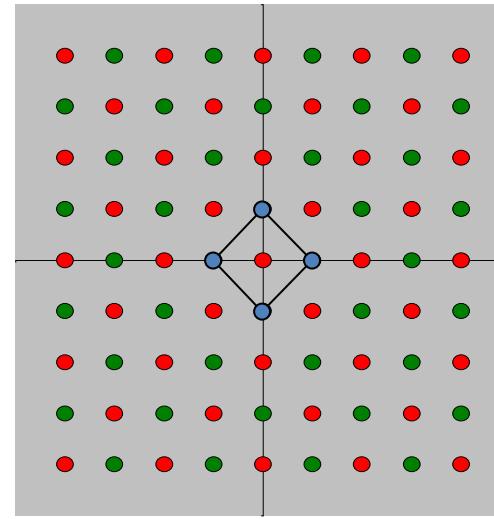


- Control up to more than 10 duty cycles
- Phase between states important
- Damping between cycles leads to total magnetization reversal?

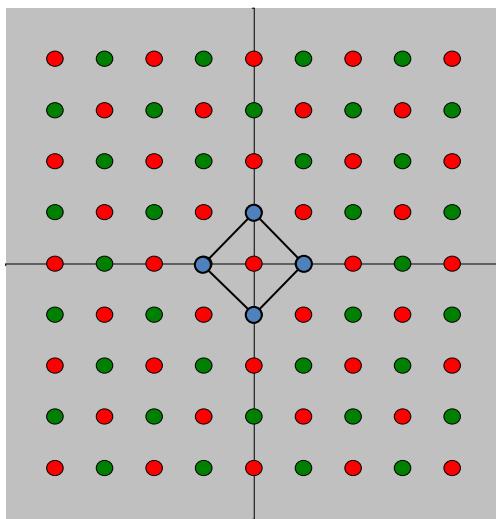
# Phonons: local symmetries in NiO bulk



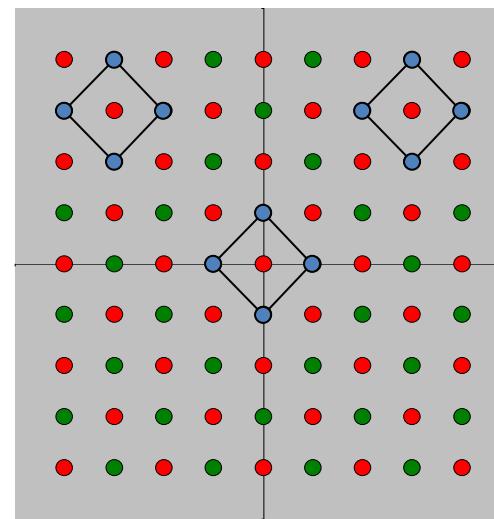
$\Gamma$ -Acoustic  
 $O_h$



$X$ -Acoustic  
 $C_{4v}$

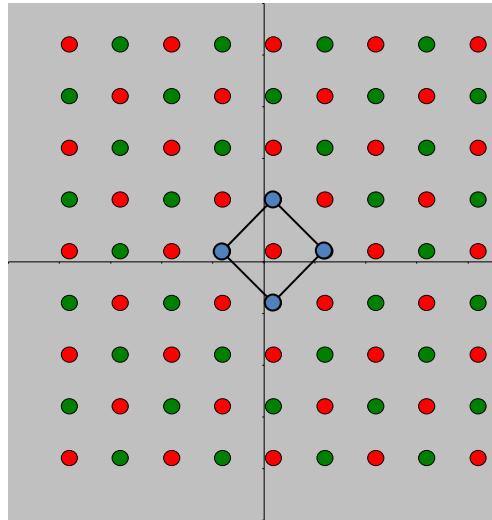


$\Gamma$ -Optical  
 $C_s$

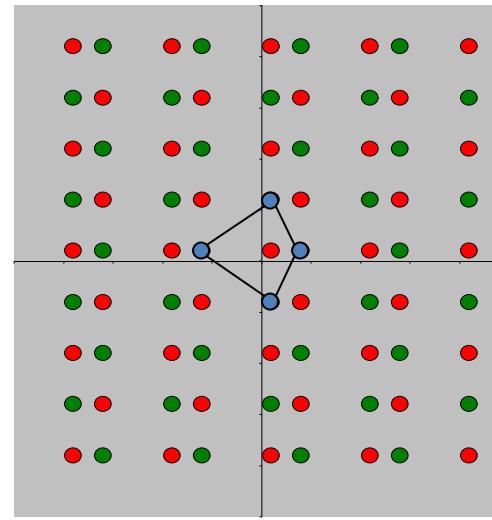


$\Delta$ -Optical  
 $O_h / D_{4h} / C_s$

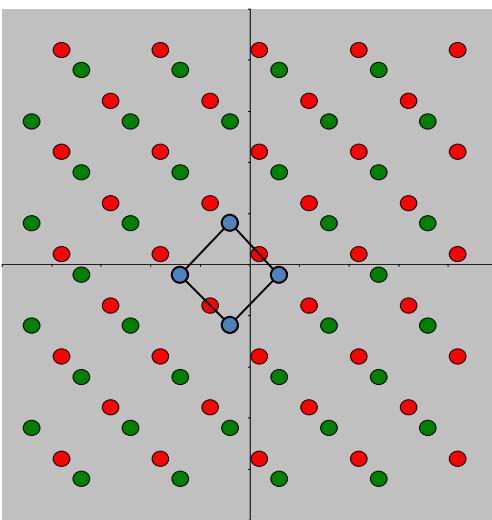
# Phonons: local symmetries in NiO bulk



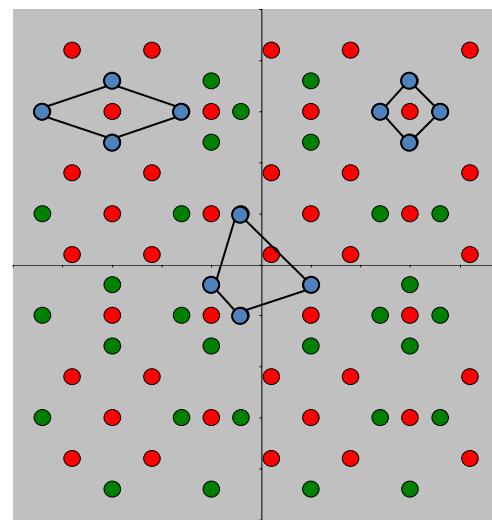
$\Gamma$ -Acoustic  
 $O_h$



X-Acoustic  
 $C_{4v}$



$\Gamma$ -Optical  
 $C_s$

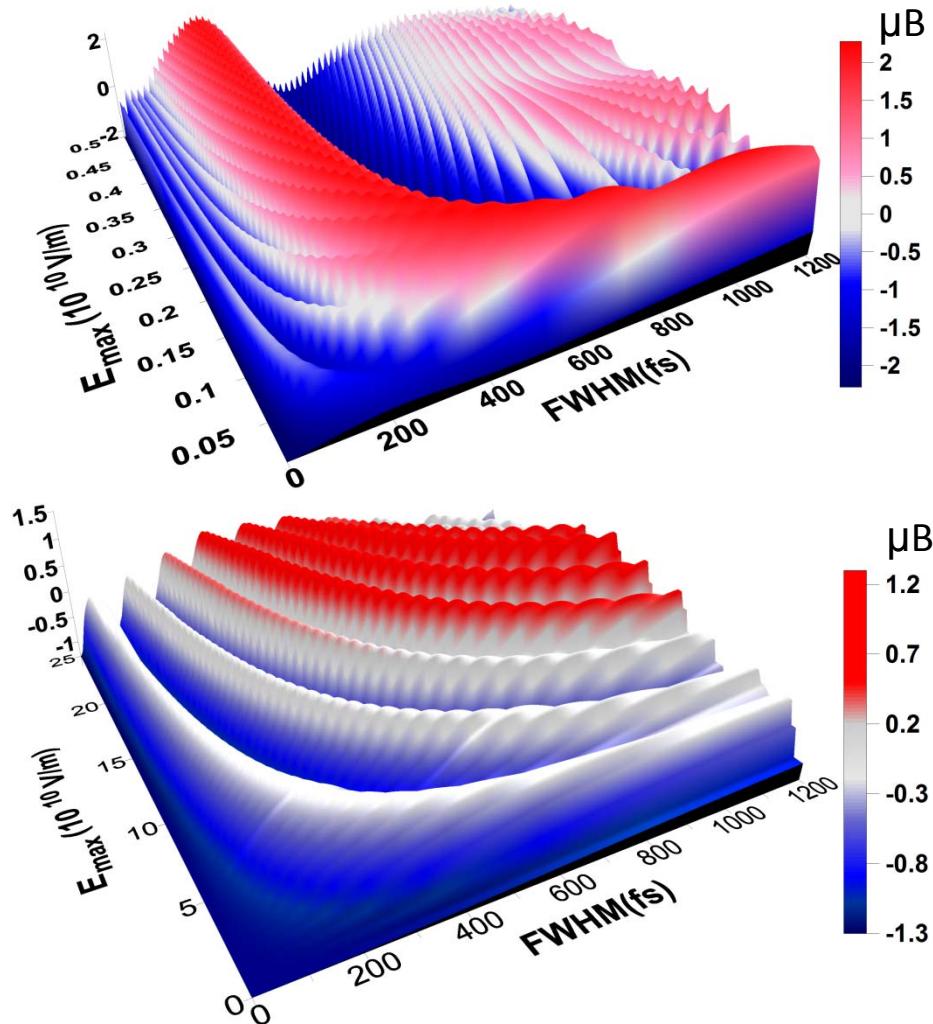


$\Delta$ -Optical  
 $O_h / D_{4h} / C_s$

# Historic achievements IV

## Electron-phonon coupling in NiO

force matrix → normal modes → quantization → electron-phonon interaction



no phonons

- phonons affect symmetry  
⇒ different selection rules
- lattice temperature dependence

phonons

# History: theoretical achievements V

## Spin-lattice relaxation time $\tau_{SL} \approx 48$ psec for Gd

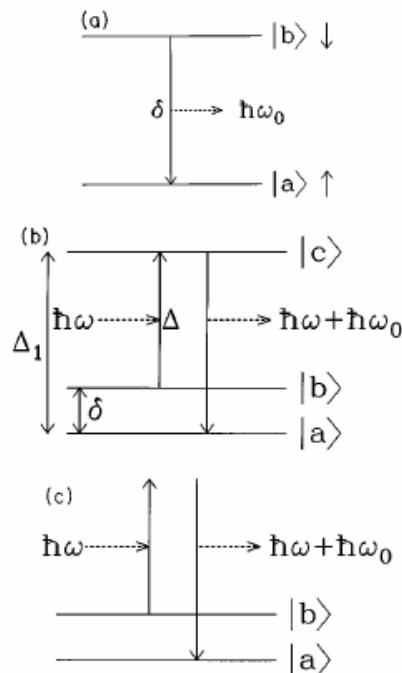


FIG. 1. (a) Direct process, (b) Orbach process, and (c) Raman process.

- Good agreement with experiment
- Time given by spin-orbit induced magnetocrystalline anisotropy energy
- Three phonon involving processes
  - Direct process (one-phonon scattering, very low T)
  - Orbach process (crystal-field splitting, low T)
  - Raman process (two-phonon scattering, moderate T)
- Phonon-magnon coupling
- 2-phonon processes → high-temperature theory (for low-temperature plateau)

rate equation

$$\dot{N}_b = \frac{9 \Sigma_{mn} |\langle a | v_n^m | b \rangle|^2}{8 \rho^2 \pi^3 \hbar^7 v_s^{10}} \int [N_a \bar{p}_0(\delta_2) [\bar{p}_0(\delta_1) + 1] - N_b \bar{p}_0(\delta_1) [\bar{p}_0(\delta_2) + 1]] \delta_1^{\sigma} d\delta_1$$

# History: theoretical achievements summary

- a. Bleaching (<10 fsec)
- b. Dephasing (10 fsec)
- c. Population dynamics (40-80 fsec)
- d. Electron-phonon coupling (<1 psec)
- e. Spin-lattice relaxation (48 psec)

# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. Clusters with three magnetic centers: magnetic logic
5. Role of bridging atoms
6. Conclusions

# Which materials?

Why molecular magnets: motivation

- Ferromagnets → fast dynamics but no selective control possible  
(many broad bands i.e. no addressability of excited states)
- Antiferromagnets → narrow bands → good addressability
- Molecular magnets → few discrete levels → even better addressability
- **AF and molecular magnets allow coherent control**  
→ active spin control → functionalization (applications)

# Which materials?

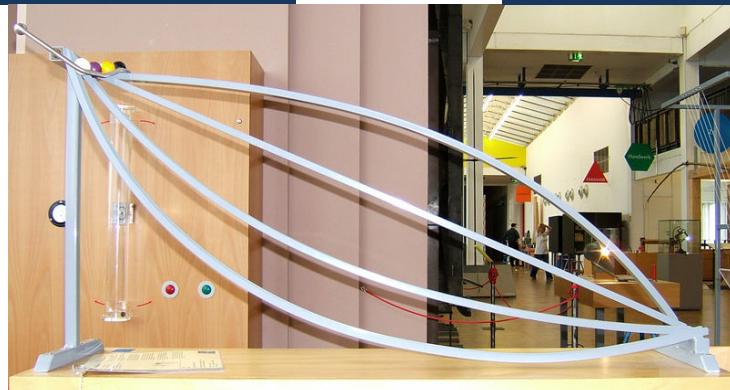
## Molecular magnets: three different experimental environments

