## <u>Crystal field for 3d ions : cubic crystal field</u>

Crystal field potential:  $V_c = V_0(x^4 + y^4 + z^4 - 3/5r^4)$ 



d orbitals are splitted in 2 groups:  $e_g$  and  $t_{2g}$ ; 2 cases:

Filling of the d-orbitals following 1st Hund's rule (S maximum)



## **Quenching of orbital magnetic moment:**

Wave functions of  $\underline{e_g}$  states:

 $\frac{1}{\sqrt{2}}(Y_2^2 + Y_2^{-2})$  and  $Y_2^0$ 

No orbital magnetism:

$$\left\langle \mathbf{e_{g}^{1}} \left| \mathbf{L_{\alpha}} \right| \mathbf{e_{g}^{2}} \right\rangle = \mathbf{0}, \alpha = \mathbf{x}, \mathbf{y}, \mathbf{z}$$

$$\underline{\mathbf{t}_{2g}} \underline{\text{states}}: \qquad \frac{1}{\sqrt{2}} (\mathbf{Y}_2^2 - \mathbf{Y}_2^{-2}), \frac{1}{\sqrt{2}} (\mathbf{Y}_2^1 - \mathbf{Y}_2^{-1}), \text{ and } \frac{1}{\sqrt{2}} (\mathbf{Y}_2^1 + \mathbf{Y}_2^{-1})$$

Diagonal matrix elements of L<sub> $\alpha$ </sub> vanish, only off-diagonal elements:  $\Rightarrow$ « reduced » orbital moment

In cubic symmetry orbital magnetism is either quenched (e<sub>g</sub>) or reduced (t<sub>2g</sub>): <u>L is not given by Hund's rule</u>

Spin-orbit coupling is a smaller effect, acting mainly in t<sub>2g</sub> states