- ligand-stabilized complexes (fluid phase/pellets)
  - (+) conventional wet chemistry
  - (+) exist already
  - (-) far from application devices
- Gas phase of bare clusters (nozzle expansion)
  - (+) few atoms
  - (+) larger active-center/total-atoms ratio
  - (+) charged particles → control through mass-selection
  - (-) far from application devices
- Clusters on surfaces
  - (+) close to application devices
  - (-) exploit of additional features needed for selectivity  
(resonance selection/magnetic field gradient)
  - (-) bottom-up preparation: good but not excellent structures, e.g. on (111) surfaces )  
magnetically fair

# Logic operations: the need for speed shortest $\neq$ fastest

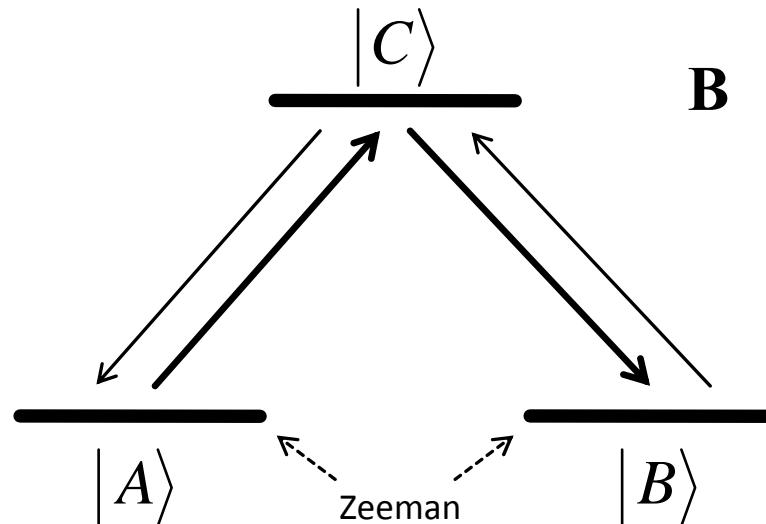
macro

U Giselastraße



time minimization (brachistochrone)

micro

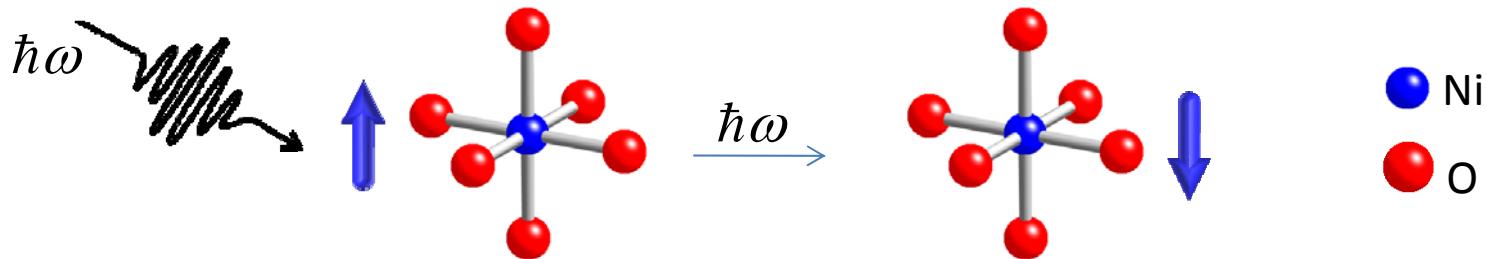


Optical  $\Lambda$  process

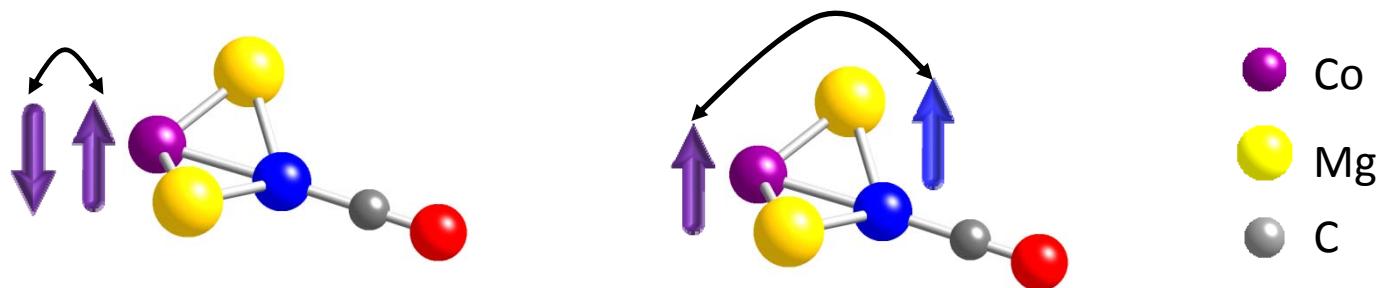
- Two optical transitions faster than one magnetic transition
- Best results with
  - slightly tilted linearly polarized light  $\sigma_0$
  - transition matrix elements almost equal
  - intermediate excited state consisting 50% of  $|\uparrow\uparrow\rangle$  and 50 % of  $|\downarrow\downarrow\rangle$

# From one to more centers

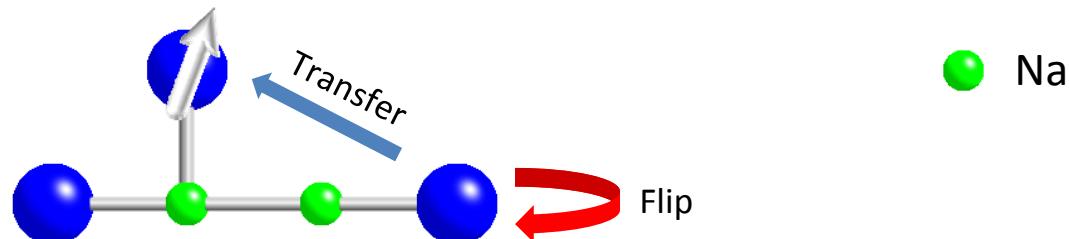
One active center → Spin flip



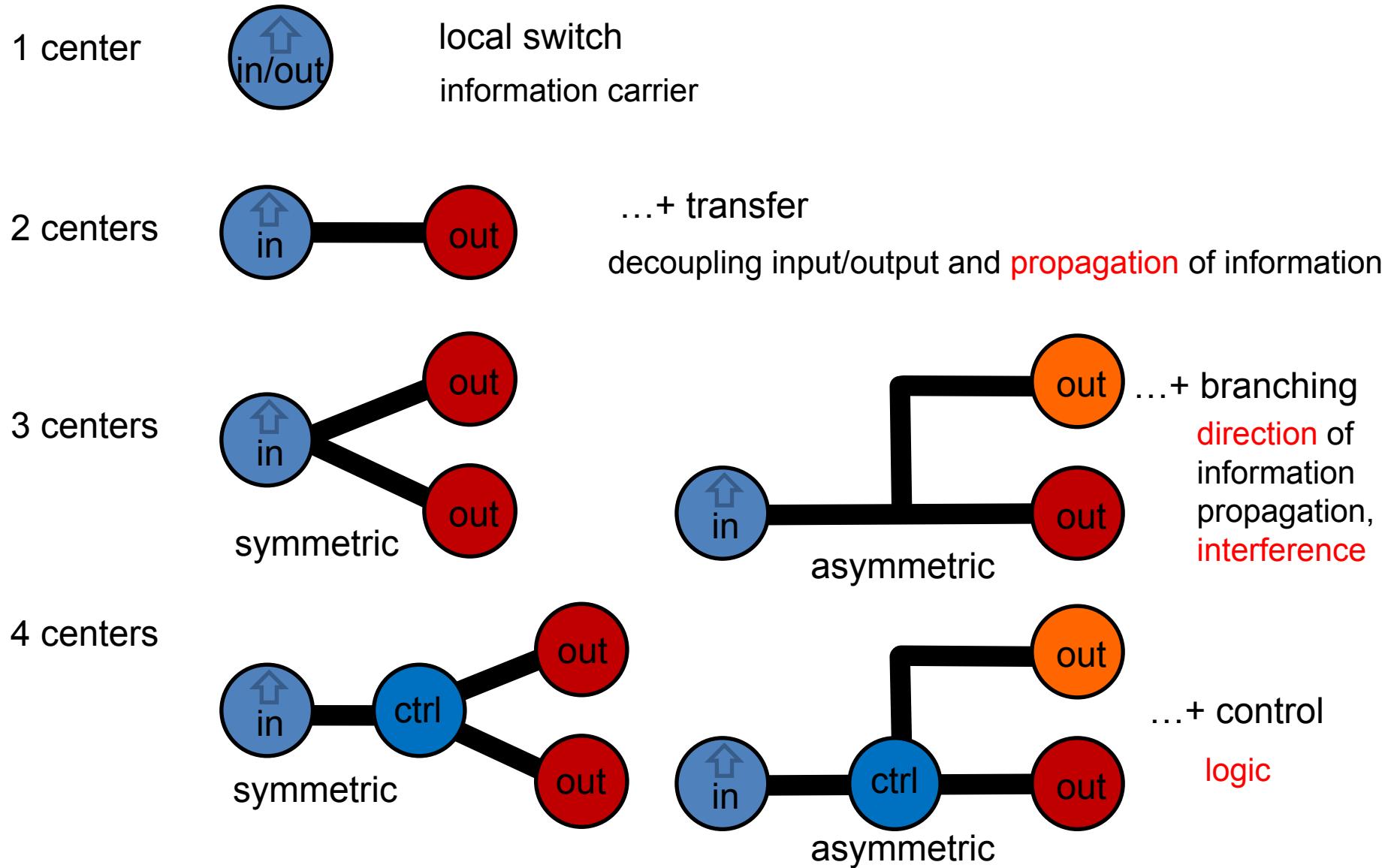
Two active centers → Spin flip and transfer (minimum requirement)



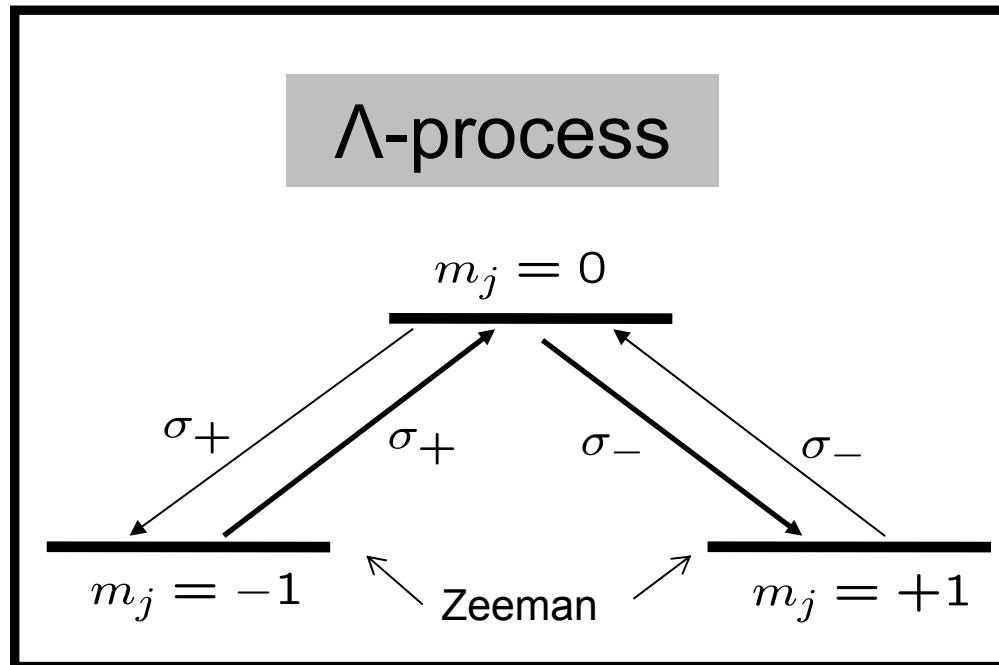
More active centers → Logic functionalization



# How many centers?



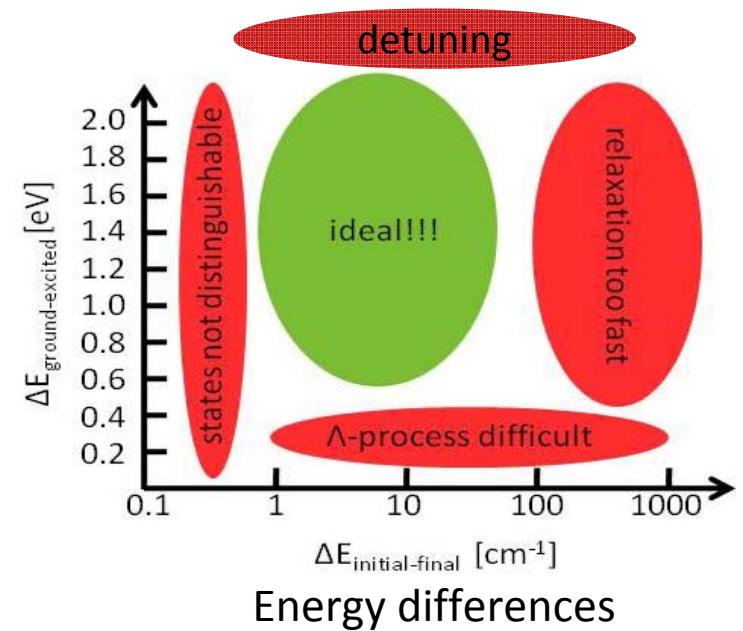
# Concept



spin-orbit coupling AND laser →  
spin dynamics AND functionalization !

**in silico:** time minimization (< 1 psec)  
propagation process  $|A\rangle \xrightarrow{\hbar\omega} |B\rangle$

the spins of the states can have **different**  
•magnitude → demagnetization  
•orientation → **spin flip**  
•localization → **spin transfer**



# Hamiltonian

$$\hat{H}^{(0)} = -\frac{1}{2} \sum_{i=1}^{N_{\text{el}}} \nabla^2 - \sum_{i=1}^{N_{\text{el}}} \sum_{a=1}^{N_{\text{at}}} \frac{Z_a}{|\mathbf{R}_a - \mathbf{r}_i|} + \sum_{i=1}^{N_{\text{el}}} \sum_{j=1}^{N_{\text{el}}} \frac{1}{|\mathbf{r}_i - \mathbf{r}_j|} + \sum_{a=1}^{N_{\text{at}}} \sum_{b=1}^{N_{\text{at}}} \frac{Z_a Z_b}{|\mathbf{R}_a - \mathbf{R}_b|}$$

Electronic  
correlations

$$\hat{H}^{(1)} = + \sum_{i=1}^{N_{\text{el}}} \frac{Z_a^{\text{eff}}}{2c^2 R_i^3} \mathbf{L} \cdot \tilde{\mathbf{S}} + \sum_{i=1}^{N_{\text{el}}} \mu_L \mathbf{L} \cdot \mathbf{B}_{\text{stat}} + \sum_{i=1}^{N_{\text{el}}} \mu_S \tilde{\mathbf{S}} \cdot \mathbf{B}_{\text{stat}} + \sum_{i=1}^{N_{\text{el}}} \sum_{\mathbf{q}} \lambda_a^{\mathbf{q}} \langle \mathbf{q} \rangle$$

SOC

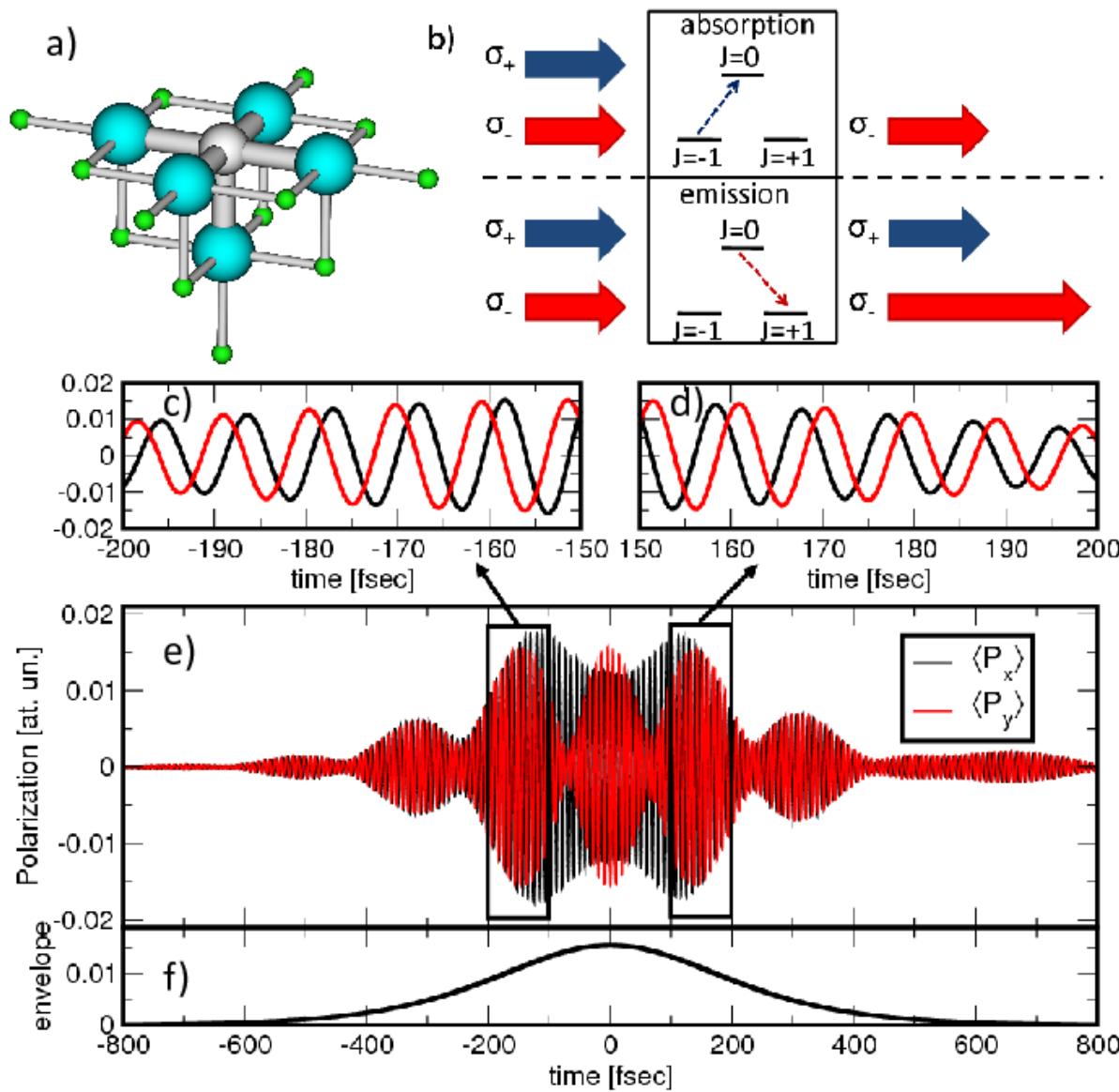
Static B-field

phonons

$$\hat{H}^{(2)} = \mathbf{p}^{(0+1)} \cdot \mathbf{A}_{\text{laser}}(t) + \tilde{\mathbf{S}} \cdot \mathbf{B}_{\text{laser}}(t)$$

laser

# NiO: semiclassical approach



$$\langle \mathbf{P}(t) \rangle$$

x and y polarization shifted →  
circularly polarized light

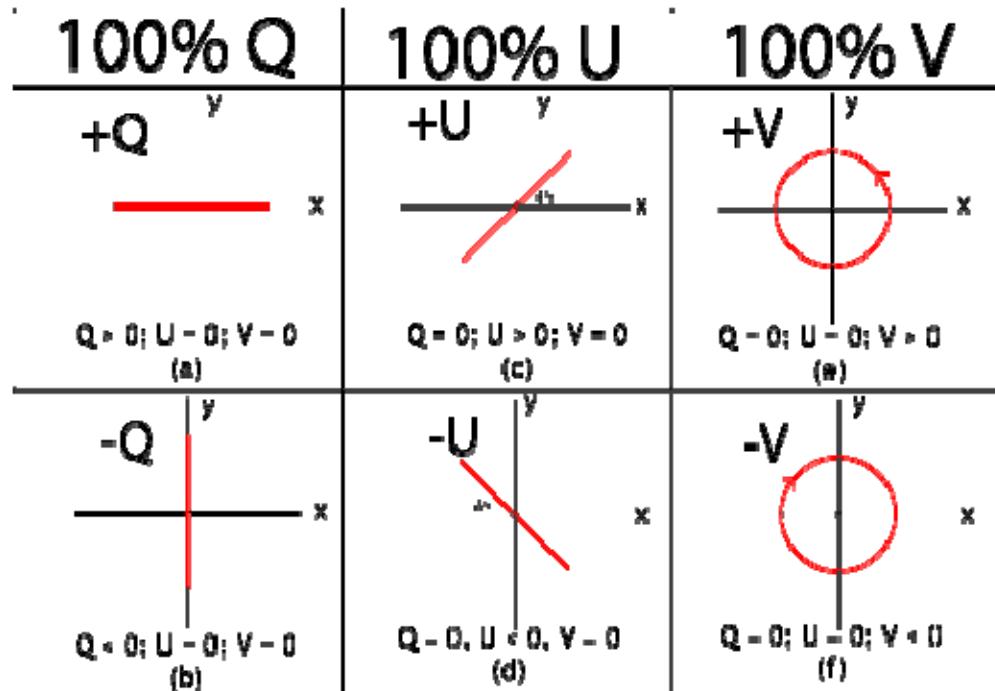
# TD frequency analysis: semiclassical approach TD-FT

$$\tilde{\mathbf{P}}(\omega, t) = \int_{-\infty}^{+\infty} \mathbf{P}(t') g(t - t') e^{i\omega t'} dt'$$

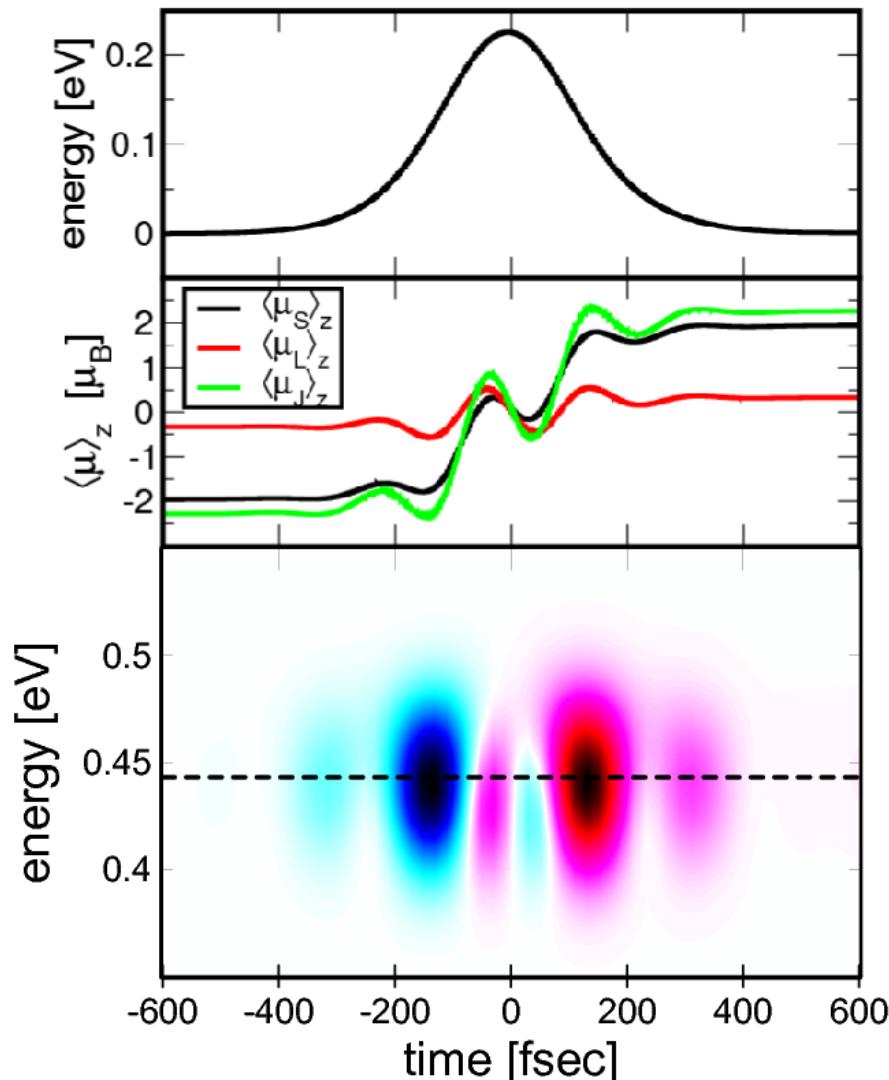
Stokes vector

$$\vec{S} = \begin{pmatrix} S_0 \\ S_1 \\ S_2 \\ S_3 \end{pmatrix} = \begin{pmatrix} I \\ Q \\ U \\ V \end{pmatrix}$$

$$\begin{aligned} I &\equiv |E_x|^2 + |E_y|^2, \\ &= |E_a|^2 + |E_b|^2, \\ &= |E_l|^2 + |E_r|^2, \\ Q &\equiv |E_x|^2 - |E_y|^2, \\ U &\equiv |E_a|^2 - |E_b|^2, \\ V &\equiv |E_l|^2 - |E_r|^2, \end{aligned}$$



# NiO: semiclassical approach TD-FT



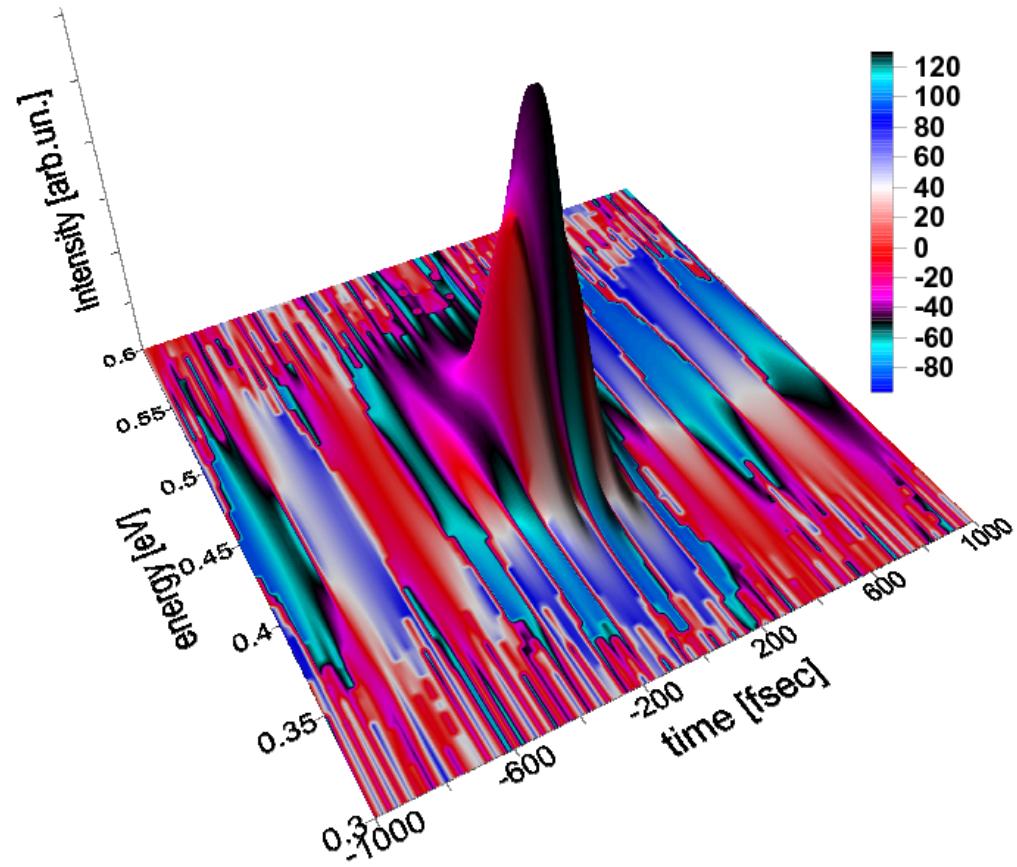
## circular polarization

- Material absorbs or emits helicity as needed
- book keeping not possible
- alternative means of distinguishing necessary

$$\tilde{\mathbf{P}}(\omega, t) = \int_{-\infty}^{+\infty} \mathbf{P}(t') g(t-t') e^{i\omega t'} dt'$$

# TD frequency analysis: semiclassical approach TD-FT

Linear polarization

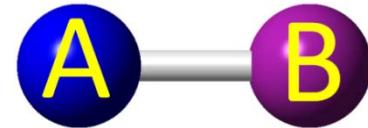


- strong dynamical Kerr effect
- pump = probe
- **No** cw limit
- nonequilibrium

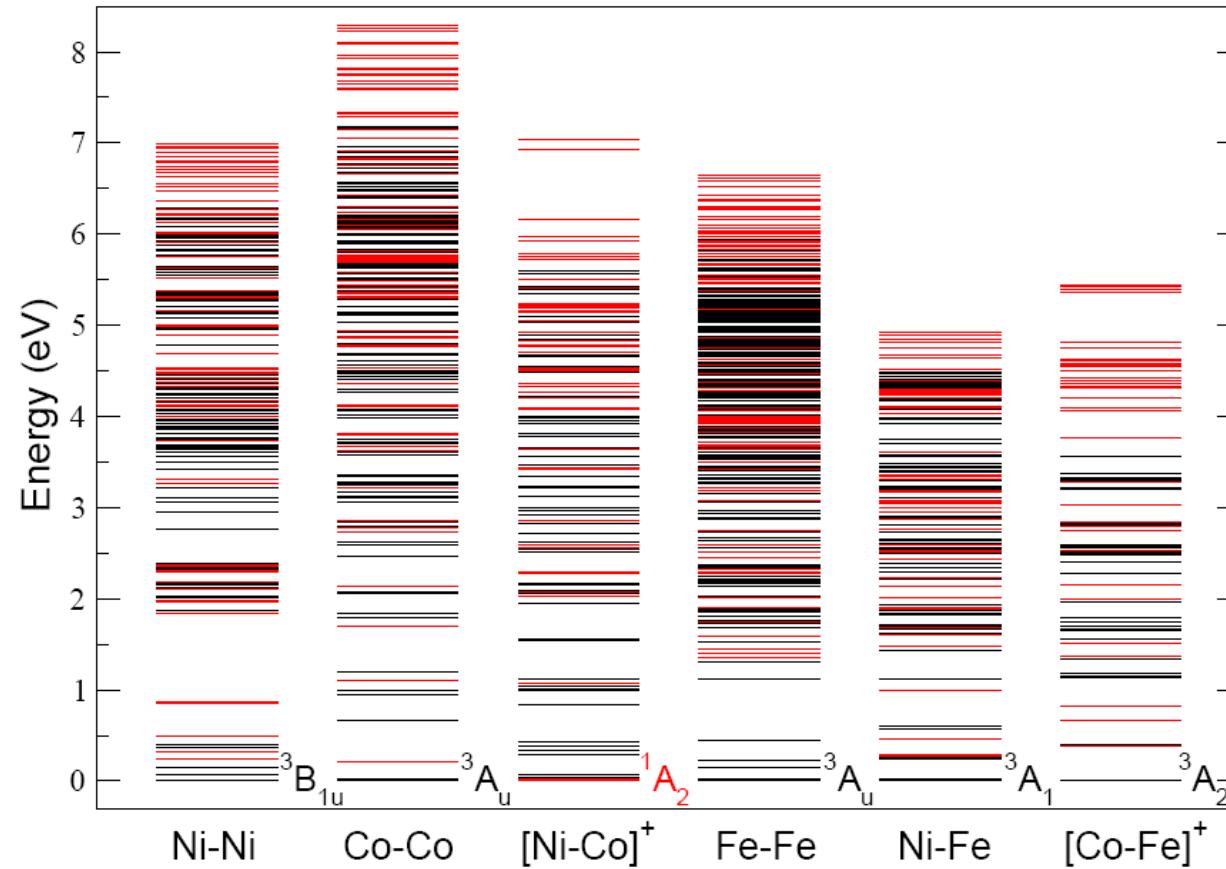
# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. Clusters with three magnetic centers: magnetic logic
5. Role of bridging atoms
6. Conclusions

# Two-magnetic-center nanostructures

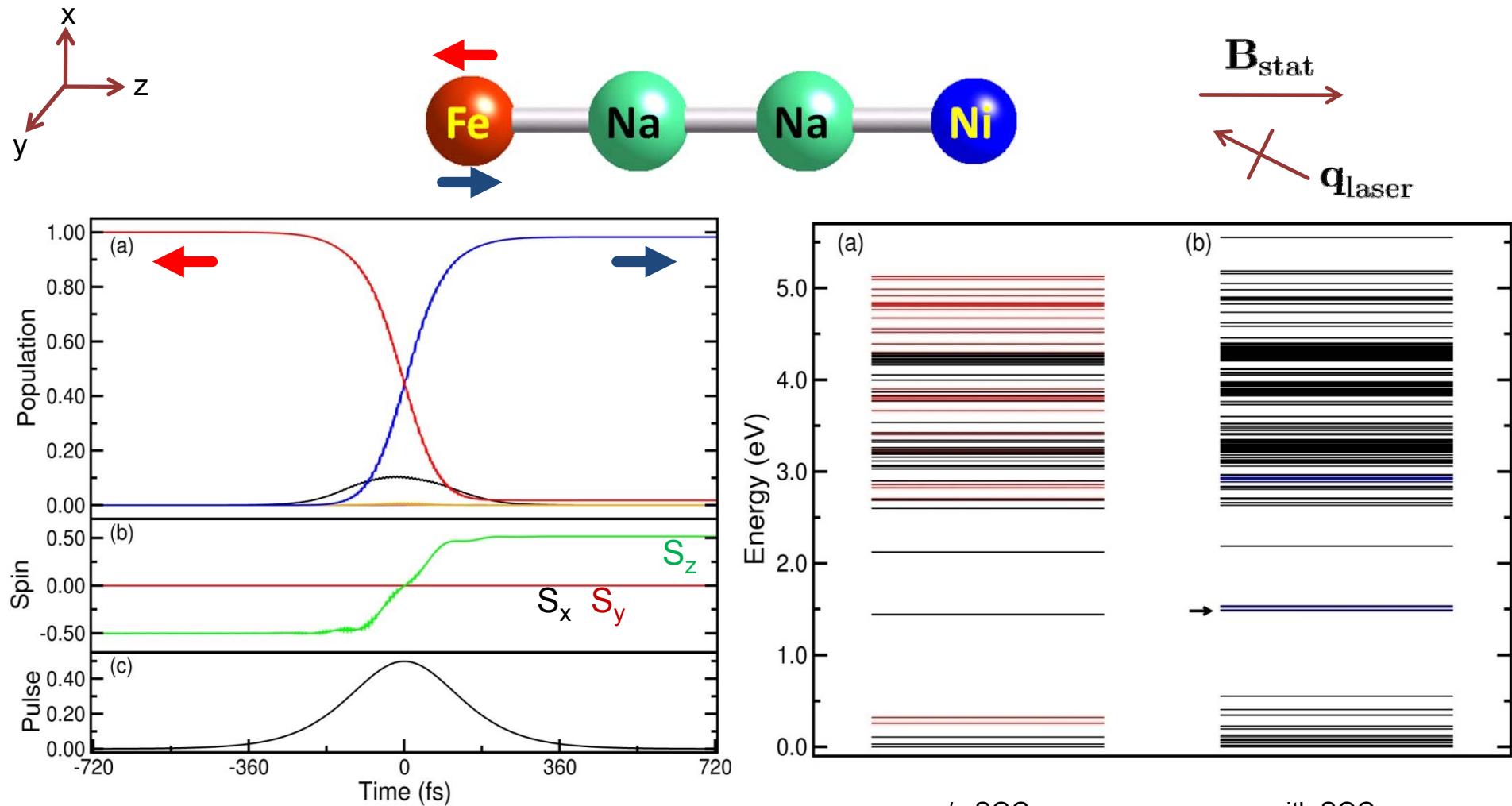


A, B = Fe, Co, Ni



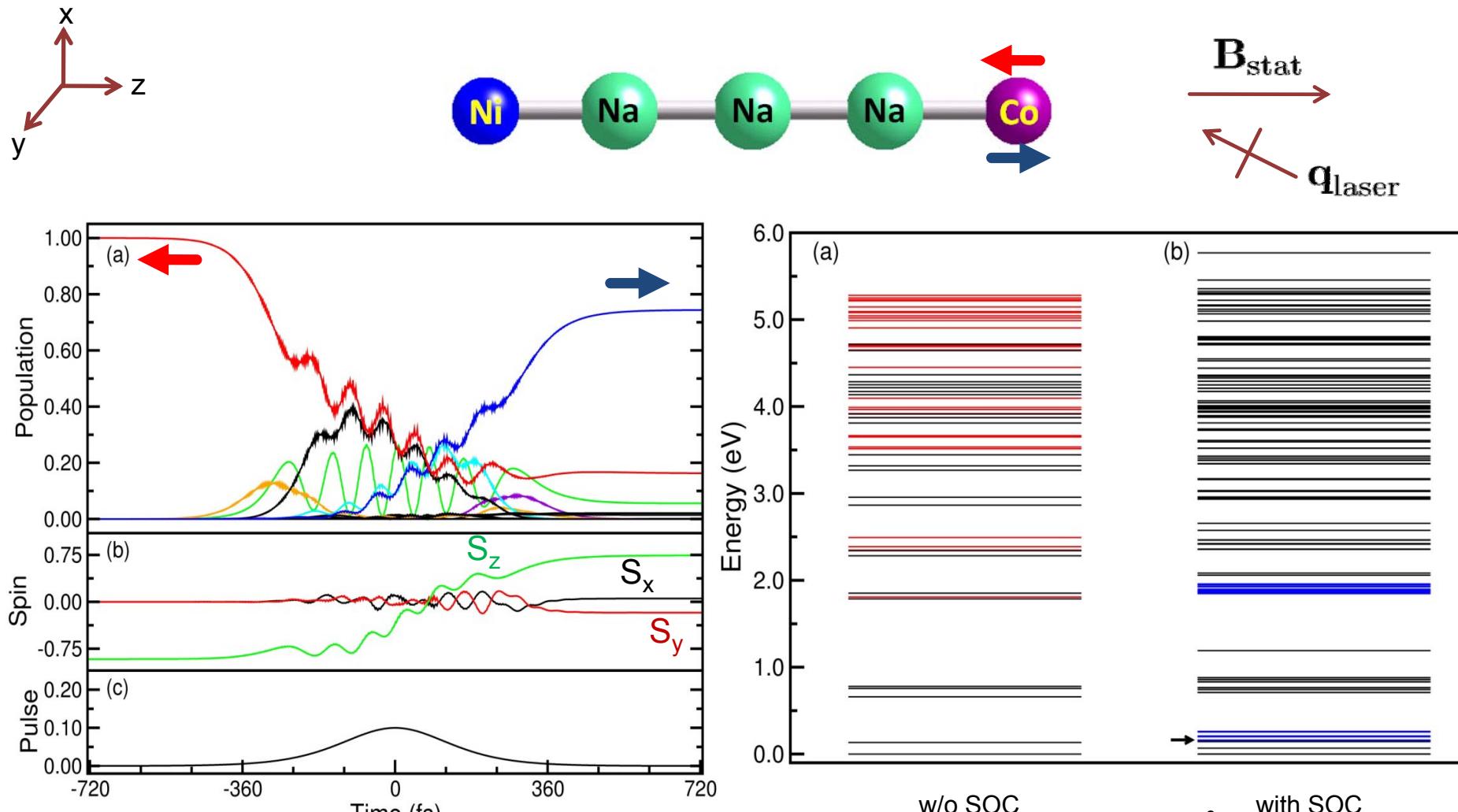
- Magnetic ground state
- Neutral & Charged
- Realistic systems
- Singlet & Triplet
- SAC-Cl results (Lanl2dz)

# Two centers: local spin flip on Fe in $\text{FeNa}_2\text{Ni}$



- States with spin localization (Mulliken)
- Genetic algorithm

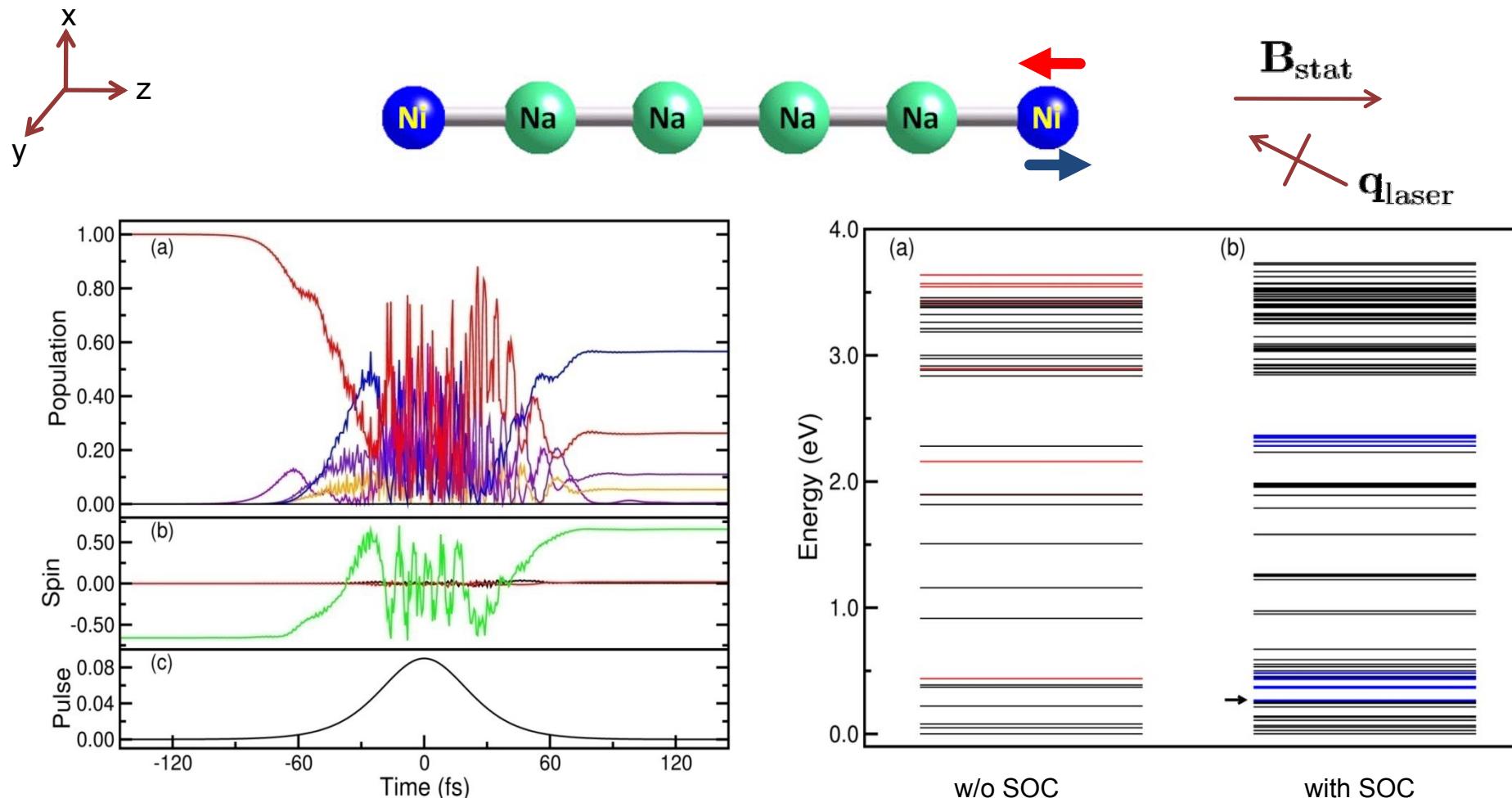
# Two centers: local spin flip on Co in $\text{FeNa}_3\text{Co}$



- Cascade-like behavior  $\Leftrightarrow$  low-field regime
- Large frequency  $\Leftrightarrow$  small maximum probability:

$$(P_{n \rightarrow k})_{\max} = \frac{4|\hat{H}_{nk}|^2}{|\Delta\Omega|^2 + 4|\hat{H}_{nk}|^2}$$

# Two centers: local spin flip on Ni in $\text{NiNa}_4\text{Ni}$



- NOT a chaotic behavior, one process dominates!

(compare: J. Kasparian, B. Krämer, J. P. Dewitz, S. Vajda, P. Rairoux, B. Vezin, V. Boutou, T. Leisner, W. Hübner, J. P. Wolf, L. Wöste, and K. H. Bennemann, PRL **78**, 2952 (1997))

# CO frequency calculation

Coordinates Matrix      Forces Matrix  
 { }      { }

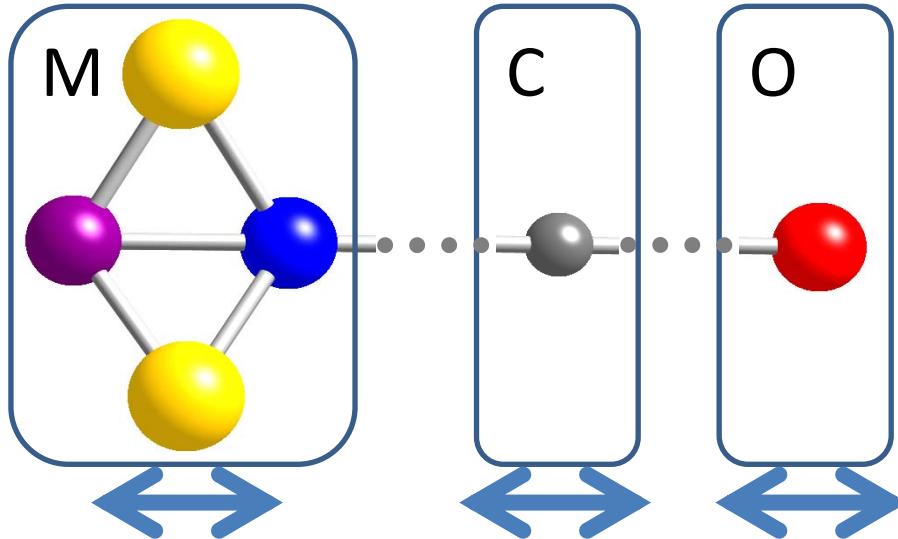
Force constant matrix

$$\begin{array}{ccc}
 & M & C & O \\
 M & \frac{k_{xx}^{MM}}{\sqrt{m_M \sqrt{m_M}}} & \frac{k_{xx}^{MC}}{\sqrt{m_M \sqrt{m_C}}} & \frac{k_{xx}^{MO}}{\sqrt{m_M \sqrt{m_O}}} \\
 C & \frac{k_{xx}^{CM}}{\sqrt{m_C \sqrt{m_M}}} & \frac{k_{xx}^{CC}}{\sqrt{m_C \sqrt{m_C}}} & \frac{k_{xx}^{CO}}{\sqrt{m_C \sqrt{m_O}}} \\
 O & \frac{k_{xx}^{OM}}{\sqrt{m_O \sqrt{m_M}}} & \frac{k_{xx}^{OC}}{\sqrt{m_O \sqrt{m_C}}} & \frac{k_{xx}^{OO}}{\sqrt{m_O \sqrt{m_O}}}
 \end{array}$$

Extract the eigenvalues

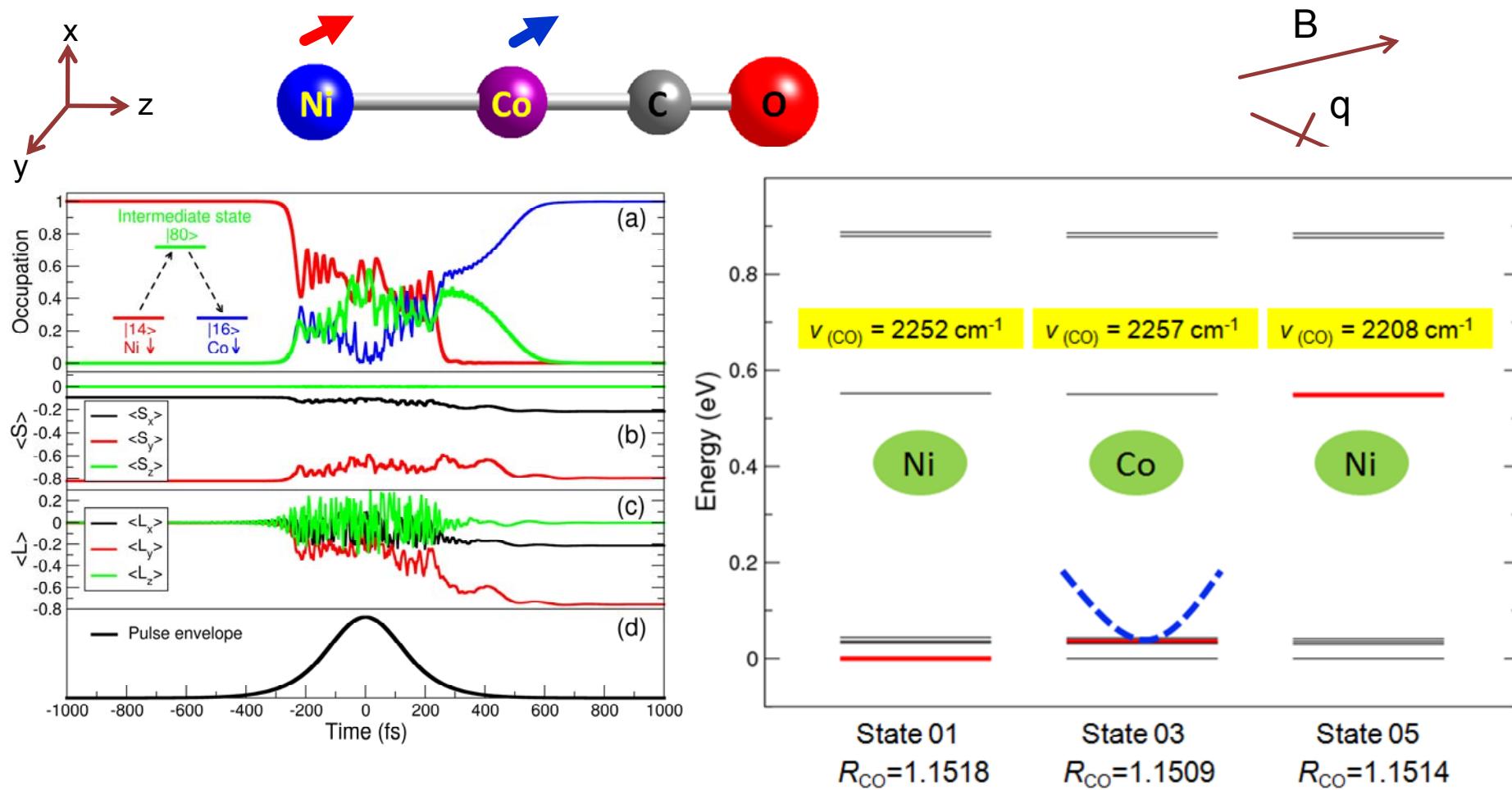


C-O bond stretching frequency



Cluster	State	Bond length (Å)	Frequency (cm⁻¹)
[CoMg <sub>2</sub> Ni-CO] <sup>+</sup>	1	1.1561	2080
	3	1.1550	2100
	5	1.1467	2264
[Co-Ni-CO] <sup>+</sup>	1	1.1532	2149
	3	1.1545	2363
	5	1.1518	2160
[Ni-Co-CO] <sup>+</sup>	1	1.1518	2252
	3	1.1509	2257
	5	1.1514	2208

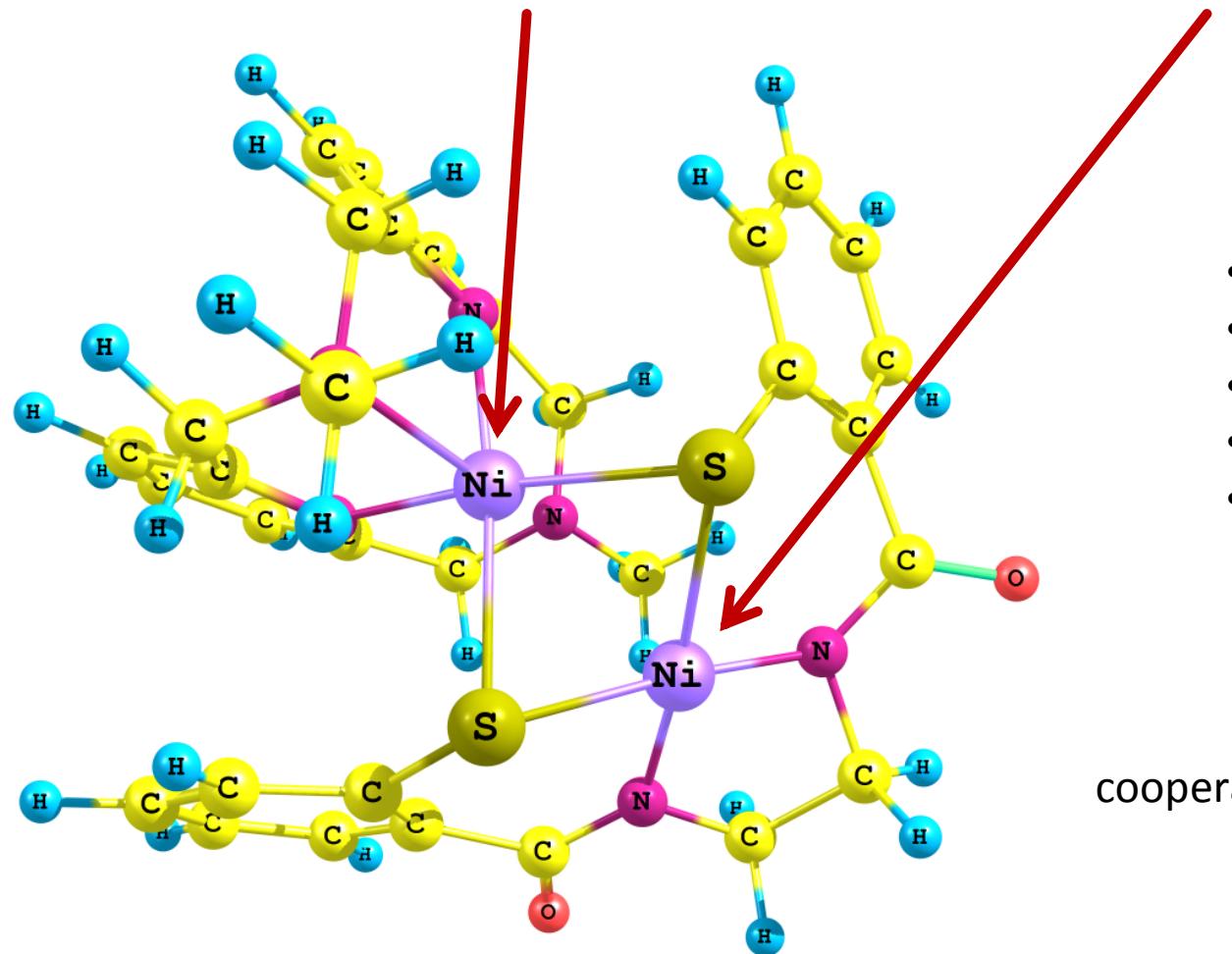
# Two centers: local flip and transfer in [CoNi-Co]<sup>+</sup>



- States with spin localization (Mulliken)
- Both flip and transfer possible (but not simultaneously)
- IR Spectrum of CO as marker of the magnetic state (phonon-magnon coupling)

# Synthesized structure: $[\text{Ni}^{\text{II}}_2(\text{L-N}_4\text{Me}_2)(\text{emb})]$

octahedral Ni: high spin ( $S=1$ ) vs. square planar Ni: low spin ( $S=0$ )

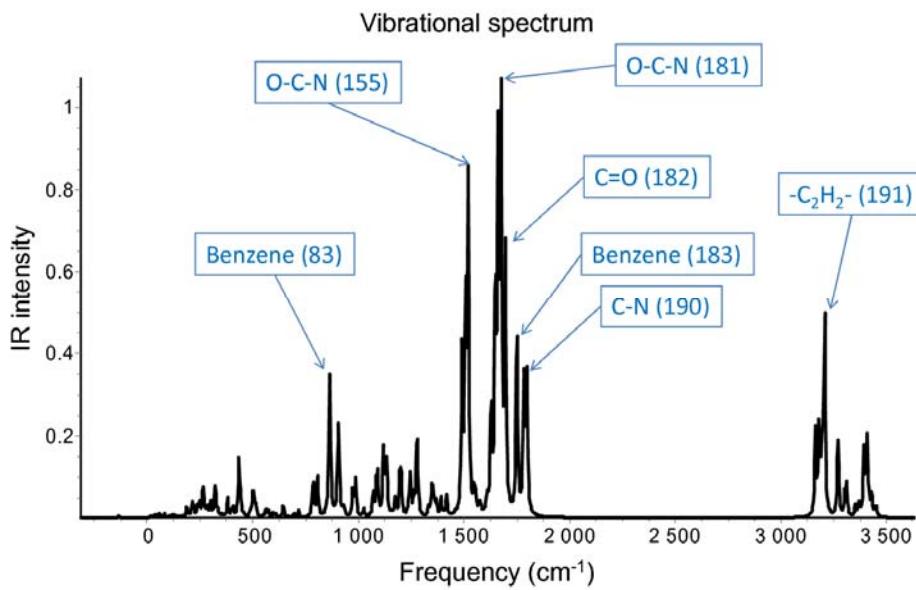
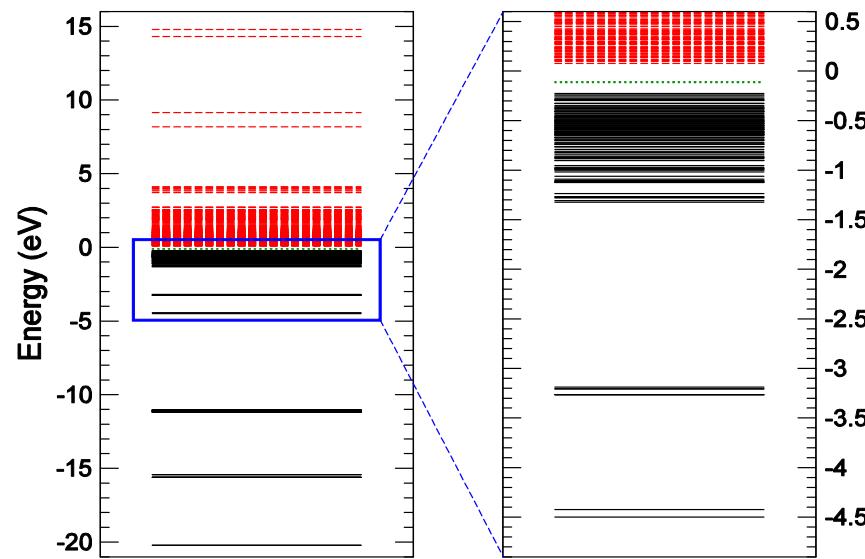


- synthesizability
- calculability
- spin localization
- discrete levels
- vibrational modes

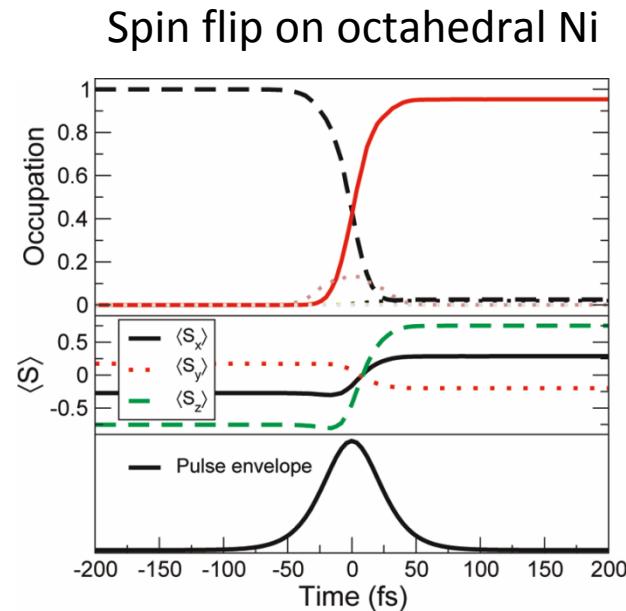
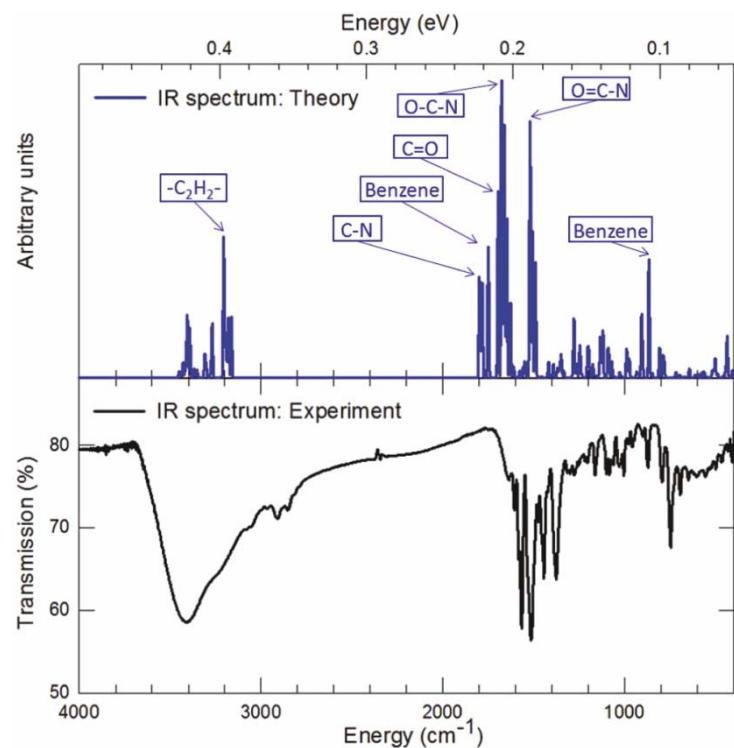
cooperation with synthetic chemistry

# Levels and vibrational spectrum: [Ni<sup>II</sup><sub>2</sub>(L-N<sub>4</sub>Me<sub>2</sub>)(emb)]

- first indications give bond-length results with < 5% error
- vibrational spectrum, deviaton < 10 %
- electronic spectrum, coincidence of main peaks in UV-Vis



# Vibrational spectrum and spin flip [Ni<sup>II</sup><sub>2</sub>(L-N<sub>4</sub>Me<sub>2</sub>)(emb)]



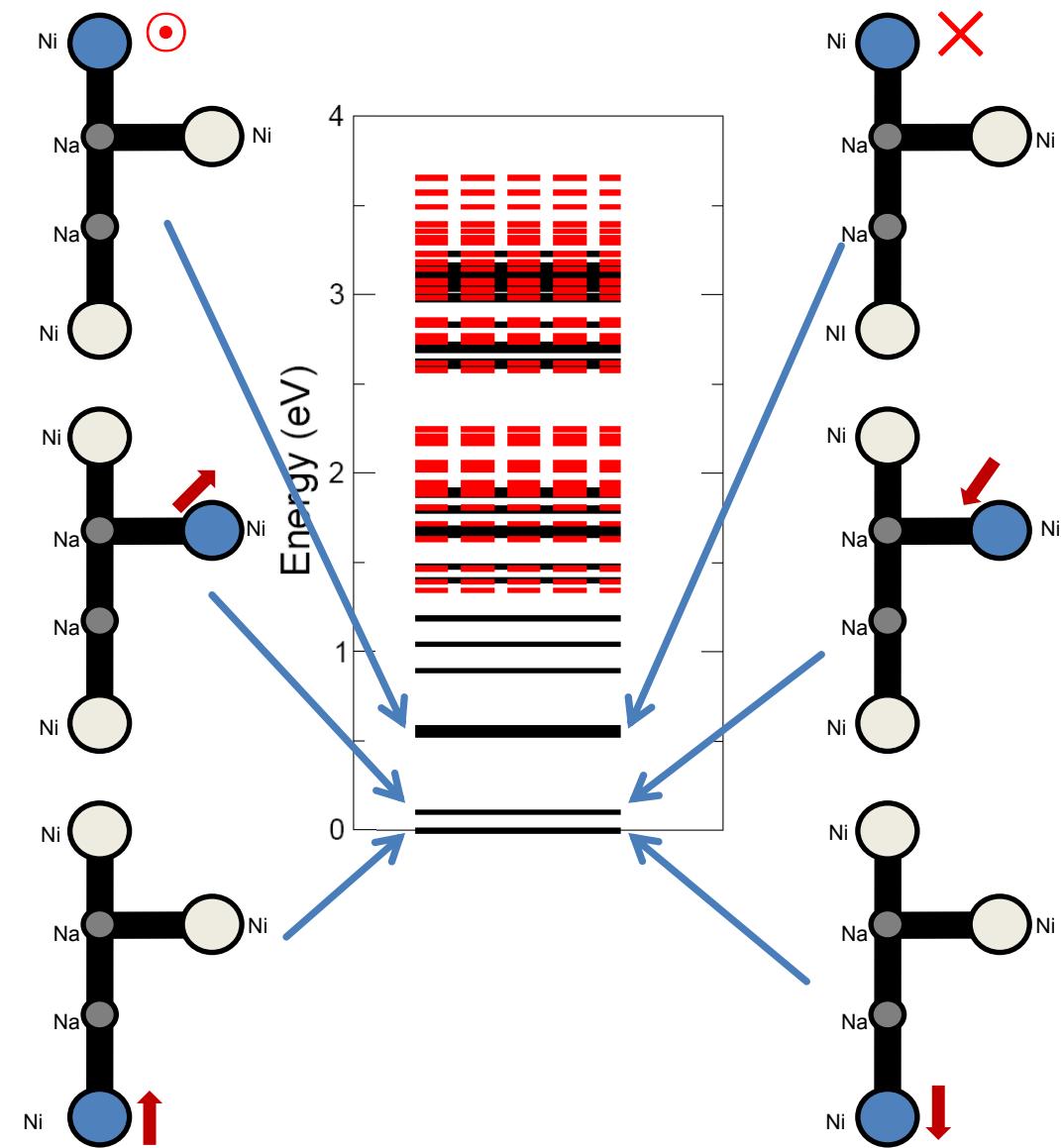
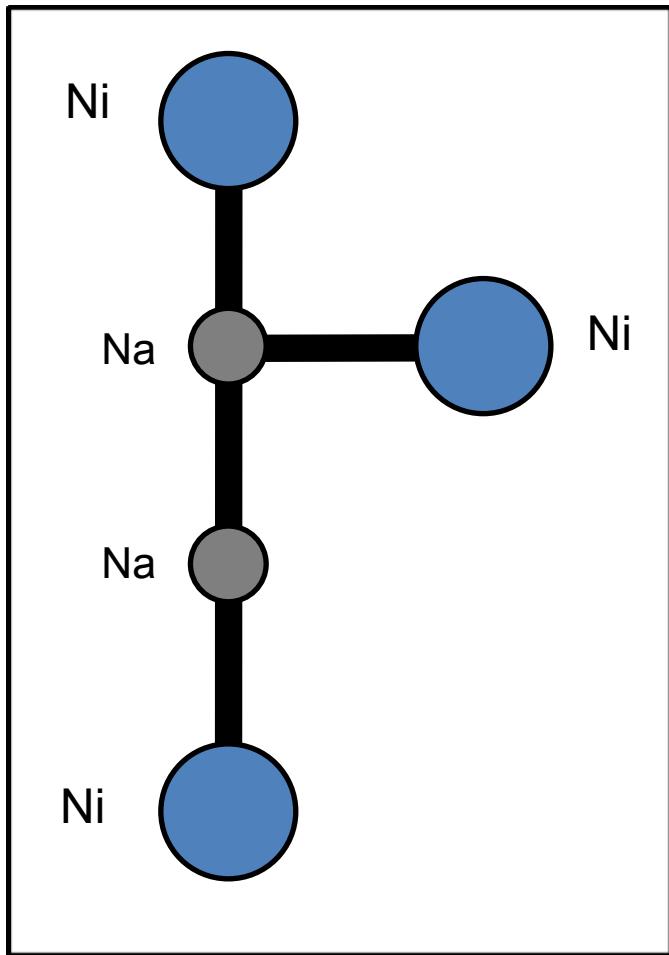
- Good agreement theory – experiment (bond lengths, UV-Vis spectrum)
- Spin-flip scenario on an existing substance

# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. **Clusters with three magnetic centers: magnetic logic**
5. Role of bridging atoms
6. Conclusions

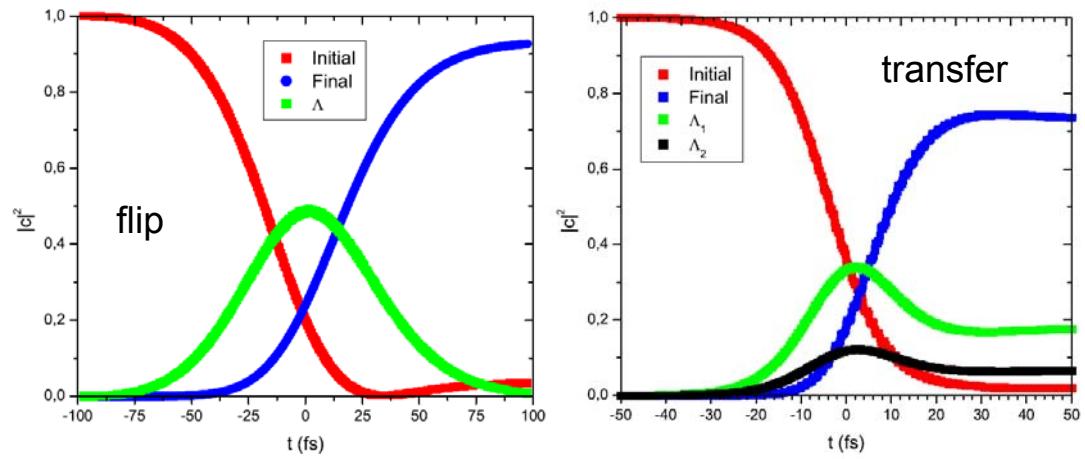
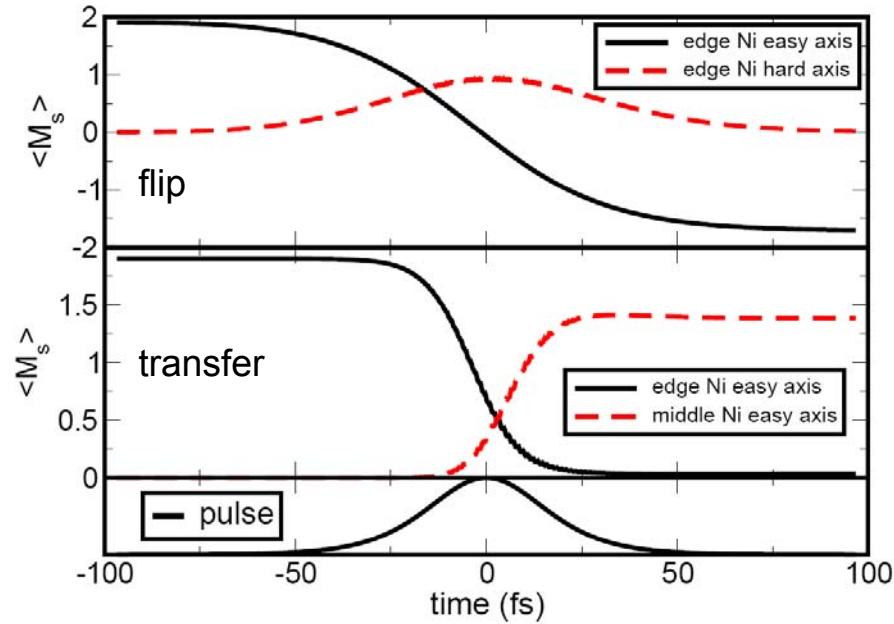
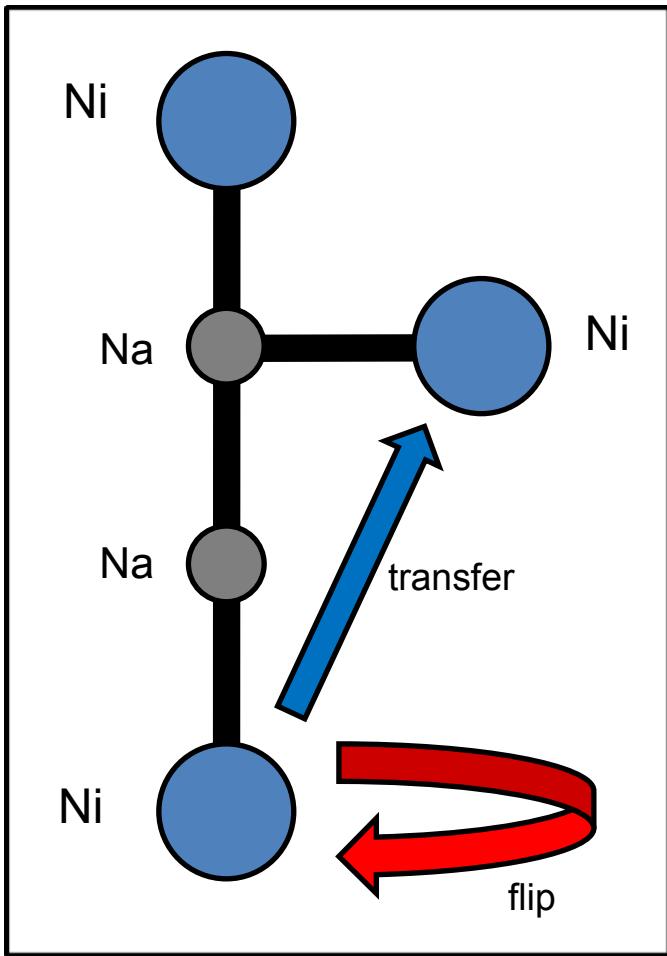
# Systems: $\text{Ni}_3\text{Na}_2$

- local flip
- transfer

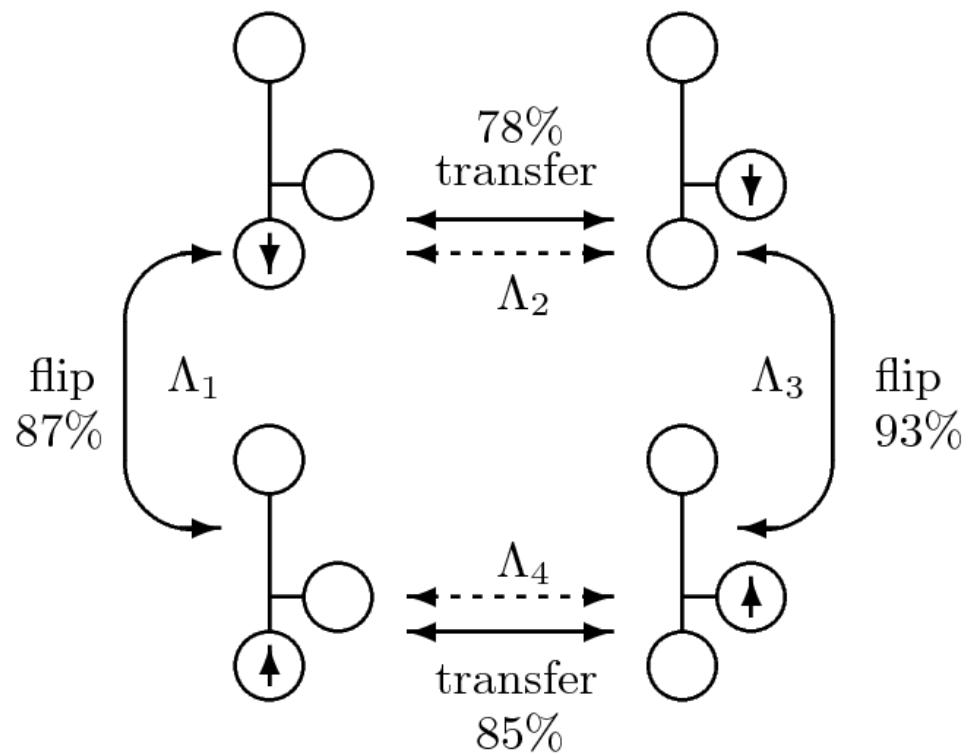
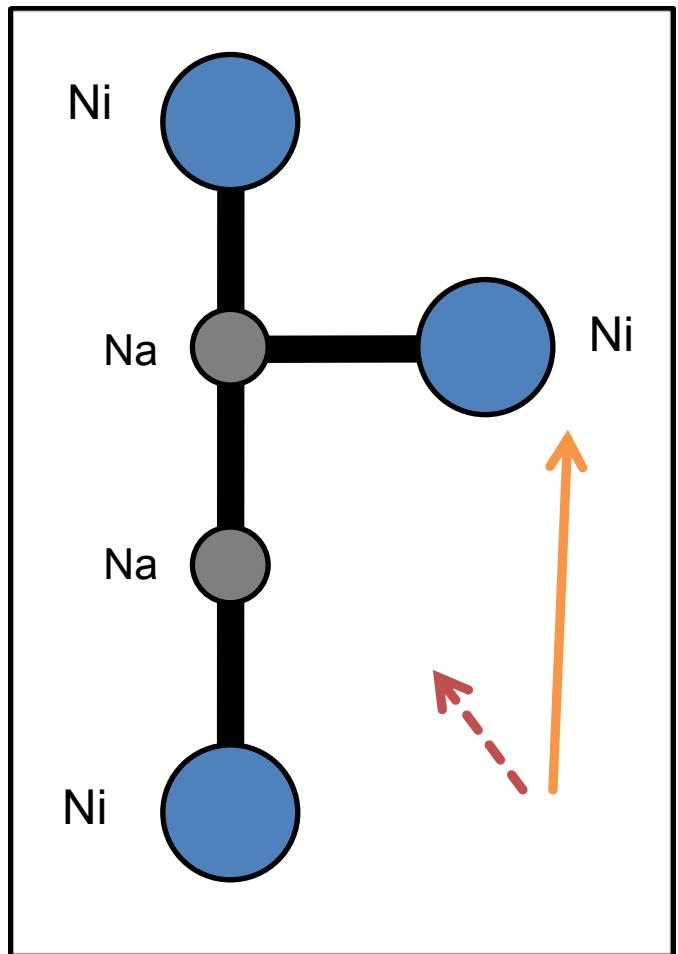


# Systems: $\text{Ni}_3\text{Na}_2$

Success !

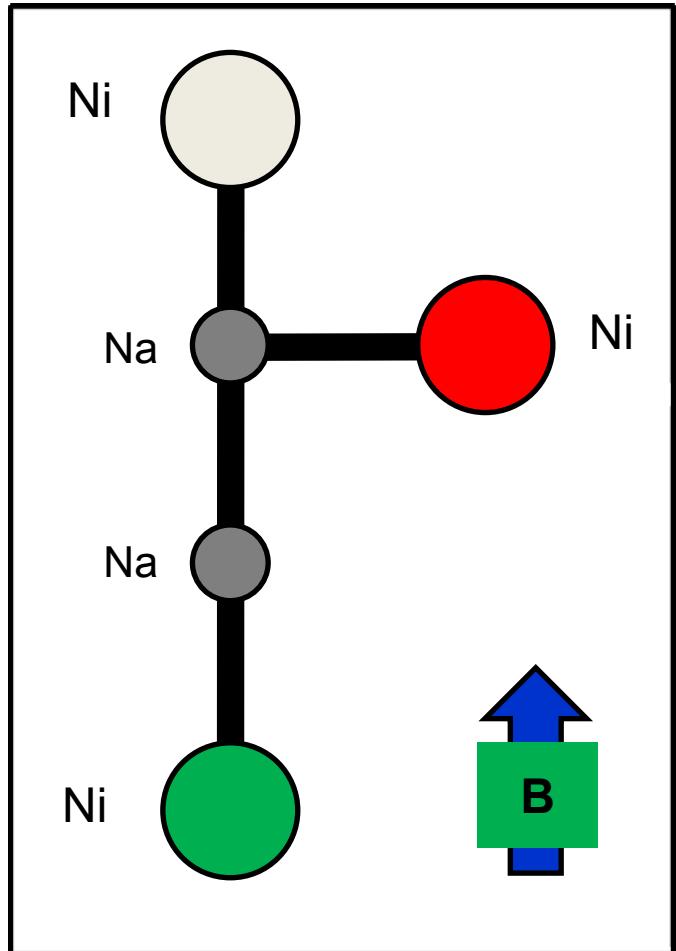


# Systems: $\text{Ni}_3\text{Na}_2$ : possible mechanisms



Nevertheless transfer more difficult

# Systems: $\text{Ni}_3\text{Na}_2$ : gates



AND gate

input 1 spin	input 2 <b>B</b> -field	output spin+position
1 (edge↑)	1 ( $\theta = 0^\circ$ )	1 (middle↑)
0 (edge↓)	1 ( $\theta = 0^\circ$ )	0 (middle↓)
1 (edge↑)	0 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	0 (edge↑)
0 (edge↓)	0 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	0 (edge↓)

OR gate

input 1 spin	input 2 <b>B</b> -field	output spin+position
0 (edge↑)	0 ( $\theta = 0^\circ$ )	0 (middle↑)
1 (edge↓)	0 ( $\theta = 0^\circ$ )	1 (middle↓)
0 (edge↑)	1 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	1 (edge↑)
1 (edge↓)	1 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	1 (edge↓)

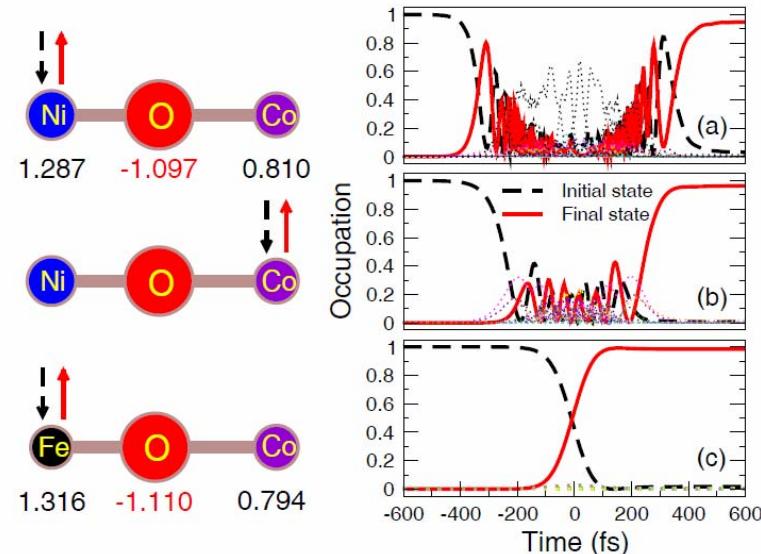
XOR gate

input 1 spin	input 2 <b>B</b> -field	output spin
1 (edge↑)	1 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	0 (middle↓)
0 (edge↓)	1 ( $\theta = 78^\circ$ and $\phi = 96^\circ$ )	1 (middle↑)
1 (edge↑)	0 ( $\theta = 0^\circ$ )	1 (middle↑)
0 (edge↓)	0 ( $\theta = 0^\circ$ )	0 (middle↓)

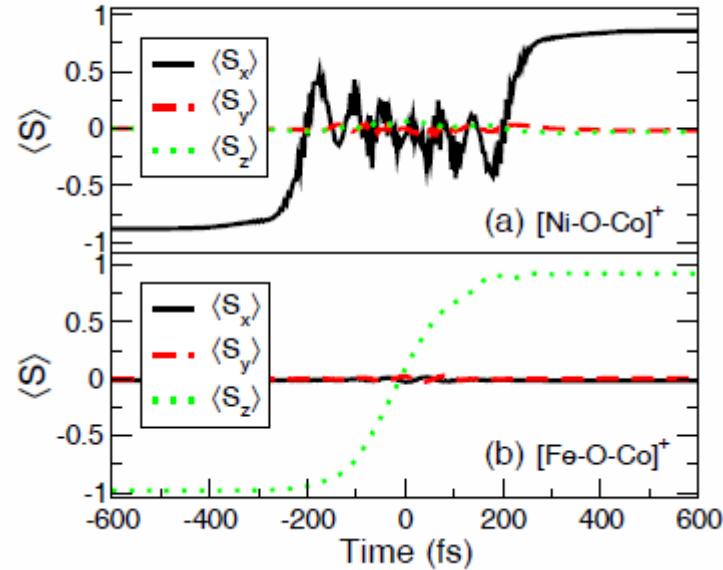
# Outline

1. History: theoretical achievements in spin dynamics
2. Introduction: theoretical and background aspects
3. Clusters with two magnetic centers
4. Clusters with three magnetic centers: magnetic logic
5. **Role of bridging atoms**
6. Conclusions

# Two centers: O-bridged structures

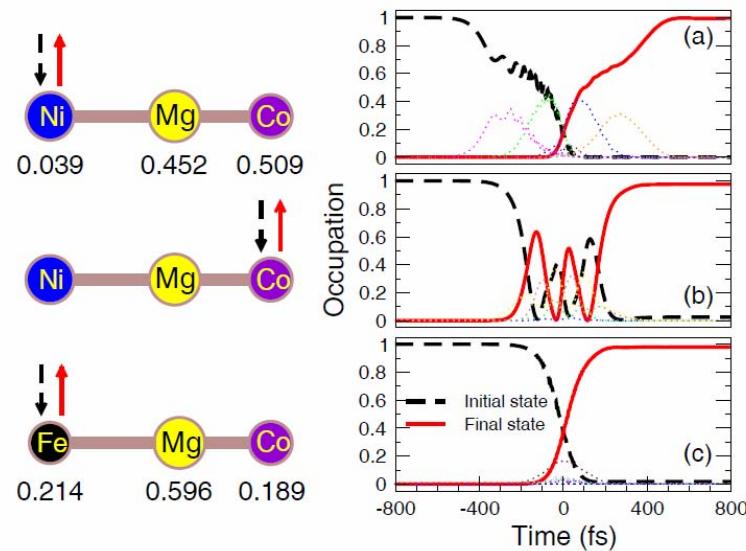


Structure	Atom	State 1	State 2	State 3	State 4	State 5
[Ni-Co] <sup>+</sup>	Ni	1.924	1.015	1.924	0.025	1.014
	Co	0.076	0.985	0.076	1.975	0.986
[Ni-O-Co] <sup>+</sup>	Ni	1.834	0.846	0.200	0.855	0.497
	O	0.139	0.099	0.047	0.099	0.079
	Co	0.026	1.056	1.754	1.047	1.425
[Ni-Mg-Co] <sup>+</sup>	Ni	1.601	1.621	0.017	0.044	0.045
	Mg	0.379	0.360	-0.022	-0.018	0.528
	Co	0.020	0.019	2.005	1.974	1.427
[Fe-Co] <sup>+</sup>	Fe	1.994	1.025	1.994	1.993	1.022
	Co	0.006	0.975	0.006	0.007	0.978
[Fe-O-Co] <sup>+</sup>	Fe	-0.007	1.869	1.936	1.867	1.111
	O	0.008	0.126	0.028	0.113	0.057
	Co	2.000	0.006	0.035	0.021	0.833
[Fe-Mg-Co] <sup>+</sup>	Fe	0.015	0.012	1.975	2.008	1.971
	Mg	0.008	0.008	0.015	-0.012	0.013
	Co	1.978	1.980	0.010	0.003	0.015



- Spin-density redistribution
- Spin maximum relocalization
- Fe (easiest) > Co (moderate) > Ni (hardest)

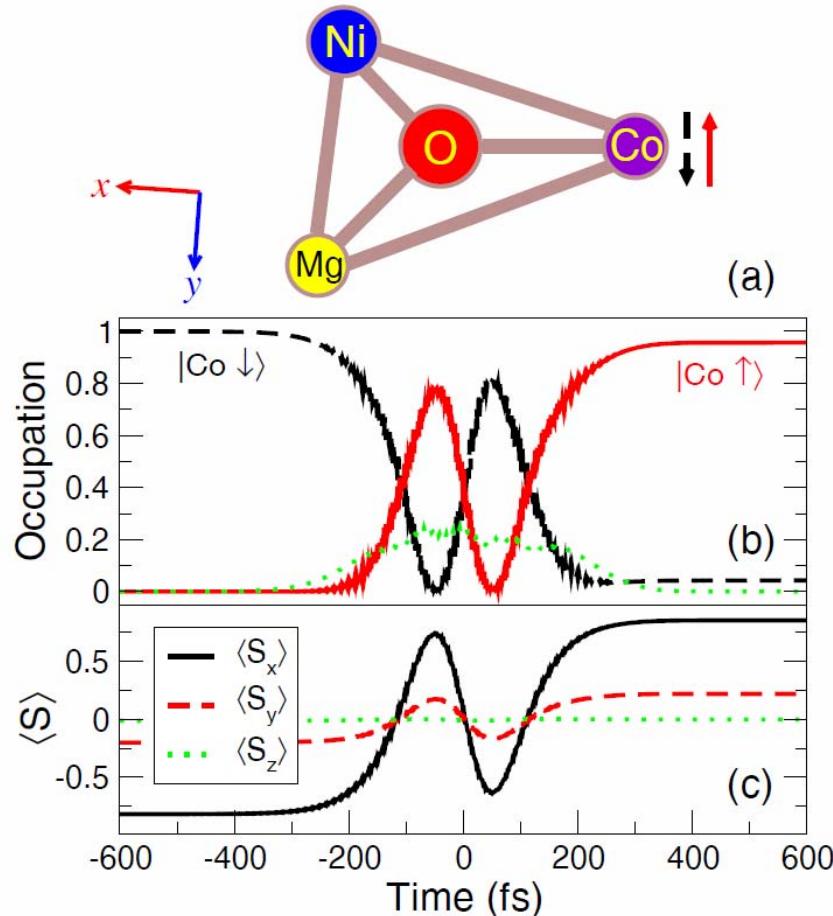
# Two centers: Mg-bridged structures



Structure	Atom	State 1	State 2	State 3	State 4	State 5
$[\text{Ni-Co}]^+$	Ni	1.924	1.015	1.924	0.025	1.014
	Co	0.076	0.985	0.076	1.975	0.986
$[\text{Ni-O-Co}]^+$	Ni	1.834	0.846	0.200	0.855	0.497
	O	0.139	0.099	0.047	0.099	0.079
	Co	0.026	1.056	1.754	1.047	1.425
$[\text{Ni-Mg-Co}]^+$	Ni	1.601	1.621	0.017	0.044	0.045
	Mg	0.379	0.360	-0.022	-0.018	0.528
	Co	0.020	0.019	2.005	1.974	1.427
$[\text{Fe-Co}]^+$	Fe	1.994	1.025	1.994	1.993	1.022
	Co	0.006	0.975	0.006	0.007	0.978
$[\text{Fe-O-Co}]^+$	Fe	-0.007	1.869	1.936	1.867	1.111
	O	0.008	0.126	0.028	0.113	0.057
	Co	2.000	0.006	0.035	0.021	0.833
$[\text{Fe-Mg-Co}]^+$	Fe	0.015	0.012	1.975	2.008	1.971
	Mg	0.008	0.008	0.015	-0.012	0.013
	Co	1.978	1.980	0.010	0.003	0.015

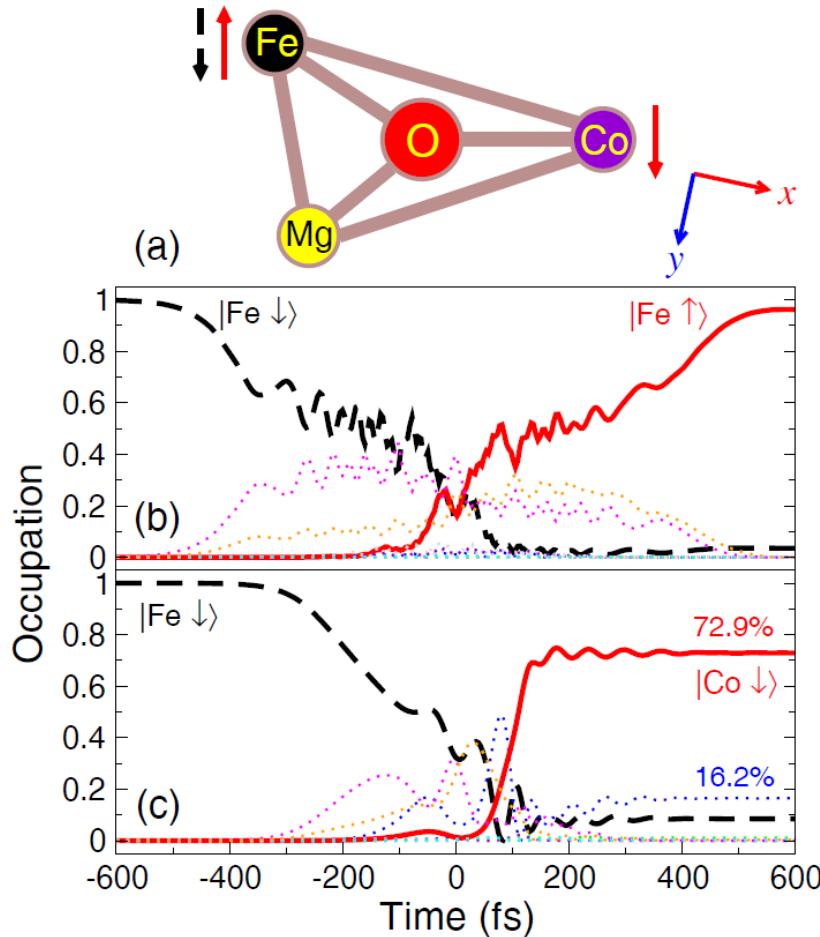
- Spin-density redistribution
- Spin maximum relocation
- Fe (easiest) > Co (moderate) > Ni (hardest)

# Two centers: O- and Mg-bridged structures



- Spin-flip facilitated
- Lower energy of laser pulse (~1 eV instead of 2-3 eV)

# Two centers: O- and Mg-bridged structures



- Spin-flip facilitated
- Lower energy of laser pulse ( $\sim 1$  eV instead of 2-3 eV)
- Transfer with low intensity ( $0.115 \text{ Js}^{-1}\text{m}^{-2}$ , per molecule)
- Spin transfer also possible
- First time tilt and transfer simultaneously

# Summary

- Spin dynamics theoretically covered from femto- to subnanoseconds
- Ultrafast laser-induced active spin manipulation in magnetic nanoclusters
- Encoding of magnetic state in vibration of chromophore
- Logic functionalization (AND, OR gates)
- Rules-of-thumb for spin manipulation
  - Fe (easiest) > Co (moderate) > Ni (hardest)
  - O and Mg can reduce and relocate maximum of spin density
  - Spin flip easy on linear structures, but not spin transfer
  - Mg and O as bridging atoms increase the efficiency of spin transfer
  - Possibility of coherent control (different laser pulses lead to different results)